

$T_1 : \text{Write}(Q)$

$T_2(T_1) < \text{WTS}(Q)$ ; write operations and no rollback (earlier T<sub>2</sub>) ignored.

$T_3(T_1) < \text{RTS}(Q)$ ; Reject & T<sub>1</sub> rollback.

### Thomas Write Rule (Formal Definition)

- \* Modified version of the time-stamping-ordering protocol in which, Absolute write operations may be ignored under certain circumstances.
- \* When T<sub>i</sub> attempts to write data item Q, if  $T_2(T_1) < w\text{-timestamp}(Q)$ , then T<sub>i</sub> is attempting to write an older value of {Q}.
  - Rather than rolling back T<sub>i</sub> as the timestamp ordering protocol would have done, the {write} operation can be ignored.
- \* Otherwise this protocol is same as the timestamp ordering protocol.
- \* Thomas Write Rule allows greater potential concurrency.
  - Allows some view-serializable schedules that are not conflict serializable.

$(10)$ $T_1$ <hr/> $R(A)$  $\xrightarrow{\text{Absolute write}}$ $W(A)$	$(20)$ $T_2$ <hr/> $W(A)$	But allowed under Thomas write rule. $T_1 \rightarrow W(A)$ : ignored rollback.	$T_1$ <hr/> $R(A)$ $W(A)$	$T_2$ <hr/> $W(A)$
$10 < 20$ ; not allowed under TSP			allowed under TWR.	

→ More concurrency means this schedule is not conflict serializable, this is not allowed under TSP but allowed by Thomas write rule.

eg:

$T_1$	$T_2$	$T_3$
$R(A)$		

↓

$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

↓

$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
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$T_1$	$T_2$	$T_3$
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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

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$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

↓

$T_1$	$T_2$	$T_3$
$R(A)$	$W(A)$	$W(A)$

↓

$T_1$	$T_2$	$T_3$
-------	-------	-------

(i)	(ii)
T <sub>1</sub>	T <sub>2</sub>
R(B)	
W(B)	
W(A)	
R(A)	

Clock TWR:T<sub>1</sub>: W(A)  $T_S(T_1) < W_{TS}(A)$  — yes allowed in TWR.T<sub>1</sub>: R(A)  $\rightarrow T_S(T_1) < W_{TS}(A)$  — not in TWR.T<sub>1</sub>  $\rightarrow$  T<sub>2</sub>

Not TSP, Not TWR

Time Stamp protocol: ensure serializability, deadlock free, but starvation possible.

Deadlock Prevention Algorithm:

- (i) Wait-Die      (ii) Hold-and-wait
- Older              Younger

T <sub>1</sub> (i)	T <sub>2</sub> (ii)
R(A)	
W(A)	Not in TSP
	But in TWR

 $T_S(T_1) < T_S(T_2)$ T<sub>1</sub>  $\rightarrow$  T<sub>2</sub>

Strict Time Stamp = TSP + Strict Schedule.

Ordering Protocol

It Ensures: Serializability

Recoverability

Cascade (no cascading rollback)

Strict Recoverability

Q1. In which of the following lock scheme deadlock cannot occur?

Ans Conservatively 2PL

Q2. Consider the following schedule: r<sub>1</sub>(x), r<sub>2</sub>(y), r<sub>2</sub>(x), w<sub>1</sub>(z), w<sub>1</sub>(y), w<sub>3</sub>(y), r<sub>3</sub>(z), w<sub>2</sub>(y), w<sub>3</sub>(x).

Which of the time stamp ordering not allowed to execute schedule using Thomas Write Rule time stamping ordering protocol?

Ans (T<sub>1</sub>, T<sub>2</sub>, T<sub>3</sub>) = (10, 20, 30).

- Q3. Consider the two statements about Database Transaction Schedule:
- Strict two phase locking protocol generates Conflict Serializable Schedules that are also recoverable.
  - Timestamp Ordering Concurrency Control protocol with Thomas Write rule can generate view Serializable Schedules that are not conflict serializable.

Which of above statements is/are true?

Anc Both I and II.

- Q4. Which of the following Concurrency Control Protocols ensure both Conflict Serializability and freedom from deadlock?
- 2-phase locking
  - Time Stamp ordering.

Anc II Only.

## ER MODEL

ER Model: Entity-Relationship Model.

- Entity: Object in the real world and is distinguishable from other.
- Entity Set: Collection of similar entities that share the same properties.

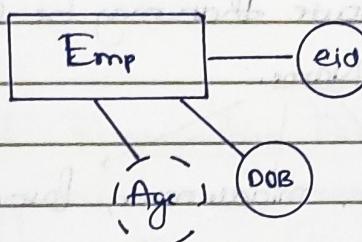
e.g.: Set of all people, Companies.

- \* Entities have attributes

e.g.: a person has name, address.

- \* Entity set is a set of entities of same type denoted by a rectangle or box in ER diagram. Entity can be identified by a list of attributes which are placed in oval.

e.g.:



Relationship: A relationship is an association among several entities.

e.g.: 44553 (Petter)      advisor      22222 (Einstein)  
 ↑                              ↑                      ↑  
 Student entity      relationship set      Instructor entity

Relationship Set: It is a mathematical relation among 0, 1, 2 entities each taken from entity sets.

- \* An attribute can also be property of a relationship set.
- \* For instance, the advisor relationship set between Entity sets instructor and student may have the attribute 'core courses taught' when the student started being associated with the advisor.

76542	Crick
56721	Katz
67342	Srinivasan
94231	Singh

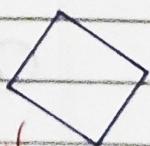
Instructor

3rd May
4th August
21st Feb
9th Jan.

advisor

24	Snack
96	Tanya
33	Sachin
21	Aoi

Student



Relationship Set Representation

Attributes: Attribute are properties used to describe an entity.

Attribute types are:

1. Simple And Composite Attribute.
2. Single valued and multivalued attribute.
3. Stored And Derived attribute.
4. Key Attribute
5. Complex Attribute
6. Descriptive Attribute.

Simple Attribute: Each entity has a single atomic value for the attribute. For example: Roll no. It cannot be further divided.

Composite attribute: The attribute that may be composed of several components. For example: Name

first name, middle name, last name.

Single valued attribute: Which takes one value per entity.

eg: gender, roll no.

Multi valued attribute: which takes more than one value per entity.

eg: email, phone no

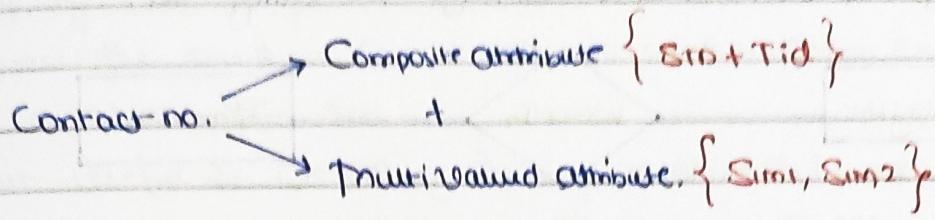
Stored attribute: Which does not require any update.

eg: DOB, DOJ

Derived attribute: The value of the attribute derived from other attributes. Eg: years of service, age.

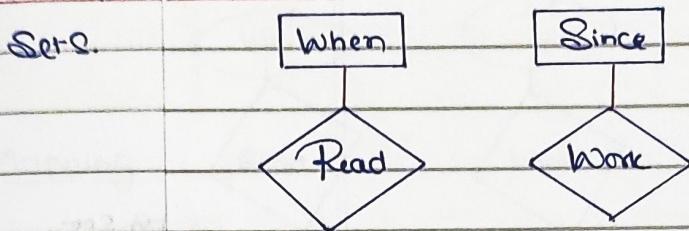
Complex attribute: It is a combination of multivalued + composite attribute.

eg: Contact no, address



Key attribute: A unique attribute which uniquely identifies an entity in the entity set.  
eg: MII number.

Descriptive attribute: Which give information about the relationships sets.



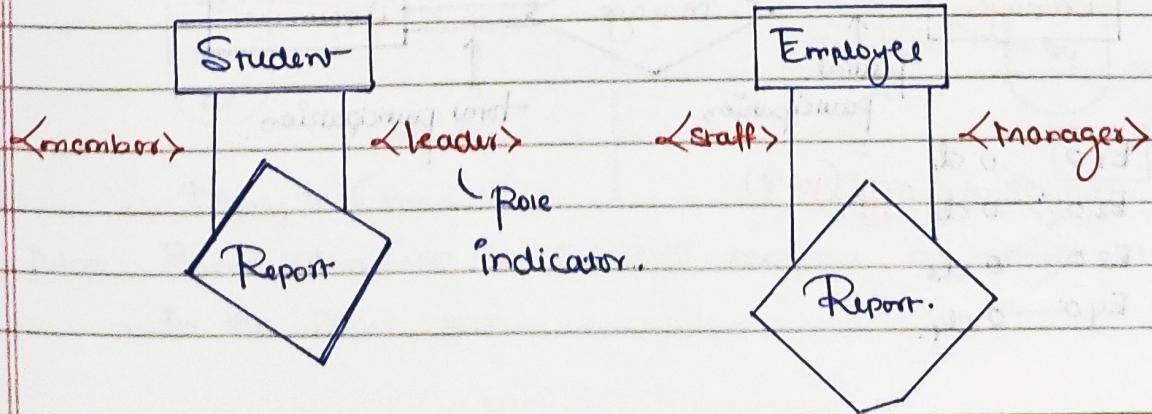
Degree Of Relationship Set.

How many number of entity set participate in a relationship set.

1. Unary (Only one Entity set)
2. Binary (two Entity set)
3. Ternary (three Entity set)
4. N-ary (N+Entity set).

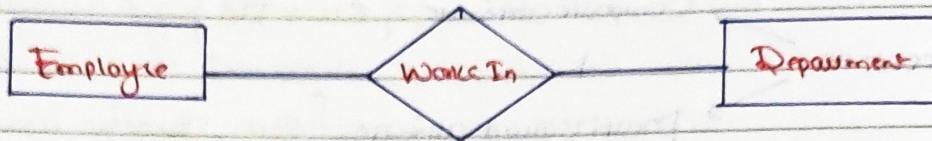
Degree of relationship set: Specified the number of Entity set participate in a relationship set.  
(Formal definition).

1. Unary: Relation among two entities of the same entity set.  
(Recursive Relationship Set).



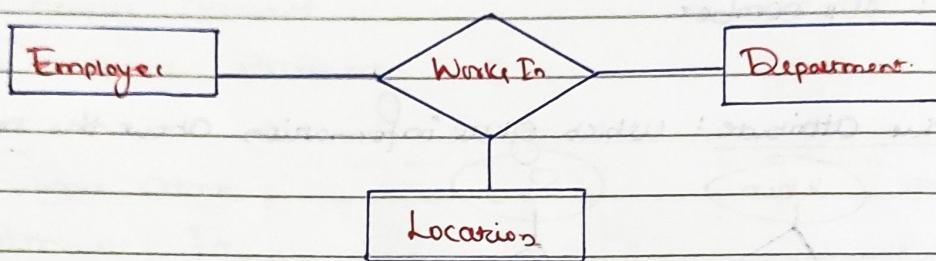
2.

