

[WUM] Praca Domowa nr 7 Kacper Kurowski

June 15, 2021

1 [WUM] Praca Domowa nr7

1.1 Kacper Kurowski

Załadujemy wpierw zbiór danych

```
[1]: import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn import cluster, datasets, mixture
from sklearn import preprocessing
import seaborn as sns
import sklearn
```

```
[14]: val = pd.read_csv( "val.csv")
train = pd.read_csv( "train.csv")
test = pd.read_csv( "test.csv")
train_vals = [0]*len( train)
```

i pobieżnie go obejrzymy

```
[79]: val.head()
```

```
[79]:
```

	Alcohol	Malic acid	Ash	Alcalinity of ash	Magnesium	Total phenols	\
0	13.86	1.51	2.67	25.0	86	2.95	
1	13.40	3.91	2.48	23.0	102	1.80	
2	12.82	3.37	2.30	19.5	88	1.48	
3	12.37	1.07	2.10	18.5	88	3.52	
4	13.50	1.81	2.61	20.0	96	2.53	

	Flavanoids	Nonflavanoid phenols	Proanthocyanins	Color intensity	Hue	\
0	2.86		0.21	1.87	3.38	1.36
1	0.75		0.43	1.41	7.30	0.70
2	0.66		0.40	0.97	10.26	0.72
3	3.75		0.24	1.95	4.50	1.04
4	2.61		0.28	1.66	3.52	1.12

OD280/OD315 of diluted wines Proline

0	3.16	410
1	1.56	750
2	1.75	685
3	2.77	660
4	3.82	845

```
[80]: train.head()
```

```
[80]:
```

	Alcohol	Malic acid	Ash	Alcalinity of ash	Magnesium	Total phenols	\
0	12.72	1.75	2.28	22.5	84	1.38	
1	13.23	3.30	2.28	18.5	98	1.80	
2	12.58	1.29	2.10	20.0	103	1.48	
3	12.37	1.17	1.92	19.6	78	2.11	
4	13.84	4.12	2.38	19.5	89	1.80	

	Flavanoids	Nonflavanoid phenols	Proanthocyanins	Color intensity	Hue	\
0	1.76	0.48	1.63	3.30	0.88	
1	0.83	0.61	1.87	10.52	0.56	
2	0.58	0.53	1.40	7.60	0.58	
3	2.00	0.27	1.04	4.68	1.12	
4	0.83	0.48	1.56	9.01	0.57	

	OD280/OD315 of diluted wines	Proline
0	2.42	488
1	1.51	675
2	1.55	640
3	3.48	510
4	1.64	480

```
[82]: test.head()
```

```
[82]:
```

	class	Alcohol	Malic acid	Ash	Alcalinity of ash	Magnesium	\
0	0	13.34	0.94	2.36	17.0	110	
1	0	12.00	0.92	2.00	19.0	86	
2	0	11.84	0.89	2.58	18.0	94	
3	0	12.47	1.52	2.20	19.0	162	
4	0	11.81	2.12	2.74	21.5	134	

	Total phenols	Flavanoids	Nonflavanoid phenols	Proanthocyanins	\
0	2.53	1.30	0.55	0.42	
1	2.42	2.26	0.30	1.43	
2	2.20	2.21	0.22	2.35	
3	2.50	2.27	0.32	3.28	
4	1.60	0.99	0.14	1.56	

	Color intensity	Hue	OD280/OD315 of diluted wines	Proline
0	3.17	1.02	1.93	750

1	2.50	1.38	3.12	278
2	3.05	0.79	3.08	520
3	2.60	1.16	2.63	937
4	2.50	0.95	2.26	625

