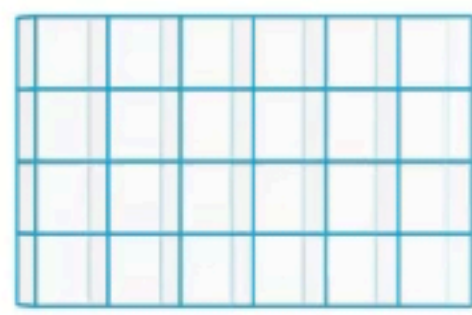
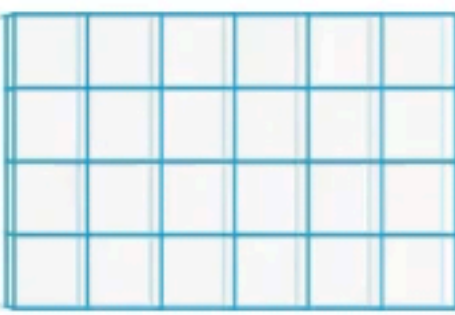
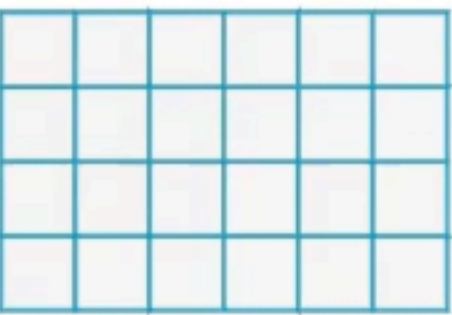
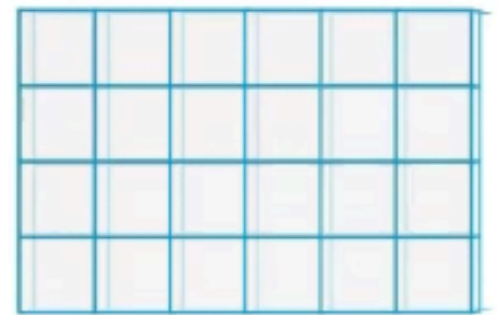


1



Matrix Code Equivalence





G1

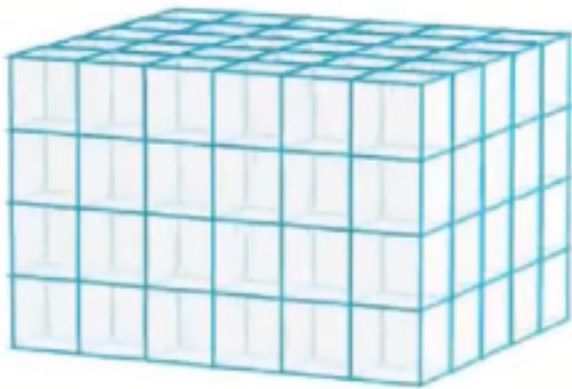
C₂

CS

C4

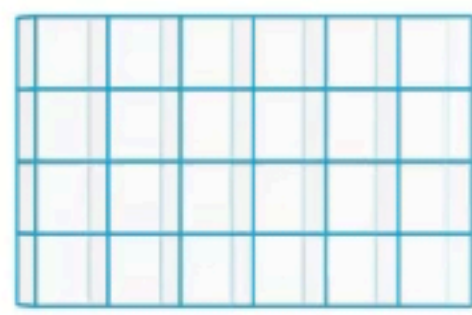
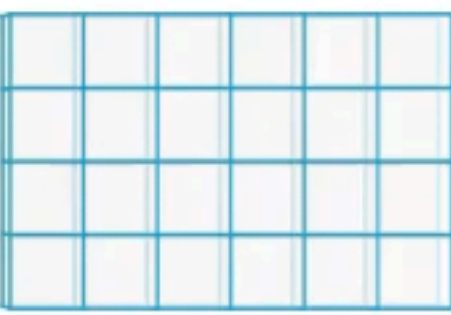
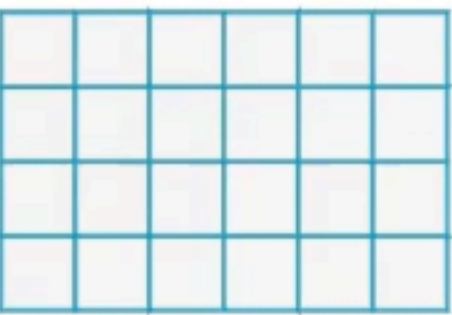
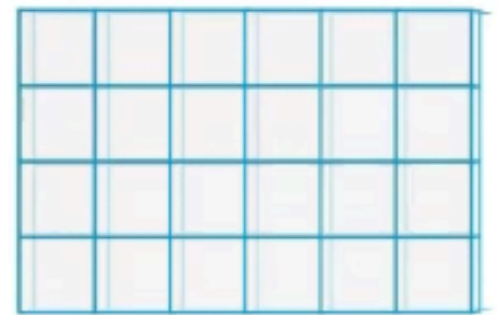
CS