BINARY : The relationship among two entity set.



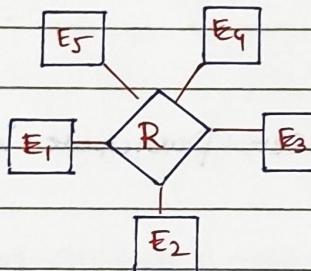
3.

TERNARY : The relationship among three entity set.



4.

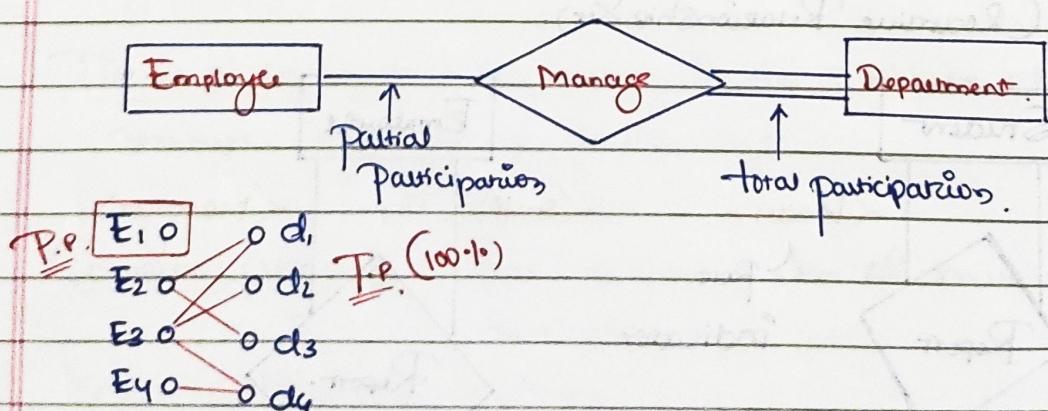
N-ary relationship - The relationship among n-entity set.



Participation : If every entries of entity set are participated in the relationship set then it is total participation ( $100\%$ ) otherwise partial participation ( $<100\%$ ).

Participation Constraint:

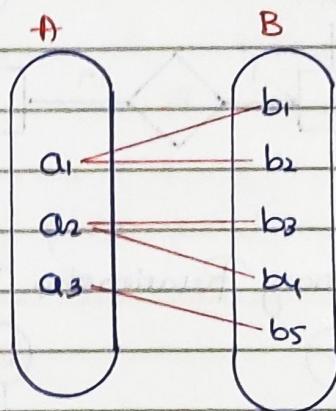
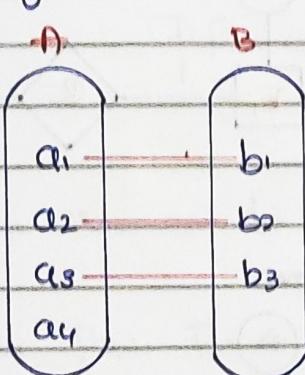
- \* If every entry in the entity set participated in a relationship set is called Participation Constraint.
- \* Total participation denoted by double line (thick line) Otherwise it is called Partial Participation (thin line or single line).  
eg: Each department is managed by at least one employee.



## Mapping Cardinality Constraints:

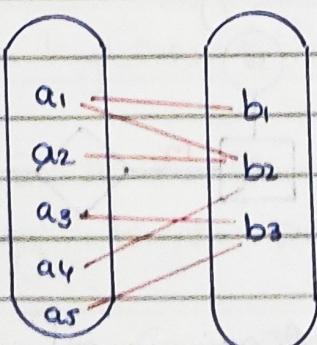
- \* Express the number of entities to which other entity can be associated via a relationship set.
- \* Most useful in describing binary relationship sets.
- \* For a binary relationship set - the mapping cardinality must be one of following types:
  - \* One to one (1:1)
  - \* One to many (1:many)
  - \* Many to one (m:1)
  - \* Many to many (m:m)

## Mapping Cardinalities:



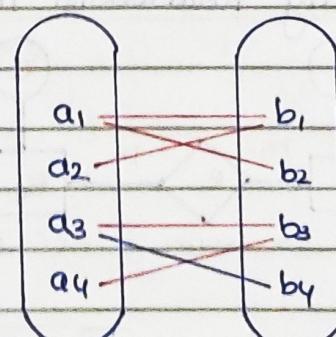
### One to One

Note: Some elements in A and B may not be mapped to any elements in the other set.



### Many to One

Note: Some elements in A and B may not be mapped to any elements in the other set.



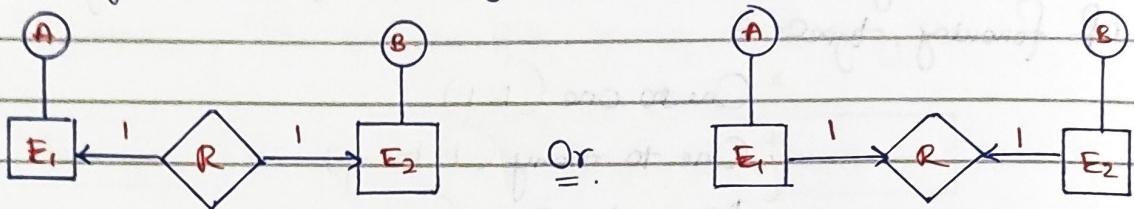
### Many to Many

Mapping (Cardinality constraints of relationship set).

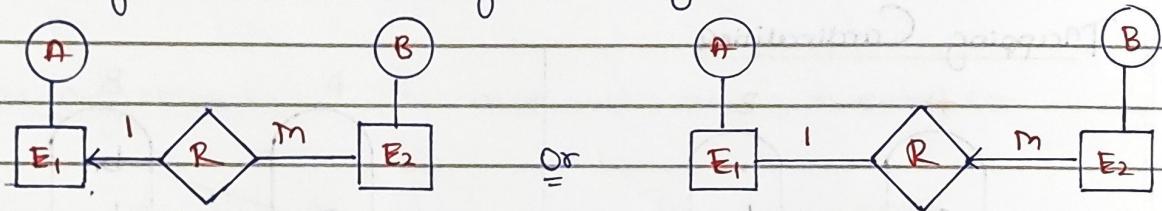
One mapping : At most one (0 or 1)

Many mapping : 0 or more (0...\*)

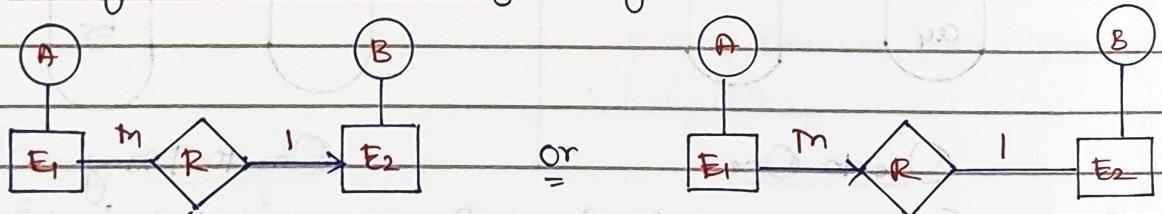
Binary Relationship Mapping (One:One)



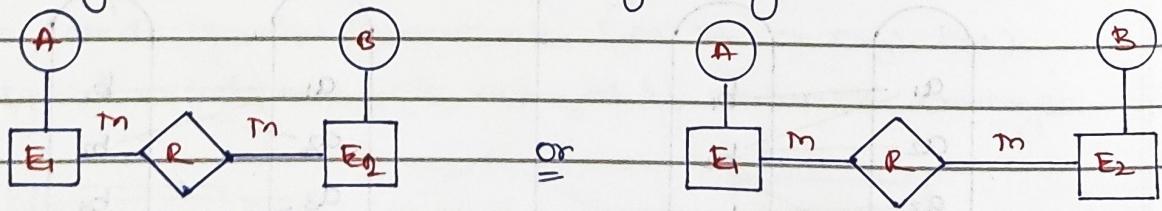
Binary Relationship Mapping (One:many)



Binary Relationship Mapping (Many:One)



Binary Relationship Mapping (Many:Many)

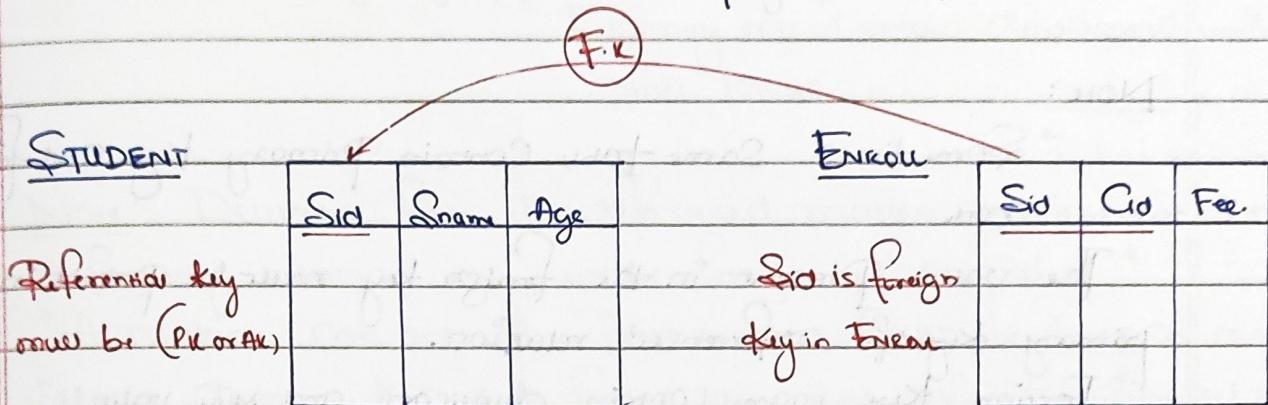


Foreign key: Foreign key is a so of attribute reference to the Primary key or alternate key of same table or some other table.

It is used to relate or relates (table) with other or same relation.

Referencing Relation: The table which contains the foreign key is known as referencing relation (child table/relation).

Referenced Table: The table which is referenced by foreign key is known as referenced relation (parent table/relation).



Referenced Relation

Primary key: Sid

Referencing Relation

Primary key: (Sid,Cid)

Note:

\* Atmost there can be one primary key per relation (table).

→ Create Table Enrolled

Sid Varchar(10)

(per)

Cid Varchar(10)

Atmost One primary relation so directly write name of table.

