

# Beyond Point Clouds: Scene Understanding by Reasoning Geometry and Physics

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## **Overview of our approach**

In this paper, we present an approach of scene understanding by reasoning physical stability of objects based on the input of point clouds. We utilize a simple observation:

By human design, objects in static scenes should be stable with respect to gravity.

Our method consists of two major steps:

- **Geometric reasoning**: recovering solid 3D volumetric primitives from defective point cloud.
- Physical reasoning: grouping the unstable primitives to physically stable objects by optimizing the stability and the scene prior.

Our main contributions includes

- We define the physical stability function explicitly by studying minimum energy need to change the pose and position of an primitive (or object) from one equilibrium to another
- We introduce disconnectivity graph (DG) from physics (Spinglass) to represent the energy landscapes.
- We solve the complex optimization problem of stability maximization by the sampling method Swendsen-Wang cut.

#### **Geometric reasoning**

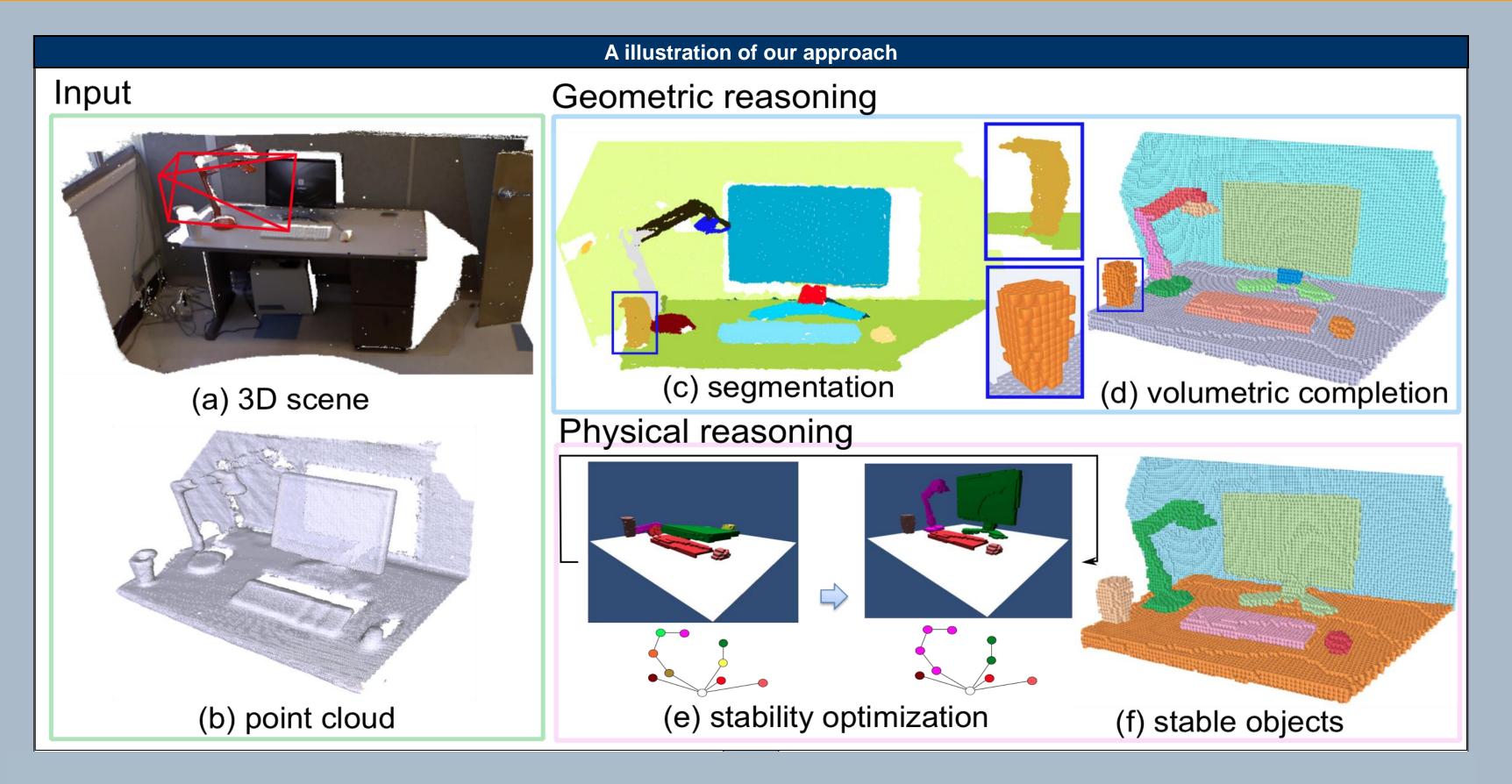
Given a point cloud of scene, the goal of geometric reasoning is to recover a volumetric representation of object with physical properties, like volume, mass, support relation etc.

