

OVERALL ANALYSIS

Solution Report

All

Correct Answers

Wrong Answers

Not Attempted Questions

Q.1)

The base for the relation $26 * 35 = 822$ is _____

Max Marks: 1

Correct Answer

Solution: (14)

Solution: 14

The relation will be expanded as:

$$\begin{aligned} & \Rightarrow (26)_b * (35)_b = (822)_b \\ & \Rightarrow (2b + 6) * (3b + 5) = (8b^2 + 2b + 2) \\ & \Rightarrow 6b^2 + 10b + 18b + 30 = 8b^2 + 2b + 2 \\ & \Rightarrow 28b - 2b + 30 - 2 = 2b^2 \\ & \Rightarrow 26b + 28 = 2b^2 \\ & \Rightarrow b^2 - 13b - 14 = 0 \\ & \Rightarrow b^2 - 14b + b - 14 \\ & \Rightarrow b(b - 14) + 1(b - 14) \\ & \Rightarrow (b + 1)(b - 14) = 0 \end{aligned}$$

Hence, b has two values, -1 and 14. Since -1 is not possible, therefore, the base of the relation will be 14.

Q.2)

The number of literals in the minimal expression of $QR + PR' + PQ + QRS$ are _____

Max Marks: 1

Your Answer is wrong (9)

Time taken to answer this question 00:00:08 hrs

Solution: (4)

Solution: 4For the given expression $QR + PR' + PQ + QRS$:

$$\begin{aligned} & \Rightarrow QR(1 + S) + PR' + PQ \\ & \Rightarrow QR + PR' + PQ // (1 + S) = 1 \\ & \Rightarrow QR + PR' // consensus theorem \\ \text{According to consensus theorem:} \\ & \Rightarrow QR + PR' + PQ \\ & \Rightarrow QR + PR' + PQ(R + R') \\ & \Rightarrow QR + PR' + PQR + PQR' \\ & \Rightarrow QR(1 + P) + PR'(1 + Q) \\ & \Rightarrow QR + PR' \end{aligned}$$

Hence, number of literals are 4.

Your Answer is wrong (6)

Time taken to answer this question 00:03:03 hrs

Q.3)

For the boolean function $F(p, q, r, s) = pq + p'q'r$. What will the correct form for sum of product and product of sum?

Max Marks: 1

A

$$F = \Sigma(0, 1, 4, 5, 6, 7, 8, 9, 10, 11), F = \pi(2, 3, 12, 13, 14, 15)$$

B

$$F = \Sigma(2, 3, 12, 13, 14, 15), F = \pi(0, 1, 4, 5, 6, 7, 8, 9, 10, 11)$$

Correct Option |

Solution: (B)

Solution: (ii)On expanding the expression $pq + p'q'r$ we will get:

$$\begin{aligned} & \Rightarrow pq(r + r') (s + s') + p'q'r(s + s') \\ & \Rightarrow pqrs(M_{15}) + pqrs'(M_{14}) + pqr's(M_{13}) + pqr's'(M_{12}) + p'q'rs(M_3) + p'q'rs'(M_2) \end{aligned}$$

Since, it is in sum of product form, hence, product of sum will be complement of this i.e. $\pi(0, 1, 4, 5, 6, 7, 8, 9, 10, 11)$

Hence, the correct option is (ii)

C $F = \Sigma(0, 2, 3, 10, 12, 13, 14, 15), F = \pi(1, 4, 5, 6, 7, 8, 9, 11)$

D None of the above

Time taken to answer this question 00:02:27 hrs

Q.4)

Which of the following is the correct simplification for the function $F(w, x, y, z) = wxz + w'y'z' + w'x + w'yz' + wx'z'$?

