Lecture_11_introduction_to_pytorch

October 5, 2024

Introduction to PyTorch

1 1. Setting Up PyTorch

```
[1]: import torch # now import the pytorch module
from torch import nn
import numpy as np
print(torch.__version__) # check the version
```

1.10.2

1.1 2. Linear regression with PyTorch

Suppose we are given input and output pairs $(x_1, y_1), ..., (x_n, y_n)$, where each $x_i \in \mathbb{R}^d$ is a d dimensional feature vector and y_i is the output. We consider the following linear regression model

$$y = w^T x + b$$

where w, b are the model parameters. The loss function is the squared loss

$$\ell(w,b) = \frac{1}{n}\sum_{i=1}^n (y_i - w^Tx_i)^2$$

The training process is to minimize the loss function via gradient descent.

1.1.1 Key steps in pytorch machine learning programming

- Step 1: Build the model: The model is a subclass of nn.Module. It stores the model parameters, and also specifies how to calculate the model output given the model input
- Step 2: Prepare the training and testing data
- Step 3: Conduct training loops

1.2 2.1 Build Linear Regression Model

```
[2]: from torch import nn
     class MyLinearRegressionModel(nn.Module):
         def __init__(self,d): # d is the dimension of the input
             super(MyLinearRegressionModel,self).__init__() # call the init__
      →function of super class
             # we usually create variables for all our model parameters (w and b in_
      →our case) in __init__ and give them initial values.
             # need to create them as nn.Parameter so that the model knows it is an
      ⇒parameter that needs to be trained
             self.w = nn.Parameter(torch.zeros(1,d, dtype=torch.float))
             self.b = nn.Parameter(torch.zeros(1,dtype=torch.float))
         def forward(self,x):
             # The main purpose of the forward function is to specify given input x, u
      →how the output is calculated.
             return torch.inner(x,self.w) + self.b
     # Let's check out our model
     mymodel = MyLinearRegressionModel(1) # creating a model instance with input_1
      →dimension 1
     print(mymodel.w)
     print(mymodel.b)
    Parameter containing:
    tensor([[0.]], requires_grad=True)
    Parameter containing:
```

```
tensor([0.], requires_grad=True)
```

```
[3]: x = torch.tensor(2)
     print(mymodel(x)) # we should expect this to be w*x+b = 0*2+0 = 0 (recall that
      \rightarroww is initialized to be 0, and b is 0)
```

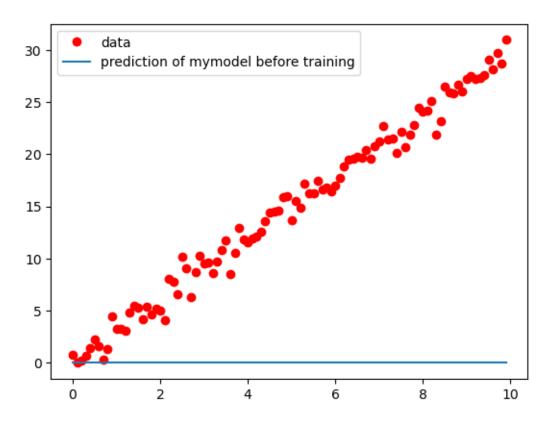
tensor([[0.]], grad_fn=<AddBackward0>)

1.3 2.2 Prepare Training Data

```
[4]: # Now let's create some simple synthetic data
     import matplotlib.pyplot as plt
     x = torch.arange(0,10,.1,dtype=torch.float)
     x = x[:,None]
     y = x*3+torch.randn(x.shape)
```

```
prediction = mymodel(x).detach().numpy()
plt.plot(x,y,'ro')
plt.plot(x,prediction)
plt.legend(['data','prediction of mymodel before training'])
```

[4]: <matplotlib.legend.Legend at 0x7fd3191e2610>



1.4 2.3 Performing Gradient Descent

1.4.1 Forward Pass

The first step to calculate gradient is to do a "fowrad pass", which means compute the loss from the current parameters and the training data.

```
[5]: # Let's try to calculate the gradient

prediction = mymodel(x)

loss = torch.mean((prediction - y)**2)

print(loss)
```

tensor(292.7288, grad_fn=<MeanBackward0>)

1.4.2 Backward

Before we talk about backward, let's see what the gradients are now. They are stored in .grad attributes in the two model parameters. They should be None as we haven't computed it yet.

```
[6]: print(mymodel.w.grad,mymodel.b.grad)
```

None None

The backward function computes the gradient, and you can check the gradient values.

```
[7]: loss.backward() print(mymodel.w.grad,mymodel.b.grad)
```

```
tensor([[-195.7584]]) tensor([-29.5983])
```

