

# DBMS

## PART - II !

Starting Date :-

15<sup>th</sup> Sept 2022

Ending Date :-

15/09/2022

## # lesson 01 #

### # Transactions #

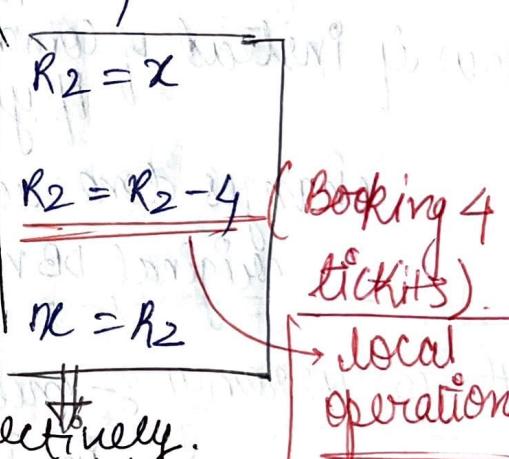
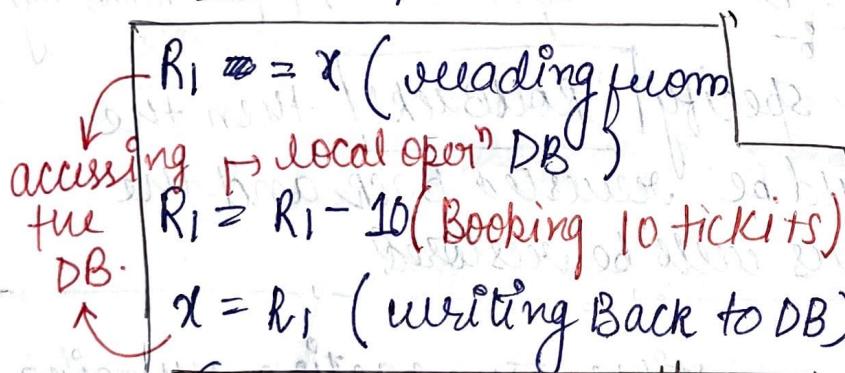
→ Now consider you are booking a ticket on IRCTC and some other person also booking same ticket.

So after booking successfully :- the DB values are updated on IRCTC portal.

So we are performing some series of operations on DataBase! So that the DB is updated after performing those series of operations.

Me (1<sup>st</sup> person)

2<sup>nd</sup> person.



This complete is one  
transaction

→ def'n :- Logic unit of DB which includes one or more DB access operations

Here we don't care about the local operations.

→ Schedule :- collection of all transactions running on a database.

→ Now, when you have changed the DB :- those changes are done on Temporary Basis. So to make the changes = permanent

↓  
after the transaction :- you have to use the keyword :-

**"Commit"**

Ex:-  ~~$x=5$~~   $\rightarrow$   $x=7$

Transact<sup>n</sup> T<sub>1</sub> :-  $x = \text{Read}(x)$  → until here 'x' will be updated to 7 on temporary basis  
 Rollback will undo only Non committed values only.

$x = x + 2$   
 $\text{write}(x)$

Commit → after this :- x will be updated to 7, permanently  
Rollback

Now if instead of Commit :-

If you specify **"RollBack"** then the changes done would be reverted back and the original DB values will be restored

# Concurrency :- means multiple transaction running in interleaving mode on single DB.

consider two transaction T<sub>1</sub> and T<sub>2</sub> on same DB :-

$$T_1 = R(x), R(y), w(x)$$

$$T_2 = R(y), R(z), w(x)$$

Now when No concurrency allowed :- then either all 1st

T <sub>1</sub>	T <sub>2</sub>
R(x)	
R(y)	
w(x)	
	R(y)
	R(z)
	R(x)

Stmts of T<sub>1</sub> should run ~~first~~, then T<sub>2</sub>

or  
all stmts of T<sub>2</sub> should first run and then of T<sub>1</sub>

So one after the another transactions will run on a single DB  $\rightarrow$  which will create problems for users.

Now when concurrency is allowed :-

at a time we are running only 1 stmt of T<sub>1</sub> or T<sub>2</sub> and then next or another stmt of either T<sub>1</sub> or T<sub>2</sub> :-

T <sub>1</sub>	T <sub>2</sub>
R(x)	
R(y)	
w(x)	R(y)
	R(x)
	R(x)
	R(x)

concurrent running, one stmt after another and not parallel.

Now why Concurrency :-

we have following 3 reasons :-

1. Improved throughput :- many transactions done concurrently.  
more transactions complete for a certain period of time.
2. Resource utilization.  $\rightarrow$  becomes better.
3. Reduced waiting time.

$\Rightarrow$  Problems with Concurrency :-

1. Recoverability problems
2. deadlock.
3. serializability issues.

Now the transactions running on a single DB, must follow these four properties  $\Rightarrow$

# ACID property :-

if transaction would not complete then it should be rolled back to old values

A → atomicity → either transaction completed fully or rolled back from where it was

C → consistency

I → Isolation

D → Durability

→ multiple transactions running on a single DB, then all the transactions should give you the consistent result

values updated in DB should be consistent

### I → Isolation

One transaction should not affect the result of other transaction

↳ when all the transactions running ~~are~~ concurrently.

↳ transactions must be independent of other transactions

→ D :- Durability :- whatever DB changes have been done : those should be durable/long lasting  
→ those changes should be visible for very long time !

## # Now problems with concurrency

### Q1. Dirty read or temporary update problem :-

↳ one transaction reading the dirty/ or changed value

Ex :- consider following two transactions :-

T1	T2
$R(x) = 10$	$x = 10 \rightarrow 12$

$$x=12 \quad \cancel{x=x+2}$$

$$w(x)$$

dirty read.

$R(x) = 12 \rightarrow$  But this has read 12

failed.

$\hookrightarrow$  rollback happened

which is not the  
actual value!

## 02. phantom read

:- reading the DB value that don't exists

T1	T2
$100 \leftarrow R(x)$	$x = 100 \rightarrow$ gone
$\text{delete}(x)$ $\hookrightarrow$ deleted x	$R(x) \rightarrow 100$

$R(x) \rightarrow$  Phantom read.

$\hookrightarrow$  trying to read  $x =$  but it DNE.

## 03. Unrepeatable read

:- here for 2nd time :- reading the updated value.

T1	T2
$10 \in R(x)$	$x = 10 \rightarrow 5$
$x = 5 \leftarrow w(x)$	$R(x) \rightarrow 10$

$R(x) \rightarrow 5$

## 04. Lost update problem

:- Some trans actions are trying to update the DB, But

that update is lost

T1	T2
$10 \leftarrow R(x)$	$x = 10 \rightarrow 12 \rightarrow 5$
$12 \leftarrow x = x + 2$	
$12 \leftarrow w(x)$	
commit	$w(x) = 5$ makes $x = 5$ permanent

$\rightarrow$  so final value = 5

$\hookrightarrow$  update of  $x = 12$  is lost

→ Incorrect Summary problem :-

$T_1$	$T_2$
$R(x)$	
$x = x + 10$	
$w(x)$	
	$R(x)$
	$R(y)$
	$\text{sum} = x + y$
	$w(\text{sum})$
	$R(y)$
	$y = y + 10$
	$w(y)$

$$\begin{array}{cc} x & y \\ 15 & 17 \end{array}$$

when  $T_1 \rightarrow T_2$

$$\begin{array}{l} x = 25 \\ y = 27 \end{array}$$

$$\boxed{\text{sum} = 52}$$

} when  
NO  
con-  
currency

and when  $T_2 \rightarrow T_1$

$$\boxed{\text{sum} = 32}$$

$$x = 25$$

$$y = 27$$

when con currency :-

$$\begin{array}{l} x = 25 \\ \boxed{\text{sum} = 42} \\ y = 27 \end{array}$$

as we can see the sum value is different in all three cases

→ # Good v/s Bad Schedules.

↓ having problems

→ having the inconsistent result

producing the correct or inconsistent result

→ concurrent schedule but generating result like all transactions are running in isolation.

## # Serial vs Non Serial Schedule

↓  
one transaction completed  
then only other transaction will run.

↳ concurrent transactions.

#3 Serializable Schedule :- Schedule which is Non serial but produces result exactly like it is a serial schedule

Ex:-

T<sub>1</sub>      T<sub>2</sub>

R(A)

A = A + 5

W(A)

R(B)

B = B + 3

W(B)

A = 20 → 25 → 29

B = 20 → 23 → 25.

} this was the  
Serial Schedule

R(A)

A = A + 4

W(A)

R(B)

B = B + 2

W(B)

Now Non Serial Schedule :-

T<sub>1</sub>      T<sub>2</sub>

R(A)

A = A + 5

W(A)

R(A)

A = A + 4

W(A)

R(B)

B = B + 3

W(B)

A = 20 → 25 → 29

B = 20 → 23 → 25

→ So a concurrent schedule, which produces result like a serial schedule

∴ This schedule is a Serializable Schedule.

→ Serializability :- method to check if a concurrent schedule is serializable or not?  
 we have its two types :-

1. Conflict
2. View

~~17/09/2022~~ # lesson 02 #

Note :- if there are n transactions in a schedule, then there are  $n!$  possible serial schedules.

Now How to verify that a schedule is serializable or not?

→ one method is to run the concurrent transaction of the schedule :- and check the result with that of  $n!$  possible serial schedules.  
 if one of the results of serial schedule matches with that of concurrent transaction's result then the schedule is serializable

S		
T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
-	-	-
-	-	-
-	-	-

↓  
 concurrent transactions  
 producing result R



Now if 'R' matches with anyone of  $R_1, R_2, R_3, R_4, R_5$  or  $R_6$   
then our Schedule 'S' is serializable.

So we have following two ways to check given  
Schedule is serializable or not?

1. Conflict serializability

2. View

But first :- one imp. term :-

Equivalence :- if ~~two~~ two schedules ( $s_1$  and  $s_2$ )  
are producing similar  
results :- then they are said to  
be equivalent :-  $s_1 \cong s_2$   
 $s_1$  and  $s_2$  = might not be equal;

but they can be equivalent!

Now the def<sup>n</sup> of serializability :-

A given Non Serial Schedule 'S' is serializable if it  
is equivalent to any of the "n!" possible  
Serial schedules. (where n = no. of  
Transactions in the Schedule).

# Conflict Serializability :-

\* conflict :- if two transaction ( $T_1$  &  $T_2$ ) are having  
few stmts which are independent  
to each other :- then moving / shifting those  
stmts (within that transaction) will not  
effect the other transaction  $\rightarrow$  then  $T_1$  and  $T_2$   
don't have any conflict.

and if stmts of  $T_1$  and  $T_2$  are dependent :- then  
 $T_1$  and  $T_2$  are in conflict state.

Ex:-

$T_1$	$T_2$	$A = 5$	$A = 5$
$R(A)$	$R(A) = 5$	we can move or shift stmts of $T_1$ and $T_2$ anywhere	$R(A)$
$\downarrow$	$\downarrow$		$5$

No conflict here

$T_1$	$T_2$
$R(A)$	$w(A) \rightarrow 7$

if we wait  
 $R(A)$  in  $T_1$   
after  $w(A)$  of  
 $T_2$  :-

Then it will read  $7$  instead  
of  $5$

→ if  $T_1$  and  $T_2$  = working on  
two different values ( $T_1 \rightarrow A$  and  
 $T_2 \rightarrow B$ )

then No any conflict

would be true!

So Conflict :- 2 database access stmts are conflicting  
if and only if :-

- (i) Both should be in 2 different transactions
- (ii) Both should be accessing same DB value.
- (iii) one of them should be a write access.

