

7a). Given $n = 55$, Mean of the sample = 11.0 g/100ml ; std deviation = 2.1 g/100ml and mean of the population = 10.2 g/100ml

H_0 mean = 10.2 g/100ml
 H_a mean $< > 10.2 \text{ g/100ml}$

Code :- library (visualize)

$$z\text{value} = (11 - 10.2) / (2.1 / \sqrt{55})$$

zvalue

pnorm (zvalue)

dnorm (zvalue)

$$\text{pnorm}(2.825218) - \text{pnorm}(-2.825218)$$

qnorm (0.05)

Visualize.nrm (stat = zvalue, mu = 0,
sd = 1, section = "upper")

7b) # Example bottles are being produced with mean 151.8 and $sd = 2$.

Sample of 100 bottles show the mean of 152. Check if the mean has increased

$$H_0 = 150$$

$$H_A > 150$$

library (visualize)

$$zvalue = (152 - 151.8) / (2 / \sqrt{100})$$

zvalue

qnorm (0.95)

qnorm (0.05)

visualize, norm (stat = zvalue, mu = 0, sd = 1, section = "upper")