# Activity 4: Language Modeling and Smoothing Techniques

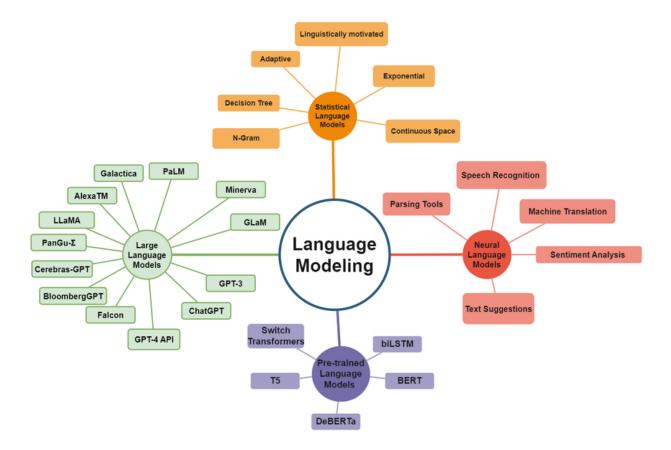
#### Instructions:

- Please download the provided IPython Notebook (ipynb) file and open it in Google Colab. Once opened, enter your code in the same file directly beneath the relevant question's code block.
- Insert a text block below your code to briefly explain it, mentioning any libraries or functions utilized. Conclude your activity with a comprehensive explanation of your overall approach in the final section of the notebook.
- Submit
- 1. The IPython Notebook (ipynb) file.
- 2. A PDF version of the notebook (converted from ipynb).
- The similarity score should be less than 15%

#### What is Language Modeling?

Language modeling (LM) is the use of various statistical and probabilistic techniques to determine the probability of a given sequence of words occurring in a sentence. Language models analyze bodies of text data to provide a basis for their word predictions. They are used in natural language processing (NLP) applications, particularly ones that generate text as an output.

Language Models applications and use cases Predictive text input systems (e.g. autocomplete, text suggestions). Speech recognition. Machine translation. Spelling correction. Natural Language Generation (NLG). Text summarization



textblock - 1

## **Building an N-gram Language Model**

#### An N-gram is a sequence of N tokens (or words).

Let's understand N-gram with an example. Consider the following sentence:

**Example Text**: "I'm passionate about NLP because it empowers machines to understand and communicate with humans through language."

## 1-gram or unigram

A unigram is the simplest form of n-gram, representing a single word in a sequence of text. It is a standalone word or token without any consideration of adjacent words.

```
In [1]: #Code-block 1
        import nltk
        nltk.download('punkt')
        # Sentence to tokenize
        sentence = "I am passionate about NLP because it empowers machines to unders
        # Tokenize the sentence into unigrams
        tokens = nltk.word tokenize(sentence)
        # Display the unigram tokens
        for token in tokens:
            print(token)
        [nltk_data] Downloading package punkt to /root/nltk_data...
        [nltk_data] Unzipping tokenizers/punkt.zip.
        Ι
        am
        passionate
        about
        NLP
        because
        it
        empowers
        machines
        understand
        and
        communicate
        with
        humans
        through
        language
```

- There are different types of n-graphs. The above example is of a 1-gram token which is also called as unigram. It splits the sentence into tokens as we have previously seen.
- These single tokens are called as unigrams.

# 2-gram or bigram

A bigram consists of pairs of adjacent words or tokens in a sequence of text. It provides context by considering two consecutive words together.

```
import nltk

# Sentence to tokenize
sentence = "I am passionate about NLP because it empowers machines to unders

# Tokenize the sentence into bigrams
tokens = nltk.word_tokenize(sentence)

# Create bigrams from the tokens
bigrams = list(nltk.bigrams(tokens))

# Display the bigram tokens
for bigram in bigrams:
    print(bigram)
```

```
('I', 'am')
('am', 'passionate')
('passionate', 'about')
('about', 'NLP')
('NLP', 'because')
('because', 'it')
('it', 'empowers')
('empowers', 'machines')
('machines', 'to')
('to', 'understand')
('understand', 'and')
('and', 'communicate')
('communicate', 'with')
('with', 'humans')
('humans', 'through')
('through', 'language')
('language', '.')
```

- In 2-gram there are 2 tokens combined, so it is known as 2-gram tokens.
- There are also 3-gram/trigram, etc exists.