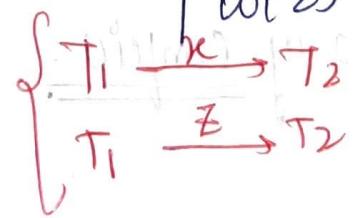
Ex. Consider  $S_1$  and  $S_2$  :-

$S_1$	
$T_1$	$T_2$
$R(X)$	$①$
$w(X)$	
$R(Y)$	
$R(Z)$	$②$
$w(Z)$	
$R(Y)$	
$X \rightarrow T_2$	
$T_1 \rightarrow T_2$	

$S_2$	
$T_1$	$T_2$
$R(X)$	$①$
$w(X)$	
$R(Z)$	
$R(Y)$	
$Y \rightarrow T_2$	
$w(Z)$	
$T_1 \rightarrow T_2$	

will have  
same conflicts in  
 $S_1$  and  $S_2$

hence  $S_1$  and  $S_2$   
are conflict  
equivalent  
schedules.

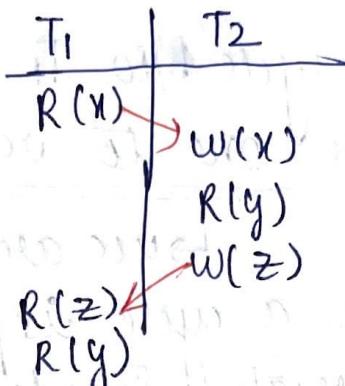
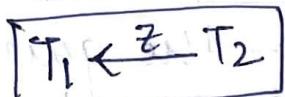


Two conflicts  
we have -

Now consider  $S_3$  :-

Here  $T_1 \xrightarrow{x} T_2$  ✓

But in case of  $Z$



↳ conflict is in opposite direction.

So  $S_3$  :- not equivalent to either  $S_1$  or  $S_2$

So Conflict Stmt. Should be same to same in two schedules for being conflict-equivalence.

→ Now Conflict Serializability :- for a given Schedule  $S$  is it equivalent to  $S'$  or not.

$S' =$  one of the  $n!$  possible serial schedule

Ex :- Consider a Schedule :-

$T_1$	$T_2$	$T_3$
$R(x)$		
	$w(x)$	$R(y)$
		$w(y)$
$R(y)$		

→ using conflict precedence graph we will find this schedule  $S$  is serializable or not?



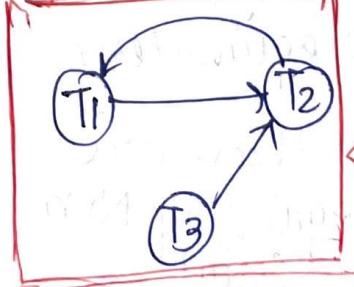
$T_1 \xrightarrow{x} T_2$  = conflict ✓

↳ because of this conflict :-  $(T_1)$  should run first and then we cannot change the sequence of stmts of transac's

other conflict :-



combining :- precedence graph



Now there is a cycle b/w  $T_1$  and  $T_2$  in graph :-  
means which one to run first?

↳ we are in dilemma

so whenever a cycle is present :- the given  
Non serial Schedule 'S' will not be  
equivalent to any other serial schedule at  
all.

So given Schedule :- Not conflict serializable

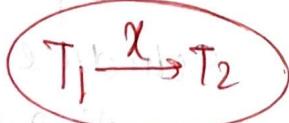
↳ two different conflicts saying :-  
one saying :-  $T_1$  should run first } dilemma  
and

other saying :-  $T_2$  should run first } hence not  
serializable

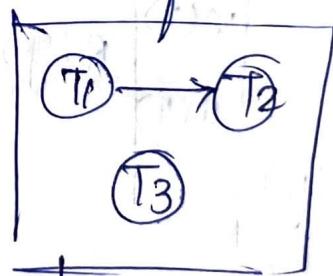
Now Consider :-

$T_1$	$T_2$	$T_3$
$R(x)$	$w(x)$	$R(y)$
	$R(y)$	
$R(y)$		

here we have only one conflict



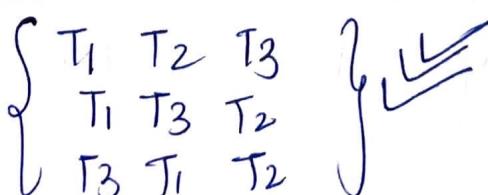
so the graph :-



This says :- one cond<sup>n</sup> only  $T_1$  should run  
first than  $T_2$   
and no  
any restrictions  
on  $T_3$ .

so equivalent serial schedules :-

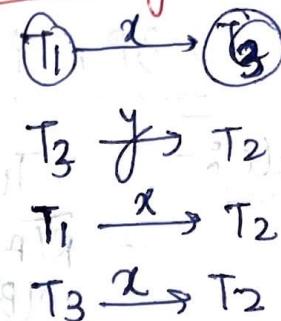
all three are  
serial equiv. of Non  
serial S.



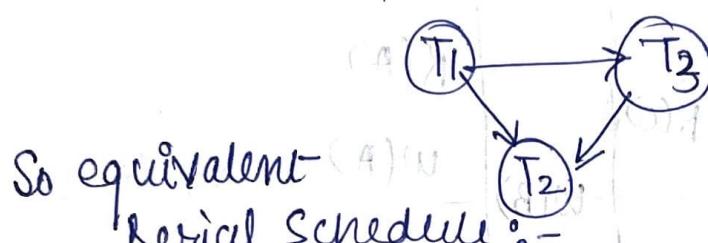
Ques. Consider the Non Serial Schedule S :-

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R(x)		
	R(y)	
	w(y)	R(y)
w(x)		w(x)
	R(x)	
	R(x)	

following are the conflicts :-



So the conflict precedence graph :-



No any cycle = So this is conflict serializable!

So equivalent Serial Schedule :-

$$S' = T_1 \rightarrow T_3 \rightarrow T_2$$

This should be the sequence as conflict serializability seq.

Now for confusing :- they will give you the schedule as follows :-

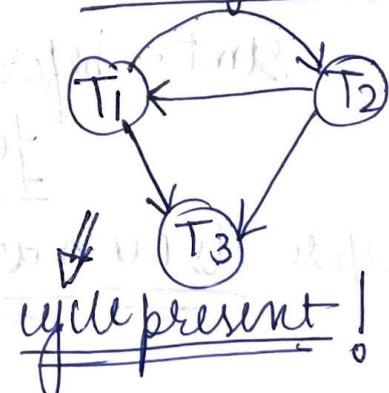
S<sub>1</sub> :- 2RA, 1WB, 1RA, 1WA, 3RB, 3WB, 2WA, 3WA.

Transactions      ↙      ↓      ↘  
 No.                data value  
 operation

so the table will be like :-

	T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
	R(A)		
So not serializable.	w(B)		
	R(A)		
	w(A)		
		R(CB)	
		w(CB)	
		w(A)	

and the graph :-



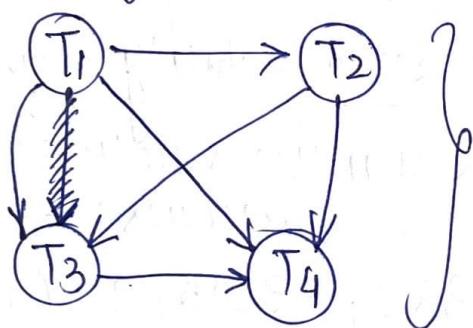
Ques. following schedule is serializable or not?

S :- R1A, W1B, R2B, R3C, W1A, R4A, R2C, W4A,  
W3B, R4B, W4C.

Now the table :-

	T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>	T <sub>4</sub>
R(A)				
W(B)				
		R(B)		
		R(C)		
W(A)				
		R(C)		
		R(B)		
		W(B)		
			R(A)	
			W(A)	
			R(B)	
			W(C)	

and the graph :-



No any cycle present,  
then equivalent serial  
schedule :-

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>	T <sub>4</sub>
R(A)	R(B)	R(C)	R(A)

Now, when commit keyword is used :-

so if in a transaction T<sub>1</sub> = commit is used then  
you don't need to check for conflict after its commit

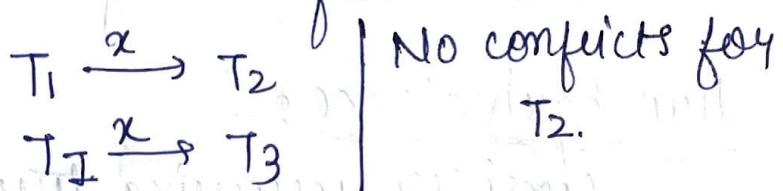
stmt. before commit only you need to check  
for all the conflicts possible.

before its own ~~own~~ commit only.

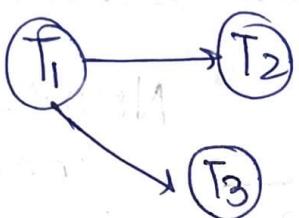
<u>Ex</u>	$T_1$	$T_2$	$T_3$
1.	$R(x)$		
2.		$w(x)$	
3.		Commit	
4.			$w(y)$
5.			$w(y)$
6.			Commit
7.	$R(y)$		
8.	Commit		

So here we will search for conflict of  $T_2$  until line NO. 3 only. After that we don't have to look for any conflict.

So here :- we have conflicts :-



So graph :-



We will check for conflict till my own transaction is committed

After that no any checking!

\* Some Conflict Serializable Schedules are Bad schedules.



conflict  
serializable  
schedules.

19/09/2022

## # Lesson 03 #

→ Schedules

good

bad

Some are covered

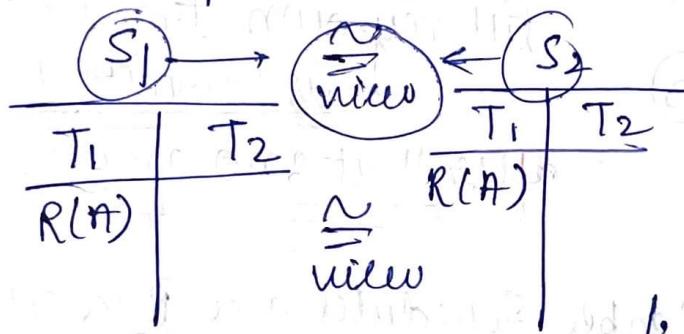
by conflict serializability

and the remaining are detected by view serial.

### # View Equivalence :-

Consider following two schedules :-

$S_1$  and  $S_2$ .



Now the first condition for view equivalence :-

If  $S_1 T_1$ 's reading first

is  $R(A)$ 's reading first directly from DB

if  $S_1 T_1$  reading  $R(A)$  directly from DB first, even before  $S_1 T_2$  then  $(S_2 T_1)$  should also read 'A' directly from DB first, before  $S_2 T_2$ . and they or anyone of  $S_1 T_1$  and  $S_2 T_1$  should not read updated value of A. :-

$S_1$	$S_2$			
$T_1$	$T_2$	$T_1$	$T_2$	
$R(A)$	X	X	$R(A)$	
$w(A)$	X	X	$R(A)$	

} Not view equivalent

also :-

S <sub>1</sub>		S <sub>2</sub>	
T <sub>1</sub>	T <sub>2</sub>	T <sub>1</sub>	T <sub>2</sub>
R(A)		X	R(A)
W(A)	R(B)	X	W(A)
	R(A)	X	W(B)
	W(B)		R(B)

here S<sub>1</sub>T<sub>2</sub> ← reading B first directly from DB

S <sub>2</sub>	
T <sub>1</sub>	T <sub>2</sub>
	R(A)
	W(A)

⇒ Not view equivalent

here S<sub>2</sub>T<sub>2</sub> reading B's updated value.

updates B.

So this was 1<sup>st</sup> cond<sup>n</sup> :- Who is Reading first directly from DB?

