

Approximate equivalent circuit:

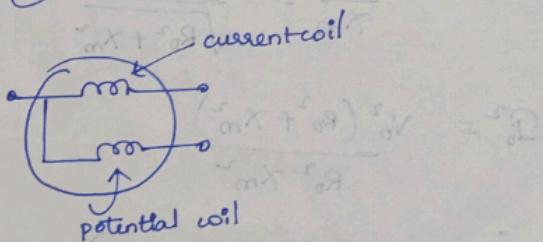
Determination of values of parameters  $R_0$ ,  $X_m$ ,  $R$ ,  $X$

Ammeter  $\rightarrow$   $A$

Voltmeter  $\rightarrow$   $V$

Wattmeter

$\downarrow$   
measures  
active power



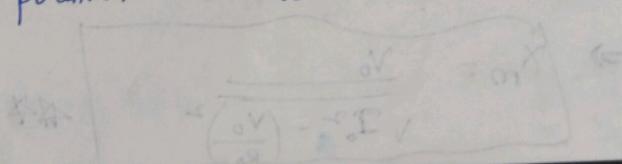
Voltage across terminals of ammeter = 0

Current through voltmeter = 0

Voltage across current coil of wattmeter = 0

Current through potential coil of wattmeter = 0

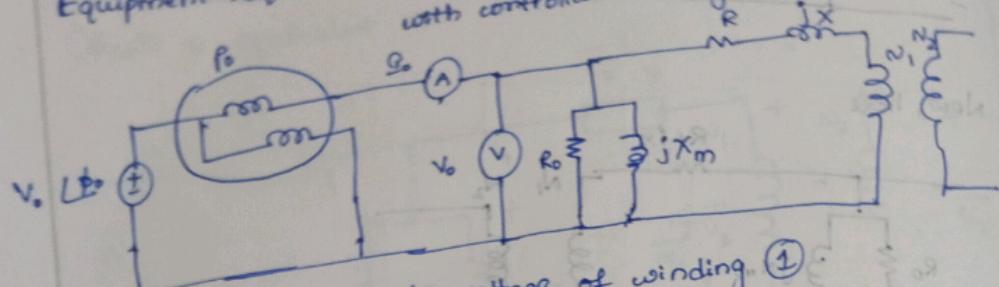
Now,



### Open circuit test:

Transformer is given.

Equipment required: Ammeter, Voltmeter, Wattmeter, Voltage source with controllable voltage.



$V_o$  is equal to rated voltage of winding ①.

$$\text{and } P_o = V_o \left( \frac{V_o}{R_o} \right) = \frac{V_o^2}{R_o} \Rightarrow R_o = \frac{P_o}{V_o^2} \quad R_o = \frac{V_o^2}{P_o}$$

$$P_{o,1} = \frac{V_o \sqrt{R_o^2 + X_m^2}}{R_o X_m} \quad \text{to reduce no instruments}$$

$$\text{and } \Rightarrow \frac{V_o}{X_m} = \frac{R_o I_o}{\sqrt{R_o^2 + X_m^2}}$$

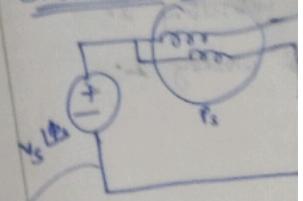
$$\Omega_o^2 = \frac{V_o^2 (R_o^2 + X_m^2)}{R_o^2 X_m^2}$$

$$\Omega_o^2 = V_o^2 \left( \frac{1}{X_m^2} + \frac{1}{R_o^2} \right)$$

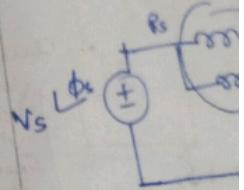
$$\frac{V_o}{X_m} = \sqrt{\Omega_o^2 - \left( \frac{N_o}{R_o} \right)^2}$$

$$\Rightarrow X_m = \frac{V_o}{\sqrt{\Omega_o^2 - \left( \frac{V_o}{R_o} \right)^2}}$$