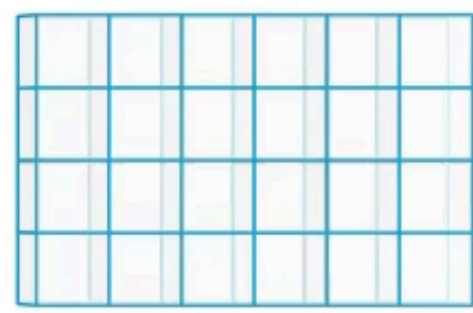
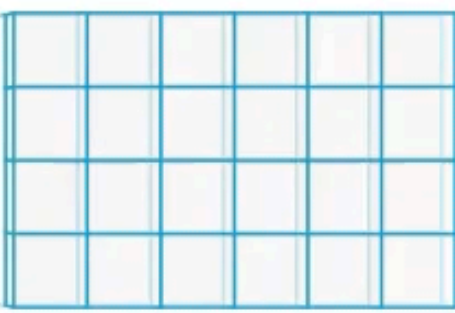
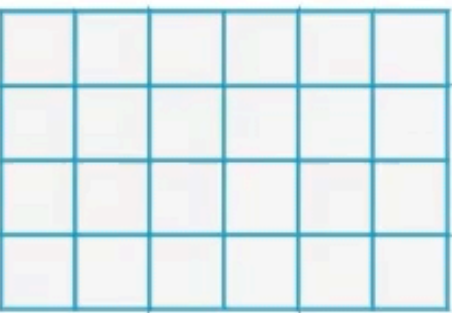
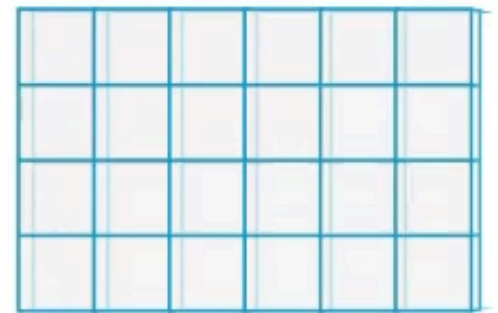
$$\mathcal{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$

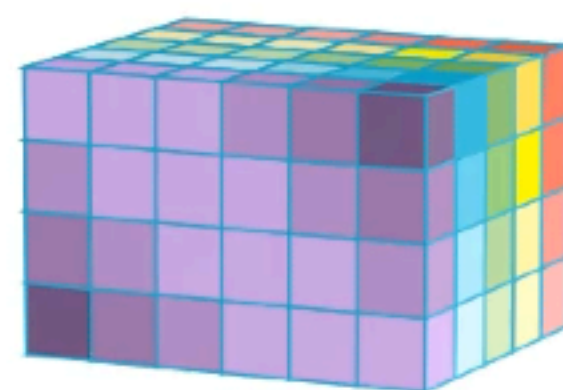


3-tensor

Can think of a matrix code as a 3-tensor over \mathbb{F}_q







$$\mathcal{C} \subseteq \mathbb{F}_q^{m \times n \times k}$$

Equivalent then becomes tensor isomorphic