Now 2<sup>nd</sup> cond<sup>n</sup> :- Who is reading from other?

↳ which means :-

who is reading the updated value of any variable?

↳ if S<sub>1</sub>T<sub>2</sub> = reading updated value of A → which was updated

In S<sub>1</sub>T<sub>1</sub> :- then Simultaneously S<sub>2</sub>T<sub>2</sub> should also read the updated value of A which is updated by S<sub>2</sub>T<sub>1</sub>.

Ex :-

S <sub>1</sub>		S <sub>2</sub>	
T <sub>1</sub>	T <sub>2</sub>	T <sub>1</sub>	T <sub>2</sub>
R(A)		R(A)	R(B)
W(A)	R(B)	W(A)	
	R(A)		R(A)
	W(B)		

here both points satisfied now.

Now 3<sup>rd</sup> :- who is writing last?

↳ if one transaction (let's say  $S_1 T_1$ ) is writing any value at last then corresponding transaction of other schedule ( $S_2 T_1$ ) should also write the same variable's value at last.

Ex :- following two schedules are view equivalent :-

$S_1$		$S_2$	
$T_1$	$T_2$	$T_1$	$T_2$
R(A)		R(A)	R(A)
	R(A)		

now here both are reading value of A from DB directly w/o any updation.

↳ if any updation

\* all three cond's must be true then only two schedules will be view equivalent.

Ex :-

$S_1$			$\approx$	$S_2$		
$T_1$	$T_2$	$T_3$	view	$T_1$	$T_2$	$T_3$
R(X)	W(X)		✓	R(X)	W(X)	
	R(Y)		✓		R(Y)	
	W(Y)		✓		R(Z)	
	R(Z)		✓		W(Z)	
W(Z)			✓			
			✓			
					W(Y)	
						W(Z)

So here all three cond's are satisfied.  
here these both are view equivalent

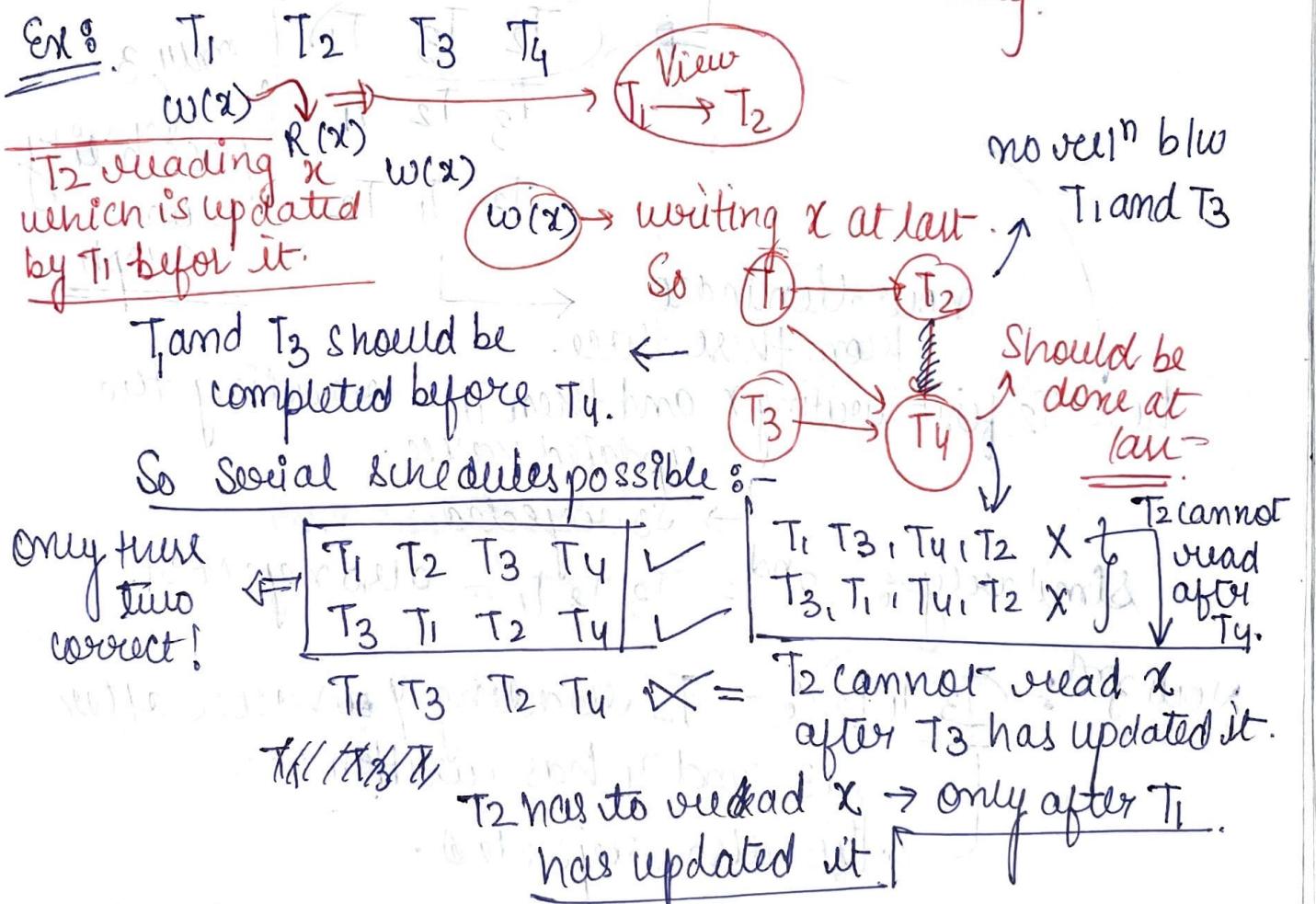
## # View Serializability :-

A Schedule is called view serializable. (Non Serial schedule) if it is view equivalent to any of the  $n!$  possible serial schedule.

→ Same as we done in Conflict Serial.

→ Here also we will draw the graph of by drawing the graph in conflict, precedence.

we selected the suitable But here it doesn't work like that serial schedule way.



\* So the precedence graph will not give final answer

Ex:

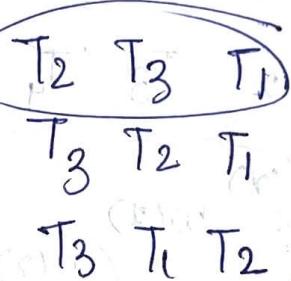
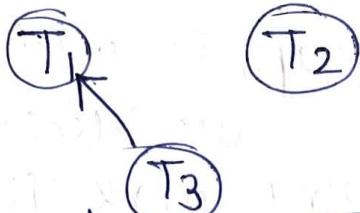
$T_1$	$T_2$	$T_3$
$R(x)$		
	$R(y)$	
		$w(y)$
$w(y)$		
		$w(x)$

no any edge in graph bcoz of 2<sup>nd</sup> point.

→ So  $T_2$  can write at any time  
 ~~$T_2 = \text{done at last time because he only occurring } x \text{ at last}$~~

$T_1 = \text{writing } y \text{ at last.}$

So after  $T_3$  it should come.



} only 3 possibility from graph.

now eliminate from these three.

here  $T_2$  first writing  $x$  and then  $T_1 = \text{reading the updated value.}$

So rejected

Similarly :- 2<sup>nd</sup> =  $T_3-T_2-T_1$  = also rejected.

Now 3<sup>rd</sup> :-  $(T_3-T_1-T_2)$  :-  $T_2$  reading  $y$  value after  $T_3$  and  $T_1$  has written it.  
 This also rejected.

→ So no any serial schedule is equivalent to it.

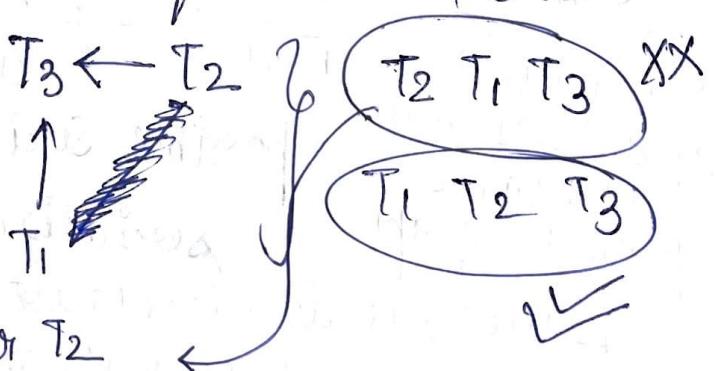
Ex:

$T_1 \quad T_2 \quad T_3$

$R(x) \quad w(x)$

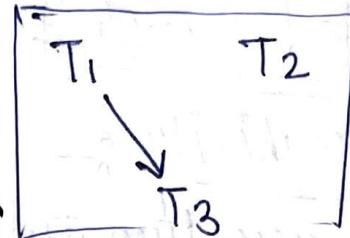
$w(x)$

$T_1$  reading  $x$  after writing it.



Ex:

	T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
R(x)			
	R(y)		
w(z)		w(z)	
		R(y)	
w(y)			



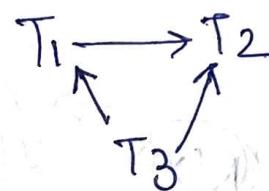
and T<sub>2</sub> = should be anywhere.

possible :-

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>	X
T <sub>1</sub>	T <sub>3</sub>	T <sub>2</sub>	✓
T <sub>2</sub>	T <sub>1</sub>	T <sub>3</sub>	X

T<sub>3</sub> reading y after T<sub>2</sub>

has updated it



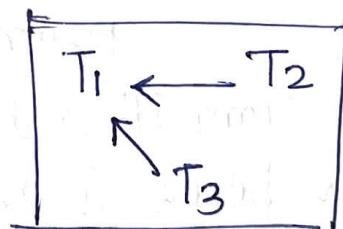
T <sub>3</sub>	T <sub>1</sub>	T <sub>2</sub>

This also wrong  
because T<sub>2</sub> reading y is not updated by T<sub>1</sub>.

So not view serializable!

Ex:

S <sub>1</sub>			
T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>	
R(y)			
	W(x)		
W(x)			
	R(y)		
R(y)			
	W(x)		
W(x)			



→ T<sub>3</sub> T<sub>2</sub> T<sub>1</sub> } both sequences are correct.  
→ T<sub>2</sub> T<sub>3</sub> T<sub>1</sub> } both sequences are correct.

20/9/2022

## # Lesson 04 #

### # Recoverability :-

there are two types of schedules

recoverable

Not recoverable.

→ recoverable schedules are those :- when no any committed transaction should be rolled back.

Ex:-

S <sub>1</sub>	
T <sub>1</sub>	T <sub>2</sub>
R(x)	
x = x + 2	
W(x)	
	R(x) $\rightarrow$ $x = 5 \rightarrow 7 \rightarrow 10$
	x = x + 3
	W(x)
	Commit.
failed	

now here T<sub>2</sub> reading the updated values of x, done by T<sub>1</sub> = so this is dirty read.

Now when T<sub>1</sub> is rolled back / failed then T<sub>2</sub> also have ~~to~~ its rollback because T<sub>2</sub> did dirty read from T<sub>1</sub>.

But T<sub>2</sub> = committed transaction :- still T<sub>2</sub> have to rollback becoz T<sub>1</sub> failed.

So how :- T<sub>2</sub> = committed transaction = have to rollback

so This schedule S<sub>1</sub> = Not recoverable

→ So when commit happens :- the original values are permanently updated to new values so when rolling back the committed transactions, we lost the we will not get the original values!

Hence that schedule is not recoverable.  
↳ because of the committed transactions is rolled back.

Ex: Now when  $T_2$ 's commit come after  $T_1$ 's commit :- then our schedule is recoverable!