Fees Integer(11)

Primary key (Sid,Cid)

Foreign key(Sid) Reference Student

→ By default foreign key reference to Primary key of ref'd relation

When Sid is the Primary key of Student

Let login is the primary key and Sid is alternative key then

Foreign key(Sid) Reference Student(Sid)

→ When Sid is not primary key but alternative key  
∴ many FK possible so write attribute name

## RDBMS Constraints

Domain Constraint (Atomic)

Key Constraint (Uniqueness)

Entity Integrity Constraint (Primary key not null)

Referential Integrity Constraint (Foreign key concept)

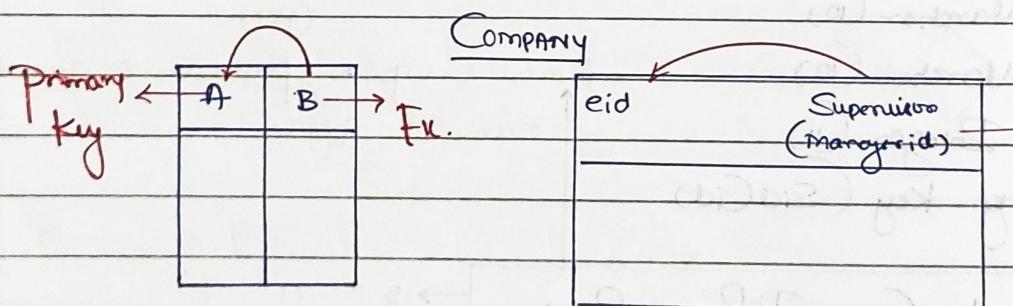
### Note:

- \* Sometimes same table contain Primary key and Foreign key both
- \* The value present in the foreign key must be present in the primary key of referenced relations.
- \* Foreign key may contain duplicate and null values.

Q.1 Consider a relation R with Attribute A, B where A is the primary key and B is the foreign key, reference to Primary key 'A' on some table. Which of the following is correct according to constraints? Or which of the row can be successfully inserted into R?

Ans

(1,2) (2,3) (3,4) (4,2) (5,3) (6,5) (7,4)



Some table uses different name Concept.

- \* The value present in foreign key must be present in primary key of referenced relations

Parent Table

Referenced Table

✓ Insert <4 D E6>

✗ Delete <1 A CSE>

Child Table

Referencing Relation

✗ Insert <105 DSA G7>

✓ Delete <103 CO 3>

ReferenceConstraints

- \* Primary key must contain non-null values.
- \* The value present in FK must be present in primary key of referenced relation.
- \* FK may not contain duplicates and null values.

Note: \* Deletions from the referenced relation and insertion into referencing relations may violate foreign key constraint.  
 \* A relation can act as PARENT and CHILD i.e Relations may contain primary key and foreign key that refer to same relations.

Referential Integrity Constraint1. Referenced Relation

(i) Insertion: No violations

(ii) Deletions: May cause violations if primary key is used by referencing relations.

a. On delete no action

\* b. On delete Cascade

c. On delete Set null

<u>Foreign key</u>	<u>Referenced Relation</u>
--------------------	----------------------------

(i) Insertion: No violations

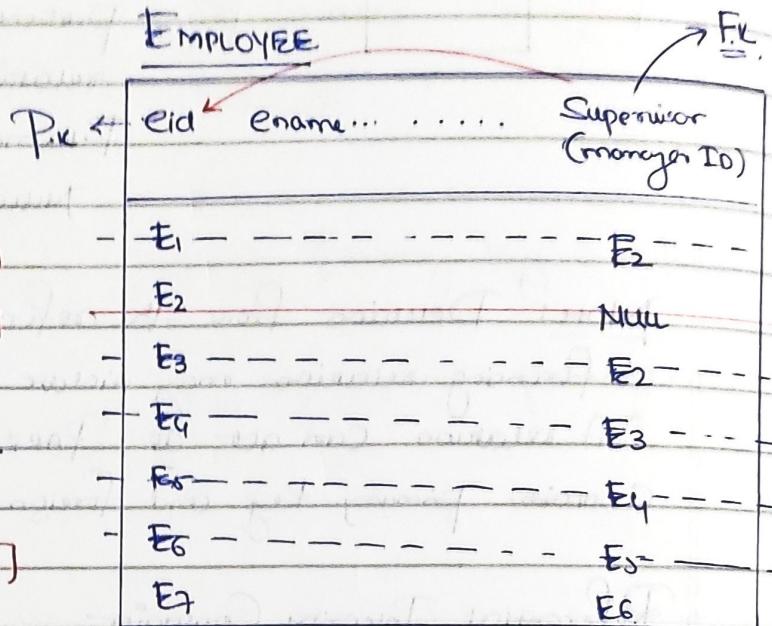
(ii) Deletion: May cause violations.

(a) On delete no action: means if it cause problem on deletion deletion is not allowed on table.

(b) On delete Cascade: If we want to delete primary key value from referenced table then it will delete their value from referencing table also.

(c). On delete set null: If we want to delete Primary key value from referenced table - then it will try to see the Null values in place of that value in referencing table.

Foreign key (many-to-one)  
Emp ON DELETE CASCADE



$Q(E_2, \text{Null})$  P.K. E<sub>2</sub> deleted

→ Due to P.K. E<sub>2</sub> → [E<sub>1</sub>, E<sub>2</sub>]

[E<sub>3</sub>, E<sub>2</sub>] deleted

Now E<sub>1</sub> and E<sub>3</sub> deleted

→ Due to P.K. E<sub>3</sub> → [E<sub>4</sub>, E<sub>3</sub>]  
deleted

Now P.K. E<sub>4</sub> deleted

→ Due to P.K. E<sub>4</sub> → [E<sub>5</sub>, E<sub>4</sub>] deleted

Now P.K. E<sub>5</sub> deleted

→ Due to P.K. E<sub>5</sub> → [E<sub>6</sub>, E<sub>5</sub>] deleted

Now P.K. E<sub>6</sub> deleted.

→ Due to P.K. E<sub>6</sub> → [E<sub>7</sub>, E<sub>6</sub>] deleted.

Note: For good database design sometimes On delete Cascade not suggestible.

Because like in previous example deletion of one tuple (on delete cascade) result leads to deletion of complete table

### (iii) Updation : (May cause violations)

- On update no action
- On update Cascade
- On update Set null.

### Referencing Relations:

- Insertion : May cause violations
- Deletion : No violations
- Updation : May cause violations

Note: If integrity violations occur because of insertions or updations in referencing table then restrict insertion and updation

- Q2. The following table has 2 attributes A and C where A is the primary key and C is the foreign key referencing A with On-delete Cascade.

The set of all tuples that must be additionally deleted to preserve referential integrity within the tuple (2,4) is deleted i.e.:

A	C
2	4
3	4
4	3
5	2
7	2
9	5
6	4

Primary key 2 is deleted so, (5,2) (7,2) get deleted

Now Primary key 5, 7 deleted

Due to Pic 5  $\rightarrow$  (9,5) deleted, so '9' also gets deleted

Deleted

$\therefore$  (5,2) (7,2) and (9,5) get deleted additionally.

E-R Model: Entity Relationship Diagrams used to represent diagrammatic design (High level design) of Database.

### DB Design Steps:

- Requirement: What type of data stored and what operations required etc. } High level design
- Conceptual and Logical : [ER Diagram]
- ER Diagram to RDBMS table design and apply normalization. Physical DB Design (Indexing Design)  
User Interface Design and Security Design. } Low level design

## ER MODEL

## RDBMS

- Multivalued attribute
- Composite attribute
- Weak Entity Concept.

- No Multivalued Attribute
- No Composite Attribute
- No Weak entity concept.

①

Entity Set.

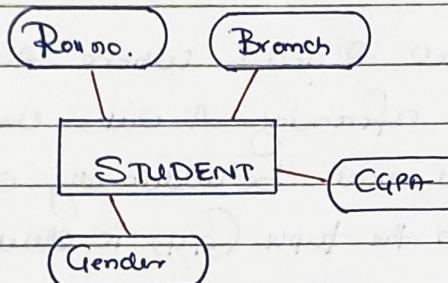
key attribute

Entity.

Relations (Table)

Primary key

tuple



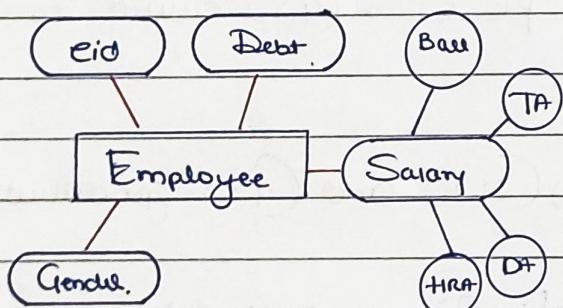
## STUDENT

Roll no.	Branch	CGPA	Gender

②

Composite Attribute.

Set of Simple Components



## Employee.

eid	Debt	Gender	Branch	TA	DT

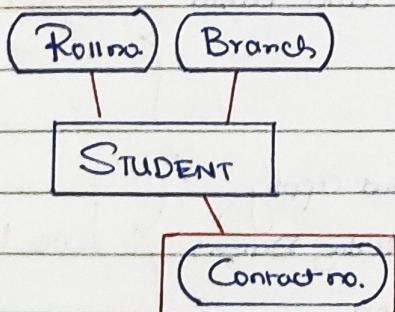
③

Multivalued Attribute.

2 Table.

1. Key attribute + all other attribute.

2. Key attribute + all multivalued attribute



1.

Roll no.	Branch	CGPA

2.

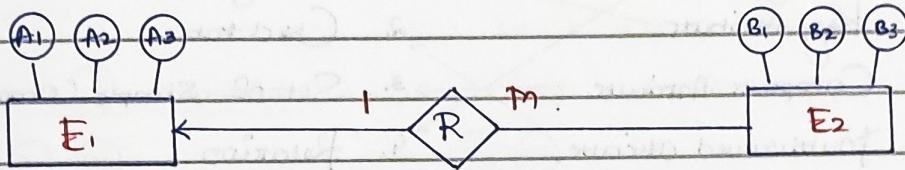
Roll no.	Contact

## ER → DBMS Conversion:

**ER.**

**RDBMS**

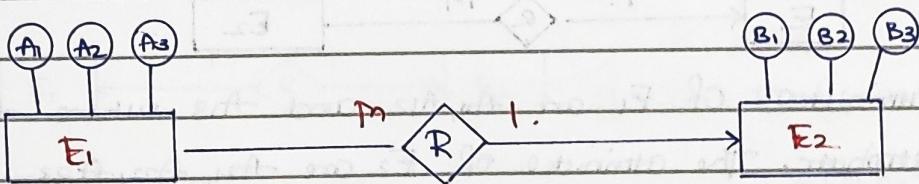
- ① One-to-Many → 2 Table Required (Relationship set merge with many sides).
- ② Many-to-One → 2 Table Required (Relationship set merge with many sides).
- ③ Many-to-Many → 3 Table Required (Separate table for relationship set)
- ④ One-to-One → 2 Table Required. (Relationship set merge only one side)



Two table Required

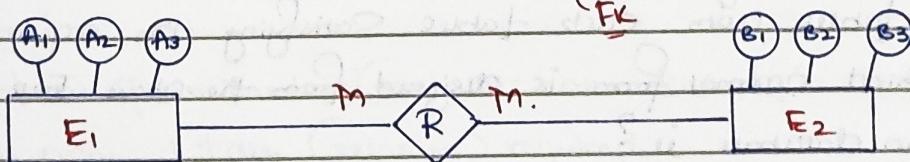
$E_1(A_1, A_2, A_3)$      $R E_2(B_1, B_2, B_3)$

and 1 foreign key.



Two table required → 1 foreign key.

$E_1, R(E_2(A_1, A_2, A_3, B_1))$      $E_2(B_1, B_2, B_3)$



Three Table required and two foreign key

$E_1(A_1, A_2, A_3)$      $R(A_1, B_1)$      $E_2(B_1, B_2, B_3)$



Two table required and one foreign key.

