

Chương 6.

1)

a) $S \rightarrow SS | aS | b$

Xét chuỗi $abbbbbaaaaaabbbb$.

$L(G)$ là ngôn ngữ bắt đầu bằng kí tự a và luôn kết thúc bằng kí tự b .

$L(G) = \{ a^n b^m \mid n \geq 0, m \geq 1 \}$

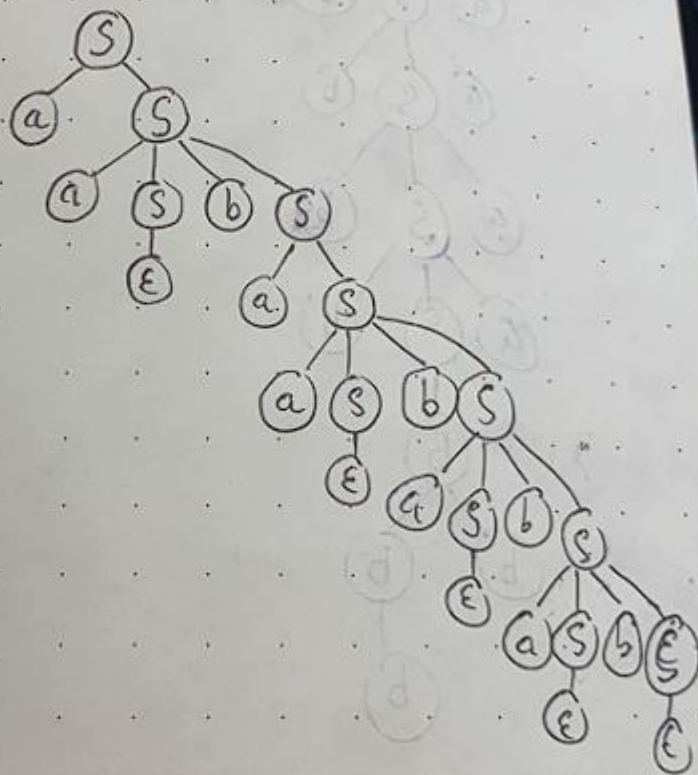
$S \rightarrow aS \rightarrow aaS \rightarrow aaaS \rightarrow aaaaaS \rightarrow aaaaaSSS \rightarrow aaaaaSSSSS \rightarrow aaaaaabSSSS \rightarrow aaaaaabbbSSS \rightarrow aaaaaabbbbS \rightarrow aaaaaabbbbb$

d) c) $S \rightarrow aS \mid aSbS \mid \epsilon$.

$$L(G) = \{w \in \{a, b\}^* \mid |w|_a \geq |w|_b\}$$

Xet chui aabaababab

$S \rightarrow aS \rightarrow \cancel{aS} \rightarrow aaSbS \rightarrow aaaSbS \rightarrow aaaSbS$
 $\rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS$
 $\rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS$
 $\rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS$
 $\rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS \rightarrow aaaSbS$

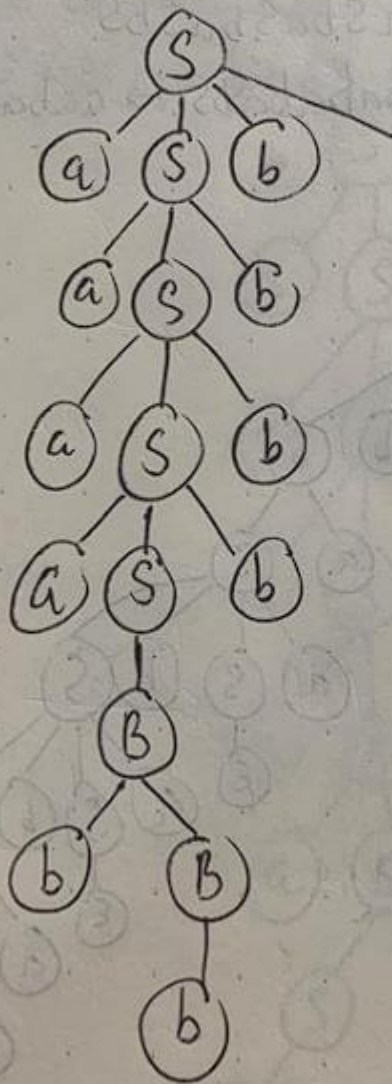


d) $S \rightarrow aSb \mid B, B \rightarrow bB \mid b.$

$L(G) = \{a^i b^j : i \geq 0; j \geq 1\}.$

Xét chuỗi $aaaa bbbbbb$:

