Given an unsorted array of integers, find the length of longest increasing subsequence.

```
For example,
```

```
Given [10, 9, 2, 5, 3, 7, 101, 18],
```

The longest increasing subsequence is [2, 3, 7, 101], therefore the length is 4. Note that there may be more than one LIS combination, it is only necessary for you to return the length.

Your algorithm should run in $O(n^2)$ complexity.

Follow up: Could you improve it to O(*n* log *n*) time complexity?

}

```
maxIncreLen = std::max(maxIncreLen, count);
        }
        return maxIncreLen;
    }
};
2.时间:O(N^2);空间:O(1) -->>N^2复杂度,不高效
class Solution {
public:
    int lengthOfLIS(vector<int>& nums) {
        if (nums.size() < 2) return nums.size();</pre>
        std::vector<int> dp(nums.size(), 0);
        int maxLen = 0;
        for (int i = 0; i < nums.size(); ++i){
            dp[i] = 1;
            for (int k = 0; k < i; ++k){
                if (nums[i] > nums[k]){
                    dp[i] = std::max(dp[i], dp[k] + 1);
                }
            }
            maxLen = std::max(maxLen, dp[i]);
        }
```

```
return maxLen;
    }
};
3.时间: O(LOGN); 空间: O(N)
class Solution {
public:
    int lengthOfLIS(vector<int>& nums) {
        if (nums.size() < 2) return nums.size();
        std::vector<int> dp(nums.size(), 0);
        std::vector<int> ends(nums.size(), 0);
        int rIndex = 0; /* ends 有效区[0~rIndex] */
        int maxLen = 1;
        dp[0] = 1;
        ends[0] = nums[0];
        for (int i = 1; i < nums.size(); ++i){
            /* lower_bound:找到第一个可以插入的位置 */
           auto fIndex = std::lower_bound(ends.begin(), ends.begin() + rIndex + 1,
nums[i]) - ends.begin();
            if (fIndex > rIndex){ /* ends 上未有大于等于 nums[i]的数 */
                ends[++rIndex] = nums[i];
```