$E_1 R (A_1 A_2 A_3 \underline{B_1})$  and  $E_2 (B_1 B_2 B_3)$

or

$\underline{Fk}$

$E_1 (\underline{A_1 A_2 A_3}) \leftarrow \begin{matrix} FK \\ \swarrow \end{matrix} R E_2 (B_1 B_2 B_3 \underline{A_1})$

- Q1. The terms in list A have been mapped to list B so that it corresponds to the mapping process of ER model into relational. Which of the following represent the mapping process?

- A. Entity type → 1. Primary key (or alternate key)
- B. Key Attribute → 2. Child table
- C. Composite Attribute → 3. Set of Simple Component Attribute
- D. Multivalued attribute → 4. Relation

- Q2. Consider the following entity relationship diagram (ERD) where two entities  $E_1$  and  $E_2$  have a relation  $R$  of cardinality 1:m



The attributes of  $E_1$  are  $A_{11}, A_{12}$  and  $A_{13}$  where  $A_{11}$  is the key attribute. The attributes of  $E_2$  are  $A_{21}, A_{22}, A_{23}$  where  $A_{21}$  is the key attribute and  $A_{23}$  is multi valued attribute. Relation  $R$  does not have any attribute. A relational database containing minimum no. of tables with each table satisfying the requirements of the third normal form is designed from the above ERD. The no. of tables in database is?

Ans

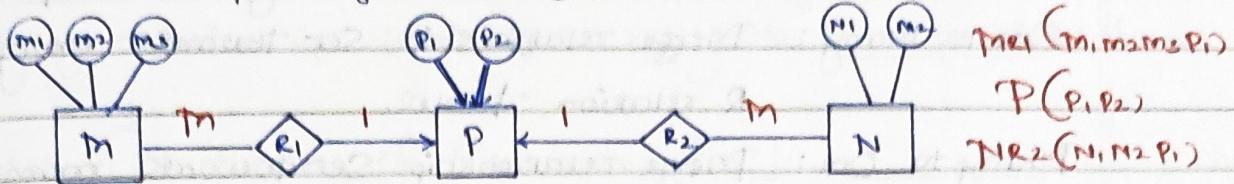
$E_1 (A_{11} A_{12} A_{13})$        $R E_2 (A_{21} A_{22} \underline{A_{23}})$

$E_2 (A_{21} A_{22} A_{23})$

∴ 3 Table required.

Q3.

Consider the following ER Diagram:

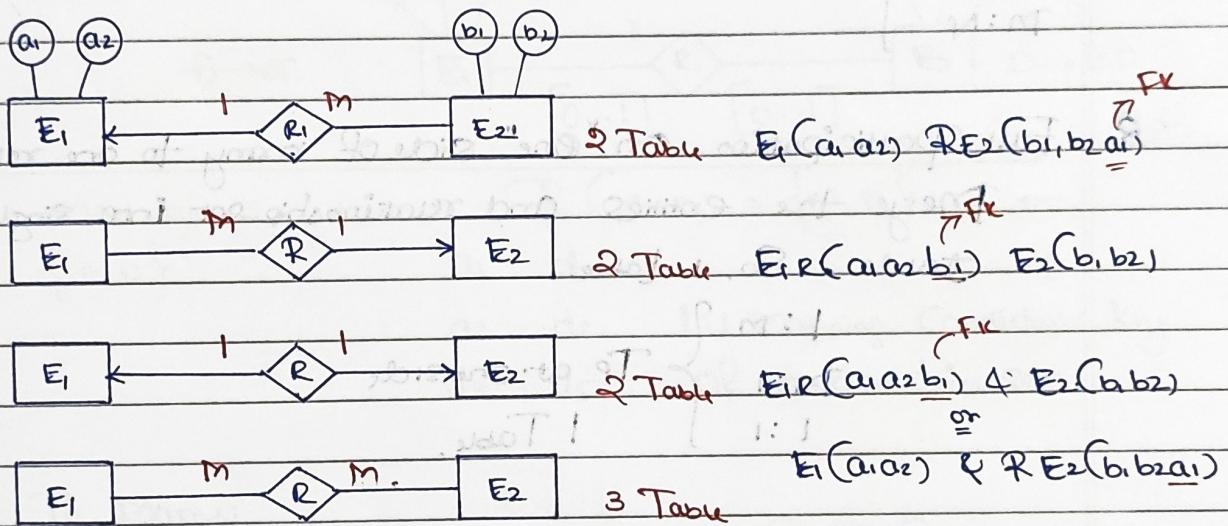


- (i) The min. no. of tables required to represent  $M, N, P, R_1, R_2$  is: 3
- (ii) Which of the following is a correct attribute set for one of the tables for the correct answer to the above question?
- Anc  $\{M, M_2, M_3, P_1\}$

### Participation Constraint

1. Partial Participation (-)
2. Total/Full Participation (=)

### I Partial Participation



Note: If two sides are both partial then it's same as normal case!

1. If total Participations (=) at both side (i.e. 1:m, m:1, 1:1 & m:n) then only 1 table (relation) required
2. If total Participations at 'One side' (i.e. 1 to m & m to 1) then only 1 table (relation) required.
3. If total Participations at any one side & in many to many then 2 table (2 relation are required)
4. All other cases are same as normal case (As usual).

Partial Participation on both sides of binary relationship

One-to Many: Merge relationship set towards many side. So, 2 relational tables.

Many-to One: Merge relationship set towards many side. So, 2 relational tables.

One-to One: Merge relationship set towards any one side. So, 2 relational tables.

Many-to Many: Separate table for each entity set and relationship set. So, 3 relational tables.

II.

Full Participation on both sides of relationship:

1:1  
1:M  
M:1  
M:N} Merge the entity sets and relationship into single relational table so, 1 relational table.

1

Full Participation on "One" side of many-to one relationship.

→ Merge the entities and relationship set into single relational table. So, 1 table.

1:M  
M:1  
1:1} TP at one side  
1 Table.

2

Full Participation on any "One" side in one-one relationship.

→ Merge the entity set and relationship set into single table. So, 1 table.

3

Full Participation on any "Many" side of Many-Many relat.p

→ Merge relationship set towards any "many" side of relationship. So, 2 table.

- ④ Full Participation on "Many" side of Many-to-One relationship?  
 → Merge relationship set towards many side. So, 2 relational-table.

### Mapping [cardinality of Relationship Set]

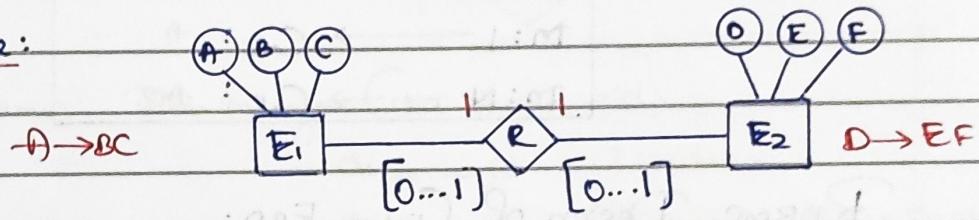
One: [Almost one] [0...1]

Many: [0 or more] [0...n]

### Possible Mapping of binary relationship sets.

- 1. One : One
  - 2. One : many
  - 3. Many : One
  - 4. Many : Many
- } Candidate key of Relationship set is based on mapping.

#### One to One:



Candidate keys = 2  
 $\{A, D\}$ .

$$R(A \cup D) = \{A, D\}$$

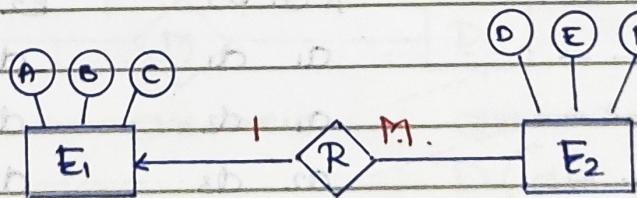
a<sub>1</sub> d<sub>1</sub>

a<sub>2</sub> d<sub>2</sub>

a<sub>3</sub> d<sub>5</sub>

1:1 Mapping Candidate key  
 Of relationship set.

#### One To Many:



Candidate keys of  
 $R(A \cup D) = \{D\}$

a<sub>1</sub> d<sub>1</sub>

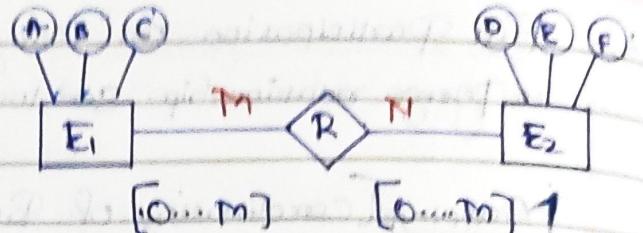
a<sub>1</sub> d<sub>2</sub>

a<sub>2</sub> d<sub>3</sub>

Each object of  
 E<sub>2</sub> allowed to  
 pair by atmost  
 one entity of E<sub>1</sub>

Each entry of E<sub>1</sub>  
 can pair with  
 many E<sub>2</sub> entry.

Many to Many:



$$R(A \cup D) = \{AD\}$$

a<sub>1</sub> d<sub>1</sub>

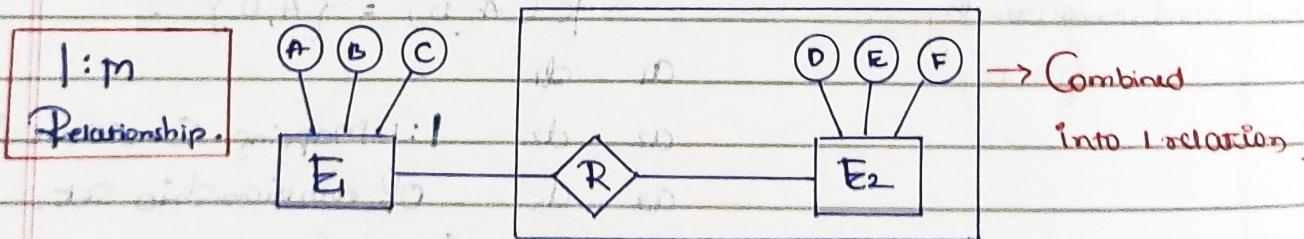
a<sub>1</sub> d<sub>2</sub> M:N

a<sub>2</sub> d<sub>2</sub> For many-to-many mapping, Candidate key for  
a<sub>3</sub> d<sub>3</sub>. relationship set is {AD}.

Summary:

1:1	$\rightarrow$ C.K: A or D
1:m	$\rightarrow$ C.K: D
M:1	$\rightarrow$ C.K: A
M:N	$\rightarrow$ C.K: AD.

