

Question	Answer	Marks	Guidance
5(a)	Attempt correct process for solving 3-term quadratic equation in $\sqrt{x}$	<b>M1</b>	Accept $8y^2 - 6y - 9 \rightarrow (2y - 3)(4y + 3)$ , if $y = \sqrt{x}$ specified.
	Obtain at least $2\sqrt{x} - 3 = 0$ or equivalent	<b>A1</b>	Ignore $4\sqrt{x} + 3 = 0$ . <b>SC B1</b> for $\sqrt{x} = \frac{3}{2}$ with no method shown for solving the 3-term quadratic.
	Conclude $x = \frac{9}{4}$ ignore $\frac{9}{16}$	<b>A1</b>	<b>SC B1</b> if no method shown for solving the 3-term quadratic.
	<b>Alternative Method for Q5(a)</b>		
	$3\sqrt{x} = 4x - \frac{9}{2} \rightarrow 16x^2 - 45x + \frac{81}{4}$ o.e and attempt correct process to solve	<b>M1</b>	
	Obtain $x = \frac{9}{4}$ or $\frac{9}{16}$	<b>A1</b>	<b>SC B1</b> if no method shown for solving the 3-term quadratic.
	$x = \frac{9}{4}$ ignore $\frac{9}{16}$	<b>A1</b>	<b>SC B1</b> if no method shown for solving the 3-term quadratic.
		<b>3</b>	

Question	Answer	Marks	Guidance
5(b)	Integrate to obtain form $k_1x^2 + k_2x^{\frac{3}{2}} + k_3x$ where $k_1k_2k_3 \neq 0$	M1	
	Obtain correct $2x^2 - 2x^{\frac{3}{2}} + x$ or equivalent	A1	Allow unsimplified.
	Substitute $x = 4$ and $y = 11$ to attempt value of $c$	M1	Dependent on at least 2 correct terms involving $x$ .
	Obtain $y = 2x^2 - 2x^{\frac{3}{2}} + x - 9$	A1	Must be simplified. Allow 'f(x) ='. Allow $y$ missing if $y$ appears previously.
		4	

Question	Answer	Marks	Guidance
7(a)	Differentiate to obtain form $k_1(2x+1)^{-\frac{4}{3}}$	M1	
	Obtain correct $-8(2x+1)^{-\frac{4}{3}}$ or unsimplified equivalent	A1	
	Attempt equation of tangent at $\left(\frac{7}{2}, 6\right)$ with numerical gradient	M1	Gradient must come from a differentiated expression.
	Obtain $y = -\frac{1}{2}x + \frac{31}{4}$ or equivalent of requested form	A1	
		4	

Question	Answer	Marks	Guidance
7(b)	Integrate to obtain form $k_2(2x+1)^{\frac{2}{3}}$	<b>M1</b>	
	Obtain correct $9(2x+1)^{\frac{2}{3}}$ or unsimplified equivalent	<b>A1</b>	
	Use correct limits correctly to find area	<b>M1</b>	Substitute correct limits into an integrated expression. 36 – 9 minimum working required.
	Obtain 27	<b>A1</b>	<b>SC B1</b> if M1 A1 M0 scored.
		<b>4</b>	

Question	Answer	Marks	Guidance
7(a)	$-2\left((x \pm p)^2 \pm q\right)$ or $-2(x \pm p)^2 \pm q$	<b>M1*</b>	$p \neq 0$ .
	$-2\left((x - 2)^2 \pm q\right)$ or $-2(x - 2)^2 \pm q$	<b>DM1</b>	
	$-2(x - 2)^2 + 19$ and (2, 19)	<b>A1</b>	Accept $x = 2, y = 19$ or 2, 19.
		<b>3</b>	