Max Marks: 1

A $xz + w'y'z' + x'z'$

B $w'x + xz + x'z'$

C Both (i) and (ii)

Correct Option

Solution: (c)

Solution: (iii)

On simplification of the expression $wxz + w'y'z' + w'x + w'yz' + wx'z'$ we will get:

$$\begin{aligned} &\Rightarrow wxz + w'z' + w'x + wx'z' \\ &\Rightarrow x(wz + w') + z'(w' + wx') \\ &\Rightarrow x((w + w')(z + w')) + z'((w' + w)(w' + x')) \\ &\Rightarrow x(z + w') + z'(w' + x') \\ &\Rightarrow xz + w'x + w'z' + x'z' \\ &\Rightarrow w'x + xz + x'z' \text{ OR } xz + w'z' + x'z' \quad // \text{consensus theorem} \end{aligned}$$

Hence, the correct option is (iii)

D Neither (i) nor (ii)

Your answer is Wrong

Time taken to answer this question 00:05:34 hrs

Q.5)

Which of the following is the correct simplified expression in sum of product for the function $F(A, B, C, D) = \pi(2, 3, 12, 13, 14, 15)$?

Max Marks: 1

A $A'C' + A'B' + AB'$

B $AC' + A'B + AB'$

C $A'C' + A'B + AB'$

Correct Option

Solution: (c)

Solution: (iii)

The k-map of the given expression will be:

AB\CD	00	01	11	10
00	1	1	0	0
01	1	1	1	1
11	0	0	0	0
10	1	1	1	1

Hence, the simplified expression will be: $A'C' + A'B + AB'$

D None of the above

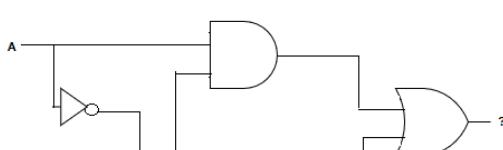
Your answer is Wrong

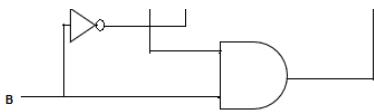
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Q.6)

The output of the following circuit will be:

Max Marks: 1





A $A' + B'$

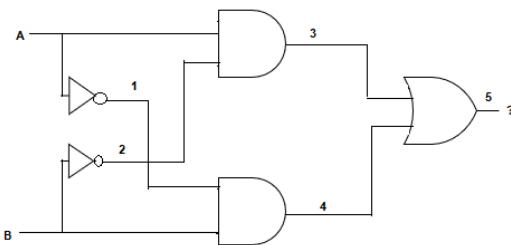
B $A \odot B$

C $A \oplus B$

Correct Option | Attempted

Solution: (c)

Solution: (iii)



Expression at 1 will be: A'

Expression at 2 will be: B'

Expression at 3 will be: AB'

Expression at 4 will be: $A'B$

Expression at 5 will be: $AB' + A'B = A \oplus B$

Hence, the correct option is (iii)

D $A'B'$

Time taken to answer this question 00:00:34 hrs

Q.7)

The product of $(135)_6$ and $(43)_6$ is _____

Max Marks: 1

Correct Answer

Solution: (11213)

$$(135)_6 = (59)_{10}$$

$$(43)_6 = (27)_{10}$$

$$(59)_{10} \times (27)_{10} = (1593)_{10}$$

$$\text{Therefore, } (1593)_{10} = (11213)_6$$



Your Answer is wrong (1813)

Time taken to answer this question 00:02:23 hrs

Q.8)

Which of the following is correct conversion of $(623.77)_8$ into hexadecimal?

Max Marks: 1

A 183.FC

B 178.FB

C 178.FC

D None of the above

Correct Option | Attempted

Solution: (D)

Solution: (iv)

$$(623.77)_8 = (403.9843)_{10}$$

$$\text{Now } (403)_{10} = (193)_{16}$$

$$\text{While, } (0.9843)_{10} = 0.9843 * 16 = 15.75 \Rightarrow 15 \Rightarrow F$$

$$0.75 * 16 = 12 \Rightarrow C$$

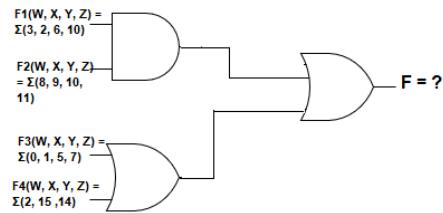
Hence, the answer should be 193.FC

Time taken to answer this question 00:01:24 hrs

Q.9)

Max Marks: 1

Which of the following option is correct canonical form of function F for the given logic diagram?

