Partially Path-sensitive Maximum Fix Point Solution

by

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Outline

- Background: Data Flow Analysis
- Maximum Fix Point (MFP) Solution in Data Flow Analysis
- Effect of Infeasible Control Flow Path on the MFP solution
- Partially Path Sensitive MFP
- Experimental Evaluation
- Future work

Data Flow Allalysis

Captures code level information that can be later used for

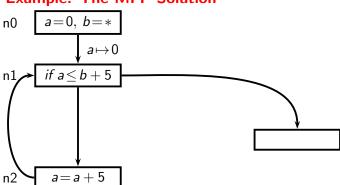
- Program verification,
- Code understanding,
- Code optimization etc

Solutions of Data Flow Analysis

		Edge/Path		
Solution	Infeasible	Based	Scalable	Precise
	CFPs	Specification		
Meet Over Feasible Paths	No	Path	Least	Most
Meet Over all Paths	Yes	Path		
Maximum Fix Point	Yes	Edge	Most	Least

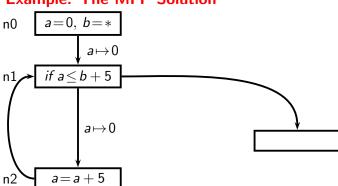
Feb 24, 2018 Partially Path-sensitive MFP: 4/27

Example: The MFP Solution



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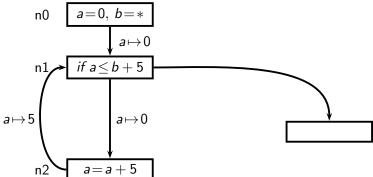
Example: The MFP Solution



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Example: The MFP Solution

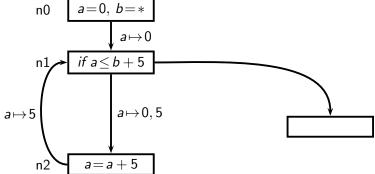
n0 a=0, b=*



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Example: The MFP Solution

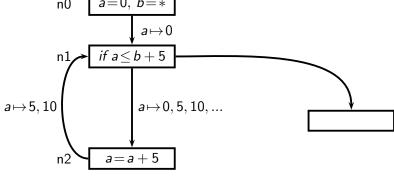
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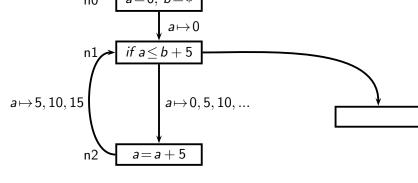


a=a+5

 $a\mapsto 5, 10$

n2

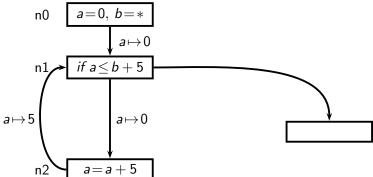




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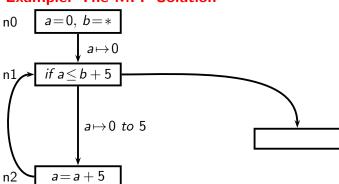
Example: The MFP Solution

n0 a=0, b=*



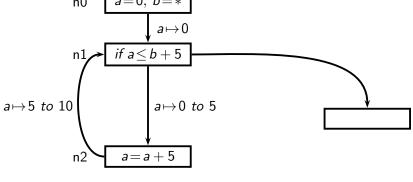
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Example: The MFP Solution

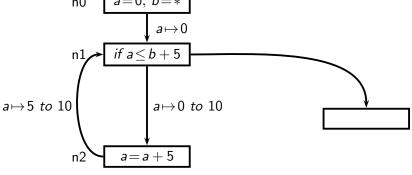


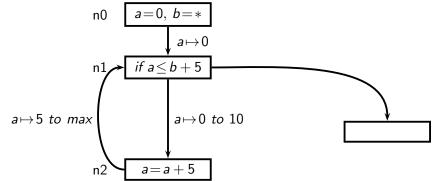
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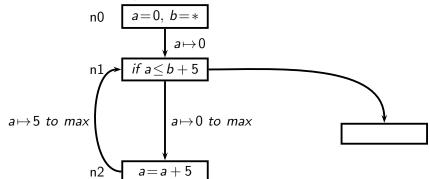
Example: The MFP Solution a=0, b=* $a\mapsto 0$

