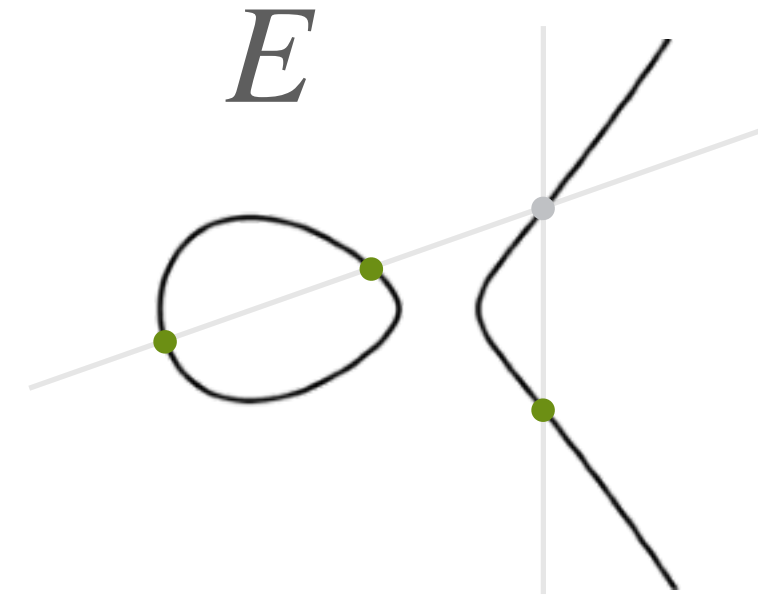


PART 1

SQLsign

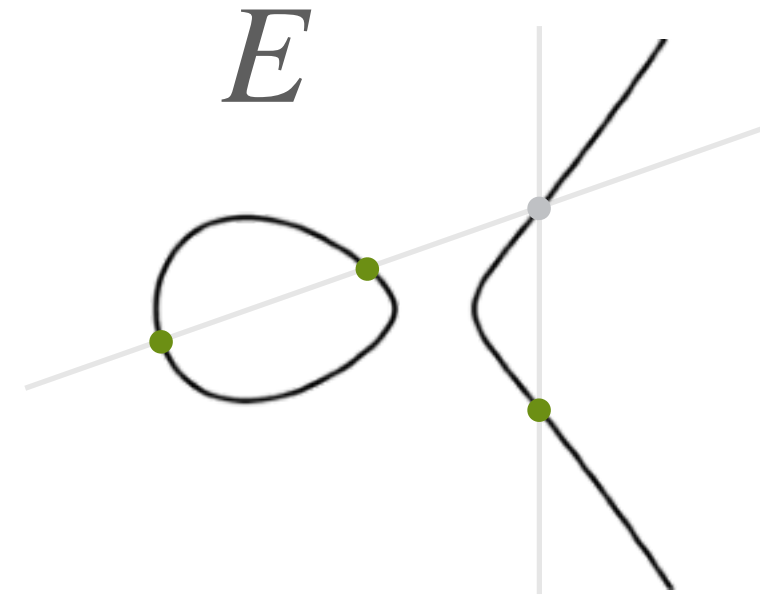


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- multiplication-by- n , so $[n] : P \mapsto P + \dots + P$ for any $n \in \mathbb{Z}$
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- we write this as $\mathbb{Z} + \pi\mathbb{Z} \subseteq \text{End}(E)$

Note: applying π twice gives $\pi^2 = [-p]$, so no “new” endom.