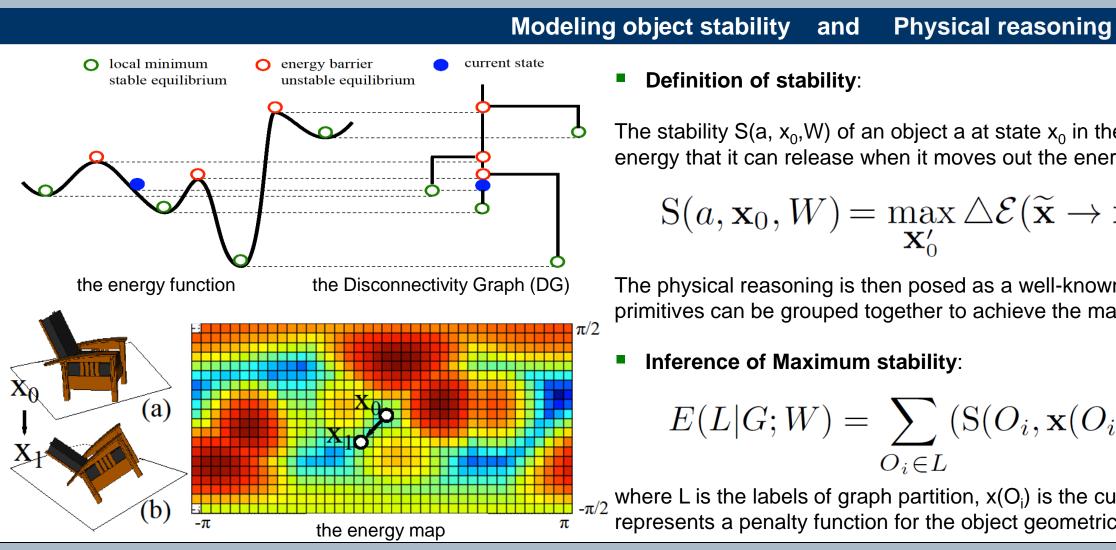
We first segment the point cloud with Implicit Algebraic Models (IAMs)

- Region growing segmentation by iterative IAMs fitting
- Further merging "convexly" connect regions.

We then convert the defective point cloud segments to solid volumetric primitives.

- Estimation gravity direction and generating voxels.
- Estimating Invisible (occluded) space
- Filling missing voxels.





The stability  $S(a, x_0, W)$  of an object a at state  $x_0$  in the presence of a disturbance work W is the maximum energy that it can release when it moves out the energy barrier by the work W.

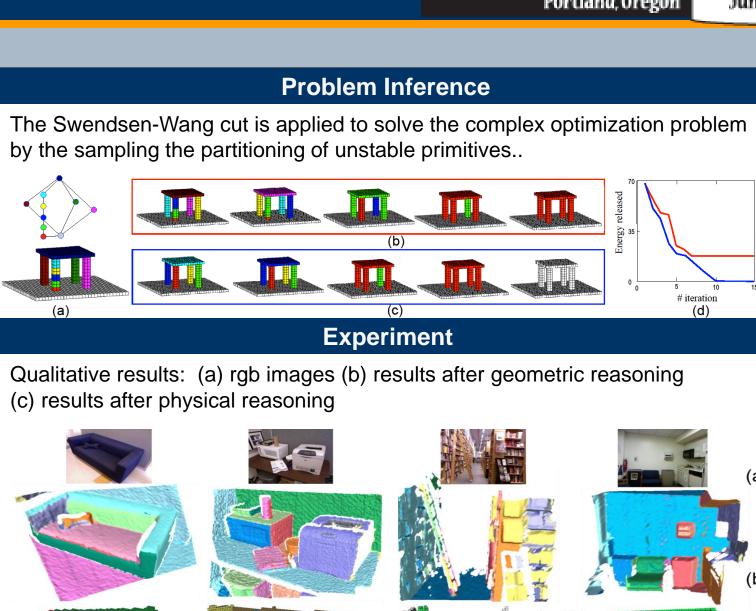
$$S(a, \mathbf{x}_0, W) = \max_{\mathbf{x}_0'} \triangle \mathcal{E}(\widetilde{\mathbf{x}} \to \mathbf{x}_0') \delta([\min_{\widetilde{\mathbf{x}}} \triangle \mathcal{E}(\mathbf{x}_0 \to \widetilde{\mathbf{x}})] \le W)$$

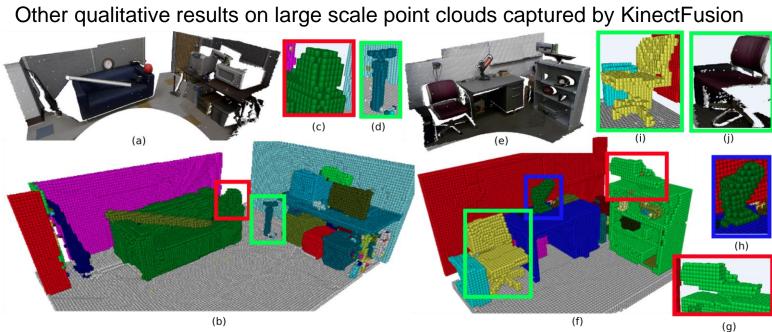
The physical reasoning is then posed as a well-known graph partition problem, through which the unstable primitives can be grouped together to achieve the maximum global stability.

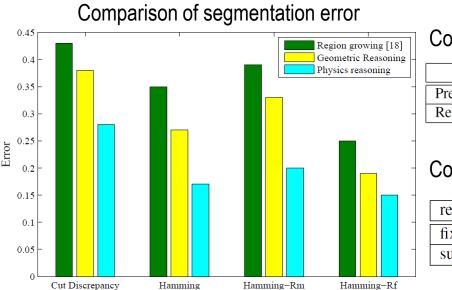
#### Inference of Maximum stability:

$$E(L|G;W) = \sum_{O_i \in L} (S(O_i, \mathbf{x}(O_i), W) + \mathcal{F}(O_i))$$

, where L is the labels of graph partition,  $x(O_i)$  is the current state of grouped object  $O_i$ , and  $F(O_i)$ represents a penalty function for the object geometric prior e.g. the size and shape complexity.







# Comparison of missing voxel recovery

Octree [19] Invisible space Vol. com. 95.1% **87.4%** 

## Comparison of physical relation inference

42.2% 60.3% **78.1**%

### **Project Page**

http://www.stat.ucla.edu/~ybzhao/research/physics/