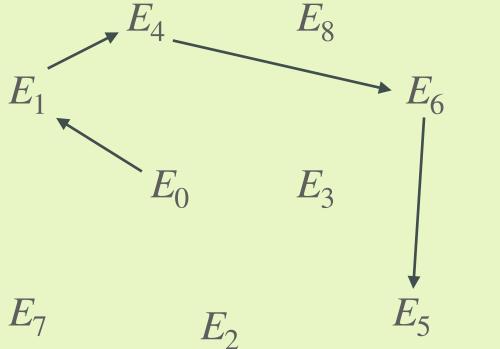
PART 1 SQIsign

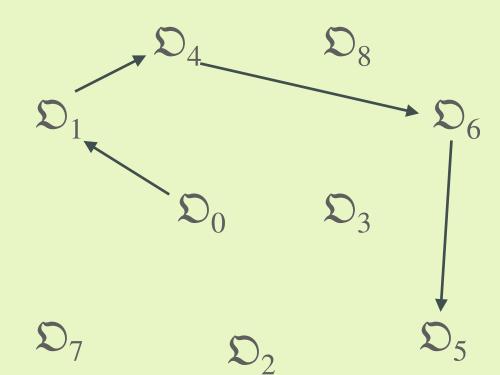
Fact: Given $\operatorname{End}(E_a)$ and $\operatorname{End}(E_2)$ you can compute $\varphi_3: E_a \to E_2$

Deuring correspondence

world of supersingular curves



Equivalence of categories $E \mapsto \operatorname{End}(E) \cong \mathfrak{D}$



and this continues for the *norm*,

the dual, equivalence, multiplication...

world of maximal orders

curve-order dictionary

| supersingular curves | quaternion orders |
|------------------------------------|---|
| curve E (up to Galois conjugacy) | maximal order © (up to isomorphism) |
| isogeny $\varphi:E_1 	o E_2$ | integral ideal I_{φ} that is left \mathfrak{D}_1 -ideal and right \mathfrak{D}_2 -ideal |
| endomorphism $\psi: E \to E$ | principal ideal (β) ⊂ \$\mathcal{D}\$ |



and this continues for the degree,

the dual, equivalence, composition...

PART 1 SQIsign

SQIsign

A new isogeny-based signature scheme, with **high soundness**.

SQIsign2

A new algorithm to translate ideals to isogenies.