# **Calculating bigram probabilities**

$$P(w_i|w_{i-1}) = rac{\operatorname{count}(w_{i-1},w_i)}{\operatorname{count}(w_{i-1})}$$

Where:

- $P(w_i|w_{i-1})$  is the conditional probability of word  $w_i$  given the previous word  $w_{i-1}$ , i.e., the probability of observing word  $w_i$  following word  $w_{i-1}$ .
- '  $\operatorname{count}(w_{i-1},w_i)$  is the count of occurrences of the bigram  $(w_{i-1},w_i)$  in the corpus.
- ${f count}(w_{i-1})$  is the count of occurrences of the unigram (single word)  $w_{i-1}$  in the corpus.

```
In [3]: #Code-block 3
        def readData():
            data = ['This is a dog', 'This is a cat', 'I love my cat', 'This is my n
            dat = ' '.join(data).split()
            return dat
        def createBigram(data):
            bigrams = [(data[i], data[i + 1]) for i in range(len(data) - 1)]
            return bigrams
        def calcBigramProb(data, bigrams):
            bigramCounts = {}
            unigramCounts = {}
            for bigram in bigrams:
                word1, word2 = bigram
                bigramCounts[bigram] = bigramCounts.get(bigram, 0) + 1
                unigramCounts[word1] = unigramCounts.get(word1, 0) + 1
            bigramProb = {}
            for bigram in bigramCounts:
                word1, word2 = bigram
                bigramProb[bigram] = bigramCounts[bigram] / unigramCounts[word1]
            return bigramProb
        if name == ' main ':
            data = readData()
            bigrams = createBigram(data)
            print("\nAll the possible Bigrams are:")
            print(bigrams)
            bigramProb = calcBigramProb(data, bigrams)
            print("\nBigrams along with their probability:")
            print(bigramProb)
            inputList = "This is my cat"
            splt = inputList.split()
            outputProb = 1
            for i in range(len(splt) - 1):
                bigram = (splt[i], splt[i + 1])
                if bigram in bigramProb:
                    outputProb *= bigramProb[bigram]
                else:
                    outputProb = 0
            print('\nProbability of sentence "This is my cat" =', outputProb)
```

### **Question 1:**

data = ['I love machine learning', 'Machine learning is fun ', 'Learning algorithms are important', 'Algorithms are the foundation of AI and it is fun', 'machine learning is important', 'Algorithms is fun', 'AI is fun and important']

Change the data in the above code and calculate the probability of inputlist given below?

inputList = 'Machine learning is fun and important'

```
In [4]: #code here
        #Code-block 3
        def readData():
            data = ['I love machine learning', 'Machine learning is fun ', 'Learning
            dat = ' '.join(data).split()
            return dat
        def createBigram(data):
            bigrams = [(data[i], data[i + 1]) for i in range(len(data) - 1)]
            return bigrams
        def calcBigramProb(data, bigrams):
            bigramCounts = {}
            unigramCounts = {}
            for bigram in bigrams:
                word1, word2 = bigram
                bigramCounts[bigram] = bigramCounts.get(bigram, 0) + 1
                unigramCounts[word1] = unigramCounts.get(word1, 0) + 1
            bigramProb = {}
            for bigram in bigramCounts:
                word1, word2 = bigram
                bigramProb[bigram] = bigramCounts[bigram] / unigramCounts[word1]
            return bigramProb
        if __name__ == '__main__':
            data = readData()
            bigrams = createBigram(data)
            print("\nAll the possible Bigrams are:")
            print(bigrams)
            bigramProb = calcBigramProb(data, bigrams)
            print("\nBigrams along with their probability:")
            print(bigramProb)
            inputList = "Machine learning is fun and important"
            splt = inputList.split()
            outputProb = 1
            for i in range(len(splt) - 1):
                bigram = (splt[i], splt[i + 1])
                if bigram in bigramProb:
                     outputProb *= bigramProb[bigram]
                else:
                    outputProb = 0
            print('\nProbability of sentence "This is my cat" =', outputProb)
```