1.4.3 Training loop

Let's now write a training loop for gradient descent! The training procedure is a loop of multiple gradient steps. In each training step in the training loop,

- First the prediction is computed based on the input variable of the training data set.
- Then, the prediction, together with the training output, is used to compute the loss.
- Then, we run the optimizer.zero_grad(), which clears the gradient computed from the previous loop.
- Then, we run loss.backward() which calculates the gradient of the loss w.r.t. the parameters
- Finally, optimizer.step() conducts a gradient step

```
[8]: # Now let's do the training!

maxIter = 100

mymodel = MyLinearRegressionModel(1)

# this creates a optimizer, and we tell optimizer we are optimizing the parameters in mymodel
optimizer = torch.optim.SGD(mymodel.parameters(), lr = 1e-3)

for _ in range(maxIter):

# pass input data to get the prediction outputs by the current model prediction = mymodel(x)

# compare prediction and the actual output and compute the loss loss = torch.mean((prediction - y)**2)

# compute the gradient optimizer.zero_grad() loss.backward()
```

```
# update parameters
optimizer.step()
# let
```

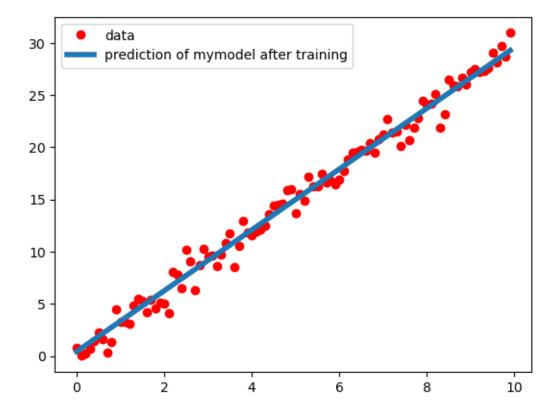
```
[9]: # let's see how the model looks like!

print(mymodel.w,mymodel.b)

prediction = mymodel(x).detach().numpy()
plt.plot(x,y,'ro')
plt.plot(x,prediction,linewidth = 4)
plt.legend(['data','prediction of mymodel after training'])
```

Parameter containing: tensor([[2.9131]], requires_grad=True) Parameter containing: tensor([0.4291], requires_grad=True)

[9]: <matplotlib.legend.Legend at 0x7fd2f8eaf8e0>



1.5 2.4 Visualizing Gradient Descent

```
[10]: import io
      import imageio
      from matplotlib.backends.backend_agg import FigureCanvasAgg as FigureCanvas
      from matplotlib.figure import Figure
      mymodel = MyLinearRegressionModel(1) # creating a model instance with input<sub>□</sub>
       \rightarrow dimension 1
      1r = 3e-2
      optimizer = torch.optim.SGD(mymodel.parameters(), lr = lr) # this line creates_
       \rightarrowa optimizer, and we tell optimizer we are optimizing the parameters in
       ⊶mymodel
      frames = []
      losses = []
      maxIter = 100
      for i in range(maxIter):
          # pass input data to get the prediction outputs by the current model
          prediction = mymodel(x)
          # compare prediction and the actual output and compute the loss
          loss = torch.mean((prediction - y)**2)
          # compute the gradient
          optimizer.zero_grad()
          loss.backward()
          # update parameters
          optimizer.step()
          fig, ax = plt.subplots(nrows = 1, ncols = 2)
          canvas = FigureCanvas(fig)
          ax[0].plot(x,y,'ro')
          ax[0].plot(x,prediction.detach(),linewidth = 2)
          ax[0].legend(['data','prediction of mymodel'],loc = 'upper left')
          ax[0].set_title(f"Learning rate = {lr}, Iteration {i}")
          ax[0].set_xlim((0,10))
          ax[0].set_ylim((0,30))
          losses.append(loss.detach().numpy())
          ax[1].plot(np.arange(i+1),np.array(losses).squeeze(),linewidth=2 )
          ax[1].set_xlim((0,maxIter))
```

```
ax[1].set_ylim((0,300))
ax[1].set_title("Training loss")
canvas.draw()  # draw the canvas, cache the renderer

image = np.frombuffer(canvas.tostring_rgb(), dtype='uint8')

image = image.reshape(fig.canvas.get_width_height()[::-1] + (3,))

frames.append(image)
plt.close(fig)

print("Saving GIF file")
with imageio.get_writer("GD.gif", mode="I") as writer:
for frame in frames:
    writer.append_data(frame)
```

Saving GIF file