National University of Computer & Emerging Sciences





Lab Manual CS461: Artificial Intelligence Lab

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Lab Manual # 10 (Local Searches)

Outline:

- Local Search Algorithms
- Hill Climbing
 - Stochastic
 - o First Choice
 - o Random-Restart
- Simulated Annealing
- Local Beam Search
 - Stochastic
- Tasks

History

We have studied and seen that both the **informed** and **uninformed** search algorithms require two things;

- Finding a Goal node?
- And Path to the goal node as a solution?

But there are some problems where path to the goal state is irrelevant. For example, in the 8-queens problem in the book (see page 71), what matters is the final configuration of queens, not the order in which they are added.

Local Search Algorithms

Problems, where the path to the goal does not matter, which operate on a single **current node** and generally move only to neighbours of that node.

Local search algorithms are useful for solving pure **optimization problems**, in which the aim is to find the best state/node according to an **objective function**.

Applications of Local Search

Local search algorithms have many important applications in optimization problems such as integrated-circuit design, factory-floor layout, job-shop scheduling, automatic programming, telecommunications network optimization, vehicle routing, and portfolio management.

Hill Climbing Search

Given the initial state, at each step, move to a neighbour of higher value in hopes of getting to a solution having the highest possible value.

Hill climbing is sometimes called **greedy local search** because it grabs a good neighbour state without thinking ahead about where to go next.

<u>Stochastic hill climbing:</u> chooses at random from among the uphill moves (neighbors); the probability of selection can vary with the steepness of the uphill move.

<u>Drawback:</u> It is a **complete** (guarantees solution) but inefficient.

<u>First-choice hill climbing</u> implements stochastic hill climbing by generating successors randomly until one is generated that is better than the current state. This is a good strategy when a state has many (e.g., thousands) of successors.

Drawback: It always selects better, so can stuck in local maxima leading towards an **incomplete** solution.

Random-restart hill climbing ("If at first you don't succeed, try, try again.")

For each iteration randomly generate initial state and apply hill-climbing search algorithm until a goal is found. It is trivially **complete** with **probability** approaching **1**, because it will eventually generate a goal state as the initial state.

Simulated Annealing

It's stochastic hill climbing search algorithm with an extra schedule function.

Idea: escape local maxima/minima by allowing some "bad" moves. Then, gradually decrease the probability of bad moves by decreasing the temperature (T).

```
function SIMULATED-ANNEALING( problem, schedule) returns a solution state inputs: problem, a problem schedule, a mapping from time to "temperature" local variables: current, a node next, a node T, a "temperature" controlling prob. of downward steps  \begin{array}{c} current \leftarrow \text{MAKE-NODE}(\text{INITIAL-STATE}[problem]) \\ \text{for } i \leftarrow 1 \text{ to} \infty \text{ do} \\ T \leftarrow schedule[i] \\ \text{if } T = 0 \text{ then return } current \\ next \leftarrow \text{a randomly selected successor of } current \\ \Delta E \leftarrow \text{VALUE}[next] - \text{VALUE}[current] \\ \text{if } \Delta E > 0 \text{ then } current \leftarrow next \\ \text{else with probability } e^{\Delta E/T}, \text{ set } current \leftarrow next \\ \text{else with probability } e^{\Delta E/T}, \text{ set } current \leftarrow next \\ \end{array}
```

Local Beam Search

In stochastic hill climbing, instead of picking only one neighbor **local beam search** algorithm keeps track of k states. Keeping more than one node in a memory at the same time. Local beam search is an adaptation of **beam search**, which is a path-based algorithm.

- 1. Randomly generate **k** states/nodes.
- 2. At each step, all the successors of all k states are generated.
- 3. If any one is a goal, then algorithm returns Otherwise, it selects the **k best successors** from the complete list and repeat the process.

 $\begin{array}{c} \textbf{function BEAM-SEARCH}(\textit{problem}, \textit{k}) \textbf{ returns} \textbf{ a solution state} \\ \textbf{start with } \textit{k} \textbf{ randomly generated states} \\ \textbf{loop} \\ \textbf{generate all successors of all } \textit{k} \textbf{ states} \\ \textbf{if any of them is a solution then return it} \\ \textbf{else select the } \textit{k} \textbf{ best successors} \end{array}$

Drawback: often all **k** states end up on same local maxima/minima **Solution**:

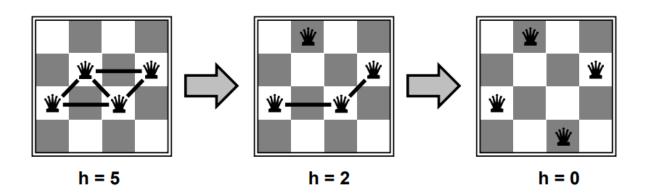
Stochastic beam search: choose **k successors randomly** in point (3), biased towards good ones. Close analogy to natural selection.

N Queen's Problem

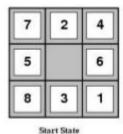
- 1. Put \mathbf{n} queens on an $\mathbf{n} \times \mathbf{n}$ chessboard
- 2. No two queens on the same row, column, or diagonal

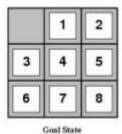
Solution: Only Move each queen vertically step-by-step for each column. Check if conflicts are resolved, otherwise repeat the process. **You can also apply one of the above local search algorithms.**

Note: The heuristic cost function "h" is the number of pairs of queens that are attacking each other, either directly or indirectly.



8 Puzzle Problem





- States?? Integer location of each tile
- Initial state?? Any state can be initial
- Actions?? {Left, Right, Up, Down}
- Goal test?? Check whether goal configuration is reached
- Path cost?? Number of actions to reach goal

Tasks

- 1. Solve the N Queen's problem for n=8;
- 2. Solve the 8 Puzzle problem;

Apply **stochastic hill climbing** and **local beam search** algorithms on above problems. Find the solution and compare which one has lowest cost.