All the possible Bigrams are: [('I', 'love'), ('love', 'machine'), ('machine', 'learning'), ('learning', ' Machine'), ('Machine', 'learning'), ('learning', 'is'), ('is', 'fun'), ('fu n', 'Learning'), ('Learning', 'algorithms'), ('algorithms', 'are'), ('are', 'important'), ('important', 'Algorithms'), ('Algorithms', 'are'), ('are', 't he'), ('the', 'foundation'), ('foundation', 'of'), ('of', 'AI'), ('AI', 'an d'), ('and', 'it'), ('it', 'is'), ('is', 'fun'), ('fun', 'machine'), ('machi ne', 'learning'), ('learning', 'is'), ('is', 'important'), ('important', 'Al gorithms'), ('Algorithms', 'is'), ('is', 'fun'), ('fun', 'AI'), ('AI', 'i s'), ('is', 'fun'), ('fun', 'and'), ('and', 'important')] Bigrams along with their probability: {('I', 'love'): 1.0, ('love', 'machine'): 1.0, ('machine', 'learning'): 1.0, ('learning', 'Machine'): 0.33333333333333, ('Machine', 'learning'): 1.0, g'): 0.25, ('Learning', 'algorithms'): 1.0, ('algorithms', 'are'): 1.0, ('ar e', 'important'): 0.5, ('important', 'Algorithms'): 1.0, ('Algorithms', 'ar e'): 0.5, ('are', 'the'): 0.5, ('the', 'foundation'): 1.0, ('foundation', 'o f'): 1.0, ('of', 'AI'): 1.0, ('AI', 'and'): 0.5, ('and', 'it'): 0.5, ('it', 'is'): 1.0, ('fun', 'machine'): 0.25, ('is', 'important'): 0.2, ('Algorithm

• For the above question I have taken the code from code block - 3 and replaced the data and the input to the given information.

s', 'is'): 0.5, ('fun', 'AI'): 0.25, ('AI', 'is'): 0.5, ('fun', 'and'): 0.2

Now let us decode the above code part by part.

5, ('and', 'important'): 0.5}

- The readData() method takes the data as a string and splits it into individual words.
- createBigram() function takes the list as input and converts it into Bigrams/2-gram, and returns it.
- calculateBigramProbab() funtion takes the data and Bigram as input at calculates
  the Bigram propabilities using the formulae discuss above. The probabilities help us
  estimate how likely it is to get the second word from the given first word.

## **Building a Basic Language Model**

Now that we understand what an N-gram is, let's build a basic language model using trigrams of the Reuters corpus.

Reuters corpus is a collection of 10,788 news documents totaling 1.3 million words. We can build a language model in a few lines of code using the NLTK package:

```
In [5]: #Code-block 4
        #CODE HERE
        from nltk.corpus import reuters
        from nltk import bigrams, trigrams
        from collections import Counter, defaultdict
        nltk.download('reuters')
        # Create a placeholder for model
        model = defaultdict(lambda: defaultdict(lambda: 0)) #Lambda functions are pa
        # Count frequency of co-occurance
        for sentence in reuters.sents():
            for w1, w2, w3 in trigrams(sentence, pad_right=True, pad_left=True):
                model(w1, w2)(w3) += 1
        # Let's transform the counts to probabilities
        for w1 w2 in model:
            total count = float(sum(model[w1 w2].values()))
            for w3 in model[w1 w2]:
                model[w1 w2][w3] /= total count
```

[nltk data] Downloading package reuters to /root/nltk data...

