

task 1

1a

We use equation (1) and (2) given in the assignment with the two points v_1 and v_0 which is chosen such that $v_1 - v_0 = 220$ px. We then get

$$220 = \frac{f_y}{Z} \Rightarrow Z = 5 \quad (1)$$

1b

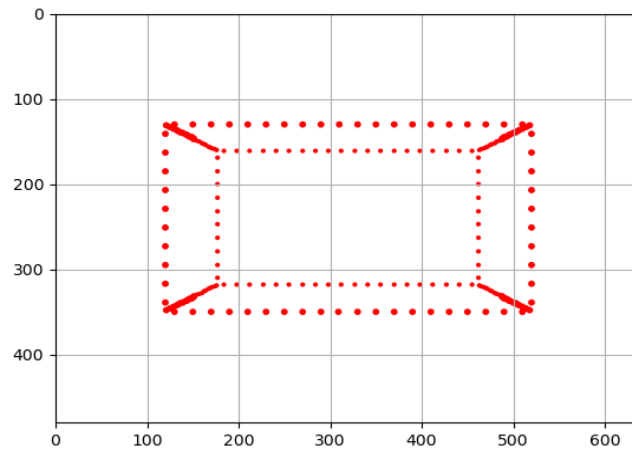


Figure 1: Simulated pinhole camera

1c

Looking at the figure we see a correct transformation would be to first translate the box 5 meters along z , then rotate it about x by θ , then about y with θ degrees.

$$T_o^c = T_z(z_m)R_x(\theta)R_y(\theta) \quad (2)$$

1d

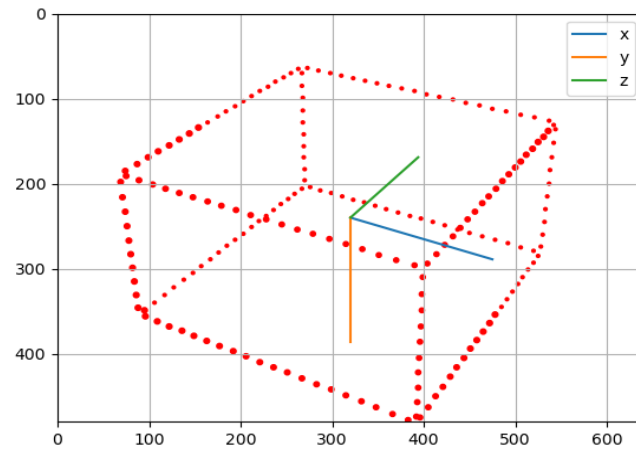


Figure 2: Rotated box

Task 2

2a

We define four points in the coordinates $(0,0)$, $(0,0.1145)$, $(0,1145,0.1145)$, $(0.1145,0)$ in the platform frame.

2b

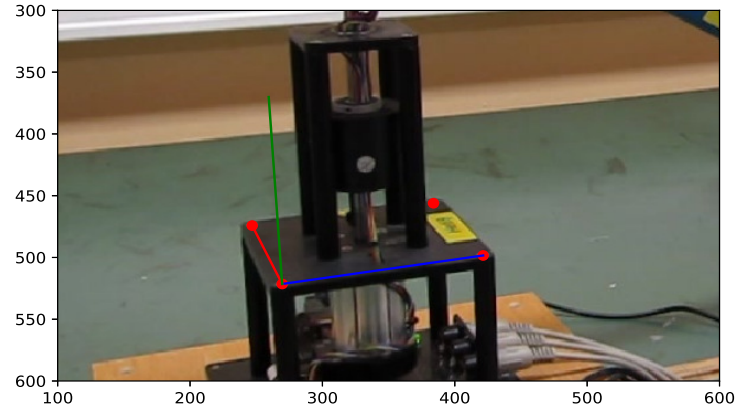


Figure 3: Platform coordinate frame

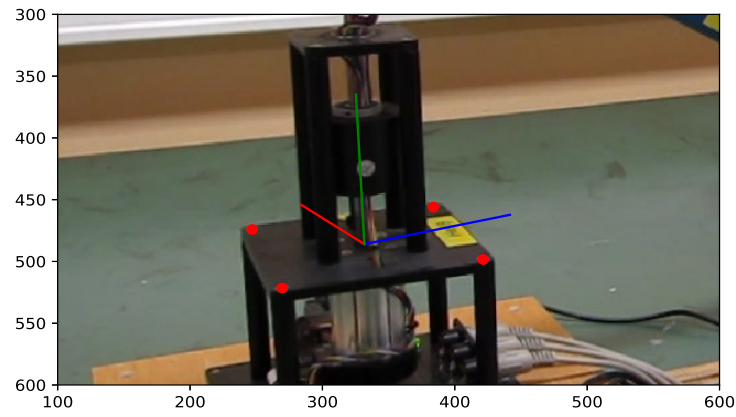


Figure 4: Base coordinate frame

2c

$$T_{base}^{platform} = T_x(t_x)T_y(t_y)R_z(\psi) \quad (3)$$

2d

$$T_{base}^{hinge} = T_z t_z R_y(\theta) \quad (4)$$

$$T_{arm}^{hinge} = T_z(-5.52) \quad (5)$$

2e

$$T_{rotors}^{arm} = T_x(t_x)T_z(-3.12)R_x(\theta) \quad (6)$$

Values are given in the task and are used in the recreation of figure 7.

2f

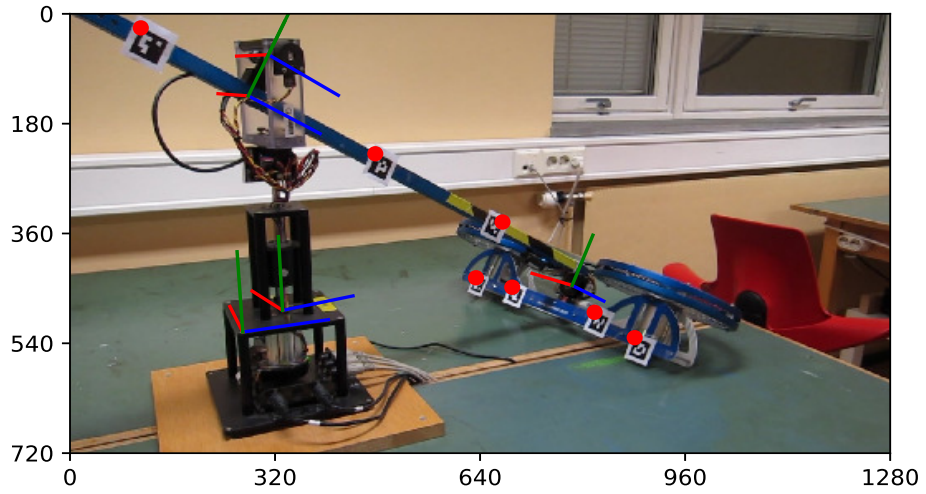


Figure 5: All coordinate frames on helicopter