### Short circuit test:



$\Omega_s$  is equal to  $\omega$



$$P_s = I_s^2 R$$

$$\frac{V_s}{I_s} = \sqrt{R + jX_m}$$

\* Load: Equal

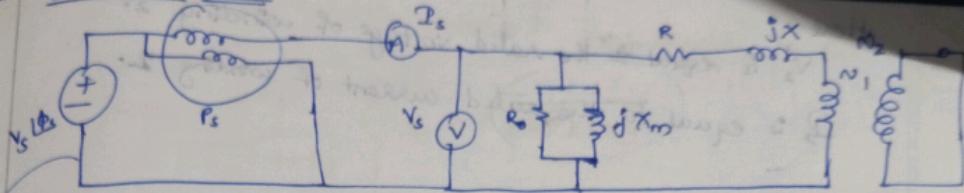
Q)

$$V_s, I_s, R, X_m$$

Type: for this  
theoretical

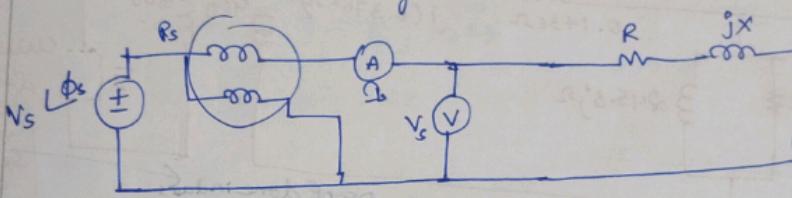
Fo

① Short circuit test:



②  $I_s$  is equal to rated current of winding ①.

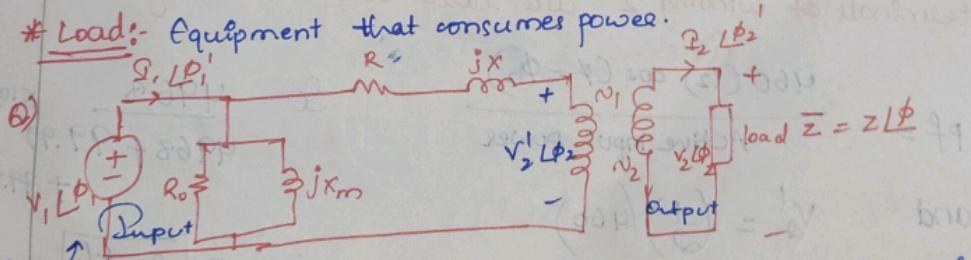
$I_s$  approximated by



$$P_s = I_s^2 R \Rightarrow R = \frac{P_s}{I_s^2}$$

$$\frac{V_s}{I_s} = \sqrt{R^2 + X^2} \Rightarrow X = \sqrt{\left(\frac{V_s}{I_s}\right)^2 - R^2}$$

\* Load: Equipment that consumes power.



Type: for this we can also measure the performance of transformer, this called voltage regulation.

$$\text{Here } V_2' = \frac{N_1}{N_2} V_2$$

For a given power factor of the load, voltage regulation

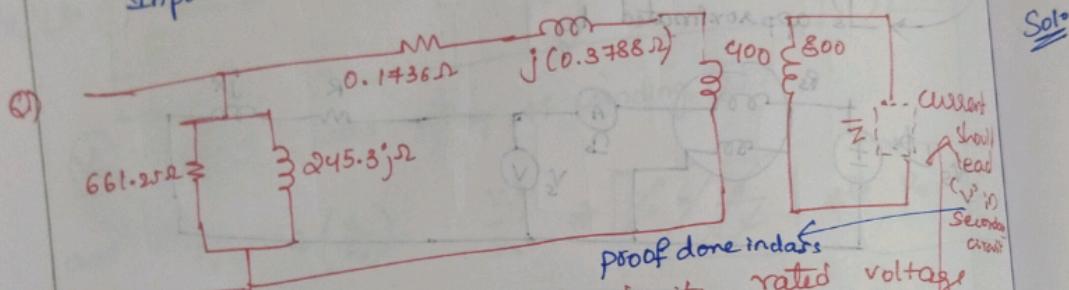
$$= \frac{V_1 - V_2'}{V_2'} \times 100\%.$$

102

Here  
 $V_2$  is equal to the rated voltage of winding 2.  
 $I_2$  is equal to the rated current of winding 2.

\* Efficiency:

$$\frac{\text{Output active power}}{\text{Input active power}} \times 100\%.$$



for transformer with this equivalent circuit, rated voltage of winding '2' is 460V and rated current of winding '2' is 12A. Find pf of the load at which voltage regulation is 0%. Find pf of the load at which voltage regulation is 0%. At this pf, what is the efficiency with rated voltage at terminals of winding '2' and rated current through the load