- The above is an example to show how language modeling works.
- In the above example we have taken 'Reuters'
- T the model calculates the probabilities and predicts the likelihood of the change of the second word to occur given the first word.
- For the above example we have taken trigram.
- We calculated the probabilities and added up to get the total probability.

```
In [6]: print(dict(model["today", "the",]))
```

- Given 'today' and 'the' the above model is predicting what could be the next word based on 'reuters'.
- From the output we can observe that the highest probability is for the word 'company'.
- That means the next word which is more likely to occur is 'company'.

# **Smoothing Techniques**

Smoothing techniques in natural language processing (NLP) are used to address the problem of zero probabilities or low probabilities in language models, particularly in the context of probabilistic models like n-grams or when dealing with sparse data. Smoothing helps prevent issues like zero probability estimates, which can cause problems in statistical language models, such as perplexity and poor generalization.

There are several smoothing techniques they are:

- Laplacian (add-one) Smoothing
- Lidstone (add-k) Smoothing
- Interpolation
- Katz Backoff
- Kneser-Ney Smoothing
- Absolute Discounting

```
In [7]: #code block 5
        #BIGRAM MODEL
        from collections import defaultdict
        from collections import Counter
        from numpy.random import choice
        from tqdm import tqdm
        class Bigram():
            def init (self):
                self.bigram counts = defaultdict(Counter)
                self.unigram counts = Counter()
                self.context = defaultdict(Counter)
                self.start count = 0
                self.token count = 0
                self.vocab count = 0
            def convert sentence(self, sentence):
                return ["<s>"] + [w.lower() for w in sentence] + ["</s>"]
            def get_counts(self, sentences):
                # collect unigram counts
                for sentence in sentences:
                    sentence = self.convert sentence(sentence)
                     for word in sentence[1:]: # from 1, because we don't need the
                         self.unigram counts[word] += 1
                     self.start count += 1
                # collect bigram counts
```

```
for sentence in sentences:
        sentence = self.convert_sentence(sentence)
        bigram_list = zip(sentence[:-1], sentence[1:])
        for bigram in bigram_list:
            self.bigram_counts[bigram[0]][bigram[1]] += 1
            self.context[bigram[1]][bigram[0]] += 1
    self.token_count = sum(self.unigram_counts.values())
    self.vocab count = len(self.unigram counts.keys())
def generate_sentence(self):
   current word = "<s>"
    sentence = [current word]
    while current word != "</s>":
        prev word = current word
        prev word counts = self.bigram counts[prev word]
        # obtain bigram probability distribution given the previous word
        bigram probs = []
        total_counts = float(sum(prev_word_counts.values()))
        for word in prev_word_counts:
            bigram probs.append(prev word counts[word] / total counts)
        # sample the next word
        current word = choice(list(prev word counts keys()), p=bigram pr
        sentence.append(current word)
    sentence = " ".join(sentence[1:-1])
    return sentence
```

 Smoothing techniques are used to avoid zero probability which can reduce the model efficiency when new or unseen words occur in the input while working with a huge dataset.

Now, let's use perplexity to evaluate different smoothing techniques at the level of the corpus. For this, we'll divide Brown corpus up randomly into a training set and a test set based on an 80/20 split. The perplexity can be calculated as follow:

## **Perplexity**

Perplexity is a measurement used to evaluate language models in natural language processing. It indicates how well a probability model predicts a sample. The lower the perplexity better the training.

We need perplexity because it provides:

- A numerical way to evaluate and compare different language models.
- A measure that accounts for both accuracy and complexity of the model. More accurate but complex models are penalized.
- An indication of how well the model generalizes to new data. Lower perplexity

$$PP(W) = \sqrt[m]{rac{1}{P(W)}}$$

$$\log PP(W) = -\frac{1}{m}\log P(W)$$

suggests better generalization.

```
In [8]: import nltk
    from nltk.corpus import brown
    from tqdm import tqdm

    nltk.download('brown')

    [nltk_data] Downloading package brown to /root/nltk_data...
    [nltk_data] Unzipping corpora/brown.zip.

Out[8]:
```

```
In [9]: #code block 6
        import math
        from random import shuffle
        def split train test():
            sents = list(brown.sents())
            shuffle(sents)
            cutoff = int(0.8*len(sents))
            training_set = sents[:cutoff]
            test_set = [[word.lower() for word in sent] for sent in sents[cutoff:]]
            return training set, test set
        def calculate perplexity(sentences, bigram, smoothing function, parameter):
            total log prob = 0
            test token count = 0
            for sentence in tqdm(sentences):
                test token count += len(sentence) + 1 # have to consider the end tok
                total log prob += smoothing function(sentence, bigram, parameter)
            return math.exp(-total_log_prob / test_token_count)
        training_set, test_set = split_train_test()
```