ROBMS Design of Given ERD:



E<sub>1</sub>(ABC)

a<sub>1</sub> \_\_\_\_\_

a<sub>2</sub> \_\_\_\_\_

a<sub>3</sub> \_\_\_\_\_

a<sub>4</sub> \_\_\_\_\_

A  $\rightarrow$  BC

{A}

R(AD)

a<sub>1</sub> d<sub>1</sub> \_\_\_\_\_

a<sub>1</sub> d<sub>2</sub> \_\_\_\_\_

a<sub>2</sub> d<sub>3</sub> \_\_\_\_\_

d<sub>4</sub> \_\_\_\_\_

D  $\rightarrow$  A

{D}

E<sub>2</sub>(DEF)

d<sub>1</sub> \_\_\_\_\_

d<sub>2</sub> \_\_\_\_\_

d<sub>3</sub> \_\_\_\_\_

d<sub>4</sub> \_\_\_\_\_

D  $\rightarrow$  EF

{D}

$\{ A \rightarrow BC \}$  E<sub>1</sub>(A, BC)

a<sub>1</sub> —

a<sub>2</sub> —

a<sub>3</sub> —

a<sub>4</sub> —

E<sub>2</sub> R(DEFN)

d<sub>1</sub> — a<sub>1</sub>

d<sub>2</sub> — a<sub>1</sub>

d<sub>3</sub> — a<sub>2</sub>

d<sub>4</sub> — NULL

{ D → DEF }

Partial Participation  
between E<sub>2</sub> and R

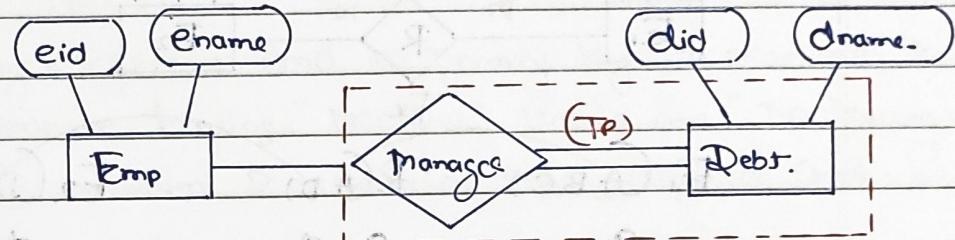
∴ Minimum 2 relational table

and 1 Foreign key required for given ER.

↳ due to partial participation.

Given ERD

Example:



Emp (eid, ename)

Dept Manager (did, dname, eid)

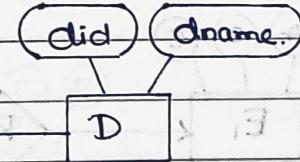
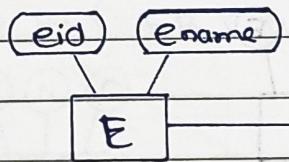
d<sub>1</sub> — e<sub>1</sub> NOT NULL

d<sub>2</sub> — e<sub>2</sub> Trivial total participation

d<sub>3</sub> — e<sub>3</sub> at eq side,

d<sub>4</sub> — e<sub>4</sub>

→ If 1:m relationship is merged into left side Entity set:



E-m (eid, ename, did)

e<sub>1</sub> A d<sub>1</sub>

e<sub>1</sub> A d<sub>2</sub>

e<sub>2</sub> B d<sub>2</sub>

e<sub>1</sub> C d<sub>3</sub>

e<sub>1</sub> D NULL

Actually 2 Table: E (eid, ename)

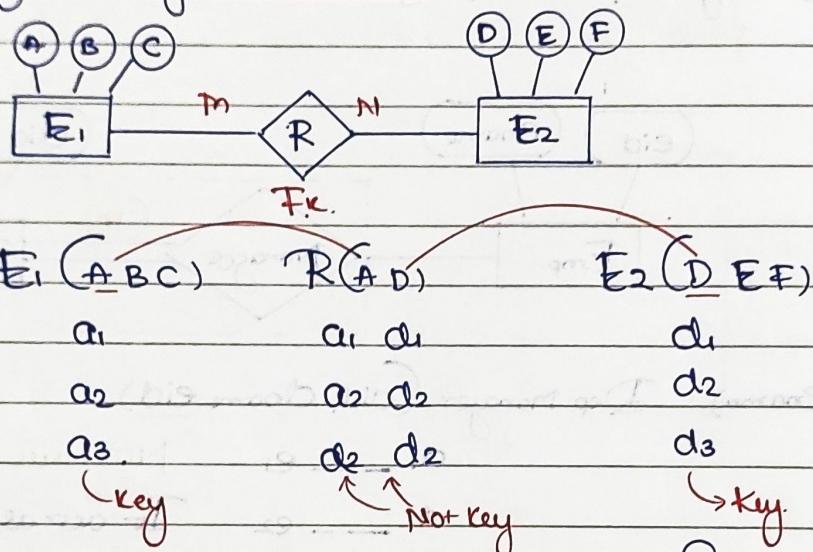
D (did, dname, eid)

Not valid as did is key of E-m  
(Partial Participation)

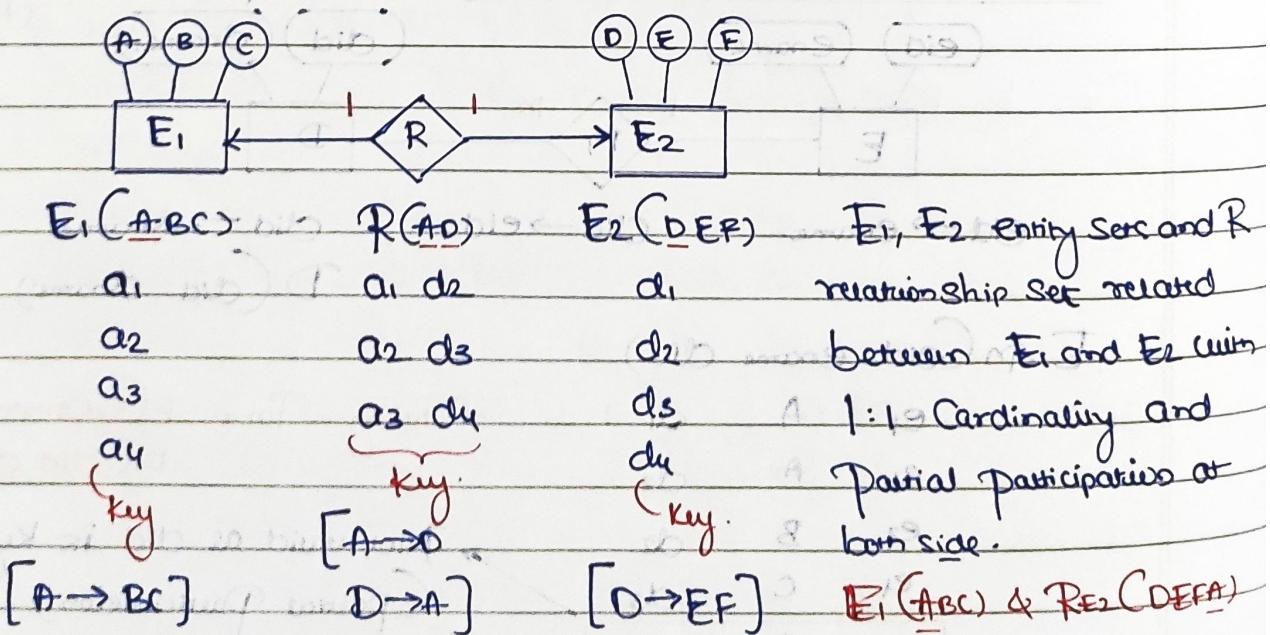
[ lost at E side ]

Disadvantage:

1. Data Redundancy problems / Occurs  
 $eid \rightarrow ename$   
Not Super Key (S.K.)
2. Partial participation will be lost  
(Not possible to insert Employee who are not manager of dep.)

Many : Many Relationships:

Minimum 3 relational table and 2 foreign key required. M:N relationship set not allowed to merge with any entity set.

One : One Relationship:

TP all merge with Single table.

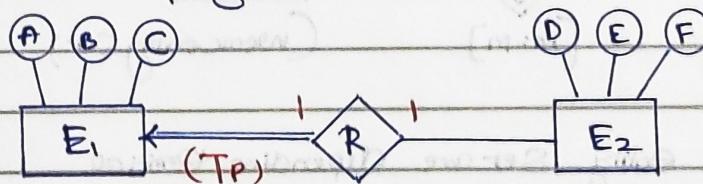
	A	B	C	D	E	F
a1	-	-	-	d2	-	-
a2	-	-	-	d3	-	-
a3	-	-	-	d4	-	-
a4	-	-	-	Null	Null	Null
Null	Null	Null	Null	d1	Null	Null

Candidate key: {A,D}.

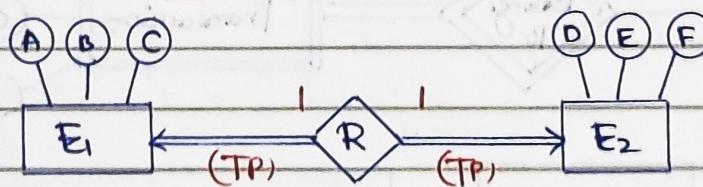
No Candidate key is present and no primary key. A relational table in which no attribute having "NOT NULL" Value one "Not" allowed in RDBMS. So minimum 2 relational table required (And 1 foreign key).

$E_1 E_2$  Entity Set  $R$  Rel Set between  $E_1 E_2$

With 1:1 mapping and at least one end having total participation.



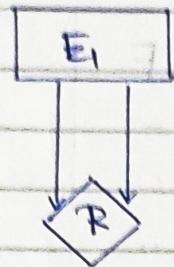
$E_1 R E_2$  (A B C D E F)



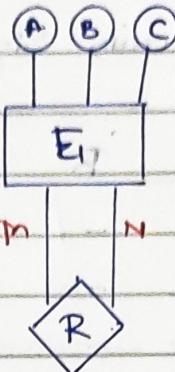
$E_1 R E_2$  (A B C D E F)

(primary key)      (Unique & Not Null (candidate key))

## Recursive Entity Set:



$1:m, m:1$   
 $1:1$  then  
Only one table required.



2 tables required  
 $E_1(A, B, C)$   
 $R(A, A_2)$

## Weak Entity Set:

- \* Entity set gives no key. [attribute of weak entity set not sufficient to differentiate entities uniquely]



- \* For each weak entity set there must be OWNER Entity set which is Strongly Entity.



OWNER entity set

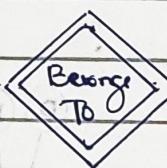
[m:m]

(weakentity set)

- \* Entities of weak entity set are depending entities.

(Aid) (Aname)

Account



Transaction

Tid

Amount

Stance

Local

Attribute  
cannot

Aid	Aname
A1	
A2	
A3	
A4	

Aid	Tid
A1	t1
A2	t1
A2	t2
A3	t2
A3	t2

Tid	amount	Stance
t1	5000	debit
t1	4000	Credit
t2	5000	debit
t2	5000	debit

form key.

[1:m]

Ambiguity.

- \* Relationship set between weak entity set and identifier entity is also weak relationship set. 
- \* Participation towards weak entity set end must be Total participation.
- \* Mapping between identifier set must be One:many
- \* RDBMS Design:
  - Transaction belongs (Aid, tid, Amount, State).
  - Account (Aid, Aname).

Note: Weak entity set and multivalued attribute allowed to represent in EER, but not allowed in RDBMS Table.

# QUERY LANGUAGE

## Query Language

① Procedural  
Q.L.

\* Relational Algebra

② Non-Procedural  
Q.L.