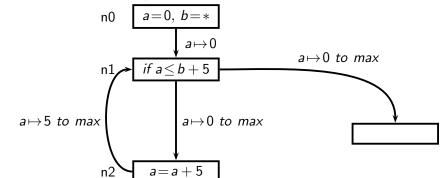


Feb 24, 2018 Partially Path-sensitive MFP: 4/27 Example: The MFP Solution $n0 \quad a=0, b=*$ $a\mapsto 0$









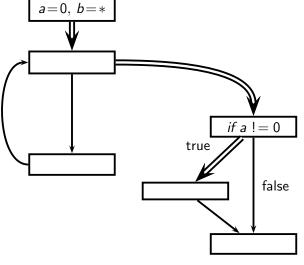
To Improve the MFP Solution

Partially Path-sensitive MFP:

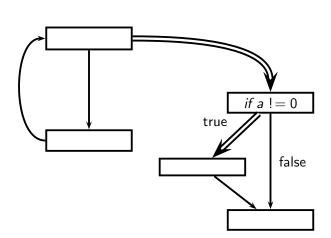
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We need to separate feasible and infeasible control flow paths.

Issue 1: Program Representation Admits Infeasible Paths

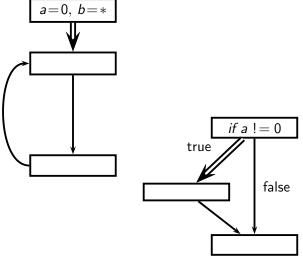


Issue 2: Edge Removal Affects Feasible Control Flow Paths a=0, b=*



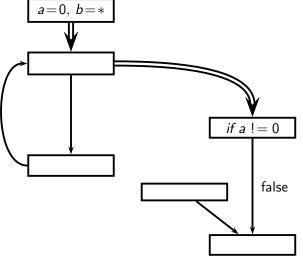
Issue 2: Edge Removal Affects Feasible Control Flow Paths

Partially Path-sensitive MFP:



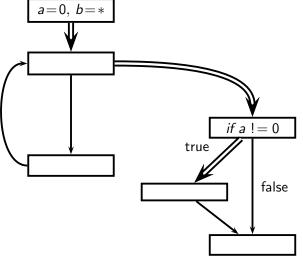
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Partially Path-sensitive MFP:

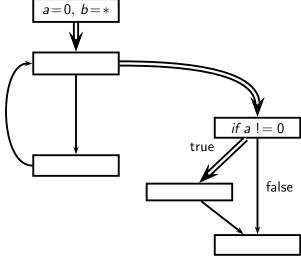


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Partially Path-sensitive MFP:



Issue 3: Graph Transformation Cost is Exponential



Issues in Removing infeasible Control Flow Paths

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- 1. Static representation of programs admits control flow paths that are infeasible
- 2. Deletion of an edge could remove the feasible paths also
- size of graph

 4. Static analysis suffers imprecision because it is not possible to

3. Restructuring control flow graph can cause exponential blow up in

4. Static analysis suffers imprecision because it is not possible to separate infeasible paths from feasible ones.

Can we remove the imprecision without changing CFG ?

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The effect of

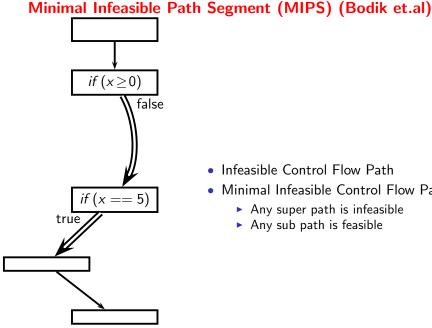
- separating the feasible and the infeasible control flow paths in CFG
 could be achieved by just
- separating the information flowing along the feasible and infeasible control flow paths

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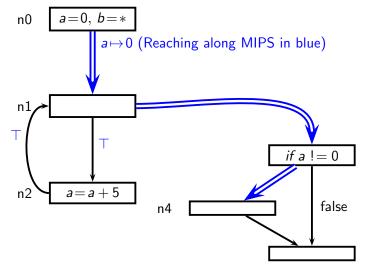
- Bodik et.al [1999] proposed a method to detect minimal infeasible path segments
- We use this work to achieve desired separation between information flowing along feasible and infeasible control flow paths.

