

Exploring data

What is data exploration?

- ❖ To better understand the characteristics of data
 - › Help to select the right tool for preprocessing or analysis
 - › Help to recognize patterns (사람의 직관을 통한 데이터 패턴 인식)
- ❖ Data exploration
 - › Summary statistics
 - › Visualization
 - › Multidimensional data analysis

Sample datasets

- Can be obtained from the UCI Machine Learning Repository
<http://archive.ics.uci.edu/ml/>

Summary statistics

Summary Statistics

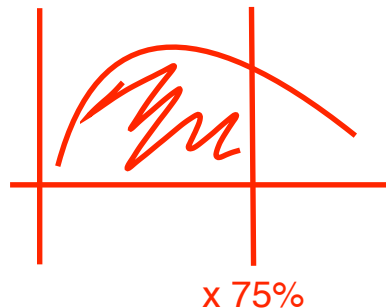
- ❖ Summary statistics are numbers that summarize properties of the data
 - › Summarized properties include frequency, location and spread
 - › Examples: location - mean
 spread - standard deviation

Frequency and Mode

- ❖ The frequency of an attribute value
 - The percentage of time the value occurs in the data set
 - Example: given the attribute 'gender' and a representative population of people, the gender 'female' occurs about 50% of the time.
- ❖ The mode of an attribute
 - the value that appears most frequently
- ❖ The notions of frequency and mode are typically used with categorical data
- ❖ Example: Table 3.1

Percentiles

- ❖ For continuous data, the notion of a percentile is more useful.
- ❖ Given an ordinal or continuous attribute x and a number p between 0 and 100, the p th percentile is a value x_p of x such that $p\%$ of the observed values of x are less than x_p .
- ❖ For instance, the 50th percentile is the value $x_{50\%}$ such that 50% of all values of x are less than $x_{50\%}$.



Measures of Location: Mean and Median

$$\text{mean}(x) = \bar{x} = \frac{1}{m} \sum_{i=1}^m x_i$$

$$\text{median}(x) = \begin{cases} x_{(r+1)} & \text{if } m \text{ is odd, i.e., } m = 2r + 1 \\ \frac{1}{2}(x_{(r)} + x_{(r+1)}) & \text{if } m \text{ is even, i.e., } m = 2r \end{cases}$$

❖ Mean

- › The most common measure of the location of a set of points
- › Very sensitive to outliers
- › The median or a trimmed mean is also commonly used.

Measures of Spread: Range and Variance

- ❖ Range: the difference between the max and min
- ❖ The variance or standard deviation: the most common measure of the spread of a set of points.

$$\text{variance}(x) = s_x^2 = \frac{1}{m-1} \sum_{i=1}^m (x_i - \bar{x})^2$$

- ❖ Sensitive to outliers, so absolute average deviation (AAD), median absolute deviation (MAD), and interquartile range (IQR) are often used.

$$\text{AAD}(x) = \frac{1}{m} \sum_{i=1}^m |x_i - \bar{x}|$$

$$\text{MAD}(x) = \text{median}\left(\{|x_1 - \bar{x}|, \dots, |x_m - \bar{x}|\}\right)$$

