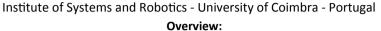
Non-Parametric Bayesian Constrained Local Models

Pedro Martins, Rui Caseiro, Jorge Batista

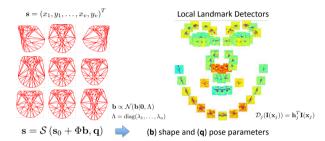




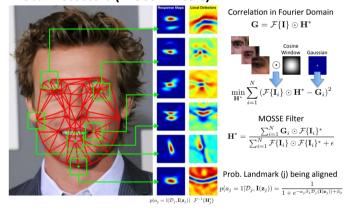


- Constrained Local Models (CLM): combine an ensemble of local detectors with a global optimization strategy that constrains the feature points to lie in the subspace spanned by a linear shape model (Point Distribution Model PDM).
- CLM two step fitting approach:
 - (1) Local search using the detectors (likelihood map for each landmark).
 - (2) Global optimization strategy that estimates the PDM parameters that jointly maximize all the detections.
- Non-Parametric Bayesian global optimization strategy that models the posterior distribution by a Kernel Density Estimator (KDE).

CLM: Shape Model (PDM) and Local Detectors



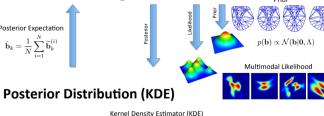
Local Detectors (MOSSE Filters)



The Alignment Goal

Given a shape observation (y), find the optimal set of shape (b) and pose parameters that maximize the posterior probability

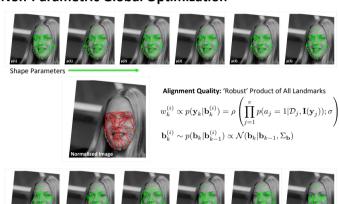
 $\mathbf{b}^* = \arg\max_{\mathbf{b}} p(\mathbf{b}|\mathbf{y}) \propto p(\mathbf{y}|\mathbf{b})p(\mathbf{b})$



Kernel Density Estimator (KDE) $p(\mathbf{b}_k|\mathbf{y}_k,\ldots,\mathbf{y}_0) \approx \sum_{i=1}^N w_k^{(i)} K_h(\mathbf{b}_k-\mathbf{b}_k^{(i)}) \quad \P$ Inference by a Regularized Particle Filter (RPF)

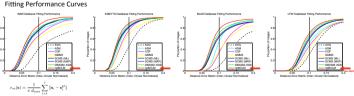
 $\begin{array}{c} \text{Rescaled Regularization} & \text{Bandwidth Gaussian Kernel} \\ \frac{\det(\mathbf{A})^{-1}}{h^{\alpha}}K\left(\frac{\mathbf{A}^{-1}\mathbf{b_k}}{h}\right) & \Longrightarrow & h_{\mathrm{opt}} = \left(\frac{4}{2N(n+2)}\right)^{\frac{1}{n+1}} \\ \end{array}$

Non-Parametric Global Optimization

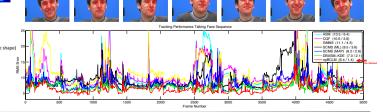


Fitting Performance - Labeled Faces in the Wild (LFW)





Tracking Performance - FGNET Talking Face Sequence





Whitening $i \rightarrow \mathbf{A}^{-1}\mathbf{b}_{L}^{(i)}$

 $S = AA^T$



 $\{w_k^{(i)}, \mathbf{b}_k^{(i)}\}_{i=1}^N$