Symbolic

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ln[1]:= Clear[dw, lp, \beta, ds, dj, o]
 ln[2]:= b = {Cos[\alpha], Sin[\alpha]} dw/2
out[2]= \left\{\frac{1}{2} \text{ dw Cos}[\alpha], \frac{1}{2} \text{ dw Sin}[\alpha]\right\}
 In[3]:= \alpha l = \alpha - 90 \circ + \beta
Out[3]= -90^{\circ} + \alpha + \beta
 ln[4]:= l = {Cos[\alpha l], Sin[\alpha l]} (lp - ds / 2)
Out[4]= \left\{ \left( -\frac{ds}{2} + lp \right) Sin[\alpha + \beta], - \left( -\frac{ds}{2} + lp \right) Cos[\alpha + \beta] \right\}
 In[5]:= \alpha e = \alpha l - 90°
Out[5]= -180 \circ + \alpha + \beta
 ln[6]:= e = {Cos[\alpha e], Sin[\alpha e]} (dj + ds) / 2
Out[6]= \left\{-\frac{1}{2} (dj + ds) \cos[\alpha + \beta], -\frac{1}{2} (dj + ds) \sin[\alpha + \beta]\right\}
 ln[7]:= s = \{o, h\}
Out[7]= \{o, h\}
 ln[8]:= (b+l+e-s)[[1]]
Out[8]= -0 + \frac{1}{2} \operatorname{dw} \operatorname{Cos}[\alpha] - \frac{1}{2} (\operatorname{dj} + \operatorname{ds}) \operatorname{Cos}[\alpha + \beta] + \left(-\frac{\operatorname{ds}}{2} + \operatorname{lp}\right) \operatorname{Sin}[\alpha + \beta]
 ln[9]:= Solve[(b + l + e - s)[[2]] == 0, {h}]
\operatorname{Out}[9] = \left\{ \left\{ h \to \frac{1}{2} \left( \operatorname{ds} \operatorname{Cos}[\alpha + \beta] - 2 \operatorname{lp} \operatorname{Cos}[\alpha + \beta] + \operatorname{dw} \operatorname{Sin}[\alpha] - \operatorname{dj} \operatorname{Sin}[\alpha + \beta] - \operatorname{ds} \operatorname{Sin}[\alpha + \beta] \right\} \right\}
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Example

In[10]:= dw = 250;
lp = 139;

$$\beta$$
 = 15°;
ds = 12;
dj = 12;
o = 48;
In[16]:= FindRoot[b+l+e-s, {{ α , 120°}, {h, dw}}]
Out[16]= { $\alpha \rightarrow 2.05309$, h \rightarrow 191.995}