$$P_f = \frac{460 (12) \cos(\phi - \phi_2)}{\text{Active input power}}$$

$$\text{and } V_2^l = \left(\frac{1}{2}\right)(460)$$

$$\text{So } \frac{496.8}{4968 + 99.99} \times 100 \\ + 79.9\% \\ = 96.5\%$$

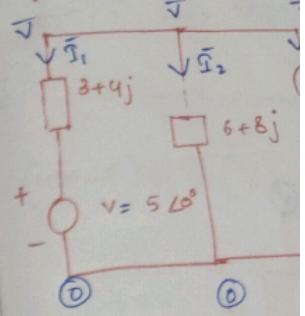
So as regulation = 0  $\Rightarrow V_1 = 230V$

and hence Active input power =  $V_1 I_1 \cos(\phi_1 - \phi_2)$

103

Problems:-

Using Kirchoff law, calculate



Sol:

$$(\bar{V} - 5∠0^\circ) = \bar{I}_1$$

$$\bar{V} = \bar{I}_2 (10)$$

$$\bar{V} + 4.47∠63.4^\circ$$

$$\text{and } \bar{I}_1 + \bar{I}_2 +$$

$$(\bar{V} - 5)$$

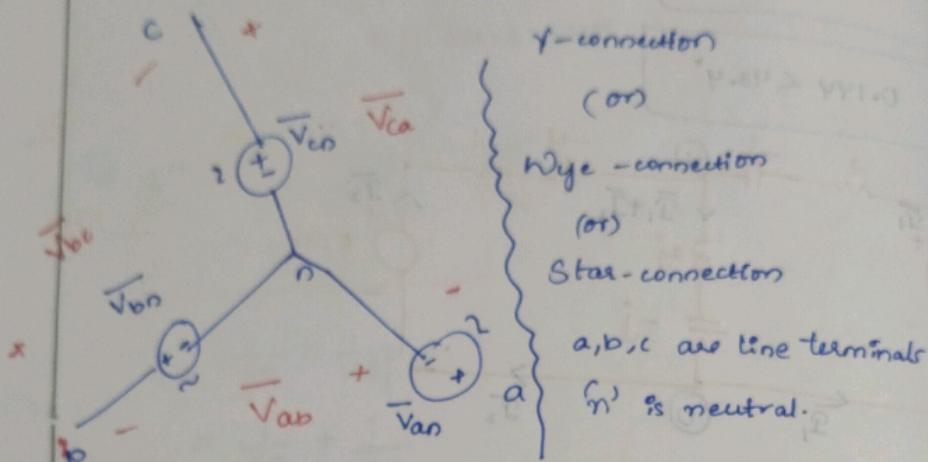
$$\left(\frac{\bar{V}}{5}\right) - 1$$

$$\frac{\bar{V}}{5} - 1$$

$$\rightarrow 4.47$$

(108) 14-01-23

### \* Three phase AC-circuits



$\Rightarrow$  Voltage source with voltage  $V_{an}$  is said to be in phase '(a)' or belong to phase '(a)'. Similarly for  $V_{bn}$  for '(b)' and  $V_{cn}$  for '(c)'.

$\Rightarrow$   $V_{an}$ ,  $V_{bn}$ ,  $V_{cn}$  are phase voltages.

$\Rightarrow$   $V_{ab}$ ,  $V_{bc}$ ,  $V_{ca}$  are called line-to-line voltages / line voltages.

let,  $V_{an} = V_p \angle 0^\circ$ ,  $V_{bn} = V_p \angle -120^\circ$ ,  $V_{cn} = V_p \angle 120^\circ$

P : phase,  

$$V_{ab} = (V_p \angle 0^\circ + V_p \angle -120^\circ) \angle -120^\circ$$

$$+ (V_p \angle 120^\circ + V_p \angle -120^\circ) \angle 120^\circ$$

If three voltages are having same RMS value and if the modulus of phase difference b/w any two of these three voltages is  $120^\circ$ , then the three voltages are said to be balanced.

Now

$$V_{ab} = V_{an} - V_{bn} = V_p \angle 0^\circ - V_p \angle -120^\circ = \sqrt{3} V_p \angle 30^\circ$$

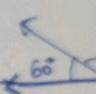
(109)  $\bar{V}_{bc} = \bar{V}_{bn}$

$= V_p$



$\bar{V}_{ca} = \bar{V}_{cn}$

$= V_p$



So

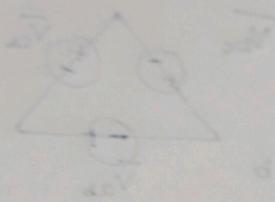
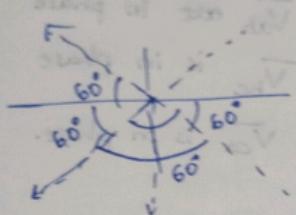
let