Question	Answer	Marks	Guidance
7(b)	<b>Method 1</b>		
	$[x =] \pm 1$	<b>B1*</b>	Both $x$ co-ordinates for the points of intersection.
	Subtract and attempt to integrate	<b>M1*</b>	
	$\left[ \int (-2x^2 + 2) dx \right] - \frac{2}{3}x^3 + 2x$	<b>B1*</b>	Both terms correct.
	$\left( -\frac{2}{3} + 2 \right) - \left( \frac{2}{3} - 2 \right)$	<b>M1</b>	Apply <i>their</i> limits, one positive and one negative, obtained from equating the line and the curve to their integrated expression.
	$= \frac{8}{3}, 2\frac{2}{3}$	<b>DB1</b>	AWRT 2.67 WWW. Condone $\frac{-8}{3} \rightarrow \frac{8}{3}$ .  <b>SC B1</b> for mistaking triangle for trapezium leading to $\frac{11}{3}$ , i.e. a total of 2/5.
	<b>Method 2</b>		
	$[x =] \pm 1$	<b>B1*</b>	Both $x$ co-ordinates for the points of intersection.
	Attempt to integrate and subtract	<b>M1*</b>	The second integral can be replaced with what is clearly their area of a trapezium.
	$\left\{ \frac{-2x^3}{3} + \frac{8}{2}x^2 + 11x \right\} [-] \left\{ \frac{8}{2}x^2 + 9x \right\}$	<b>B1*</b>	OE All terms correct.  The second integral can be replaced by $\frac{1}{2}(1+17) \times 2$ OE.

Question	Answer	Marks	Guidance
7(b)	$\left\{ \left( \frac{-2}{3} + 4 + 11 \right) - \left( \frac{2}{3} + 4 - 11 \right) \right\} [-] \{(4+9) - (4-9)\}$	<b>M1</b>	Apply <i>their</i> limits, one positive and one negative, obtained from equating the line and the curve, to <i>their</i> integrated expressions. If the trapezium has been used, the second integral can be replaced by <i>their</i> 18.
	$= \frac{8}{3}, 2\frac{2}{3}$	<b>DB1</b>	AWRT 2.67 WWW. Condone $\frac{-8}{3} \rightarrow \frac{8}{3}$ .  <b>SC B1</b> for mistaking triangle for trapezium leading to $\frac{11}{3}$ , i.e. a total of 2/5.
	<b>Method 3</b>		
	$[x] = \pm 1$	<b>B1*</b>	Both $x$ co-ordinates for the points of intersection.
	Subtract and attempt to integrate	<b>M1*</b>	
	$-\frac{2}{3}(x-2)^3 - \frac{8}{2}x^2 + 10x$	<b>B1*</b>	All terms correct.
	$\left( \frac{2}{3} - 4 + 10 \right) - (18 - 4 - 10)$	<b>M1</b>	Apply <i>their</i> limits, one positive and one negative, obtained from equating the line and the curve, to <i>their</i> integrated expression.
	$= \frac{8}{3}, 2\frac{2}{3}$	<b>DB1</b>	AWRT 2.67 WWW.

Question	Answer	Marks	Guidance
7(b)	<b>Method 4</b>		
	$[x =] \pm 1$	<b>B1*</b>	Both $x$ co-ordinates for the points of intersection.
	Attempt to integrate and subtract	<b>M1*</b>	The second integral can be replaced with what is clearly <i>their</i> area of a trapezium.
	$\left\{ -\frac{2}{3}(x-2)^3 + 19x \right\} [-] \left\{ \frac{8}{2}x^2 + 9x \right\}$	<b>B1*</b>	All terms correct. The second integral can be replaced with $\frac{1}{2}(1+17) \times 2$ OE.
	$\left\{ \left( \frac{2}{3} + 19 \right) - (18 - 19) \right\} [-] \{ (4+9) - (4-9) \}$	<b>M1</b>	Apply <i>their</i> limits, one positive and one negative, obtained from equating the line and the curve, to <i>their</i> integrated expression. If the trapezium has been used the second integral can be replaced with <i>their</i> 18 OE.
	$= \frac{8}{3}, 2\frac{2}{3}$	<b>DB1</b>	AWRT 2.67 WWW. Condone $\frac{-8}{3} \rightarrow \frac{8}{3}$ .  <b>SC B1</b> for mistaking triangle for trapezium leading to $\frac{11}{3}$ , i.e. a total of 2/5.
		<b>5</b>	