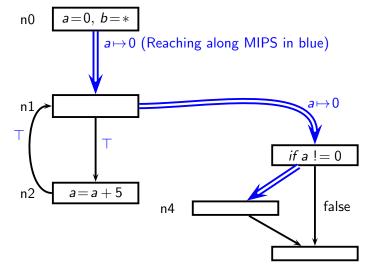


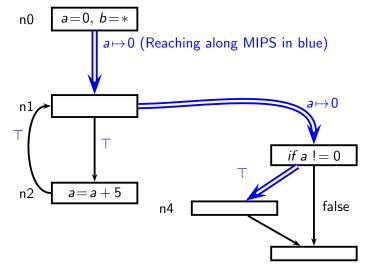
- Infeasible Control Flow Path
 - Any super path is infeasible

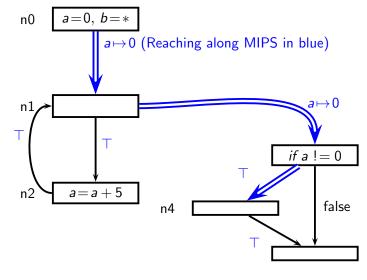
Minimal Infeasible Control Flow Path

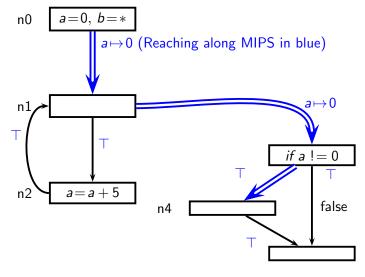
- Any sub path is feasible



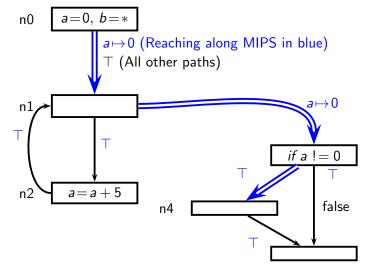




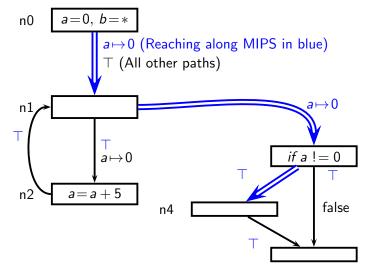


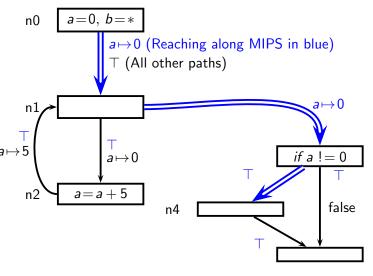


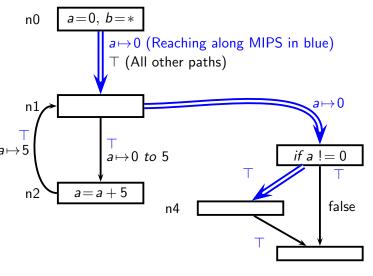
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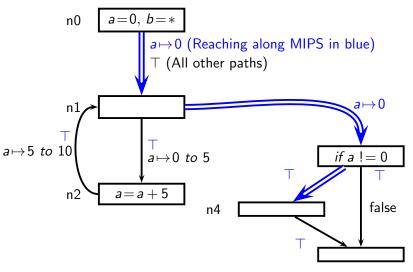
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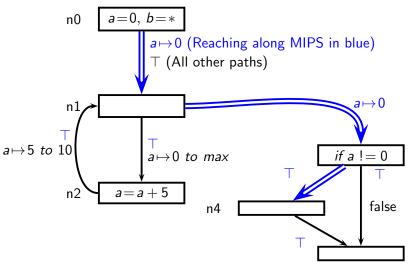