$S_1$	
$T_1$	$T_2$
$R(x)$	
$x = x + 2$	
$W(x)$	
commit	

here  $T_2$  is dirty reading the updated  $x$  by  $T_1$ .  
So here first commit should be of  $T_1$  and then of  $T_2$  then our schedule is recoverable.

↳ The sequence of commit should be in the order in which the values are read from each other.

↳ then our schedule is recoverable!

Now we have following two types of recoverable schedules :-

### 01. Cascading Recoverable Rollback :

$T_1$	$T_2$	$T_3$
$R(x)$		
$x = x + 2$		
$W(x)$		
commit		

$T_1$	$T_2$	$T_3$
$R(x)$		
$x = x + 3$		
$W(x)$		
commit		

$T_1$	$T_2$	$T_3$
$R(x)$		
$x = x + 4$		
$W(x)$		
commit		

Now if at \* :- failed stmt is there :- then  $T_1$  has to roll back :-  
Now  $T_2$  = reading updated  $x$  from  $T_1$  :- So  $T_2$  has to roll back too. Similarly  $T_3$  also have to rollback

↳ So that the original value of  $x$  we should get

\* failed commit

→ So here  $T_1$  = triggering the rollback of  $T_2$  and of  $T_3$  too.

↳ So this is cascading exec. rollback.

Cascading means :- multiple rollback happening becoz of one failure which are dependent on the failed trans action.

## Q2. Cascadless Recoverable Rollback.

Thm → here you will not have such kind of multi level triggering.

$T_1 \rightarrow T_2 \rightarrow T_3$

$R(x)$

$x=x+2$

$w(x)$

commit

$R(x)$

$x=x+3$

$w(x)$

commit

$R(x)$

$x=x+4$

$w(x)$

commit

⇒ This is recoverable schedule

now in  $T_1$  :- before commit if it is failed then only  $T_1$  has to rollback and no other trans action.

Similarly if in  $T_2 \rightarrow$  before commit happens :-  $T_2$  is failed then, only  $T_2$  have to rollback and no other trans action.

This is cascadless rollback.



only self rollback happens here.

Ques.  $T_1$

$T_2$

$T_3$

$w(x)$

$w(y)$

$R(x)$

$R(y)$

commit

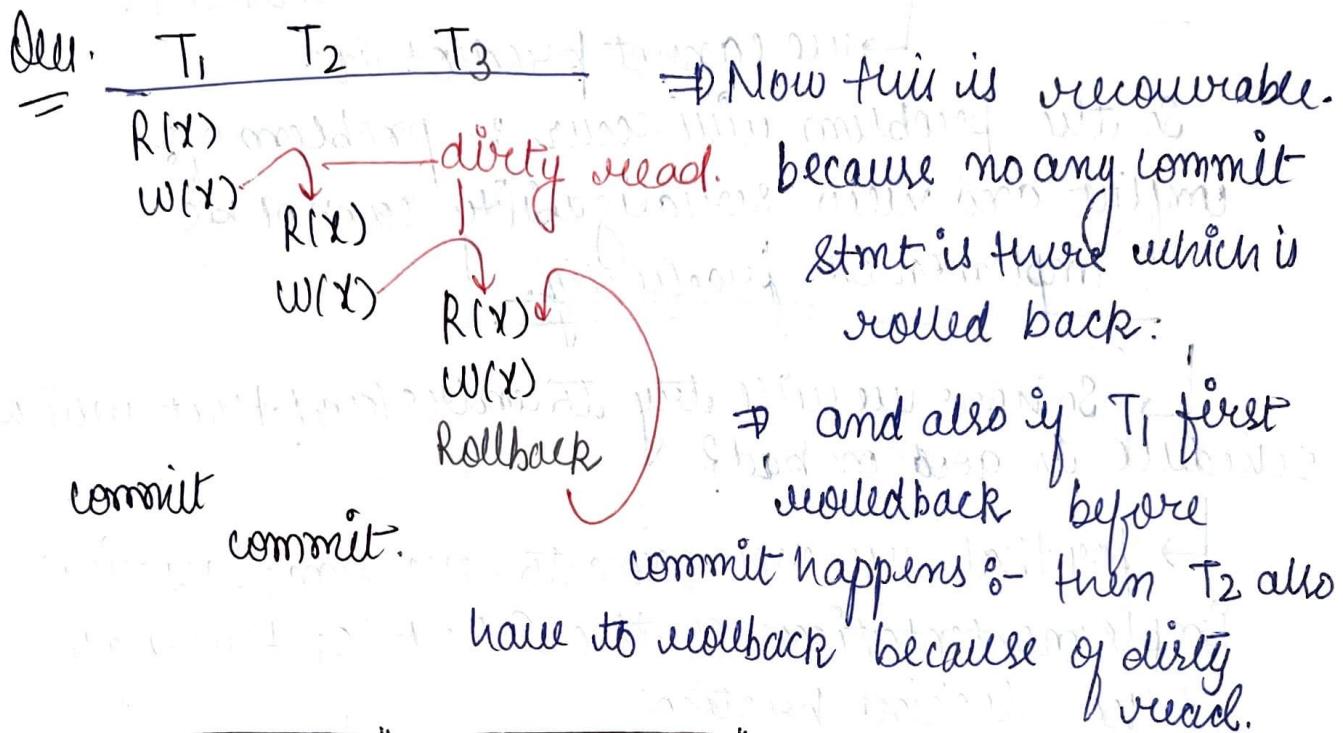
commit.

⇒ This schedule is recoverable or not?

⇒ Not recoverable

because if in  $T_2$  rollback happens :- then  $T_3$  have to rollback too :- but it is committed before only.

hence not recoverable!



→ When conflict serializability :-

if precedence graph = given

then to detect if cycle is present or not

or  $O(n+|E|)$

$\leftrightarrow$  then  $O(n^2)$  time

→ view serializability :- if precedence graph = given

for each seq. try to

check view equivalence

$\Leftrightarrow$  find all possible sequences  $(n!)$

$\hookrightarrow O(k \cdot n!)$  time

where  $k$  = time to check view equivalence for each seq.

NP-Hard problem

21/09/2022

## # lesson 5 #

# In Practical scenario  $\Rightarrow$  actual schedule cannot be predictable  $\rightarrow$  about the sequence & the execution of transactions in concurrent manner.

↳ we cannot predict it.

So the problem will occur :- problem of - conflict and also serializability cannot be implemented practically.

↳ So how we will try to understand that which schedule is good or bad?

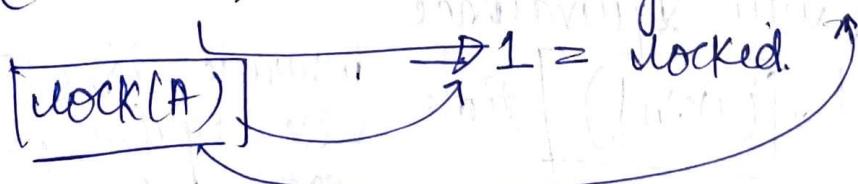
↳ for that we are going to have some practical implementations of the Schedules through the locking protocol.

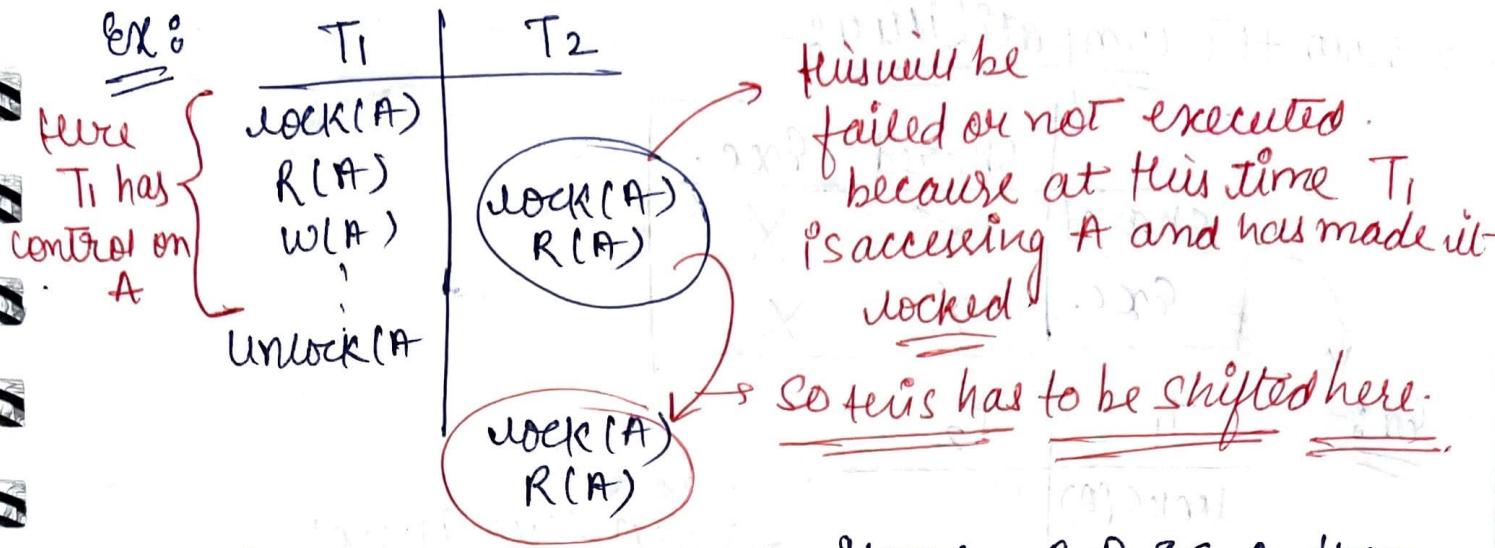
### # locking protocols.

Now what is a lock?  $\rightarrow$  This is exactly like Mutual exclusion.

↳ So whenever a transaction ( $T_1$ ) wants to access a data value (A, B, C, ...) then that transaction need to have the lock on that data value before using it. and simultaneously another transaction ( $T_2, T_3, \dots$ ) cannot access that particular data value (A) until and unless first transaction has released its lock.

$\rightarrow$  Lock (data value) = can be binary = 0  $\rightarrow$  means free





→ Now if we have three data items = A, B & C :- then for each data item :- a separate lock will be there!

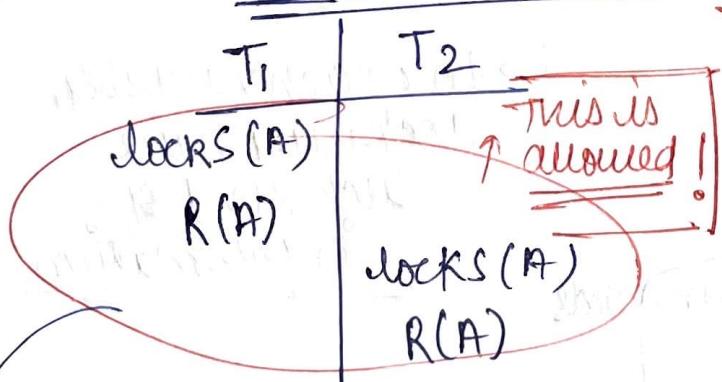
lock (A), lock (B) and lock (C).

→ for all the accesses → we will have to take lock on that data item.  
 ↳ whether read or write.

Now we have following two types of locks :-

1. Shared lock :- when a transaction only reads.
2. Exclusive lock :- when a transaction wants to write → lock X.

Now consider two transactions :-



$T_1$  = only reads A  
 ↳ So it will try to read A with shared lock.  
 So that other transaction simultaneously can have the shared lock on A such that Read-Read actions cannot affect the data item.

\* just like the readers-writers problem.

Now if another transaction ( $T_3$ ) comes, then for only reading A purpose → it can have the shared lock on A.

