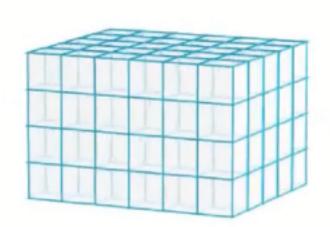


## 3-tensor

Can think of a matrix code as a 3-tensor over  $\mathbb{F}_q$ 

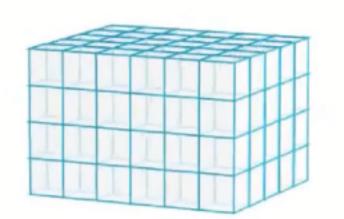
Equivalence then becomes tensor isomorphism

$$\mathscr{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$



$$\mathcal{D} \subseteq \mathbb{F}_q^{m \times n \times k}$$







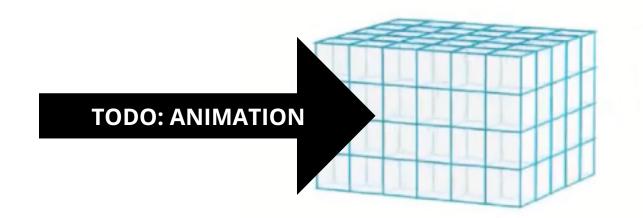


## symmetry

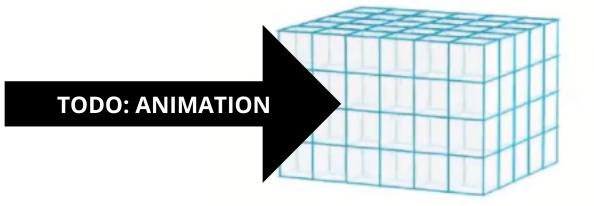
Viewed as a 3-tensor, we can see & from three directions

- an k-dimensional code in  $\mathbb{F}_q^{m \times n}$
- an m-dimensional code in  $\mathbb{F}_q^{n \times k}$
- an n-dimensional code in  $\mathbb{F}_q^{m \times k}$

$$\mathscr{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$



$$\mathscr{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$



$$\mathscr{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$