$S \rightarrow aSb \rightarrow aaSbb \rightarrow aa aSbbb \rightarrow aaaaSbbbb$
 $\rightarrow aaaaBbbbb \rightarrow aaaa bBbbbb \rightarrow aaaa bbbbbb.$



Bài 2:

②
b) $L = \{a^n b^n a^m b^m : m, n \in \mathbb{N}\}$

$S \rightarrow aSb \mid \epsilon$

~~$B \rightarrow aBb \mid \epsilon$~~

$A \rightarrow aAb \mid \epsilon$

$B \rightarrow SA$

c) $L = \{a^n b^{n+m} b^m : m, n \in \mathbb{N}\}$

$S \rightarrow aSb \mid \epsilon$

$A \rightarrow bAb \mid \epsilon$

$B \rightarrow SA$

a) $L = \{a^n x : n \in \mathbb{N} \wedge x \in \{a, b\}^* \wedge |x| = n\}$

$S \rightarrow aSA \mid \epsilon$

$A \rightarrow aA \mid bA \mid \epsilon$

d) $a^n b^m : m, n \in \mathbb{N} \wedge n \leq 2m$

~~S~~ $S \rightarrow A \mid B$

$A \rightarrow aB \mid aab \mid \epsilon$

$B \rightarrow bB \mid b$

Bài 3:

③

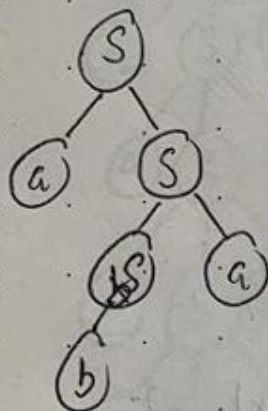
a) $S \rightarrow aS \mid Sa \mid b$

Xét aba:

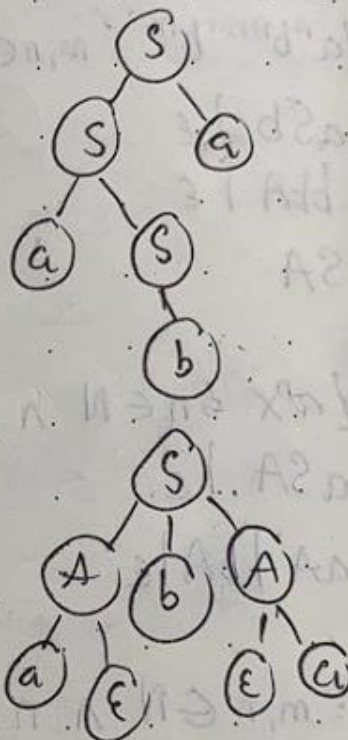
$S \rightarrow aS \rightarrow aSa \rightarrow aba$ (1)

$S \rightarrow Sa \rightarrow aSa \rightarrow aba$ (2)

(1)



(2)



⇒ đây là v.p nhập nhằng:

$S \rightarrow \cancel{AbA} \mid ABA$

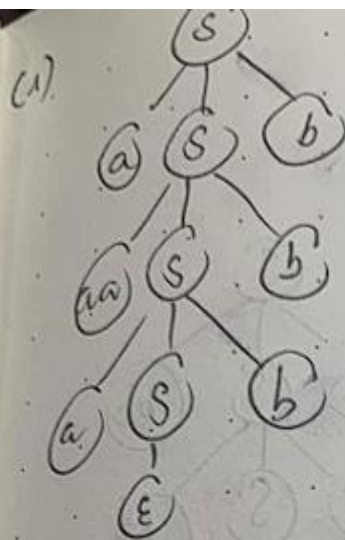
$A \rightarrow aA \mid Aa \mid \epsilon$