$$\text{interquartile range}(x) = x_{75\%} - x_{25\%}$$

Visualization

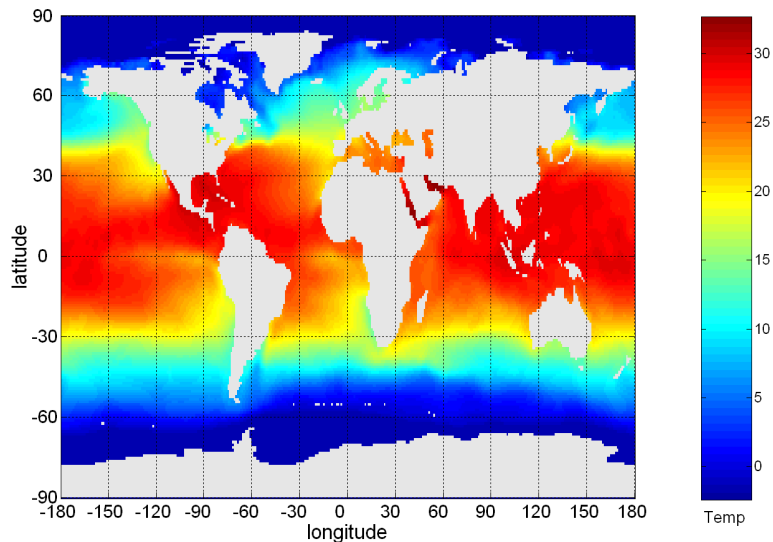
Visualization

- The conversion of data into a visual or tabular format
- The characteristics of the data and the relationships among data items or attributes can be analyzed or reported.
- One of the most powerful and appealing techniques for data exploration
- Humans have a well developed ability to analyze large amounts of information that is presented visually
- Can detect general patterns and trends
- Can detect outliers and unusual patterns

Example: Sea Surface Temperature

The following shows the Sea Surface Temperature (SST) for July 1982

- Tens of thousands of data points are summarized in a single figure



Representation

- ❖ Map information to a visual format
- ❖ Data objects, their attributes, and the relationships among data objects are translated into graphical elements such as points, lines, shapes, and colors.
- ❖ Example:
 - › Objects are often represented as points
 - 관계를 나타냄 › Their attribute values can be represented as the position of the points or the characteristics of the points, e.g., color, size, and shape
 - › If position is used, then the relationships of points, *i.e.*, whether they form groups or a point is an outlier, is easily perceived.

Arrangement

- ❖ Is the placement of visual elements within a display
- ❖ Can make a large difference in how easy it is to understand the data
- ❖ Example:

	1	2	3	4	5	6
1	0	1	0	1	1	0
2	1	0	1	0	0	1
3	0	1	0	1	1	0
4	1	0	1	0	0	1
5	0	1	0	1	1	0
6	1	0	1	0	0	1
7	0	1	0	1	1	0
8	1	0	1	0	0	1
9	0	1	0	1	1	0



	6	1	3	2	5	4
4	1	1	1	0	0	0
2	1	1	1	0	0	0
6	1	1	1	0	0	0
8	1	1	1	0	0	0
5	0	0	0	1	1	1
3	0	0	0	1	1	1
9	0	0	0	1	1	1
1	0	0	0	1	1	1
7	0	0	0	1	1	1

Selection

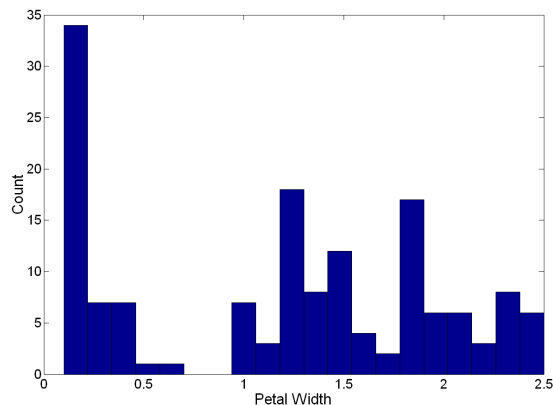
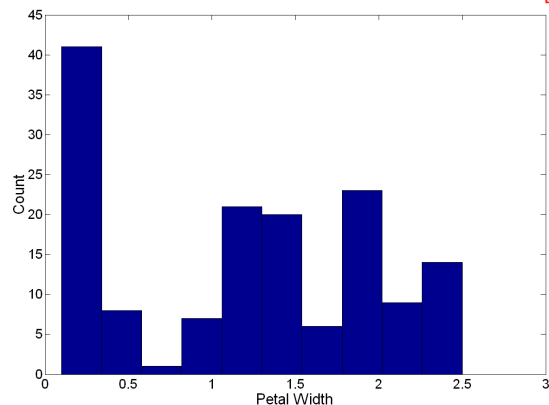
- ❖ The elimination or the de-emphasis of certain objects and attributes
- ❖ May involve the choosing a subset of attributes
 - › Dimensionality reduction is often used to reduce the number of dimensions to two or three
 - › Alternatively, pairs of attributes can be considered
- ❖ May also involve choosing a subset of objects
 - › A region of the screen can only show so many points
 - › Can sample, but want to preserve points in sparse areas