\* SQL

\* TRC and DRC

Procedural Query Language	Non-procedural Query language
Formulation of how to access data from the database - table and other data required to retrieve from DB tables.	Formulation of what data retrieve from DB tables
"Relational Algebra"	"Relational Calculus"
	"SQL".

## Relational Algebra

- \* The basic idea of query language is Query Executed on a DB table (relation) tuple by tuple (Step by Step). One tuple at a time.
- \* Relational Algebra always generate distinct tuples.
- \* Relational Algebra refers to a procedural query language that takes relational instances as input and returns relational instances as output.

## Basic Operators

1. Selection ( $\sigma$ )
2. Projection ( $\pi$ )
3. Cross Product [ $\times$ ]
4. Union [ $\cup$ ]
5. Set difference [-]
6. Rename [ $\rho$ ]

## Derived Operators

1. JOIN & its types ( $\bowtie$ )
2. Division ( $\mid$ )
3. Intersection ( $\cap$ )

$$R \Delta S = R - (R - S)$$

Selection [σ]: It selects the tuples / Record / Row based on Specified Condition.

Syntax:

$\sigma$  condition (Relation)

eg:  $\sigma_{\text{Age} > 9} (\text{STUDENT})$

Projection [Π]: It selects Fields / Attribute / Attribute list from relations.

Syntax:

$\Pi$  Attribute (Relation)

eg:  $\Pi_{\text{Sname}} (\text{STUDENT})$

Q1. W.A.Q to find name of 'Red' color pens.

$\Pi_{\text{Pname}} [\sigma_{\text{Color} = \text{Red}} (\text{Pens})]$

O/P:

Pname
A
C

Pid	Pname	Color
1	A	Red
2	B	Green
3	C	Red
4	D	Green
5	E	Yellow

Q2.  $\Pi_{\text{Sname, rating}} [\sigma_{\text{Rating} > 8} (\text{S2})]$

O/P:

Sname	rating
yuppy	9
ruvy	10

Sid	Sname	Rating	age
28	yuppy	9	35.0
31	lulu	8	35.5
44	guppy	5	35.0
58	ruvy	10	35.0

$\Pi_{\text{age}} (\text{S2})$

O/P:

age
35.0
35.5

Only distinct values

①

$$\sigma_{C_3} (\sigma_{C_2} (\sigma_{C_1} (R))) = \sigma_{C_2} (\sigma_{C_1} (\sigma_{C_3} (R)))$$

C<sub>1</sub>

C<sub>2</sub>

C<sub>3</sub>} Conditions

\* Selection [σ] is Commutative

(2)

$$\sigma_{C_2}(\sigma_{C_1}(R)) = \sigma_{C_1} \wedge \sigma_{C_2}(R)$$

'AND'

(3)

$$\pi_{A_1}[\sigma_{C_1}(R)] \neq \sigma_{C_1}[\pi_{A_1}(R)]$$

(4)

$$\sigma_{C_1}[\pi_{A_1}(R)] \xrightarrow{\text{Transformed}} \pi_{A_1}[\sigma_{C_1}(R)]$$

In this (LHS Part) firstly Attribute  $A_1$  is selected then condition  $C_1$  is applied on attribute  $A_1$ .

(5)

$$\pi_A[\pi_{AB}(R)] = \pi_A(R)$$

(6)

$$\pi_A(R) = \pi_A(\pi_B(R))$$

$a \subseteq b$  ( $a$  is a subset of  $b$ )

(7)

$$\pi_{A \cup B}[\sigma_C(R)] = \sigma_C[\pi_{A \cup B}(R)]$$

\* if it includes an

attribute used in  $C$  [conditions]

### Set Operators $[U, \cap, -]$

\* To apply set operators Relation must be Union Comparable (Type Comparable).

\* If R and Relation S is Union Comparable if:

(i) Arity (Degree (#Attribute)) of R & S must be same

(ii) Range (Domain) of Attribute must be similar.

'C' Form.                          'J' Form

eg:

Roll no.	Name	$\{U\}$	Roll no.	Name	R Arity is same
4	Jimmy	$\cap$	7	Ghost	- Domain is same
2	Piot	$-$	3	Tim	(datatype).

(datatype)

now we can apply Set Operations

\* Same domain with different name allowed.

\* Relation R( $A_1, A_2, \dots, A_n$ ) & S( $B_1, B_2, \dots, B_m$ ) is Union Comparable if:

1. Arity of R = Arity of S

2. Domain of  $A_i = \text{Domain } B_i$  (Corresponding Pair have Same domain)

eg:

R.	A
2.	2
2.	2
2.	4
3.	

S	B
2	
2	
4	

$R \cup S = R \cup S$   
Set Union  
Operation.

2
3
4

Only unique values are displayed because it's relational algebra.

→ Assume Relations R and S consist m and n tuples respectively

1. Range of tuples in  $R \cup S = \max(m, n) \rightarrow m+n$
2. Range of tuples in  $R \cup S = \emptyset \rightarrow \min(m, n)$
3. Range of tuples in  $R-S = \emptyset \rightarrow m$
4. Range of tuples in  $S-R = \emptyset \rightarrow n$ .

### Union Operation

Notation:  $R \cup S$

Defined as:  $R \cup S = \{t \mid t \in R \text{ or } t \in S\}$

### Set Difference

Notation:  $R-S$

Defined as:  $R-S = \{t \mid t \in R \text{ and } t \notin S\}$

### Intersection Operations:

Notation:  $R \cap S$

$R \cap S = S \cap R$  Commutative

eg:

R	A	B
$\alpha$	1	
$\alpha$	2	
B	1	

S	C	B
$\alpha$	2	
B	3	

① Union Operation  $\{R \cup S\}$

R	B
$\alpha$	1
$\alpha$	2

$S \cup R$

C	B
$\alpha$	2
B	3

②  $R-S = \{\alpha 1, B 1\}$   
Trivial Operation.  $S-R = \{B 3\}$

$R \cup S = S \cup R$  Commutative

③ Intersection  $\{R \cap S\} = \{\alpha 2\}$  Commutative.  
 $S \cap R$

## Cross/Cartesian Product, ( $R \times S$ )

R                      S  
 n<sub>1</sub>-tuple          n<sub>2</sub>-tuple  
 C<sub>1</sub> attribute      C<sub>2</sub> attribute

$$R \times S = n_1 \times n_2 \text{-tuple}$$

C<sub>1</sub>, C<sub>2</sub> attribute

$R \times S$ : It results all attributes of R followed by all attributes of S, and each record of R paired with every record of S.

$$\text{Degree}(R \times S) = \text{Degree}(R) + \text{Degree}(S)$$

$$|(R \times S)| = |S| \times |R|$$

eg: ① R(A B C)

A	B	C
1	2	3
4	5	6

② S(D E F)

D	E	F
7	8	9
10	11	12

Note:

If R has 'C' & S also 'C' (Attributes)  
then in resultant table "R.C" and "S.C" will be the table attributes.

$R \times S$

(Cross  
Product)

A	B	C	D	E	F
1	2	3	7	8	9
1	2	3	10	11	13
4	5	6	7	8	9
4	5	6	10	11	13

- Note:
- \* Relation R with n tuples and Relation S with 0 tuples then → no. of tuples in  $R \times S = 0$  tuples
  - \* For Set operator [U, n, -] both relations must be Union (Type) Compatible
  - \* For Cross/Cartesian Product (Cross Join) relations not required to be Union (Type) Compatible.

Q.1 Why Cross product is required?

1. For performing the join operations (Innerjoin and Outerjoin)
2. If we require  $R.C \leq S.D$ , we need to do Cross product (Explained with example (P.T.O))

eg:

R	A	B	C
1	2	4	
3	4	6	

S	B	C	D
2	4	8	
2	7	4	

If we require  $R.C < S.D$ , it is not possible in query language directly because Query execution/execute on a db table Tuple by Tuple, one tuple at a time.

So it fetches a tuple either from relation R or from relation S at a time. So not possible to compare that is why we do Cross Product to convert them into one tuple.

But, R: 500 Tuple S: 400 Tuple

$$R \times S = 500 \times 400 = 200000 \text{ (2 lacs) tuple}$$

Only Cross Product is not meaningful until and unless we are not applying any conditions (selections) and not selecting any attribute.

## JOIN Operations (X)

① Natural Join ( $R \bowtie S$ ): It's derived operator performed in 3 steps

Step 1: Cross product of R and S.

Step 2: Select the tuples which satisfy equality condition on all common attributes of R and S (From  $R \times S$ )

Step 3: Projection of distinct attributes.

$$R \bowtie S = \Pi_{\text{distinct attribute}} [\text{Equality conditions } (R \times S)]$$

on all common attributes

② Conditional Join ( $R \bowtie_c S$ )

$$R \bowtie_c S = \Pi_{\text{all attributes}} [\text{given conditions } (R \times S)]$$

## JOIN - OPERATIONS

- \* Join Operations is used to combine information from two or more relations (Tables)
- \* Join Operations performed by the Cross product followed by Selection and Projections.

### Inner Join

1. Conditional (Theta) Join [R<sub>c</sub>]
2. Equi Join
3. Natural Join

### Cross-Join

1. Cross product [R<sub>x</sub>S]

### Outer Join

1. (Lg) Left outer join (R<sub>L</sub>S) or R<sub>L</sub>Δ<sub>L</sub>S
2. (Rg) Right outer join (R<sub>R</sub>S) or R<sub>R</sub>Δ<sub>R</sub>S
3. Full Outerjoin (R<sub>RS</sub>) or R<sub>RS</sub>

Full Outer Join = Outer Join (R<sub>L</sub>S) or (R<sub>R</sub>S)

Dangling Tuple: It is a tuple (Row) that fail to match (satisfy) any tuple of other relation in common attribute or given condition.

Supurious Tuple: Extra tuple (in join)

eg:

R	A	B	C
1	3	5	
4	6	7	
7	9	11	

R<sub>X</sub>  
R<sub>B</sub> < S<sub>D</sub>

Conditional

S	D	E	F	G
4	6	7	8	
7	7	8	9	

Join

	R <sub>A</sub>	R <sub>B</sub>	R <sub>C</sub>	S <sub>D</sub>	S <sub>E</sub>	S <sub>F</sub>	S <sub>G</sub>
✓	1	3	5	4	6	7	8
✓	1	3	5	7	7	8	9
✗	4	6	7	4	6	7	8
✓	4	6	7	7	7	8	9
✗	7	9	11	4	6	7	8
✗	7	9	11	7	7	8	9

3. Equi Join ( $R \bowtie S$ ): It is a subset of conditional join. Similar to Conditional join but here "Only equality conditions" applied.

$$R \bowtie S = \prod_{\text{Attributes}} [\text{Equality conditions } (R \times S)]$$

Note: Natural join equal to Cross-product if join conditions is empty.  
If no common attribute then  $R \bowtie S = (R \times S)$

### Outer Join

1. Left Outer join [Loj]
2. Right outer join [Roj]
3. Full Outer join

\* Outer join is done because in inner join some tuple failed to satisfying the condition (Join Conditions) [Dangling Tuple] So loss of data. (or getting the complete table data)

$$\boxed{\text{Outer Join} = \text{Natural Join} + \text{Dangling Tuple}}$$

### Left Outer Join ( $R \bowtie S$ )

$R \bowtie S = R \bowtie S \wedge$  The tuples from left side relations R those failed to satisfy join conditions.

or

$R \bowtie S = R \bowtie S + \text{Include dangling tuple of left side relation R.}$

Conditional  
Left  
Outer  
join

$R \bowtie S = R \bowtie S + \text{Include dangling tuple of R}$

Natural Right  
Outer Join.