→ Now the compatibility :-

	Shared	Exc.
Shared	✓	X
Exc.	X	X

Ex :-

	T <sub>1</sub>	T <sub>2</sub>
locks(A)		
R(A)		
w(A)		
unlocks(A)		
lockX(A)		
w(A)		
unlockX(A)		

Now this is not possible.

So it has to be shifted below!

→ Now the background picture of lock :- Busy waiting for understand that a particular data item is locked under which mode? = data Shared or exclusive?

T<sub>1</sub>                    T<sub>2</sub>

locks(A)  
R(X)

unlock(X)

Now locks(X)=0

lockX(X)  
w(X)

shifted downwards

this will take the shared lock

lock(X)      available mode  
0 → 0      shared

↳ for each variable, lock will have such kind of information

this is not possible. as lock on A already acquired by T<sub>1</sub>.

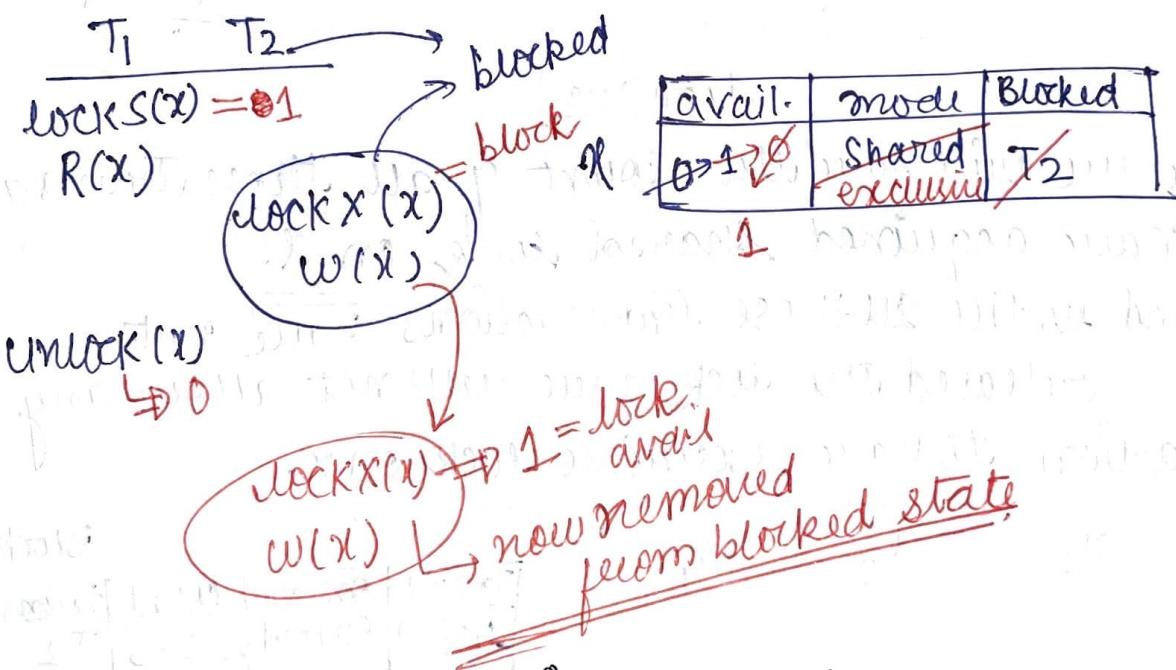
Now in previous 8-  $\text{lock}_X(x)$  = cannot run successfully when  $T_1$  has shared lock on it.

- ↳ so it will try and try in repetitive mode
- ↳ this is called as Busy waiting.
- ↳ it will keep running.
- ↳ unnecessary taking CPU cycles.

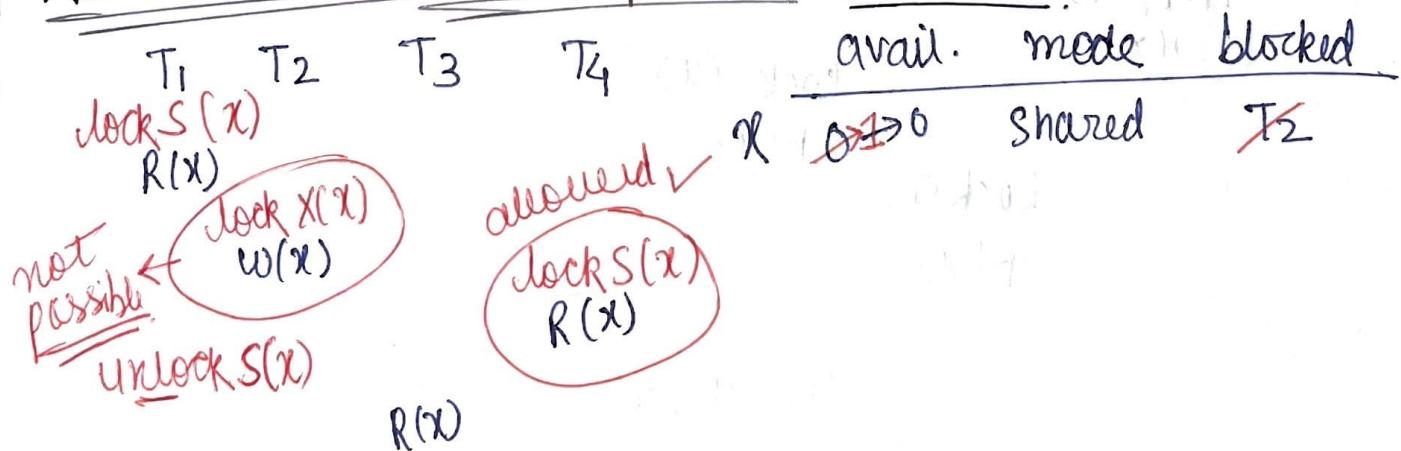
Thus to solve this issue of busy wait :- scientist have thought to block that transaction which is going to

Busy wait long :-

→ Lock : Blocked transaction #



Now when we have multiple shared locks :-



When the unlock $S(x)$  comes in,  $T_1$ 's lock becomes again available (0), but still now,  $T_4$  is reading ~~lock~~ in shared mode and now since  $\text{lock} = 0$  then  $T_2$  will be no more in blocked state.

And so  $T_2$  will have lock X on  $x$ .

↳ but it should not be allowed because  $T_4$  is still reading it.

↳ but this implementation is allowing it to do so.

↳ you are allowing  $T_4$  to have shared lock & simultaneously  $T_2$  — $\rightarrow$  excl. lock on  $x$

together!

So here we will have the count of all those transactions which have acquired shared lock on  $x$ .

and until all those transactions have not released the lock; we will not allow any transaction to have exclusive lock on  $x$ .

$T_1 \quad T_2 \quad T_3 \quad T_4$

$\text{Lock } S(x)$

$R(x)$

$\text{Lock } X(x)$   
 $W(x)$

$\text{Lock } S(x)$

$R(x)$

$\text{Lock } S(x)$

$R(x)$

$\text{unlock } S(x)$

$\text{unlock } S(x)$

$\text{unlock } S(x)$

avail	mode	count	transac	Blocked
0 → 0	Shared	1 → 2	3 → 3	T2

0 → 1 ↙ 2

22/09/2022

## # lesson 06 #

\* Here in our previous example of multiple shared locks :-  $T_2$  is in blocked state until all other transactions have released their locks. and if other three transactions -  $T_1, T_3$  or  $T_4$  acquires the shared lock for read(x) again and again then it might be possible that  $T_2$  may starve.

So :- Solution :-

### # Multiple Shared locks w/o starvation.

	$T_1$	$T_2$	$T_3$	$T_4$	
locks(x)					
$R(x)$					
$LX(x)$					
$W(x)$					
$LS(x)$					
$R(x)$					
$LS(x)$					
$R(x)$					

x	0 > 1	mode	count	Blocked tran.
		Shared	1	$T_2, T_4, T_3$

Now, when  $T_1$  runs, it acquires lock on x and then  $T_2$  wants to write → so blocked. now comes  $T_4$  :-  $T_4$  will be allowed to acquire the lock only when no any transaction is blocked. But now  $T_2$  is blocked → so  $T_4$  will not be allowed to have the shared lock on x.

So  $T_4$  = also blocked because we don't want  $T_2$  to starve.

→ if  $T_2$  = not acquired → so No any transaction in Blocked State → so remaining transactions who are only reading x → will be allowed to have the shared lock on x.

→ now when  $T_1$  unlocks  $x$  :- then all the Blocked transactions will be ~~locked~~ unBlocked !

### # lock Upgrade :-

$T_1$

$LS(x)$

$R(x)$

$LX(x)$

$W(x)$

lock mode

count

$X \rightarrow 1$  Shared

Exclusive

→ when only single transaction has acquired the lock, then if first (count = 1) that transaction reads & that variable and then wants to write on the same variable,

so here w/o unlocking → lock can be upgraded from Shared to Exclusive.

### # lock downgrade :- from exclusive to shared lock on same variable by single transaction only.

$\underline{T_1}$

$LOCK X(x)$

$W(x)$

$LOCK S(x)$

$R(x)$

	<u>lock</u>	<u>Mode</u>	<u>Count</u>
$X$	$\rightarrow 1$	Exclusive	1

Shared

→ here no any checking on count is reqd.

### # Problem with locking Mechanism :-

$T_1$

$LS(x)$

$R(x)$

$unlock(x)$

$T_2$

$LOCK(x)$

$W(x)$

$unlock(x)$

→ now the problem is :- locking is allowing :- unrepeatable read.

→ Locking is allowing the Bad Schedules also because here systematically we are not doing it.  
So we have :-

### # two phase locking protocol (2 PL protocols)

↳ Systematic locking mechanism.  
↳ very restrictive manner!

→ Basic 2PL  
→ Strict 2PL  
→ Rigorous 2PL

} three types of 2PL.

Single

# Basic 2PL protocols :- So here when a transaction did the unlock for <sup>1st time</sup> once :- then that transaction is not allowed to lock any database item.

means :- only lock, lock, lock --- of multiple data items should be done first.

then once unlock happen --- then only unlock, unlock, --- will happen.

within a single transaction only.

→ So that's why it is two phase : lock phase and unlock phase.