Visualization Techniques: Histograms

❖ Histogram

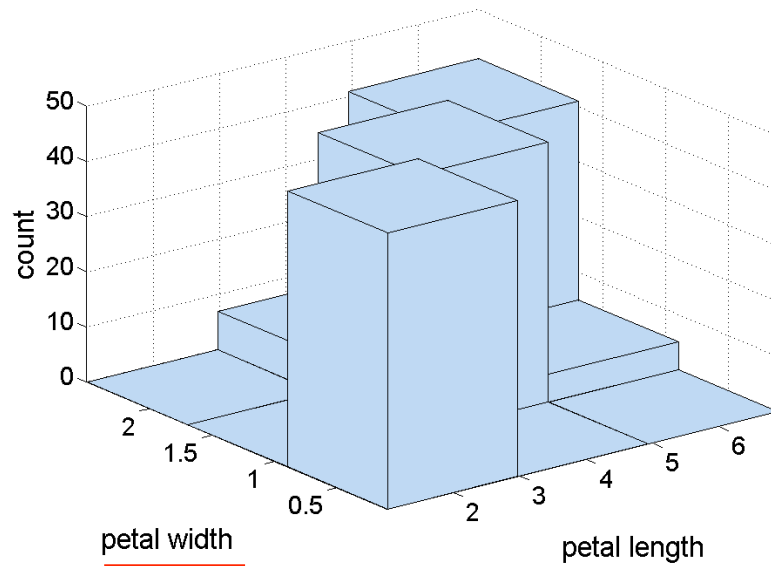
- › Usually shows the distribution of values of a single variable
- › Divide the values into bins and show a bar plot of the number of objects in each bin.
- › The height of each bar indicates the number of objects
- › Shape of histogram depends on the number of bins

❖ Example: Petal Width (10 and 20 bins, respectively)



Two-Dimensional Histograms

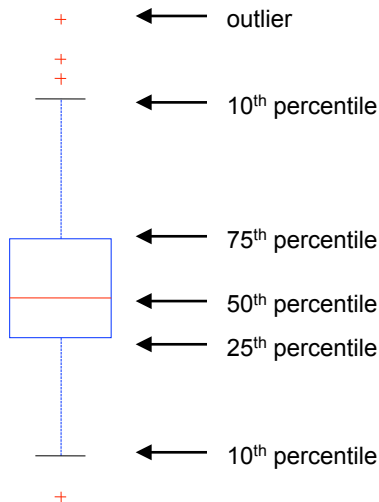
- ❖ Show the joint distribution of the values of two attributes
- ❖ Example: petal width and petal length
 - What does this tell us?



Visualization Techniques: Box Plots

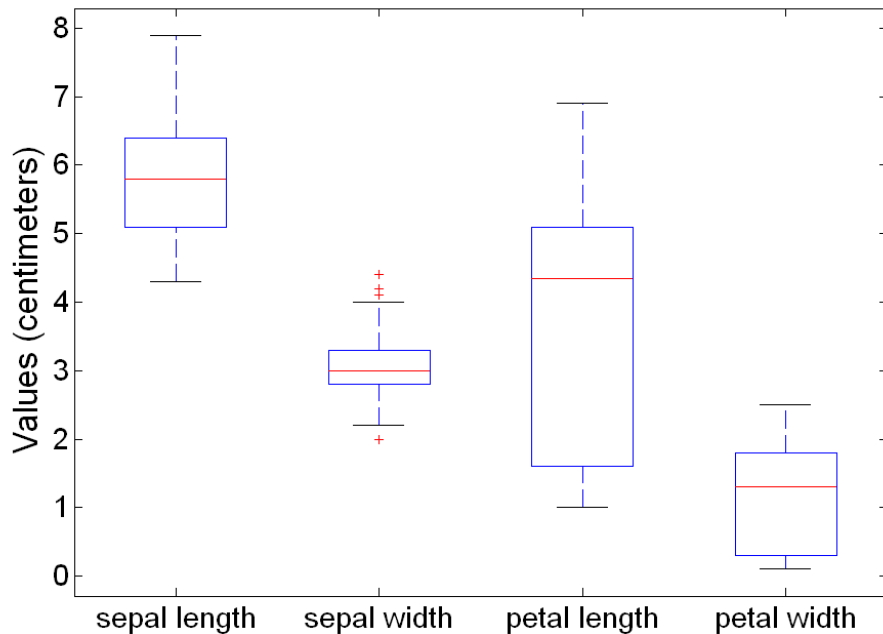
❖ Box Plots

- › Another way of displaying the distribution of data
- › Following figure shows the basic part of a box plot