So

(10)

$$\bar{V}_{bc} = \bar{V}_{bn} - \bar{V}_{cn}$$

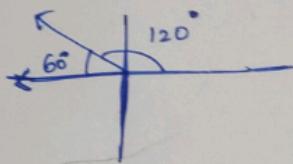
$$= V_p \angle -120^\circ - V_p \angle 120^\circ = \sqrt{3} V_p \angle -90^\circ$$



$$\bar{V}_{ca} = \bar{V}_{cn} - \bar{V}_{an}$$

$$= V_p \angle 120^\circ - V_p \angle 0^\circ$$

$$= \sqrt{3} V_p \angle +150^\circ$$



phase  $V_a$   
and  $\bar{V}_{ca}$

/ Line voltages.

$\angle 120^\circ$

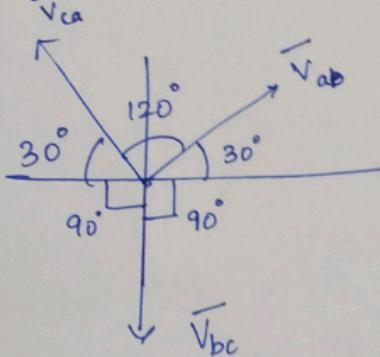
is right

and if

two of  
v  
ages are

$= \sqrt{3} V_p \angle 90^\circ$

So



$$\text{let } V_L = \sqrt{3} V_p$$

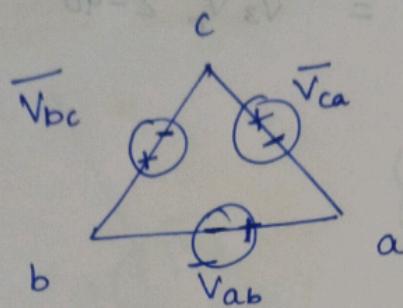
$$\text{So } \bar{V}_{ab} = V_L \angle 30^\circ$$

$$\bar{V}_{bc} = V_L \angle -90^\circ$$

$$\bar{V}_{ca} = V_L \angle 150^\circ$$

HO

### Delta Connection: ( $\Delta$ -connection)



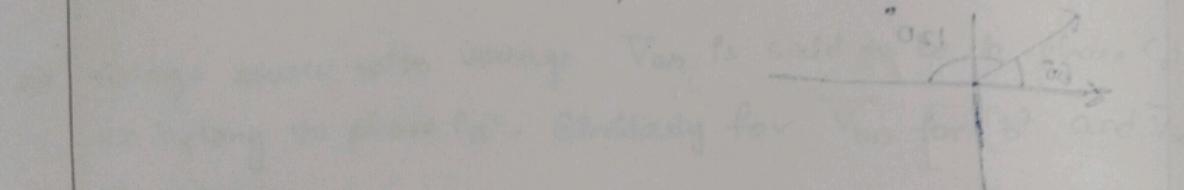
$\overline{V}_{ab}$  is in phase

$\overline{V}_{bc}$  is in phase

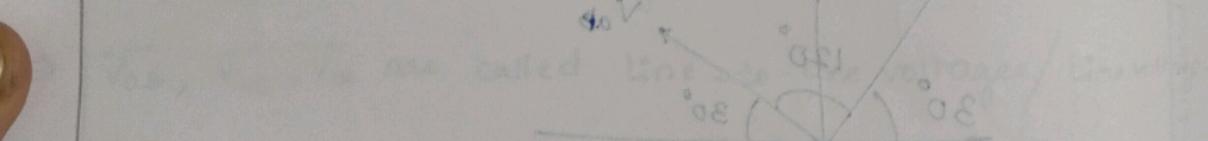
$\overline{V}_{ca}$  is in phase.

$\Rightarrow a, b, c$  are the line terminals

$\Rightarrow \overline{V}_{ab}, \overline{V}_{bc}, \overline{V}_{ca}$  are phase voltages. We can also call them as line voltages.



$\Rightarrow$  The  $V_{ab}$  are phase voltages



$V_{ab} = V_p$ ,  $V_{bc} = V_p$ ,  $V_{ca} = V_p$

Phase voltages

Line-to-line voltages are having same phase sequence and

the magnitude of phase difference  $\sqrt{3}V_{ph} = V_{line}$

Line-to-line voltage & not the phase voltage are

$$OP \rightarrow V_{line} = \sqrt{3}V_{ph}$$

$$OP \rightarrow V_{line} = \sqrt{3}V_{ph}$$

$$OP \rightarrow V_{line} = \sqrt{3}V_{ph}$$

III