

Image Processing

lab 2

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Exercise 1 – Fourier spectrum

- a. The functions build in functions `fft2` and `fftshift` are used to create the fourier spectrum image centered around the DC component of the fourier transform. Some extra code is added for calculating the average of the image, which will be explained in more detail in part c of this exercise. To be able to view the spectrum, the values need to be scaled. So the log is taken of each value to increase the contrast.

```
1  % Read the image
2  x = imread('../images/characters.tif');
3  % Get image width and height
4  [width, height] = size(x);
5  % Perform the Fourier transform
6  spectrum = fftshift(fft2(x));
7  % Calculate the average of the image
8  % It can be found by taking the dc component (center of the image)
9  % And dividing it by the number of pixels
10 avg_fourier = abs(spectrum(width/2+1,height/2+1))/(width*height)
11 avg_mean = mean(mean(x))
12
13 % calculate the magnitude
14 spectrum = abs(spectrum);
15
16 % take the log value for better scaling in octave
17 logspectrum = log2(spectrum);
18 % Take note of max and min of the spectrum for image scaling
19 maxs = max(max(logspectrum));
20 mins = min(min(logspectrum));
21 % Scale the image for output to file
22 spectrumimg = uint8(floor((logspectrum - mins) / (maxs-mins) * 256));
23 imwrite(spectrumimg, 'spectrum.png');
24 % Show the log image as a figure
25 figure, imshow(logspectrum,[]), colormap gray
```

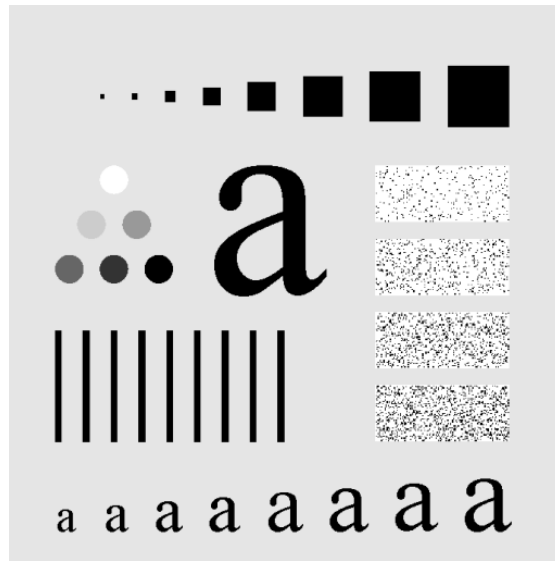


Figure 1: Original image

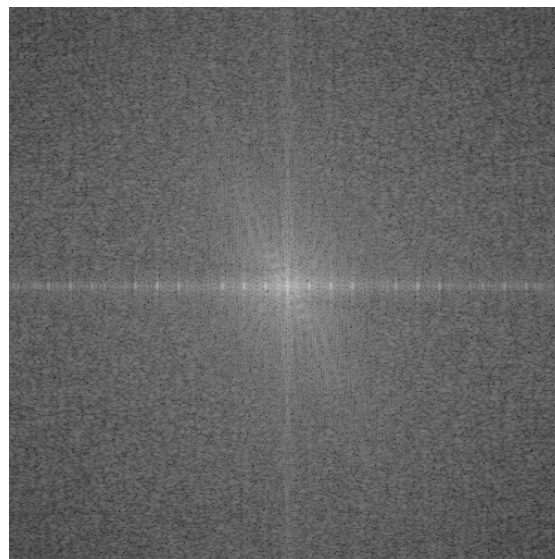


Figure 2: Fourier spectrum of figure 1

b.

- c.** The magnitude of the center of the image is the DC component. For images, this is the sum of the grey levels of all pixels. Dividing this by the number of pixels gives the average grey level. In this case: 207.31 for figure 1. This value is equal to the result achieved by using `mean` two times.

Exercise 2 – Highpass filtering in the frequency domain

a.

b.

