Tunneling.

If the energy of particles like electrons is lesser than potential barrier. It can easily cross over the potential barrier Laure, a finite width even without climbing over the barrier by tunneling through the barrier.

Incident V= V

Incident Region 2

Pagion 1

Region 2

Region 2

Region 2

Barrier penteration and Quantum tonnelling.

For region - 1

$$\frac{d^2 \psi}{dx^2} + \frac{2m}{h^2} (E - 0) \psi = 0$$

$$\frac{d^2 \psi}{dx^2} + \frac{2m}{h^2} E \psi = 0 \rightarrow 0$$

 $\forall_1 = Ae^{i\alpha x} + Be^{i\alpha x} \rightarrow \mathbb{D}$

for region - E 24/dx2 + 2m/h2 (v-E) 1/2=0

 $\Rightarrow \text{Solution}$ $\psi_2 = Fe^{i\beta x} + Ge^{i\beta x} \rightarrow G$

For region - \overline{M} $d^2\psi | dx^2 + 2m[h^2 (E-0)\psi_3 = 0] \rightarrow \overline{G}$. \Rightarrow Solution : $\psi_3 = (e^{i\alpha x} + oe^{-i\alpha x})$ · Wr cincident) = Aexx

42 (PPW) = FeiBX

· Vs (Tranithed) = Ceixx

Transmission coefficient

 $T = \frac{ICI^2}{IAI^2}$

Ratio between the square of the amplitude of the transmitted wave $|c|^2$ and the square of the complitude of the theident was $1 \equiv T$

Reflected coefficient

Ratio Between the square of the amplitude of the Reflected wave 1B12 and the square of the amplitude of the incident wave.

1A12 = R

 $R = \frac{|B|^2}{|A|^2}$