# Laplace (Add-One) Smoothing:

- In Laplace smoothing, also known as add-one smoothing, a count of 1 is added to every possible outcome for each event in the dataset.
- This ensures that no probability estimate is zero and avoids overfitting to the training data.
- The formula for Laplace smoothing is:

```
P(w | context) = (Count(w, context) + 1) / (Count(context) +
|Vocabulary|)
```

# Laplacian (add-one) Smoothing

Laplacian (add-one) smoothing:

$$P_{add-1}(w_i|w_{i-1}) = \frac{C(w_{i-1},w_i) + 1}{C(w_{i-1}) + |V|}$$

vocabs	counts	unsmoothed probability	laplacian (add-one) smoothing
impropriety	8	0.4	(8+1)/(20+7)= 0.333
offense	5	0.25	(5+1)/(20+7)= 0.222
damage	4	0.2	(4+1)/(20+7)= 0.186
deficiencies	2	0.1	(2+1)/(20+7)= 0.111
outbreak	1	0.05	(1+1)/(20+7)= 0.074
infirmity	0	0	(0+1)/(20+7)= 0.037
cephalopods	0	0	(0+1)/(20+7)= 0.037
total	20	1.0	1.0

- Leplace smoothing adds 1 to the count to avoid zero probability.
- If we do not add 1, the probability of 'infirmity' and 'cephalopods' will become 0, which finally will reduce the performance and efficiency of the model.

```
In [10]: #code block 7
         def laplacian smoothing(sentence, bigram, parameter):
             sentence = bigram.convert sentence(sentence)
             bigram list = zip(sentence[:-1], sentence[1:])
             prob = 0
             for prev word, word in bigram list:
                 sm bigram counts = bigram.bigram_counts[prev_word][word] + 1
                 if prev word == "<s>": sm unigram counts = bigram.start count
                 else: sm unigram counts = bigram.unigram counts[prev word] + len(big
                 prob += math.log(sm_bigram_counts / sm_unigram_counts)
             return prob
         bigram laplacian smoothing = Bigram()
         bigram_laplacian_smoothing.get_counts(training_set)
         plex_laplacian_smoothing = calculate_perplexity(test_set, bigram_laplacian_s
         print()
         print(plex laplacian smoothing)
                      11468/11468 [00:00<00:00, 17975.82it/s]
         3462.3589179120445
```

• The above bigram, takes the 'brown' dataset and calculates its perplexity, by splitting the data into test data (20%) and training data (80%) as seen in code block-6.

And the perplexity is 3462.359.

#### **Question 2:**

Based on the above Laplacian Smoothing code block implement your own list of test\_set with few sentences as corpus and calculate the perplexity after applying the Laplacian Smoothing?

```
In [11]: #code here
         test_set = [
             "the dog barked loudly",
             "a bird chirped in the tree",
             "the quick brown fox jumps over the lazy dog",
             "the cat sat on the mat",
             "this is a sample sentence for testing",
             "Happy New Year",
             "Many many happy returns of the day",
             "Jack and Olly are friends."
         ]
         bigram laplacian smoothing = Bigram()
         bigram laplacian smoothing.get counts(training set)
         plex laplacian smoothing = calculate perplexity(test set, bigram laplacian s
         print()
         print(plex_laplacian_smoothing)
         100% | 8/8 [00:00<00:00, 4487.09it/s]
         42180.055452044304
In [13]: # Previous test set
         training_set, test_set = split_train_test()
```

• For the above question, I have taken few sentences as the test\_set and calculated the perplexity and the value is 42180 which is very high.