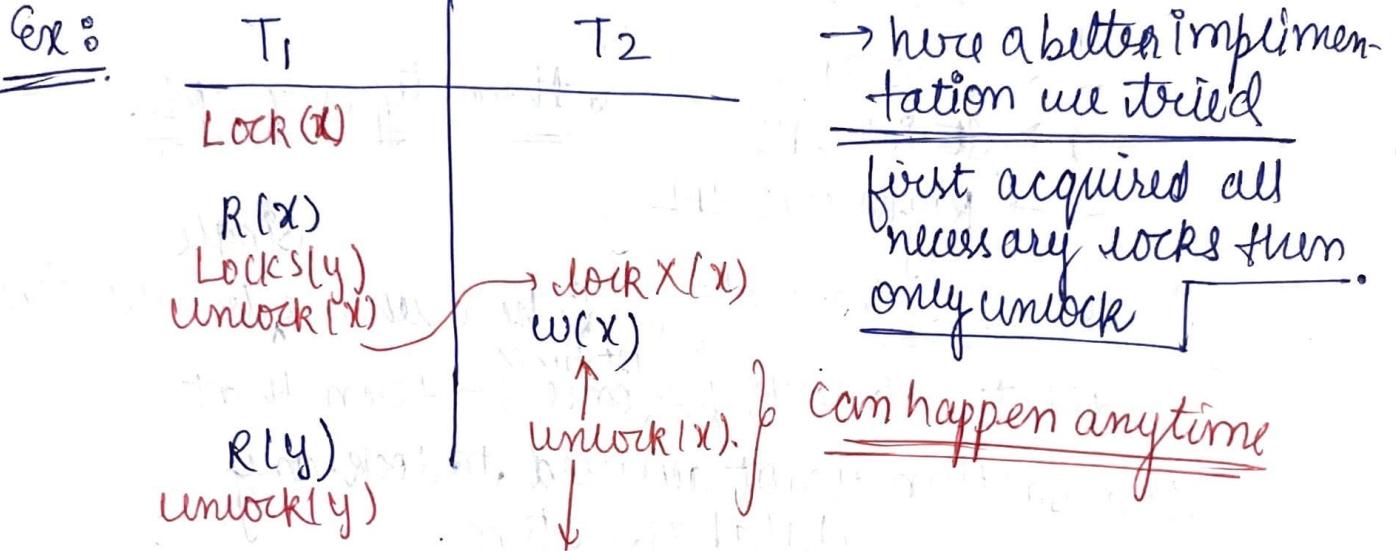
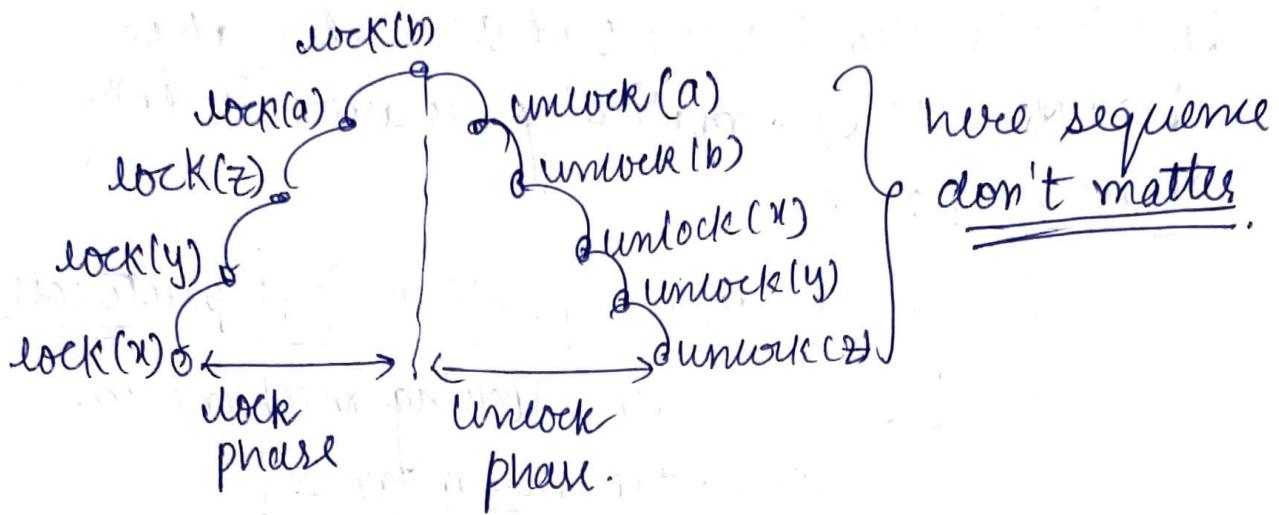
Ex:-

T<sub>1</sub>  
locks(x)  
R(x)  
  
R(x)  
unlock(x)

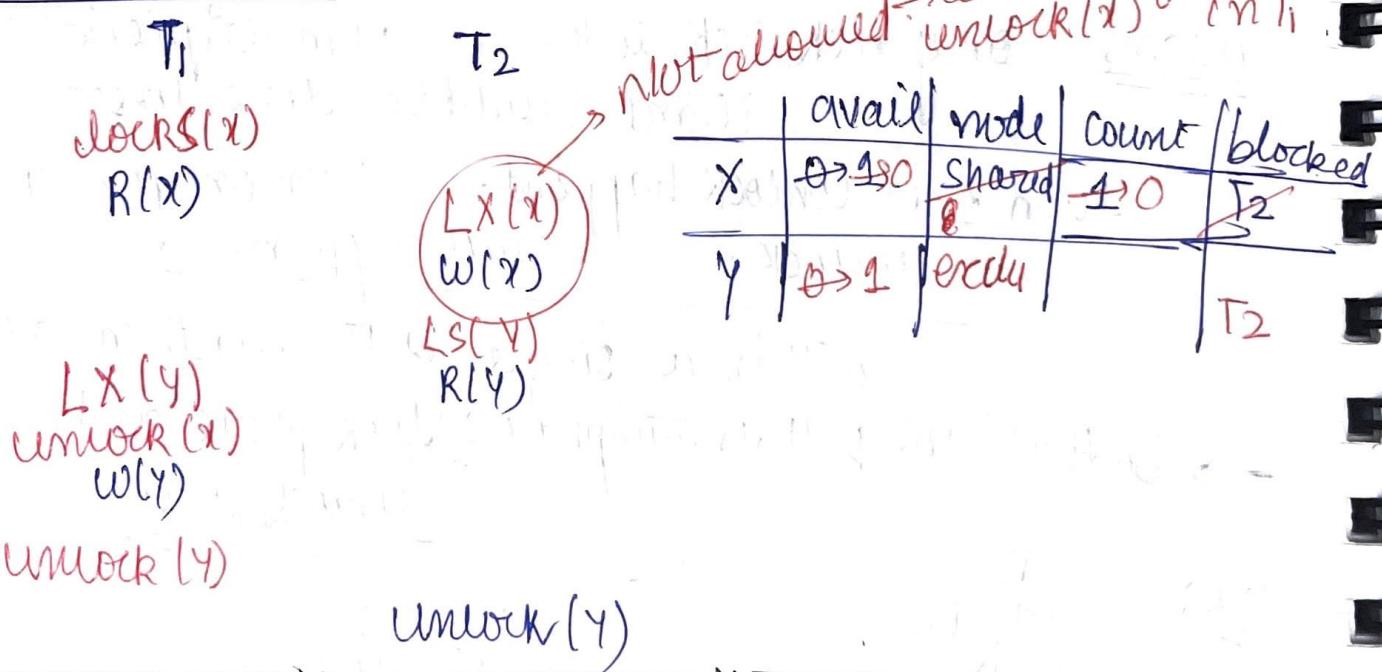
T<sub>2</sub>  
  
lock x(x) p  
w(x)

will not be  
not allowed.

⇒ postponed here



Now another Ex :-



# Now one imp. statement :-

"Every Schedule which is allowed Under basic 2PL  
is conflict serializable also."

Ex. When we have following Schedule :-

T <sub>1</sub>	T <sub>2</sub>
lock S(x)	
R(x)	
	lock X(y)
	W(y)
LX(x)	X not Y
LS(y)	Y not X
R(y)	W(x) now

Avail.	Mode	Count	Blocked
0>1	Shared	1	T <sub>2</sub>
0>1	Excl.	0	T <sub>1</sub>

Now here both transactions T<sub>1</sub> and T<sub>2</sub> are waiting for each other to compute!

Now the conclusions -

So this situation is of Deadlock.

# Basic 2PL protocol suffers from Deadlock.

→ Now Can we acquire lock with single instn?

The lockX(A) ⇒ database statement :- might run on CPU in Multiple instances.

But if we have that suitable H/W or architecture of the system then it is possible to execute lockX(A) atomically.

# Here in 2PL Basic protocol :- it is also possible that small transactions starve due to large transactions.

AND :- vice versa also true: larger one can also starve due to small-small transactions.

# Strict Schedule :- it says :-  
every write operation should be ended with Commit  
before other transaction performs read or write  
on the same DB item.

Ex :-

T<sub>1</sub>      T<sub>2</sub>      T<sub>3</sub>

lockx(x)

w(x)

**Commit**

R(x)



w(x)

Then this should  
read only the committed value  
of x in T<sub>1</sub>

# Strict 2PL protocol :-

it says that :- if we have taken the exclusive  
lock on a data items then it should not be  
released until the commit happens on that  
data items.

data items

Ex :-

T<sub>1</sub>

lock X(A)

w(A)

commit

unlock X(A)

T<sub>1</sub>

T<sub>2</sub>

LX(X)

w(X)

LS(Y)

LS(X)  
R(X)

will not happen until x is

unlocked in T<sub>1</sub>

↳ so T<sub>2</sub> blocked.

R(Y)

unlock(Y)

commit

unlockX(x)

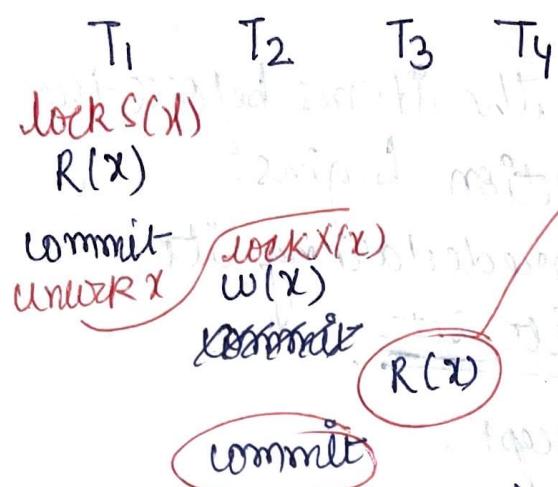
LOCKX(Y)

w(Y)

commit

here T<sub>2</sub> = unblocked  
and allowed to execute

- \* Strict 2PL allows only strict schedules.
- # Rigosus 2PL :- Here: Every lock should be released after commit.



here  $R(x)$  is trying to acquire lock on  $x$  before  $T_2$  has unlocked it. and  $T_2$  can only unlock after its own commit statement.

$\Rightarrow$  So this transaction is not allowed under rigorous 2PL protocol

if this commit Stmt is shifted just after  $W(x)$  of  $T_2$  and before  $R(x)$  of  $T_3$

then this schedule is allowed under rigorous 2PL

\* Strict and Rigorous 2PL protocol don't have dirty read.

\* Strict and rigorous 2PL have Only recoverable schedules (cascadeless)

26/09/2022. # Lesson 07#

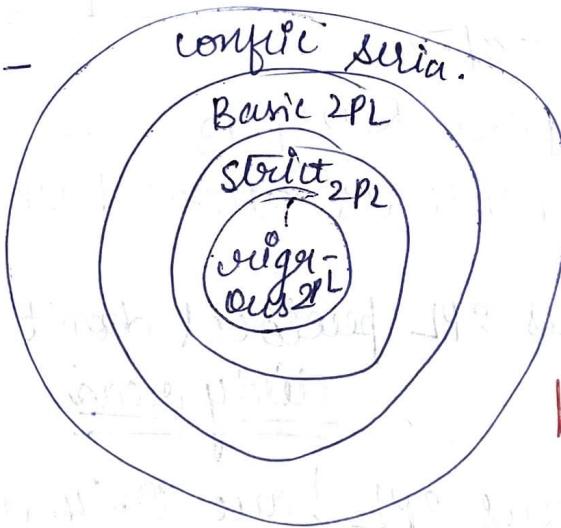
Note :- Basic 2PL may allow non-recoverable schedules

# Conservative 2PL :- lock all the items before the (static 2PL) transaction begins execution by predeclaring its read set and write set.

Just the theoretical concept.

→ This also can allow Non recoverable schedules.

# 2PL :-



\* Rigorous 2PL may have a deadlock.

In fact all 2PL protocols may have 2PL/deadlock.

Ex :- following schedule allowed by ?  
2PL or not.

T <sub>1</sub>	T <sub>2</sub>	T <sub>3</sub>
	L <sub>S</sub> (A) R(A)	
		W(A)
W(B)		
	R(B)	
		W(C)

In T<sub>2</sub> :- whenever take lock on A then we can unlock it only after its last stmt = w(C) and similarly unlock on B also after last stmt and T<sub>1</sub> have to be shifted afterwards.