Example of Box Plots

- ❖ Box plots can be used to compare attributes

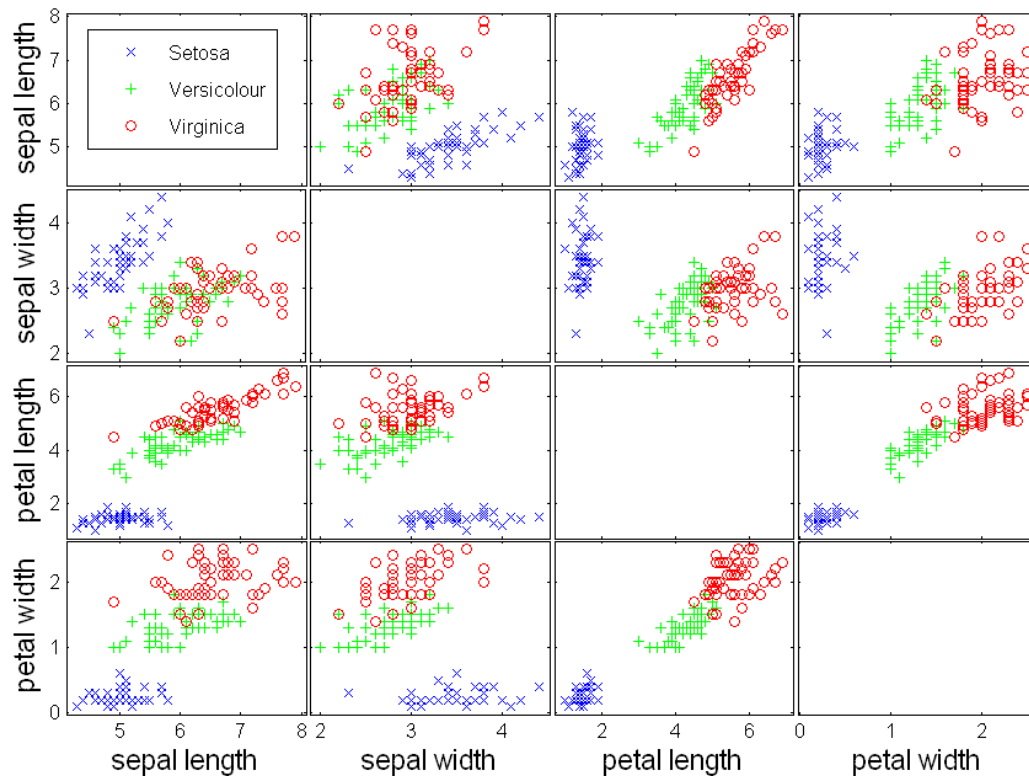


Visualization Techniques: Scatter Plots

❖ Scatter plots

- › Attributes' values determine the position
- › Two-dimensional scatter plots most common, but can have three-dimensional scatter plots
- › Often additional attributes can be displayed by using the size, shape, and color of the markers that represent the objects
- › It is useful to have arrays of scatter plots can compactly summarize the relationships of several pairs of attributes