#### Interpolation

Interpolation:

```
egin{aligned} P_{interpolation}(w_i|w_{i-1},w_{i-2}) &= \lambda_3 P_3(w_i|w_{i-1},w_{i-2}) \ &+ \lambda_2 P_2(w_i|w_{i-1}) \ &+ \lambda_1 P_1(w_i) \end{aligned} where \sum_i \lambda_i = 1
```

 Interpolation means adding all the estimates from differnt n-grams including some weights which are denoted as lambda 1, lambda 2, etc

```
In [14]: #code block 8
         def interpolation(sentence, bigram, lambdas):
             bigram lambda = lambdas[0]
             unigram_lambda = lambdas[1]
             zerogram_lambda = 1 - lambdas[0] - lambdas[1]
             sentence = bigram.convert_sentence(sentence)
             bigram_list = zip(sentence[:-1], sentence[1:])
             prob = 0
             for prev word, word in bigram list:
                 # bigram probability
                 sm bigram counts = bigram.bigram counts[prev word][word]
                 if sm_bigram_counts == 0: interp_bigram_counts = 0
                 else:
                     if prev word == "<s>": u counts = bigram.start count
                     else: u counts = bigram.unigram counts[prev word]
                     interp bigram counts = sm bigram counts / float(u counts) * bigr
                 # unigram probability
                 interp unigram counts = (bigram.unigram counts[word] / bigram.token
                 # "zerogram" probability: this is to account for out-of-vocabulary W
                 vocab size = len(bigram.unigram counts)
                 interp zerogram counts = (1 / float(vocab size)) * zerogram lambda
                 prob += math.log(interp bigram counts + interp unigram counts + interp
             return prob
         bigram interpolation = Bigram()
         bigram interpolation get counts(training set)
         plex interpolation = calculate perplexity(test_set, bigram interpolation, in
         print()
         print(plex_interpolation)
                11468/11468 [00:01<00:00, 10111.44it/s]
```

437.38243947158145

- First, we initialize the unigram, bigram, and trigram along with the weights. And calculated the probabilities by adding them.
- We have used the same data. It basically, compares all the smoothing techniques.
- For the above interpolation we have the perplexity as 437.38.

#### **Question 3:**

Create a Unigram class and develop a Unigram model using the Brown corpus, inspired by the previously discussed Bigram model. Then, assess its performance by calculating its perplexity and comparing the results with those of the Bigram model.

```
In [15]: #code here
         from collections import Counter
         class Unigram:
             def init (self):
                 self.unigram_counts = Counter()
                  self.token_count = 0
                  self.vocab count = 0
             def convert_sentence(self, sentence):
                 return [w.lower() for w in sentence]
             def get_counts(self, sentences):
                  for sentence in sentences:
                      sentence = self.convert sentence(sentence)
                      for word in sentence:
                          self.unigram counts[word] += 1
                          self.token count += 1
                  self.vocab_count = len(self.unigram_counts)
             def calculate_probability(self, word):
                  if word in self.unigram counts:
                      return self.unigram counts[word] / self.token count
                      # Handling out-of-vocabulary words with a very small probability
                      return 1 / (self.token_count * 100)
```

```
In [16]: import nltk
         import math
         # Download the Brown corpus
         nltk.download('brown')
         from nltk.corpus import brown
         # Split the Brown corpus into training and test sets
         sents = brown.sents()
         cutoff = int(0.8 * len(sents))
         training_set_unigram = [sentence for sentence in sents[:cutoff]]
         test set unigram = [sentence for sentence in sents[cutoff:]]
         # Create and train the Unigram model
         unigram model = Unigram()
         unigram model.get counts(training set unigram)
         # Calculate perplexity using the Unigram model
         total log prob unigram = 0
         test_token_count_unigram = 0
         for sentence in test set unigram:
             test token count unigram += len(sentence)
             for word in sentence:
                 prob = unigram model.calculate probability(word)
                 total log prob unigram += math.log(prob)
         plex unigram = math.exp(-total log prob unigram / test token count unigram)
         print("Perplexity of Unigram model:", plex unigram)
```

```
[nltk_data] Downloading package brown to /root/nltk_data...
[nltk_data] Package brown is already up-to-date!
```

Perplexity of Unigram model: 3309.308188711118

- I have defined the class called Unigram similar to the Bigram class with a different logic. In unigram, the tokens are divided into 1-word tokens.
- Then we calculated the perplexity of the model.
- The perplexity for the unigram model is 3309.3.