So the given schedule is not allowed in 2PL,  
and the given schedule is conflict serializable! (Basic)

$TS = 2$

$TS = T_4$

$T_1$

$T_2$

## # Time Stamp # (TS)

$T_1$  or  $T_2$  = whichever comes first is older transaction and whichever comes last (recent)

is younger one.

Here  $T_1$ 's  $TS = 2$  = older

$T_2$   $TS = 4$  = younger.

Now if  $TS(T_1) = 2$

$TS(T_2) = 6$  then younger to older :-

$TS(T_3) = 5$

$[T_2, T_3, T_1]$

So timestamp (TS) = time at which the transaction started.

# deadlock prevention :- we have following two methods :-

1. wait-die
2. wait-wound

→ assume there are 2 transactions :-  $T_i$  and  $T_j$ .

$T_i$  tries to acquire lock on a DB item  $x$ , which is already locked by  $T_j$ .

Now according to wait-die. An older transaction is allowed to wait for a younger transaction whereas a younger transaction requesting an item held by an older transaction is aborted and restarted with same timestamp.

Some have two options :-

$TS(T_i) < TS(T_j)$   $\Rightarrow T_i = \text{older} \rightarrow T_i \text{ waits for lock held by } T_j$

OR

$TS(T_i) > TS(T_j)$   $\Rightarrow T_i = \text{younger}$   
 $T_j = \text{older}$ .

$\hookrightarrow$  abort  $T_i$  and restart  $T_j$  with same timestamp.

$\rightarrow$  Now according to Wait-Mound :-

A younger transaction is allowed to wait for an older one, whereas if an older transaction e.g. an item held by the younger transaction, we preempt its younger transaction by aborting it. Restart younger with same timestamp.

So here also two options :-

$TS(T_i) < TS(T_j)$   $\Rightarrow T_i = \text{Older}$  } Preempt  $T_j$  lock  
                                   $T_j = \text{younger}$  } held by  $T_j$  and  
                                  abort  $T_i$ .

OR

$TS(T_i) > TS(T_j)$   $\Rightarrow T_i = \text{younger}$  }  $T_i$  will wait here  
                                   $T_j = \text{older}$ .

$\rightarrow$  whenever the older transaction is waiting = then starvation also possible here!

Now if FIFO order is maintained :- then  
No starvation in wait-die and wait-wound.

Ques. Assume that  $T_1$  request a lock held by  $T_2$ .  
Consider :- the table which shows the  
actions taken for wait-die and  
wait-wound schemes :-

wait-Die      wait-wound

$T_1 = \text{younger than } T_2$       X

$T_1 = \text{older} - II - Y$       Z

then what will be the correct states of  $T_1$  and  $T_2$   
at W, X, Y, Z ?

Soln.: Lock is held by  $T_2$  and  $T_1$  req. for the lock.

then:  $W = \text{abort } T_1$       X =  $T_1$  waits

Y =  $T_1$  waits      Z =  $T_2$  aborted and restarted  
with same timestamp.

→ Read TS(A) :- youngest transaction who reads A.

→ write TS(A)      ||      writes A.

$\frac{\text{Ex: } ①}{\text{TS=1}}$	$T_1$	$T_2$	$T_3$	$\frac{\text{TS=2}}{\text{TS=3}}$
R(A)				

Initialization :-

$$R-TS(i) = 0$$

$$W-TS(i) = 0$$

So here :-

$$R-TS(A) = 0$$

$$W-TS(A) = 0$$

Now when 1<sup>st</sup> stmt of T<sub>1</sub> executes :-

then R-TS(A) = 1

W-TS(A) = 0

then 1<sup>st</sup> stmt of T<sub>2</sub> :-

W-TS(A) = 2

when 2<sup>nd</sup> stmt of T<sub>2</sub> :- then R-TS(A) = 4 → 2

because T<sub>2</sub> = younger than T<sub>1</sub>

similarly W(A) of T<sub>3</sub> runs then

W-TS(A) = 2 → 3

Now when W(A) of T<sub>2</sub> runs :-

final value  $\boxed{W-TS(A) = 3}$  will not change

because T<sub>3</sub> = youngest

Similarly :- youngest transaction to read A is

not T<sub>1</sub> but T<sub>2</sub>

hence final value of  $\boxed{R-TS(A) = 2}$

## # Basic timestamp algorithm #

for concurrency control.

↳ concurrency control says :-

$T_1 \rightarrow T_2 \rightarrow T_3 \Rightarrow$  execution order

where  $T_1$  = oldest and

$T_3$  = youngest.

Now here if

T<sub>2</sub> or T<sub>3</sub> has done

wait on any DB item :-

then T<sub>1</sub> should not read it.

↳ then ordering will be long adulatory  
purpose

So :- if  $TS(T_1) < TS(T_2) < TS(T_3) \dots$

$T_1$	$T_2 T_3 \dots$	↓	$T_1$	$T_2 T_3 \dots$
$R(x)$ or $w(x)$	$w(x)$		$R(x)$	$w(x)$

→ So here  $T_1$  = doing write after the younger trans.

has read / written it = So order violated here

→ So here  $T_1$  = rolled back and restarted with younger timestamp.

→ Some don't want to perform a write opn after a younger transaction has done read / write.

→ Here younger transactions  $T_2, T_3 \dots$  has written on 'x' and then  $T_1$  is reading that 'x' :- then abort  $T_1$  and rollback it and restart  $T_1$ .

Now consider :-

$T_1$	$T_2 / T_3 \dots$
$R(x)$ or $w(x)$	$w(x)$

$w(x)$ .

So here The  $w(x)$  opn of younger transaction is allowed and set :-

$$w-TS(x) = TS(T_2 \text{ or } T_3 \text{ or } \dots)$$

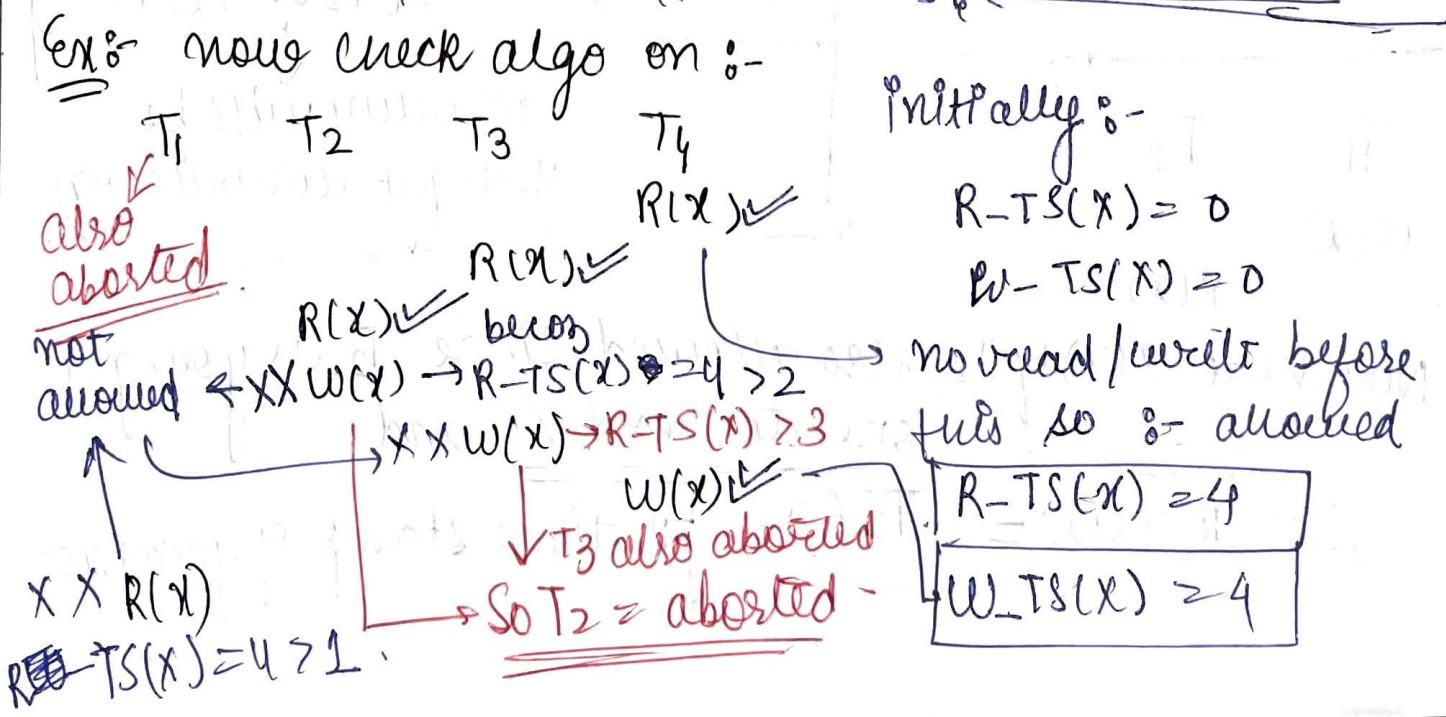
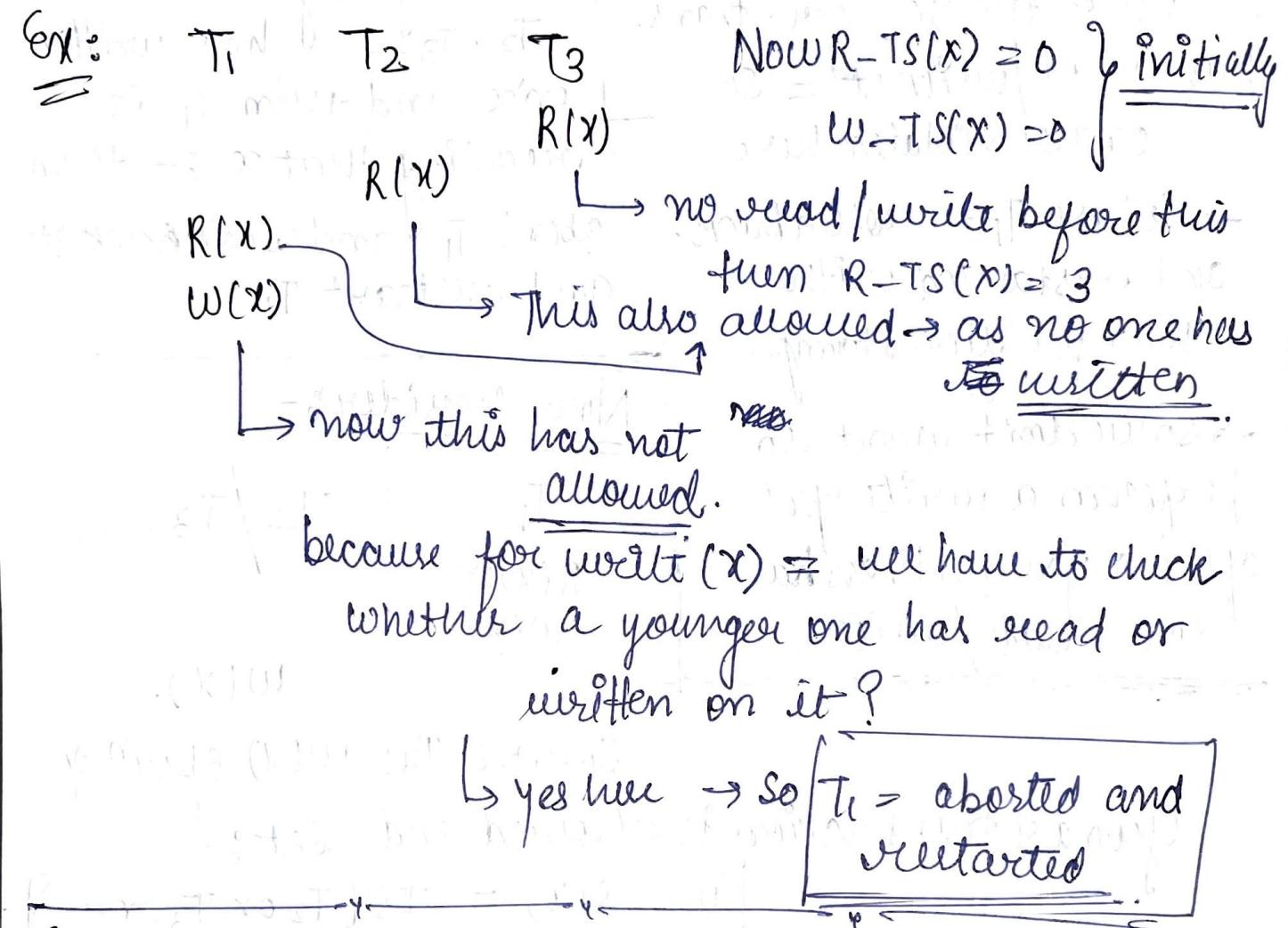
↓  
Whoever will be youngest to write on x.