Scatter Plot – example

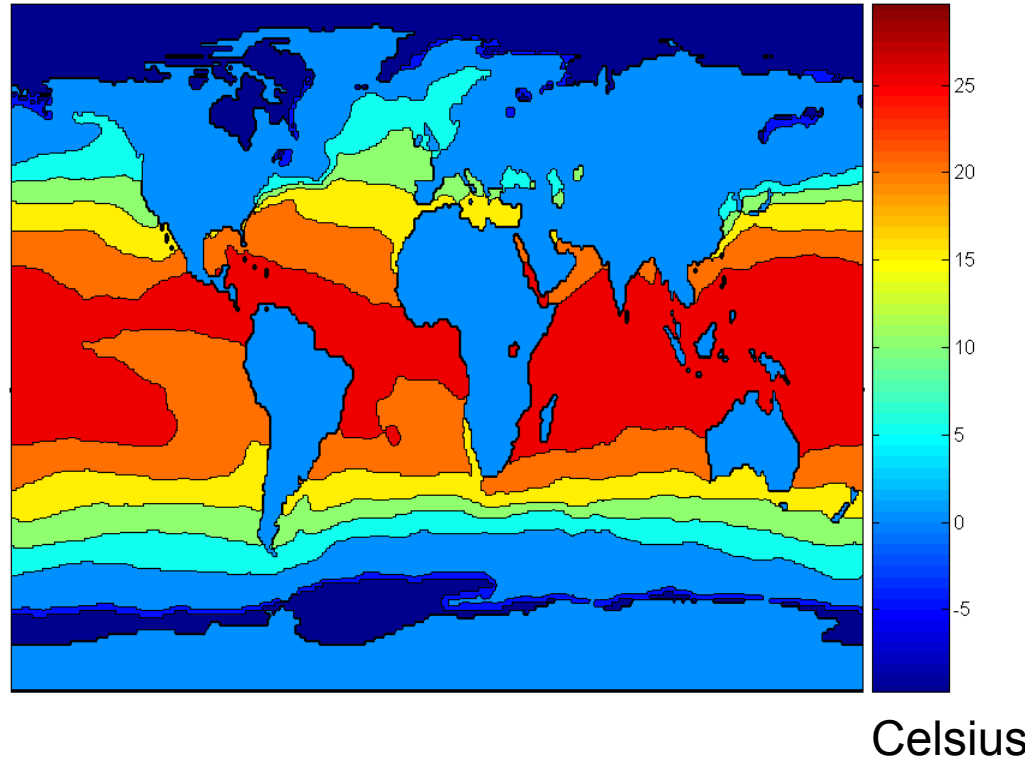


Visualization Techniques: Contour Plots

❖ Contour plots

- › Useful when a continuous attribute is measured on a spatial grid
- › They partition the plane into regions of similar values
- › The contour lines that form the boundaries of these regions connect points with equal values
- › The most common example is contour maps of elevation
- › Can also display temperature, rainfall, air pressure, etc.