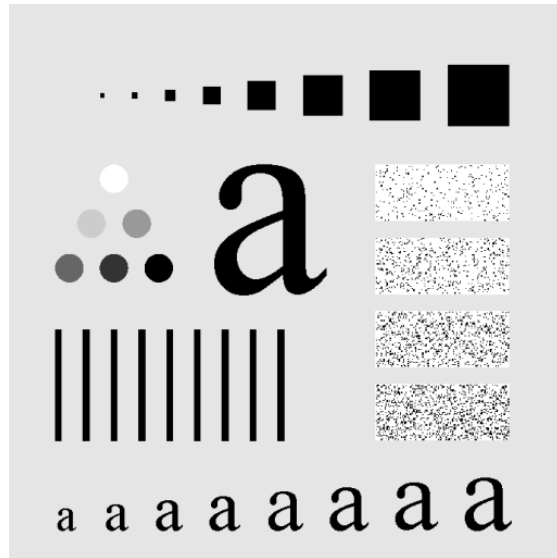


Figure 3: Original image

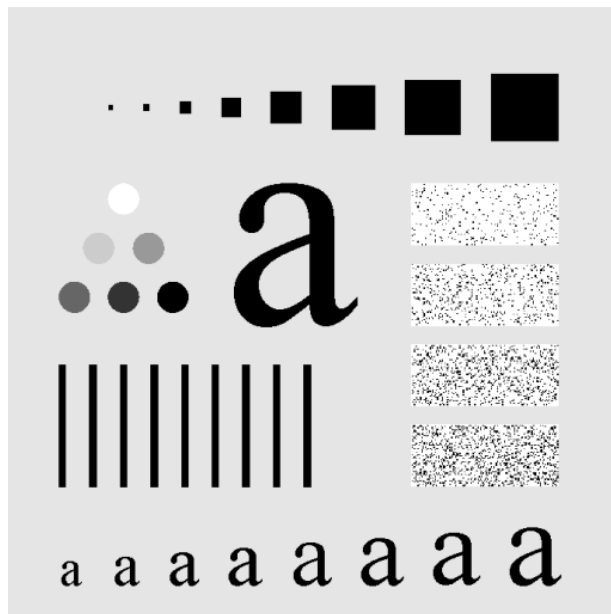


Figure 4: Gaussian filtering on figure 3

c.

Exercise 3 – Median filtering

```
a. % Median filter with a  $2k+1 \times 2k+1$  window
2 function [out] = IPmedian(img,k)
3 % get the image size
4 [width, height] = size(img)
5 % create the output image
6 dest = uint8(zeros(size(img)));
7
8 % loop over all pixels
9 for x = 1 : width
10     for y = 1 : height
11         % determine the edge of the window
12         % the size of the window shrinks at the boundaries of the image
13         startx = max(x-k,1);
14         starty = max(y-k,1);
15         endx = min(x+k,width);
16         endy = min(y+k,height);
17         % get the submatrix
18         submat = img(startx:endx,starty:endy);
19         [w,h] = size(submat);
20         % convert it to a vector to be able to calculate the median
21         submat = reshape(submat, 1, w*h);
22         % take the median and store it
23         dest(x,y) = median(submat);
24     end
25 end
26 % output the image
27 out = dest;
```

