

Knowledge based systems

Lab 1

```
library(cluster)
```

Task 1

- a. Installed cluster
- b. There are 50 flowers per species.
- c. Average petal length is 3.758 and sepal length 5.843.

```
summary(iris)
```

```
  Sepal.Length   Sepal.Width    Petal.Length   Petal.Width 
Min.     :4.300  Min.     :2.000  Min.     :1.000  Min.     :0.100 
1st Qu.:5.100  1st Qu.:2.800  1st Qu.:1.600  1st Qu.:0.300 
Median   :5.800  Median   :3.000  Median   :4.350  Median   :1.300 
Mean     :5.843  Mean     :3.057  Mean     :3.758  Mean     :1.199 
3rd Qu.:6.400  3rd Qu.:3.300  3rd Qu.:5.100  3rd Qu.:1.800 
Max.     :7.900  Max.     :4.400  Max.     :6.900  Max.     :2.500 

  Species  
setosa    :50 
versicolor:50 
virginica:50
```

- d. `iris$Species` is a character vector of class “factor” with three levels (“setosa”, “versicolor”, “virginica”).

```
str(iris$Species)
```

```
Factor w/ 3 levels "setosa","versicolor",...: 1 1 1 1 1 1 1 1 1 ...
```

- e. I will focus on sepal length and width.

```
f1 <- "Sepal.Length"
f2 <- "Sepal.Width"
features <- c(f1, f2)
selectedIris <- iris[, features]
```

Task 2

- The general k-means clustering algorithm is to select k random points as initial centers, assign all points to nearest center, compute new center and reassign all points to nearest center. Repeat until centers don't change.
-

b.

```
specs <- iris$Species # select last column
specsLevs <- levels(specs) # select levels of variables (levels works only
with Factor)
specsNum <- length(specsLevs) # how many = length

fitKmeans <- kmeans(selectedIris, specsNum, iter.max = 100)
```

```
clusplot(
  selectedIris,
  fitKmeans$cluster,
  color = T,
  shade = T,
  labels = 0,
  lines = 0,
  main = "k-means clustering"
)
```

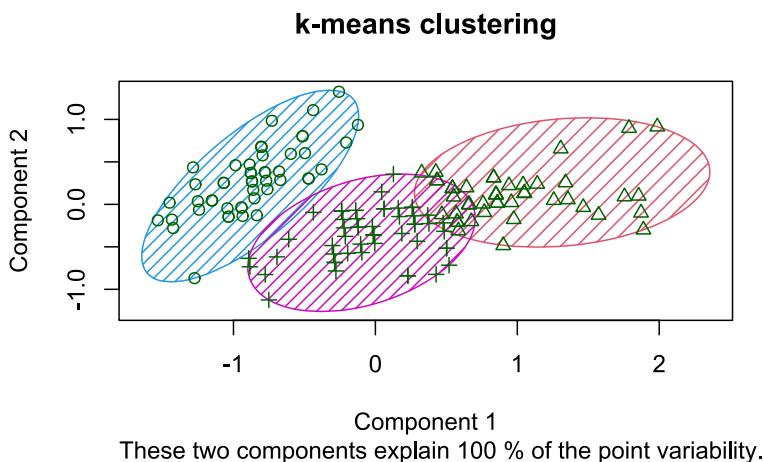


Fig.1

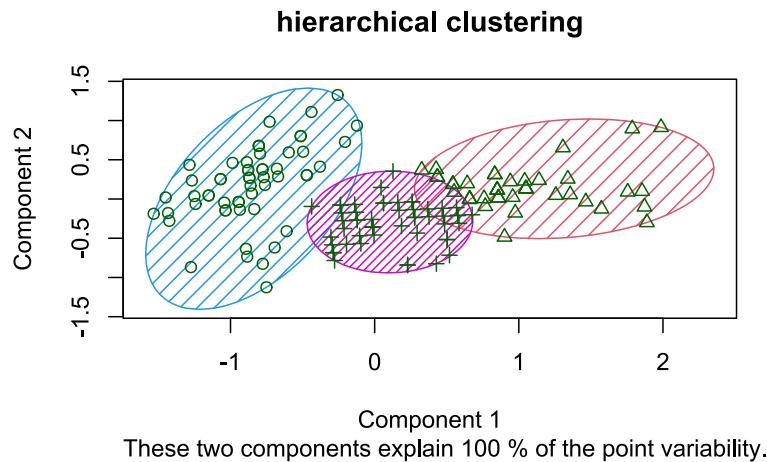
- c. The clusters may change depending on random starting points.
- d. The clusters are mostly separate with a little overlap.