**A**

$$F(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 7, 15, 14, 10)$$

Correct Option | Attempted

Solution: (A)

Solution: (i)

For AND gate we perform "intersection" of the minterms while for OR gate we perform "union of the minterms"

The intersection of F1 and F2 will be:

$$F1(W, X, Y, Z) = \Sigma(3, 2, 6, 10) \cap F2(W, X, Y, Z) = \Sigma(8, 9, 10, 11) = f1(W, X, Y, Z) = \Sigma(10)$$

The union of F3 and F4 will be:

$$F3(W, X, Y, Z) = \Sigma(0, 1, 5, 7) \cup F4(W, X, Y, Z) = \Sigma(2, 15, 14) = f2(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 7, 14, 15)$$

The union of f1 and f2 will be:

$$f1(W, X, Y, Z) = \Sigma(10) \cup f2(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 7, 14, 15) = F(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 7, 15, 14, 10)$$

Hence, the correct option is (iv)

B

$$F(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 7, 9, 10, 14, 15)$$

C

$$F(W, X, Y, Z) = \Sigma(0, 1, 2, 5, 15, 14, 10)$$

D

None of the above

Time taken to answer this question 00:01:29 hrs

Q.10)

Max Marks: 1

Which is the correct simplified expression in sum of product for the given function $F(W, X, Y, Z) = X'Y'Z' + XYZ' + WXYZ'$ with dont care, d is given as $X'YZ' + W'XY'Z'$

A

$$X'Z' + YZ'$$

Correct Option

Solution: (A)

Solution: (i)

The simplification of the function $X'Y'Z' + XYZ' + WXYZ'$ will be:

$$\Rightarrow WX'Y'Z' + W'X'Y'Z' + WXYZ' + W'XYZ' + WXYZ'$$

On removing redundant terms we will get:

$$\Rightarrow WX'Y'Z' (M_3) + W'X'Y'Z' (M_0) + WXYZ' (M_{14}) + W'XYZ' (M_6)$$

The simplification of the don't care expression $X'YZ' + W'XY'Z$ will be:

$$\Rightarrow WX'YZ' (M_{10}) + W'X'YZ' (M_1) + W'XY'Z (M_5)$$

Based on this the k-map will be:

WX'YZ	00	01	11	10
00	1			Φ
01		Φ		1
11				1
10	1			Φ

Since, there are two quads formed, hence the expression will be : $X'Z' + YZ'$

B

$$X'Z' + YZ'$$

C

$$W'Z' + YZ'$$

D

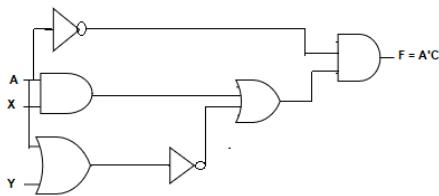
None of the above

Your answer is Wrong

Q.11)

Max Marks: 2

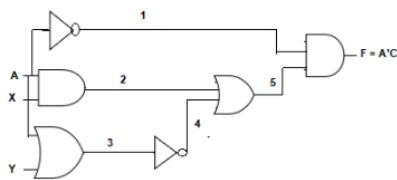
Determine the value of X and Y in the below given circuit implementation of function $F(A, B, C)$.

**A** $X = B'$, $Y = C$ **B** $X = B$, $Y = C'$

Correct Option

Solution: (B)

For the given circuit:

Expression at 1 will be: A' Expression at 2 will be: $A X$ Expression at 3 will be: $A + Y$ Expression at 4 will be: $(A + Y)' = A'Y'$ Expression at 5 will be $(2 + 4) : AX + A'Y'$ Final expression F will be: $A' . (AX + A'Y')$.

On simplifying this we will get:

$$\Rightarrow A' AX + A' A' Y'$$

$$\Rightarrow 0 + A' Y'$$

$$\Rightarrow A' Y'$$

Since final $F = A' C$ Therefore $Y' = C$ or $Y = C'$ and X could be either B, C, B' or C' Since, there is only 1 option with $Y = C'$. Hence, the correct option is (ii).**C** $X = C$, $Y = B$

Your answer is Wrong

D

None of the above

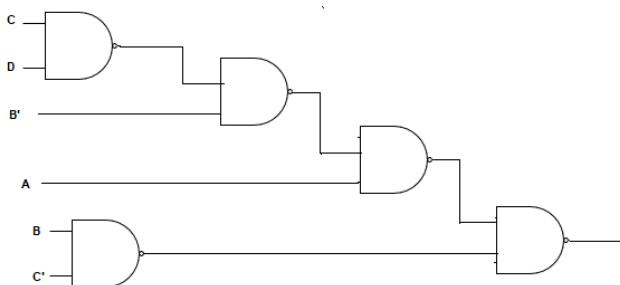
Q.12)

Max Marks: 2

The minimum number of NAND gates required to implement the function $F(A, B, C, D) = AB + ACD + BC'$ is _____.