Contour Plot Example

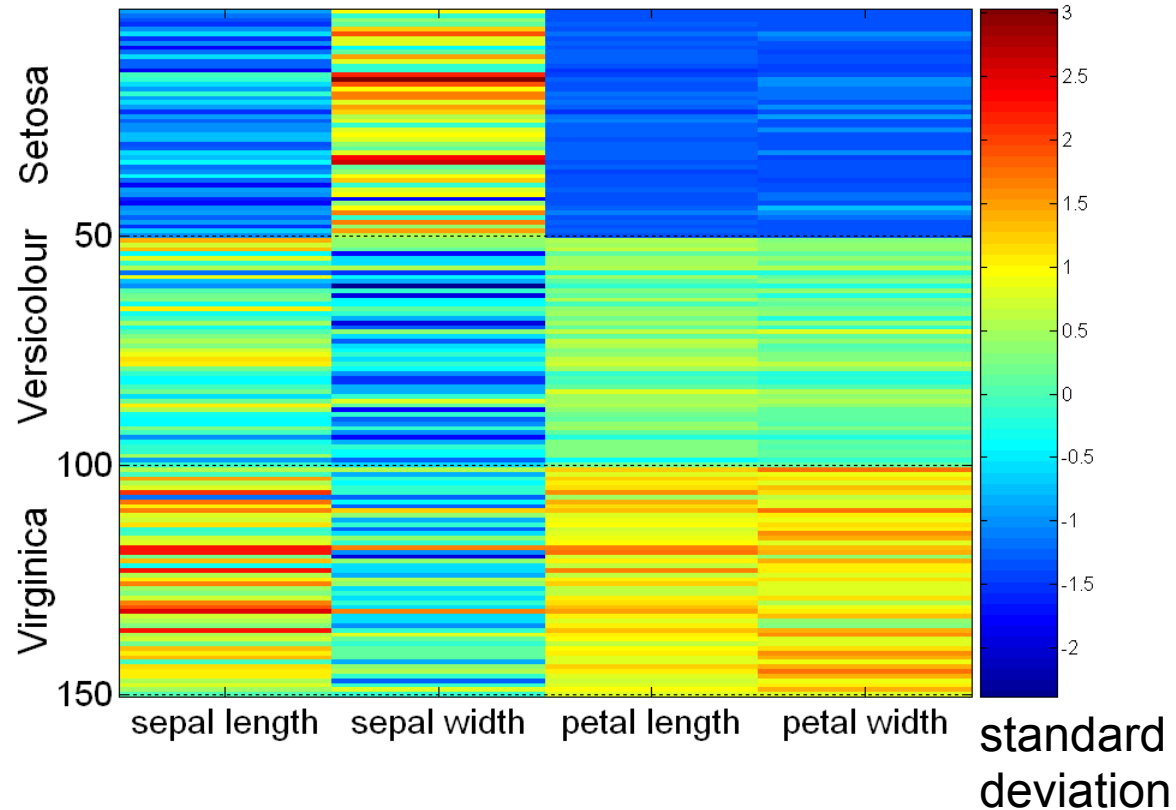


Visualization Techniques: Matrix Plots

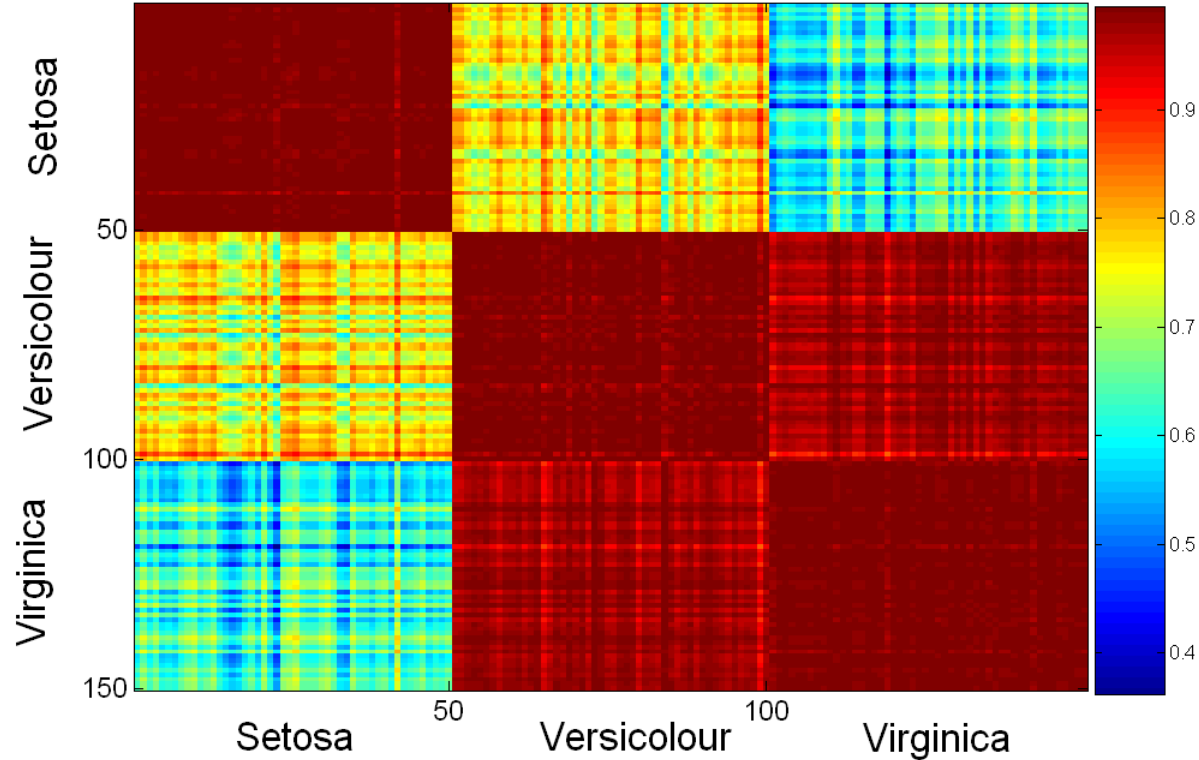
❖ Matrix plots

- › Can plot the data matrix
- › This can be useful when objects are sorted according to class
- › Typically, the attributes are normalized to prevent one attribute from dominating the plot
- › Plots of similarity or distance matrices can also be useful for visualizing the relationships between objects
- › Examples of matrix plots are presented on the next two slides