b) $S \rightarrow aSb \mid aaSbb \mid \epsilon$

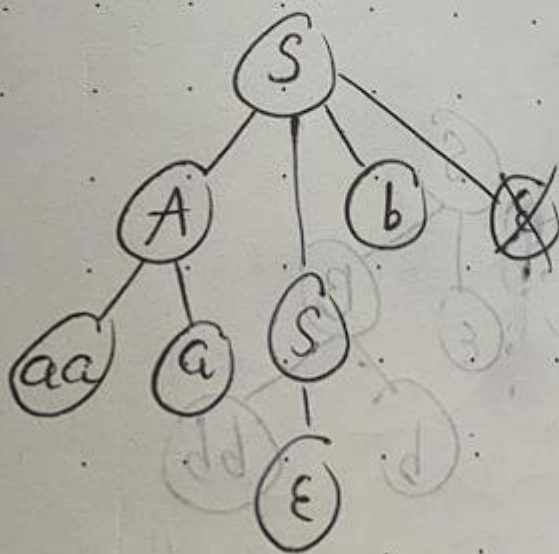
Xét aaacabbb.

$S \rightarrow aSb \rightarrow aaagbb \rightarrow aaaaSbbb \rightarrow aaacabbb$ (1)

$S \rightarrow aaSb \rightarrow aaaaSbbb \rightarrow aaacabbb$ (2)



Vì có 2 dẫn xuất \neq nhau \Rightarrow DX nhập nhằng
 $S \rightarrow ASb \mid \epsilon$
 $A \rightarrow aA \mid aaA \mid a \mid aa$



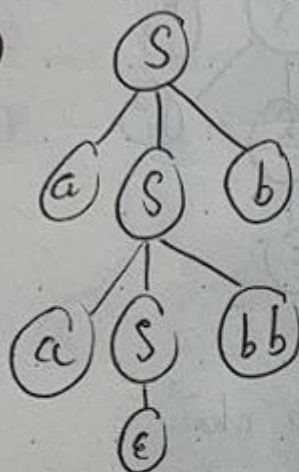
c) & $S \rightarrow aSb | aSbb | \epsilon$

Xét chuỗi: $aabbb$:

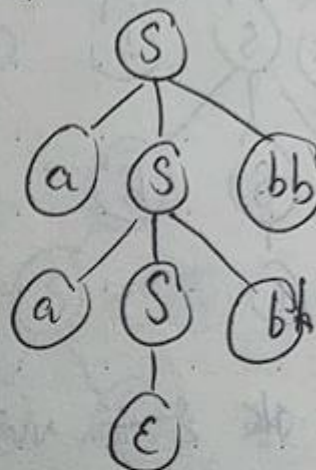
$S \rightarrow aSb \rightarrow aaSbbb \rightarrow aabbb$ (1)

$S \rightarrow aSbb \rightarrow aaSbbb \rightarrow aabbb$ (2)

(1)



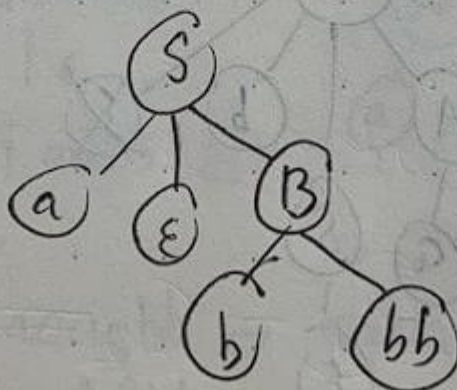
(2)



\Rightarrow Vì đơn đại dẫn xuất \neq nhau \Rightarrow DX nhập nhằng

$S \rightarrow aSB | \epsilon$

$B \rightarrow b|bb$



④

$$a) L = \{w(11)^n w^R : n \in \mathbb{N} \wedge w \in \{0,1\}^*\}$$

$$S \rightarrow 0A0 \mid 1A1 \mid \epsilon$$

$$A \rightarrow 11 \mid \epsilon$$

$$d) L = \{0^n 1^m : m, n \in \mathbb{N} \wedge (m-n) \equiv 1 \pmod{2}\}$$

$$S \rightarrow 0S1A \mid 1A$$

$$A \rightarrow 0A1 \mid 1$$