Task 3

```
d <- dist(selectedIris) # estimate distance
fitHier <- hclust(d, method = "ward.D")
clusterCut <- cutree(fitHier, specsNum)
```

- a. The general hierarchical clustering algorithm is to compute a distance matrix, unify the two points with smallest distance, recompute the new distance matrix, and repeat until all points are in the same group.
- b.

```
# Fig.2a
clusplot(
  selectedIris,
  clusterCut,
  color = TRUE,
  shade = TRUE,
  labels = 0,
  lines = 0,
  main = "hierarchical clustering"
)
```



These two components explain 100 % of the point variability.

Fig.2a

- c. The clusters will be the same when using the same distance method.
- d. Clusters are separated with a little overlap.

e.

```
# Fig.2b
dend <- as.dendrogram(fitHier)
nodeParams <- list(pch = c(NA, 18), cex = 0.5, col = "darkgray")
plot(
  dend,
  type = "rectangle",
  nodePar = nodeParams,
  leaflab = "none",
  main = "hierarchical clustering"
)
rect.hclust(fitHier, k = 3, border = "darkorange")
```

hierarchical clustering



Fig.2b

f. A dendrogram will show how far apart the clusters are (compared to cladogram).

g. A dendrogram shows how points cluster together at all different levels/number of groups, as well as the length of the branches showing the distance between nodes.

Task 4

```
hierCentr <- aggregate(
  data.frame(clusterCut, selectedIris),
  by = list(clusterCut),
  FUN = mean
)
```

```
plot(selectedIris, type = "n", main = "k-means clustering")
text(
```

```

selectedIris,
labels = iris$Species,
col = c("orangered", "limegreen", "dodgerblue")[fitKmeans$cluster]
)
points(fitKmeans$centers[, features], col = "yellow", pch = 15, cex = 1.5)

# hierarchical
plot(selectedIris, type = "n", main = "hierarchical clustering")
text(
  selectedIris,
  labels = iris$Species,
  col = c("darkviolet", "darkorange", "seagreen4")[clusterCut]
)
points(hierCentr[, features], col = "yellow", pch = 15, cex = 1.5)

```

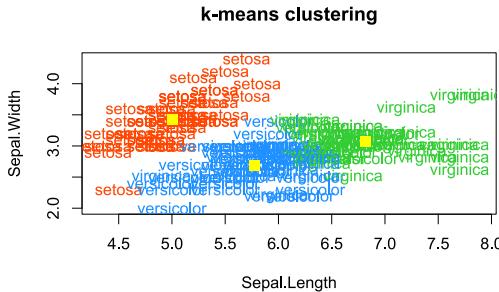


Figure 1: k-means clustering

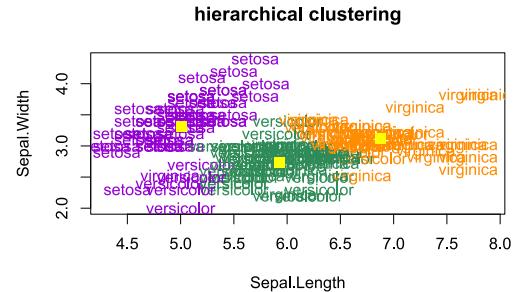


Figure 2: hierachiacal clustering

Fig.3

- In the hierarchical clustering there are a few versicolor wrongly grouped with setosa.
- The yellow squares represent the centroids of each group.

Task 5

- Unsupervised learning uses the data without potentially being biased due to *a priori* assumptions.
-
- Pros: Avoids potential bias, helps identify unknown groups.
Cons: k-means doesn't handle non-uniform/globular shaped clusters reliably, only uses two dimensions.
- Differentiating between species based on physiological measurements, and determining evolutionary relationships.