Matrix Plot – example (data)



Matrix Plot – example (correlation)

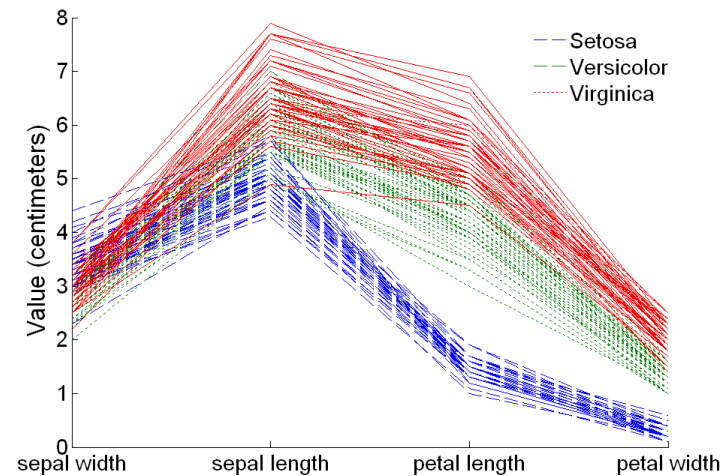
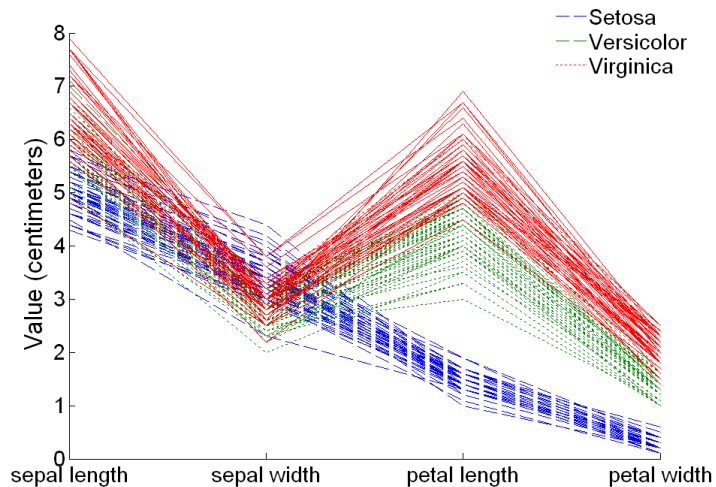


Visualization Techniques: Parallel Coordinates

❖ Parallel Coordinates

- Used to plot the attribute values of high-dimensional data
- Instead of using perpendicular axes, use a set of parallel axes
- The attribute values of each object are plotted as a point on each corresponding coordinate axis and the points are connected by a line
- Each object is represented as a line
- Often, the lines representing a distinct class of objects group together, at least for some attributes
- Ordering of attributes is important in seeing such groupings

Parallel Coordinates Plots – example



Other Visualization Techniques

❖ Star Plots

- › Similar approach to parallel coordinates, but axes radiate from a central point
- › The line connecting the values of an object is a polygon

❖ Chernoff Faces

- › Approach created by Herman Chernoff
- › This approach associates each attribute with a characteristic of a face
- › The values of each attribute determine the appearance of the corresponding facial characteristic
- › Each object becomes a separate face
- › Relies on human's ability to distinguish faces

Star Plots



1



2



3



4



5

Setosa



51



52



53

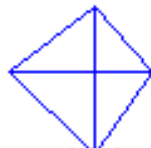


54



55

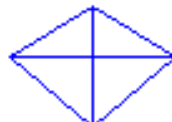
Versicolour



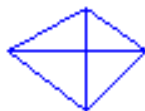
101



102



103



104



105

Virginica

Chernoff Faces



1



2



3



4



5

Setosa



51



52



53



54



55

Versicolour



101



102



103



104



105

Virginica