Postaramy się znaleźć optymalne parametry dla GMM

```
[4]: import numpy as np
import itertools

from scipy import linalg
import matplotlib.pyplot as plt
import matplotlib as mpl

from sklearn import mixture
```

```
[83]: X = train

bics = [ [] for i in range( 30)]

lowest_bic = np.infty
bic = []
n_components_range = range(1, 10)
cv_types = ['spherical', 'tied', 'diag', 'full']
for cv_type in cv_types:
    for n_components in n_components_range:
        for t in range(30): # Powtórzmy eksperyment wielokrotnie, dla bardziej
            ↪miarodajnych wyników
            # Fit a Gaussian mixture with EM
            gmm = mixture.GaussianMixture(n_components=n_components,
                                           covariance_type=cv_type)

            gmm.fit(X, y = train_vals)
            bics[t] = gmm.bic(X)
            bic.append( np.mean( np.array( bics)))
        if bic[-1] < lowest_bic:
            lowest_bic = bic[-1]
            best_gmm = gmm

bic = np.array(bic)
color_iter = itertools.cycle(['navy', 'turquoise', 'cornflowerblue',
                              'darkorange'])

clf = best_gmm
bars = []

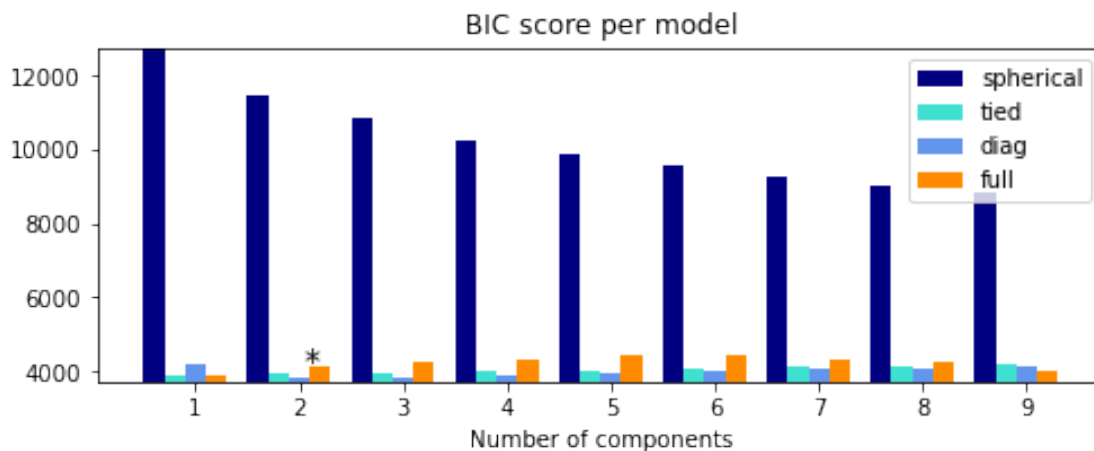
# Plot the BIC scores
plt.figure(figsize=(8, 6))
spl = plt.subplot(2, 1, 1)
```

```

for i, (cv_type, color) in enumerate(zip(cv_types, color_iter)):
    xpos = np.array(n_components_range) + .2 * (i - 2)
    bars.append(plt.bar(xpos, bic[i * len(n_components_range):
                           (i + 1) * len(n_components_range)],
                        width=.2, color=color))
plt.xticks(n_components_range)
plt.ylim([bic.min() * 1.01 - .01 * bic.max(), bic.max()])
plt.title('BIC score per model')
xpos = np.mod(bic.argmin(), len(n_components_range)) + .65 + \
    .2 * np.floor(bic.argmin() / len(n_components_range))
plt.text(xpos, bic.min() * 0.97 + .03 * bic.max(), '*', fontsize=14)
spl.set_xlabel('Number of components')
spl.legend([b[0] for b in bars], cv_types)

plt.show()

```



W przypadku BIC score im mniejsza wartość, tym lepiej. Okazuje się, że najlepszy wynik dały 2 komponenty z diagonalną kowariancją

```

[71]: gmm = mixture.GaussianMixture(
        n_components=2,
        covariance_type='diag'
    ).fit( train, y = train_vals)

```

```

[72]: test_pred = gmm.predict( test.drop(['class'], axis=1))
        test_true = test['class'].to_numpy()

```

```

[73]: from sklearn.metrics import f1_score, precision_score, recall_score

```

```

[78]: print( "f1_score: % 4.3f" % f1_score( test_true, test_hat))
        print( "precision_score: % 4.3f" % precision_score( test_true, test_hat))

```

```
print( "recall_score: % 4.3f" % recall_score( test_true, test_hat))
```

```
f1_score: 0.556  
precision_score: 0.385  
recall_score: 1.000
```

Zatem, wyniki nie są bardzo wysokie, jednakże, na podstawie recall, wiemy, że gmm był w stanie znaleźć wszystkie outliery. Niestety, wiele inlierowych wartości zakwalifikował jako outliery, co wiemy chociażby na podstawie precision.