

Date

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Class : K.G.-1B
Subject : CC

1) Given three integers n, a, b return x^m magical no. Since the ans may be very large return $10^9 + 1$.

Approach

1) we count no. of multiples of a
 $L = x$. (x is a trial value)
ie x/a

2) same way we count multiples of b
 $L = x$
ie x/b

3) No. of multiples of both a and b
ie $x/\text{lcm}(a,b)$

So

total numbers that are $L = x$

$$\text{count}(x) = \frac{x}{a} + \frac{x}{b} - \frac{x}{\text{lcm}(a,b)}$$

Now

we need smallest x such that $\text{count}(x) \geq \gamma$

Set $\text{low} = 1$

$\text{high} = \gamma \times \min(a, b)$

$\text{mid} = (\text{low} + \text{high})/2$

$$L=10^8 \quad R=10^9 \quad \text{lcm} =$$

$$\frac{a \times b}{\text{gcd}}$$

Date

for mid
compute

$$\text{cont} = \frac{\text{mid}}{a} + \frac{\text{mid}}{b} - \frac{\text{mid}}{\text{lcm}}$$

if cont >= 0

mid could be ans

search left side

else

search right side

return the final ans.

Time complexity:

Binary search runs in $= O(\log(\min(a, b)))$