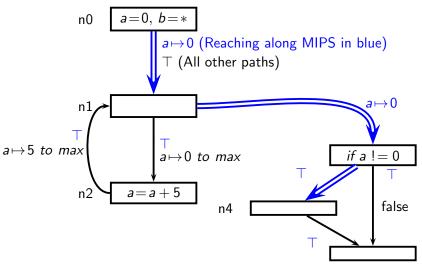


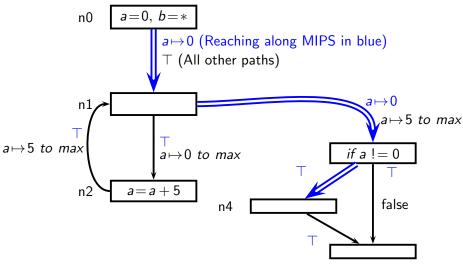


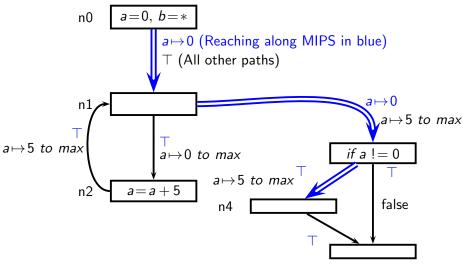
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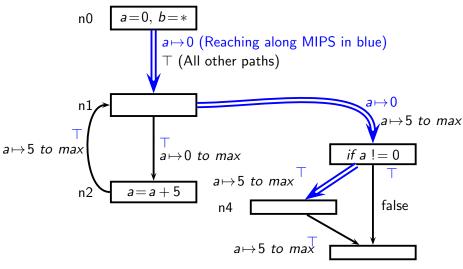