NOTE: Only 2 input NAND gates are available and both complemented and non complemented forms are available.

Correct Answer

Solution: (5)**Solution:** 5Following will be the realization of the expression $AB + ACD + BC'$ 

Your Answer is wrong (3)

Q.13)

Max Marks: 2

Which of the following statements are correct?

- I. The complement of boolean expression $[(XY)'X][(XY)'Y]$ could be reduced to 1.
- II. In Switching expressions, inversion and cancellation is allowed i.e. $X + Y = X + Z$

 A Only I

Correct Option

Solution: (A)

Solution: (i)

- I. For the given expression complement will be

$$([(XY)'X][(XY)'Y])'$$

$$\Rightarrow [(XY)'X] + [(XY)'Y]$$

$$\Rightarrow [((XY)')' + X'] + [((XY)')' + Y']$$

$$\Rightarrow XY + X' + XY + Y'$$

$$\Rightarrow XY + X' + Y'$$

$$\Rightarrow (X + X')(Y + X') + Y'$$

$$\Rightarrow Y + X' + Y' // (X + X') = 1$$

$$\Rightarrow 1 // (Y + Y') = 1$$

Hence, this is true.
- II. In Switching expressions, inversions and cancellation of variables is not allowed i.e. $X + Y = X + Z$ is not allowed as we cannot cancel from LHS and RHS.

 B Only II C Both I and II D Neither I nor II

Your answer is Wrong

Q.14)

Max Marks: 2

The minimum number of bits required to represent -32 in signed 2's complement form are _____

Solution: (6)

Solution: 6

Since the range of the signed 2's complement numbers are $-2^{(n-1)}$ to $2^{(n-1)} - 1$
 $\Rightarrow -2^{(n-1)} \leq -32$
 $\Rightarrow 2^{(n-1)} \geq 32$
 $\Rightarrow 2^{(n-1)} \geq 2^5$
 $\Rightarrow n - 1 = 5$
 $\Rightarrow n = 6$

Q.15)

Max Marks: 2

Consider the following lists I and II:

List I	List II
a. $a'b'c' + a'b'c$ is dual of	1. $ab + a'c + bc$
b. $a'b'c + a'bc + ab'$ could be minimized as	2. $(a' + b + c)(a' + b' + c')$
c. Complement of $ab'c' + abc$ is	3. $(a' + b + c')(a' + b' + c)$
d. $ab + a'c$ is minimal form of	4. $a'c + ab'$

Which of the following matching is correct about list I and list II?

 A a - 2, b - 4, c - 3, d - 1 B a - 2, b - 1, c - 3, d - 4 C a - 3, b - 4, c - 2, d - 1

Correct Option | Attempted

Solution: (C)

Solution: (iii)

- a. The dual of $a'b'c' + a'bc$ is $(a' + b + c') + (a' + b' + c) \Rightarrow$ option 3 from list II

- b. $a'b'c + a'bc + ab'$ could be minimized as $\Rightarrow a'c(b + b') + ab' \Rightarrow a'c + ab' \Rightarrow$ option 4 from list II
- c. Complement of $ab'c' + abc$ is $(a' + b + c)(a' + b' + c') \Rightarrow$ option 2 from list II
- d. $ab + a'c$ is minimal form of $\Rightarrow ab + a'c + bc$
 $\Rightarrow ab + a'c + bc$
 $\Rightarrow ab + a'c + bc(a + a')$
 $\Rightarrow ab + a'c + abc + a'bc$
 $\Rightarrow ab(1 + c) + a'c(1 + b)$
 $\Rightarrow ab + a'c$

Hence, the correct option is (iii)

D

a - 3, b - 1, c - 2, d - 4

Time taken to answer this question 00:03:08 hrs

close