Right Outer Join:  $R \bowtie S = R \bowtie S \wedge$  Include dangling tuple of S.

Conditional  
right  
Outer  
join

$R \bowtie S = R \bowtie S + \text{Include dangling tuple of relation S}$

Full Outer Join

$$R \bowtie S = R \bowtie S \cup R \bowtie S$$

or

$R \bowtie S = R \bowtie S$  & include Dangling tuple of relations R & S.

Conditional  
Full outer  
Join

$R \bowtie_{cS} S = R \bowtie_c S +$  include dangling tuples of  
(Conditional relations R and S.)  
Join

Rename Operator: It is used to rename table name and attribute name for query processing.

eg:

STUD (Sid, Name, Age)

①  $\rho(\text{Temp}, \text{STUD}) \rightarrow$

Temp

Sid	Sname	Sage
-----	-------	------

Table Name Rename

②  $\rho(S, N, A) \text{ STUD} \rightarrow$

S	N	A
---	---	---

Renaming Attribute

③  $\rho_1 \rightarrow S_2 \rightarrow N \text{ STUD} \rightarrow$

S	N	Sage
---	---	------

Renaming particular attribute.

Assignment Operator:  $\text{Temp}_1 \leftarrow \{\text{Any Result}\}$ .

Basic Operator: $\pi$  : Projection $\sigma$  : Selection $\times$  : Cross product $\cup$  : Union $-$  : Set-difference $\rho$  : Rename OperatorDerived Operators $\cap$  : intersection {using  $=$ } $\bowtie$  : join {using  $\times, \sigma$ } $/$  or  $\div$  : division {using  $\pi, \times, -$ }

Division Operator [1]: Define a derived operator.

$$\frac{\Pi_{AB}(r)}{\Pi_B(s)} \Rightarrow \text{Quot}(A),$$

- \* It is used to retrieve attribute value of R which has paired with every attribute value of other relation S.
- \*  $\Pi_A(r) / \Pi_B(s)$ : It will retrieve value of attribute 'A' from R (which there must be pairing 'B' value for every 'B' of S).

Q1. Review all Student who are Enrolled in some course or any course or atleast one course?

Enrolled	Sid	Cid
	S <sub>1</sub>	C <sub>1</sub>
	S <sub>1</sub>	C <sub>2</sub>
	S <sub>1</sub>	C <sub>3</sub>
	S <sub>2</sub>	C <sub>1</sub>
	S <sub>2</sub>	C <sub>3</sub>
	S <sub>3</sub>	C <sub>1</sub>

Course	Cid
	C <sub>1</sub>
	C <sub>2</sub>
	C <sub>3</sub>

Solution:  $\Pi_{sid}(\text{Enrolled})$

Sid
S <sub>1</sub>
S <sub>2</sub>
S <sub>3</sub>

$$\Pi_{AB}(r_1) = \text{Quotient}(A)$$

$\Pi_B(r_2)$  - Value of 'A' which pair with every value B of r<sub>2</sub>.

To retrieve all student who are enrolled in every course:

$$\Pi_{sid, Cid}(\text{Enrolled}) / \Pi_{Cid}(\text{Course})$$

↓  
Find      2nd Attribute order  
              be same.

$$\underline{\text{Ans}} = S_1$$

Another

$$\text{way: } \Pi_{sid}(\text{Enrolled}) - \Pi_{sid}[\Pi_{sid}(\text{Enrolled}) \times \Pi_{Cid}(\text{course}) - \text{Enrolled}]$$

not enrolled every course

$$\Pi_{Cid}(\text{Enrolled}) - \Pi_{sid}[\Pi_{sid}(\text{Enrolled}) \times \text{course} - \text{Enrolled}]$$

$$\frac{\pi_{AB}(R)}{\pi_B(S)} = \pi_A(R) - \pi_A[\pi_A(r) \times \pi_B(s) - R]$$

↓  
To find  
Connections.

$$\frac{\pi_{ABC}(R)}{\pi_C(S)} = \pi_{AB}(R) - \pi_{AB}[\pi_{AB}(r) \times \pi_C(s) - R]$$

1.

$$\frac{\pi_{AB}(R)}{\pi_B(S)} = \frac{\text{Quotient}(A)}{\pi_A(S)}$$

Getting 'A' classes which pair with every B value of s in relation R.

$$\pi_A(r) - \pi_A[\pi_A(r) \times \pi_B(s) - R]$$

$\underset{B}{\pi_A(r)}$        $\underset{s}{\pi_B(s)}$

2.

$$\frac{\pi_{AB}(R)}{\pi_A(S)} = \frac{\text{Quotient}(B)}{\pi_A(S)}$$

Getting 'B' classes which pair with every A value of r in relation R.

$$\pi_B(r) - \pi_B[\pi_B(r) \times \pi_A(s) - R]$$

$\underset{s}{\pi_A(s)}$

## QUERY LANGUAGE (CONTINUED)

Q1. Consider the following three relations in a relational database:  
 Employee (eId, Name), Brand (bId, bName), Own (eId, bId)  
 Which of following relational algebra expressions returns the  
 set of eIds who own all the brands?

$$\text{Ans} \quad \text{π}_{\text{eId}} (\text{π}_{\text{eId}, \text{bId}} (\text{Own} / \text{π}_{\text{bId}} (\text{Brand})))$$

$$\text{π}_{\text{eId}} (\text{Own}) = \text{π}_{\text{eId}} ((\text{π}_{\text{eId}} (\text{Own}) \times \text{π}_{\text{bId}} (\text{Brand})) - \text{π}_{\text{eId}, \text{bId}} (\text{Own}))$$

Q2. Consider the two relations Suppliers and Parts are given below.

Supplier	Pro
S <sub>1</sub>	P <sub>1</sub>
S <sub>1</sub>	P <sub>2</sub>
S <sub>1</sub>	P <sub>3</sub>
S <sub>1</sub>	P <sub>4</sub>
S <sub>2</sub>	P <sub>1</sub>
S <sub>2</sub>	P <sub>2</sub>
S <sub>3</sub>	P <sub>2</sub>
S <sub>4</sub>	P <sub>2</sub>
S <sub>4</sub>	P <sub>4</sub>

Part
P <sub>1</sub>
P <sub>2</sub>
P <sub>4</sub>

$$\text{Step 1: } S / P_2, P_4$$

$$S / P_2 \quad \text{Step 2: } / P_4$$

S <sub>1</sub>	S <sub>2</sub>	S <sub>1</sub>
S <sub>2</sub>		S <sub>4</sub>
S <sub>3</sub>		
S <sub>4</sub>		

$$\{ \text{Ans} \}$$

$$\text{π}_{\text{Sno}} \text{ Pro} (\text{Suppliers}) / \text{π}_{\text{Pro}} (\text{Parts})$$

The number of tuples are there in the result  
 when the above relational algebra query

is executed is 2.

Q3. Retrieve all students who are enrolled in every course?

Enroll	Sid	Cid
	S <sub>1</sub>	C <sub>1</sub>
	S <sub>1</sub>	C <sub>2</sub>
	S <sub>1</sub>	C <sub>3</sub>
	S <sub>2</sub>	C <sub>1</sub>
	S <sub>2</sub>	C <sub>3</sub>
	S <sub>3</sub>	C <sub>1</sub>

$$\text{Course.} \quad \text{Enroll} / C_1, C_2, C_3$$

Cid
C <sub>1</sub>
C <sub>2</sub>
C <sub>3</sub>

$$E \cdot C_1$$

$$E \cdot C_2$$

$$E \cdot C_3$$

S <sub>1</sub>	S <sub>1</sub>	S <sub>1</sub>
S <sub>2</sub>		
S <sub>3</sub>		

$$(Ans)$$

Q4.  $\text{π}_{\text{R}} (\text{R}) / \text{π}_{\text{S}} (\text{S})$  If R has m tuple and S has n tuple then what is minimum and maximum no of tuple in Ope?

Assume R and S both are non empty.

Ans

Minimum = 0

Maximum =  $\left\lfloor \frac{m}{n} \right\rfloor$

Q2.  $\Pi_{AB}(R)/\Pi_B(S)$  if R has 'm' tuple and S has n tuple  
then what is minimum and maximum no of tuples in  
the output? (Assume R non empty and S is empty)

Ans

Minimum : 1

Maximum : m.

$$\frac{\Pi_{AB}(R)}{\Pi_B(S)} = \Pi_A(R) - \left[ \underbrace{\Pi_A(\underbrace{\Pi_A(R) \times S - R}_{\text{Empty}})}_{\text{Empty } R} \right]$$

m'      Empty ( $\emptyset$ )

### Summary

OPERATION	PURPOSE	NOTATION
Select	Select all tuples that satisfy Selection Condition from relation R!	$\sigma_{\text{Selection condition}}(R)$
Project	Produce a new relation with Only Some of the Attribute of R and removing Duplicate tuples.	$\Pi_{\text{Attribute list}}(R)$
Theta Join	Produce All combinations of tuple from R <sub>1</sub> and R <sub>2</sub> that satisfy the join Conditions.	$R_1 \bowtie_{\text{Condition}} R_2$
Equi Join	Produce all combinations of tuples from R <sub>1</sub> and R <sub>2</sub> that satisfy a join Conditions using only equating Comparisons.	$R_1 \bowtie_{C_1, C_2} R_2$
Natural Join	Same as equijoin except that the join attributes of R <sub>2</sub> are not included in the resulting relation If the join attributes have same	$R_1 \bowtie_{\text{condition}} R_2$ $R_1 \bowtie_{\text{join attributes}} R_2$ $\text{join attributes} \rightarrow R_2$ $R_1 * R_2$

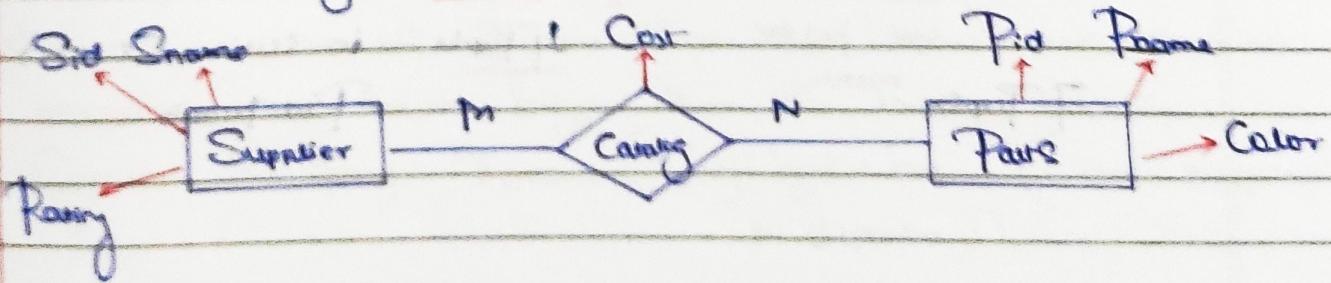
	names, they do not have to be specified at all.	
Union	Produces a relation that includes all the tuples in R <sub>1</sub> or R <sub>2</sub> or both R <sub>1</sub> and R <sub>2</sub> . R <sub>1</sub> and R <sub>2</sub> must be Union Compatible.	R <sub>1</sub> ∪ R <sub>2</sub>
Intersection	Produces a relation that includes all the tuples in both R <sub>1</sub> and R <sub>2</sub> . R <sub>1</sub> and R <sub>2</sub> must be union Compatible.	R <sub>1</sub> ∩ R <sub>2</sub>
Difference	Produces a relation that includes all the tuples in R <sub>1</sub> that are not in R <sub>2</sub> . R <sub>1</sub> and R <sub>2</sub> must be Union Compatible.	R <sub>1</sub> - R <sub>2</sub>
Cartesian Product	Produces a relation that has the attributes of R <sub>1</sub> and R <sub>2</sub> and includes all tuples as combinations of tuples from R <sub>1</sub> and R <sub>2</sub> .	R <sub>1</sub> × R <sub>2</sub>
Division	Produces a relation R(G) that includes R(G) = R(G) all tuples t[x] in R(G) that appear in R <sub>1</sub> in combination with every tuple from R(G) where $Z = X \cup Y$	R(G) = R(G)

Q. Consider the database with relations:

Supplier (SId, SName, Rating)

Parts (PId, PName, Color)

Catalog (SId, PId, Cat)



(i) Find the Sid of Supplier whose rating greater than 9?