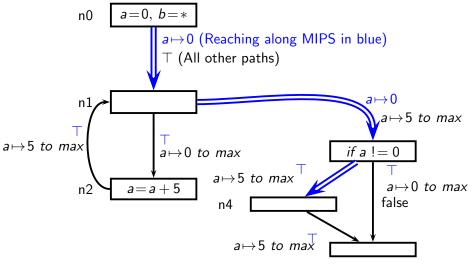


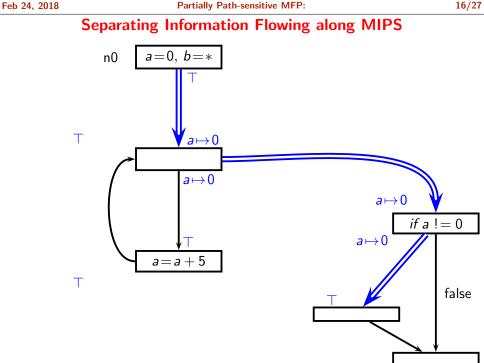


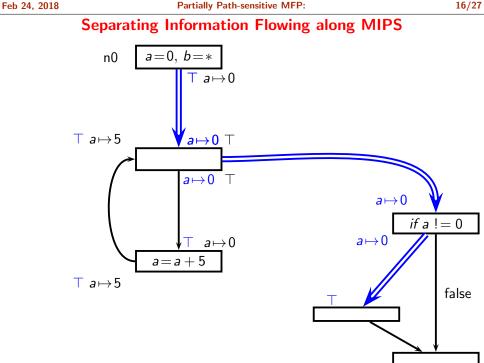


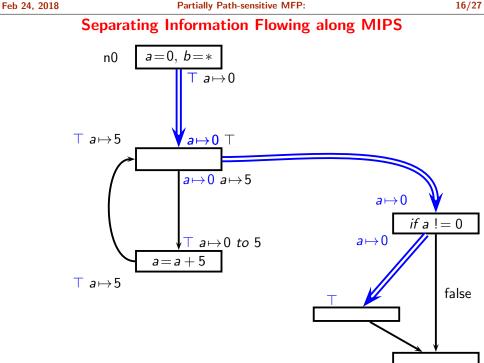


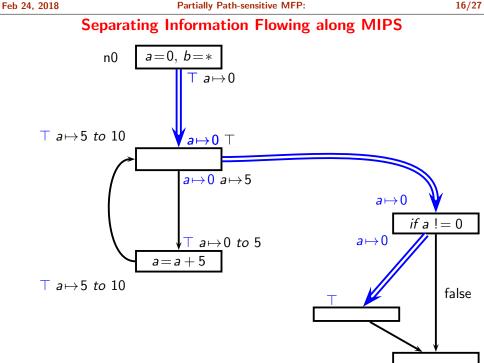


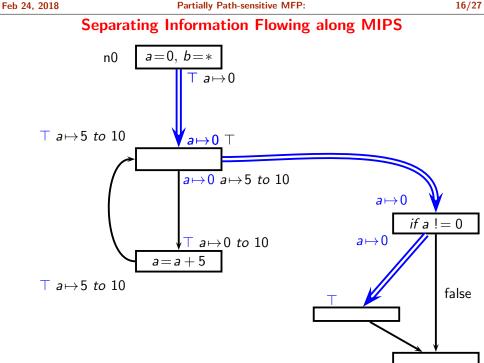


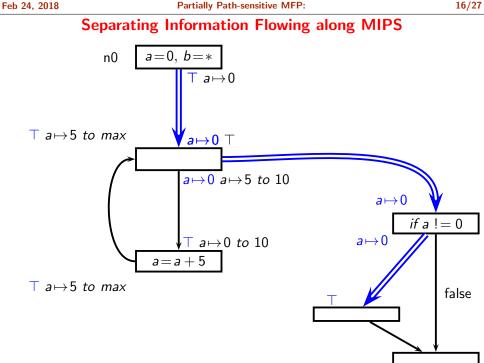


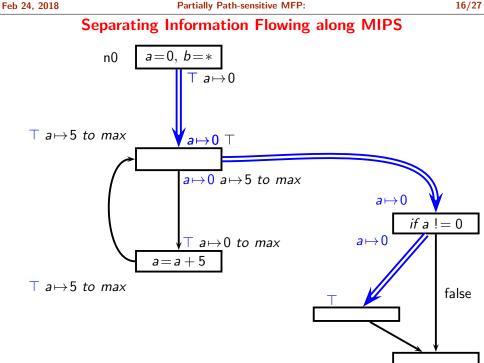


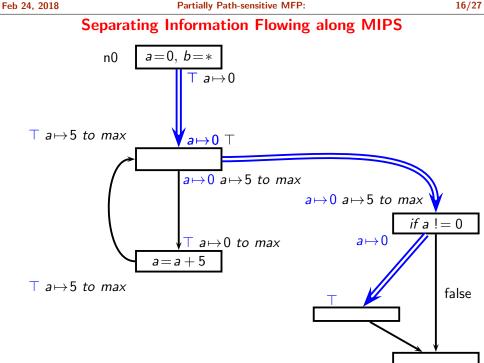


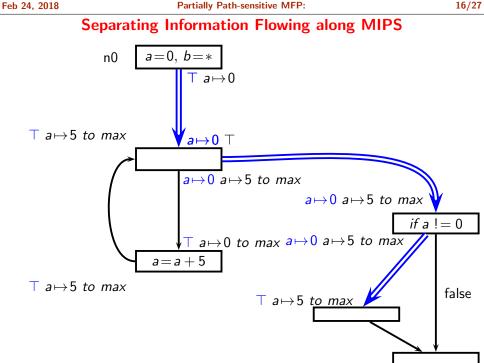












Exchange of Information

 An edge flow function distributes the information depending upon whether

Information along each MIPS is kept in a separate bucket

- edge is a part of MIPS, or
- edge is not a part of MIPS

Generalization to Program Containing k MIPS

At Node n

- Original Value: D
- New Values: $< D_0, D_1, ..., D_k >$

$$D \sqsubseteq (D_0 \sqcap D_1 \sqcap \ldots \sqcap D_k)$$

where

 D_0 is information not flowing through any MIPS

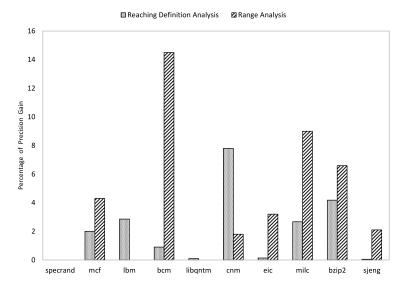
For other i, D_i is information flowing through i^{th} MIPS

Complexity

- Number of MIPS: k (end disjoint MIPS)
- MFP complexity: N², N=Nodes in CFG
- Our complexity: $k * N^2$ (Practically, the analysis is much more efficient.)

Experimental Evaluation

Results



Other Results

- Def-Use Pairs: upto 3% reduction
- Dead Code: 14, 124 and 216 program statements on different benchmarks.
- No improvement was found in *division by zero* property verification.

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- Time: upto 3 times increase
- Memory: upto 4 times increase

Related Work

Path Sensitivity in Data Flow

- Control Flow Graph Restructuring [Bodik et.al, 1999]
 - ► Removes MIPS from control flow graph
 - ► Causes exponential blow up in graph size whereas we do not
- Trace Partitioning
 - Partitions program traces in equivalence classes using control flow criteria
 - We combine the trace partitioning and MIPS.

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• Interprocedural Partially Path Sensitive MFP.

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Questions?