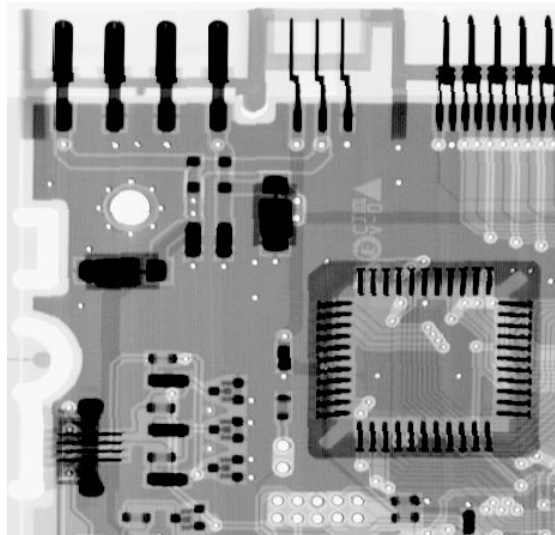


Figure 5: Original image of the circuitboard

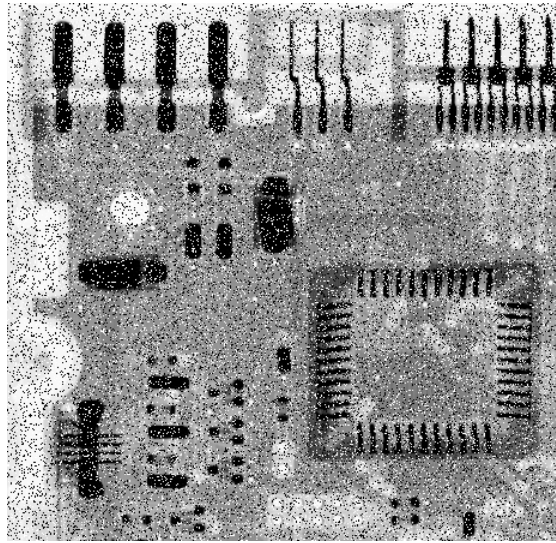


Figure 6: Figure 5 with salt & pepper noise with $Pa = Pb = 0.2$

b.

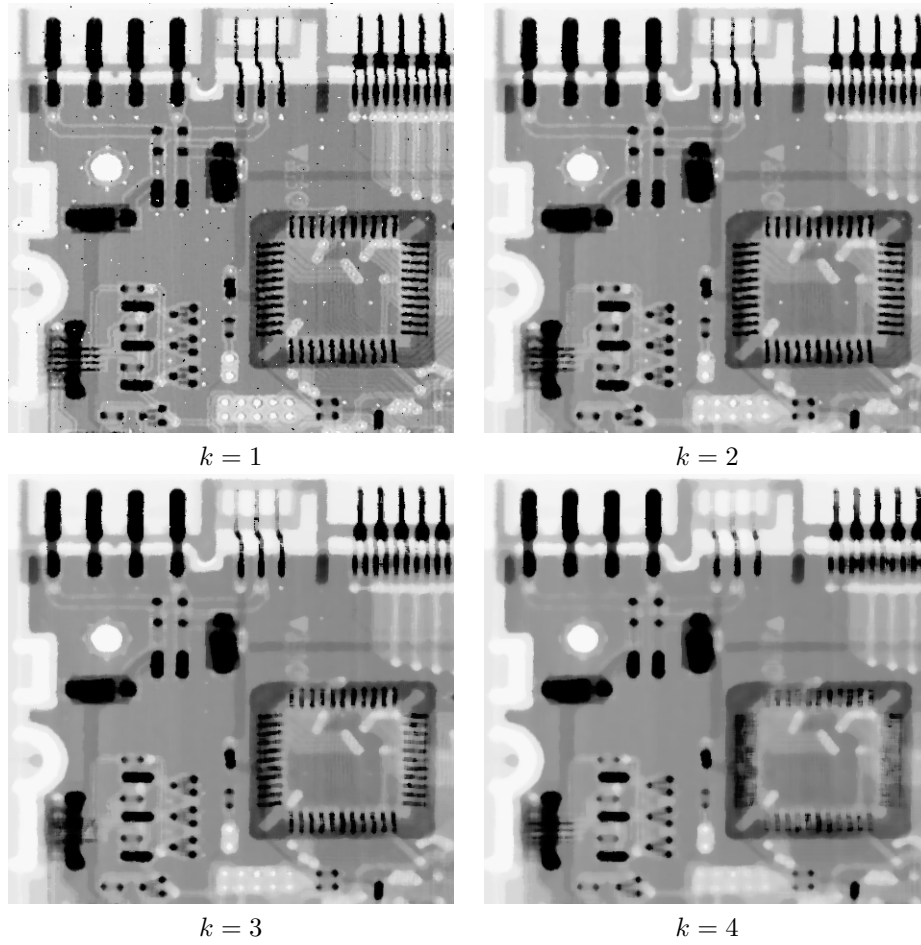


Figure 7: Using median filtering with different window values k on figure 6

c.

Task distribution

ex1	design	implementation	answers questions	writing report
Klaas	50%	100%	50%	50%
Jan	50%	0%	50%	50%

ex2	design	implementation	answers questions	writing report
Klaas	50%	0%	50%	50%
Jan	50%	100%	50%	50%

ex3	design	implementation	answers questions	writing report
Klaas	50%	100%	50%	50%
Jan	50%	0%	50%	50%