#### Katz Backoff

Katz Backoff:

$$P_{backoff}(w_i|w_{i-1}) = \begin{cases} \frac{C(w_{i-1}, w_i) - D}{C(w_{i-1})}, if \quad C(w_{i-1}, w_i) > 0 \\ \\ \alpha(w_{i-1}) \times \frac{P(w_j)}{\sum_{w_i \in C(w_{i-1}, w_j) = 0} P(w_j)}, otherwise \end{cases}$$

```
In [17]: #code block 9
         def backoff(sentence, bigram, d):
             sentence = bigram.convert sentence(sentence)
             bigram list = zip(sentence[:-1], sentence[1:])
             prob = 0
             for prev_word, word in bigram_list:
                 sm bigram counts = bigram.bigram counts[prev word][word]
                 if prev word == "<s>": sm unigram counts = bigram.start count
                 else: sm_unigram_counts = bigram.unigram_counts[prev_word]
                 if sm unigram counts == 0:
                     prob += math.log((1 / float(bigram.vocab_count)) * 0.01)
                     continue
                 if sm bigram counts != 0:
                     sm bigram counts = sm bigram counts - d
                 else:
                     alpha prev word = len(bigram.bigram counts[prev word].keys())
                     # sum unigram counts of word j which do not appear after pre wor
                     unseen unigram sum = 0
                     for vocab in bigram.unigram counts.keys():
                         if vocab not in bigram.bigram counts[prev word].keys():
                             unseen unigram sum += bigram.unigram counts[vocab]
                     unseen unigram = bigram.unigram counts[word] / unseen unigram su
                     if unseen unigram == 0: unseen unigram = 1 / float(bigram.vocab
                     sm_bigram_counts = alpha_prev_word * d * unseen_unigram
                 prob += math.log(sm_bigram_counts / sm_unigram_counts)
             return prob
         bigram backoff = Bigram()
         bigram backoff.get counts(training set)
         plex backoff = calculate perplexity(test set, bigram backoff, backoff, 0.1)
         print(plex backoff)
                 11468/11468 [21:28<00:00, 8.90it/s]
         592.2649998231972
```

#### **Question 4:**

Summarize the adjustments you made and insights gained from this activity.

Explanation: All the adjustments are already specified below each code block.

Below is my understanding of this activity.

For this language modeling, we aim to predict the next words based on the previous patterns. For that, the first thing we do is split the sentence into n-gram tokens which can be 1-gram, 2-gram, etc based on the requirement and based on the dataset that is used. The next step is to calculate the bigram probabilities using the formulae. The propability tells how likely is the second word going to occur gievn the first word.

Smoothing Techniques can be understood as, which working with a dataset that is huge, there can be some input words that are new and are not in the dataset. In that case we add some amount of propabilites to those new/unseen words, becasue for the unseen word the propability will get zero which can decrese the overall performance of the model. To avoid that we use smoothing techniques. There are several smoothing teechiques that can be used based on requirnments.

Perplexity is used to calculate the efficiency of the model. Low perplexity means high accuracy and vice versa. That means Perplexity and accuracy are inversely proportional.

Laplace Smoothing: replace smoothing by adding a constant 1 to the count in case of an unseen word. That is the reason it is also called add-one smoothing. Smoothing techniques can be implemented for all types of n-grams which are 1-gram, bigram, trigram, etc.

Interpolation is nothing but combinning the values of estimations from different n-grams like unigram, bigram, trigram, etc and also including the weights for each n-gram.

In [ ]:			
---------	--	--	--