Ans  $\Pi_{\text{Sid}} [ \sigma_{\text{Rating} > 9} (\text{Supplier}) ]$

(ii) Find the Pid of red color Part

Ans  $\Pi_{\text{Pid}} [ \sigma_{\text{Color} = \text{Red}} (\text{Parts}) ]$

(iii) Find the Supplier whose Cost is greater than 20,000?

Ans  $\Pi_{\text{Sid}} [ \sigma_{\text{Cost} > 20,000} (\text{Catalog}) ]$

(iv) Retrieve Sid of Supplier who supplied some Red color Parts.

→ We need to see Parts, Catalog Table. In parts table we find Pid Color='Red' then that Pid matches with Catalog table Pid then Project (find) Sid!

$\Pi_{\text{Sid}} [ \sigma_{\text{C.Pid} = \text{P.Pid}} \wedge \sigma_{\text{P.color} = \text{Red}} (\text{Catalog} \times \text{Parts}) ]$

(v) Retrieve Sname of Supplier who supplied some Red color part?

Ans  $\Pi_{\text{Sname}} [ \sigma_{\text{P.Pid} = \text{C.Pid}} \wedge \sigma_{\text{C.Sid} = \text{S.Sid}} \wedge \sigma_{\text{P.color} = \text{Red}} (\text{Suppliers} \times \text{Parts} \times \text{Catalog}) ]$

### Practical

Example:

Total 400 Tuples  
'Red'

### Parts

### Catalog

500 Tuples  
(P.pid = C.pid)

11 Tuples

200 Tuples in which Pid matches

Color 'Red'  
but Pid not  
match

11 Tuples → in which Color Red and  
Pid match

7 Tuples

Retrieve Sid of Supplier who Supplied Some red color Pairs?

Ans

Query I: 4  $\Pi_{\text{Sid}} \left[ \sigma_{P.\text{pid} = C.\text{cid}} \left[ \begin{array}{c} \text{P.color} = \text{Red} \\ \text{P.color} = \text{Red} \end{array} \right] \right]$

$$400 + 300 = 500$$

Query II: 4  $\Pi_{\text{Sid}} \left[ \sigma_{P.\text{pid} = C.\text{cid}} \left[ \begin{array}{c} \text{Color} = \text{Red} \\ \text{Color} = \text{Red} \end{array} \right] \right]$

200 tuples

Query III: 4  $\Pi_{\text{Sid}} \left[ \sigma_{\text{color} = \text{Red}} \left[ \begin{array}{c} \text{Pairs} \bowtie \text{Catalog} \\ \text{Color} = \text{Red} \end{array} \right] \right]$

11-tuples

Query IV: 4  $\Pi_{\text{Sid}} \left[ \sigma_{\text{color} = \text{Red}} \left( \text{Pairs} \bowtie \text{Catalog} \right) \right]$

(Most efficient

Query)

Note:

\* Let an attribute A belong to R only then

$$\sigma_{A=a} (R \bowtie S) = \sigma_{A=a} (R) \bowtie S \rightarrow \text{more efficient query}$$

\* Let an attribute A belong to R only and attribute B belongs to S only then

$$\sigma_{A=a \wedge B=b} (R \bowtie S) = \sigma_{A=a} (R) \bowtie \sigma_{B=b} (S) \rightarrow \text{more efficient query.}$$

Q2 Consider the following relation schemas:

b-Schema = (b-name, b-city, accnt)

a-Schema = (a-num, b-name, bal)

d-Schema = (c-name, a-number=)

Let branch, account and depositor be respectively instances of the above schemas. Assume that the account and depositor relations are much bigger than the branch relation.

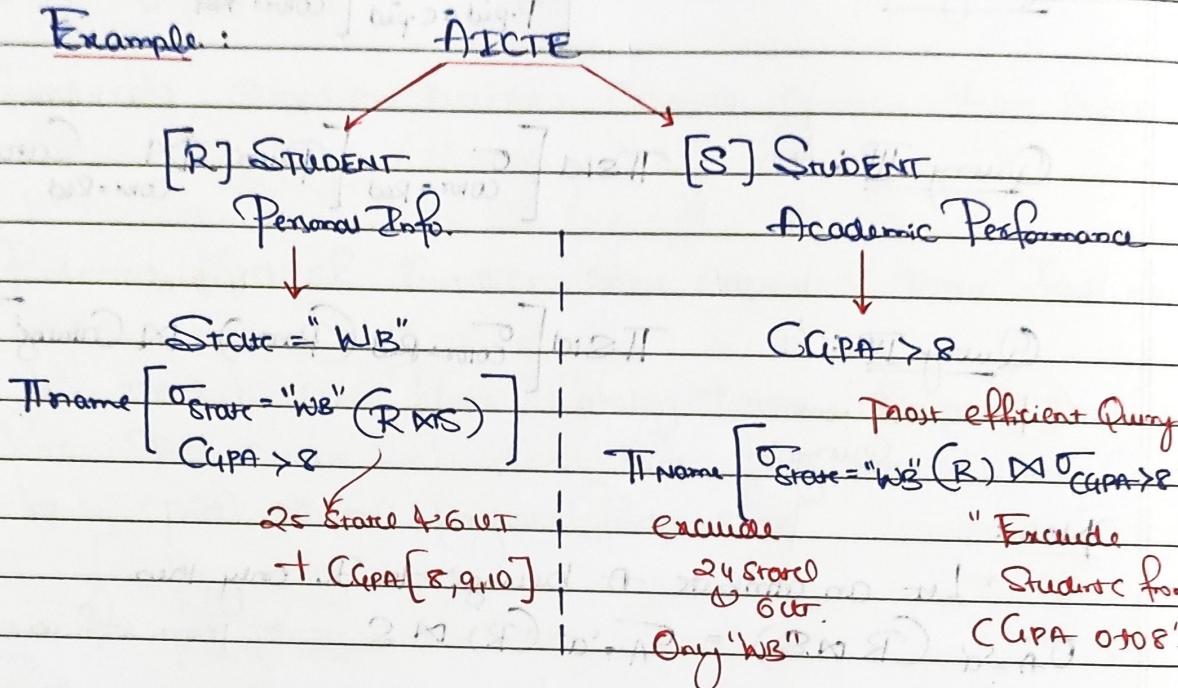
Consider the query:  $\Pi_{\text{name}} \left( \sigma_{\text{b-city} = \text{"agro"} \wedge \text{bal} < 0} \left( \text{branch} \bowtie \text{account} \bowtie \text{depositor} \right) \right)$ .

Which of the following queries is the most efficient revision of the above query?

-Ans

$\Pi_{\text{C-name}} (\sigma_{\text{branch} = "gra"} \text{ branch} \bowtie (\sigma_{\text{balance} = \text{account}}) \Delta \text{depositors})$

Example:



# STRUCTURED QUERY LANGUAGE

## SQL (Structured Query Language)

→ DDL (Data Definition Language): Modifications allowed at Schema (Definition) level  
 Create, Alter, Drop Table

→ DML (Data Manipulation Language): Modifications allowed at Data level  
 Insert, Update, Delete.

→ DCL (Data Control Language): Control Transactional Operations  
 Commit, Abort.

→ DQL (Data Query Language): Used to retrieve the data from DB.  
 Select, From, Where

<u>SQL</u>	Optional Clause	$\Pi_{A_1 A_2 \dots A_n}$	$R_A$
SELECT [Distinct] A <sub>1</sub> , A <sub>2</sub> ... A <sub>n</sub>	=	Projection [ $\Pi$ ]	
from R <sub>1</sub> , R <sub>2</sub> , R <sub>3</sub> ... R <sub>n</sub>	=	Cross Product [x]	
WHERE Condition [Predicate]	=	Selection [ $\sigma$ ]	

Rational Algebra:  $\Pi_{A_1 A_2 \dots A_n} (\sigma_{\text{Condition}} (R_1 \times R_2 \times R_3 \dots R_n))$

- \* R.A is a procedural query language where as SQL is non procedural, declarative query language
- \* SQL is not Case-sensitive (Keywords) but strings are case sensitive
- \* SELECT in SQL retains duplicate whereas in R.A by default eliminates duplicates
- \* Number of SQL clauses that are mandatory is "two", that are "SELECT" and "From".

## SQL Clause

SELECT [DISTINCT] A<sub>1</sub>, A<sub>2</sub>, ..., A<sub>n</sub>  
From R<sub>1</sub>, R<sub>2</sub>, ..., R<sub>n</sub>

[ ] ← Optional clause

[WHERE P]

[GROUP BY ATTRIBUTE [HAVING Condition]]

[ORDER BY Attribute [DESC]]

## Query Execution

1. From Clause: It is the first executable clause. It just simply relation or Cross Product of two or more relation.
2. WHERE Clause: It is the second executable clause. It selects the tuple based on specified condition.
3. GROUP BY Clause: It is the third executable clause if used in the query. It groups the table based on the specified attribute.

Q1. Why SQL is most widely used?

Ans. Because Relational Algebra works on 'Set Theory' and SQL works on multi-set (Bag) where duplicate are allowed

e.g.: \* set [1, 2, 3, 4]

\* multiset [1, 1, 2, 3, 3, 4]

Q2. Commercial Database work on Multiset (Bag) why?

Ans. If we want to perform Union of two table (Relation), SQL just simply one table and simply add the data of another table (∴ it's faster). But in relation we first eliminate duplicates then perform operation (very time consuming).

- \* In R.A it eliminated the duplicates so we cannot find the count of multiple tuple value and removing duplicate is expensive
- \* In SQL aggregate functions are allowed but not allowed in relational algebra!
- \* SQL have lots of features that are not supported by R.A