$T_1$	$T_2$
$w(x)$	$R(x)$

Now here  $R(x)$  of  $T_2$  also allowed since  $T_2$  is younger one its read 'x' and

Set  $R-TS(x) = TS(T_2) \rightarrow$  time stamp of youngest

- \* Restarted transaction gets a younger timestamp.
- ↳ whichever trans. we have aborted.
- \* Concurrency problem arises only when at least one write operation done on shared / common DataBase item.



27/09/2022

## # lesson 08#

Ex:- use Basic time stamp algo:-

$T_1$   
 $\swarrow R(x)$

$T_2$   $T_3$

$\swarrow W(x)$

initially :-

$$R - TS(x) = 0 \rightarrow 1$$

$$W - TS(x) = 0 \rightarrow 3.$$

$\circlearrowleft W(x)$

$\swarrow W(x)$

not done because

done :-  $W - TS(x) = 2 < 3$

$$W - TS(x) > 1$$

allowed.

$\downarrow 2$

$\hookrightarrow$  So  $T_1$  is aborted.

Now consider here :-

$T_1$   $T_2$   $T_3$

$R(x) \rightarrow$  reads 5.

$$W(x) = 10$$

$$W(x) = 15$$

$$W(x) = 25$$

Now according to Basic TS algo:-

the  $T_1$ 's write operation will be done first then

$T_2$  and then  $T_3$ .

Timestamp ordering :-

$$T_1 \rightarrow T_2 \rightarrow T_3$$

then value of  $x$  after :-

$$T_1 \rightarrow T_2$$

$x = 5$  (initially)

after  $T_1 = x = 15$

after  $T_2 = x = 10$

So here the  $T_1$ 's contribution in  $x$  is neglected.

we have completed  $T_1$  :- but its changes are overwritten.

$T_1$ 's write operation will not have any effect on DB value  $\rightarrow$  still  $T_1$  performed & completed.

and then T<sub>3</sub> will write once according to timestamp ordering :- T<sub>3</sub> will write 25 on x → final DB value

so when T<sub>1</sub> → T<sub>2</sub> :- our expected result =  $\boxed{x=10}$

So why are you doing the write operation in T<sub>1</sub> = just skip it → according to Thomas cells

→ So Thomas ~~will~~ write value :-

→ Read is same as Basic timestamp cells

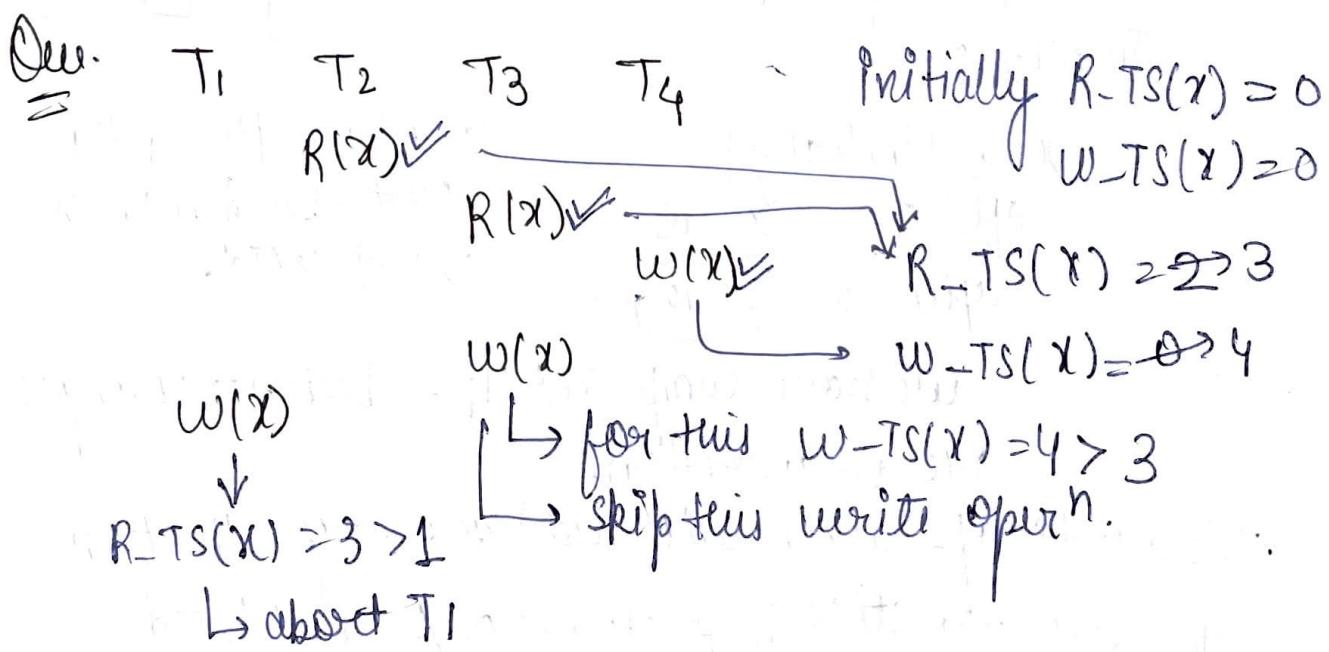
→ write (A) in transaction T :

- if R-TS(A) > TS(T) then abort T,  
rollback and restart T

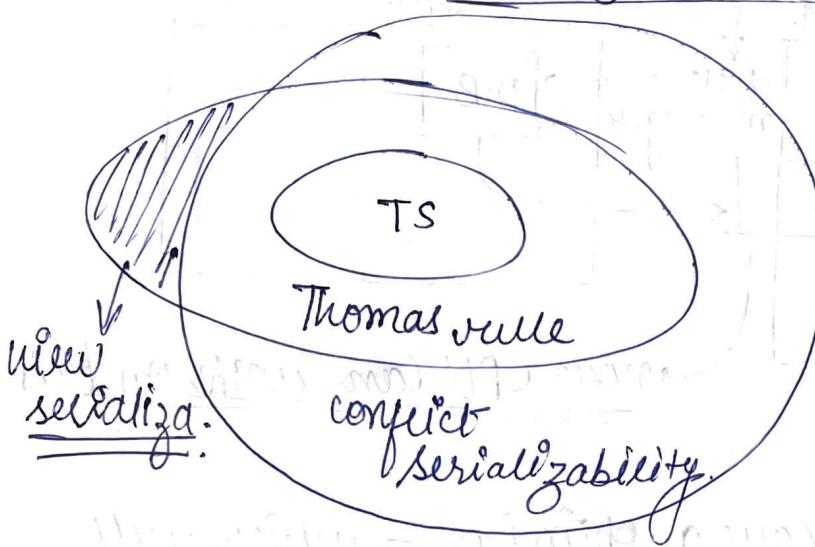
- Else if W-TS(A) > TS(T) then skip  
the write operation.

- Else perform write(A) of T and update

$$\boxed{W-TS(A) = TS(T)}$$



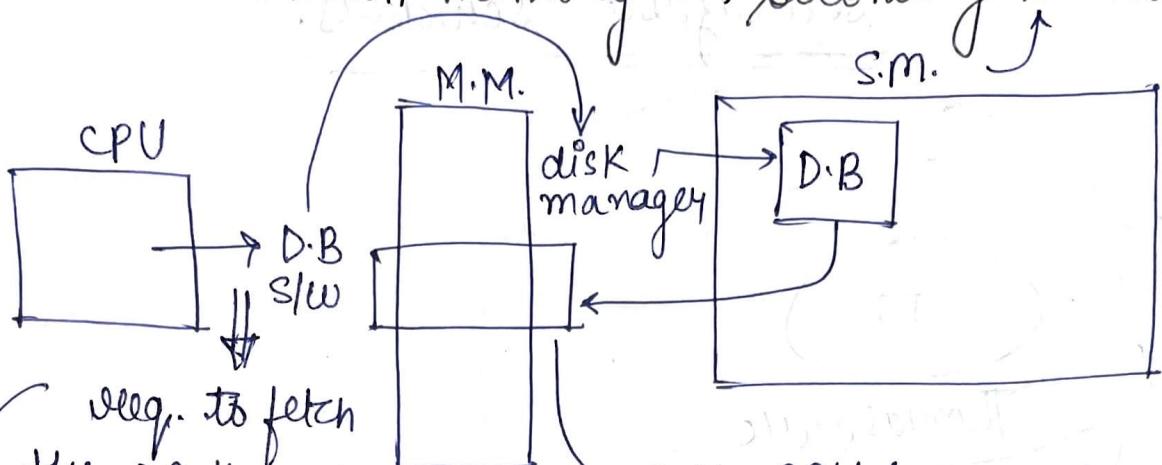
- \* Basic TS allows conflict serializable schedule
- \* Thomas rule allows more than conflict serializable schedules.



28/09/2022

## # Memory structure

→ main memory → secondary memory.



req. to fetch  
the DB through  
this S/W

now CPU can work on this

- here in CPU we have a Optimizer = which will analyse the ~~I/P~~ SQL query ~~not~~ through which how fastly we can have the reqd DB from the (efficiently) secondary memory because the access time of secondary memory = is v. high
- Optimizer will efficiently ~~not~~ analyse & run the SQL query such that min<sup>m</sup> times Secondary memory have to access.

## # Disk blocks and record storages

→ OS divides the secondary storage (disk) into several sized blocks

Now assume we have created blocks = each of 128 bytes and consider a file of DB(Table) = 256 records  
record size = 16 B

then no. of records to be stored per block =  $\frac{128 \text{ B}}{16 \text{ B}}$

$$= \underline{\underline{8 \text{ records}}}$$

and no. of blocks needed to store DB file =  $\frac{256}{8} = \underline{\underline{32}}$

Now assume those 256 records belong to students

with R.NO as a col.  $\leftarrow$  table.

and we are running the following query:-

Select \* from Students

where R.NO. > 5 and R.NO. < 50

→ So as of now :- the query processor don't know exactly that which record is present on which block?  $\rightarrow$  So it will go through all the blocks. and have to spend a lot of time.

So here the file should be stored in an organised way so that time for searching should be min<sup>n</sup> and the performance should be improved.

↳ The storage of the DB file should follow some pattern, and it should be accessible directly otherwise we have to search for a single record linearly :- linear search.

\* We can have records of :- fixed length or variable length.

These are v. easy to  $\leftarrow$   
maintain

not easy to  $\leftarrow$   
maintain

little difficult  $\leftarrow$   
technique.

saves a lot of  $\leftarrow$   
space.