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# Matrix Code Equivalence

fontnotes

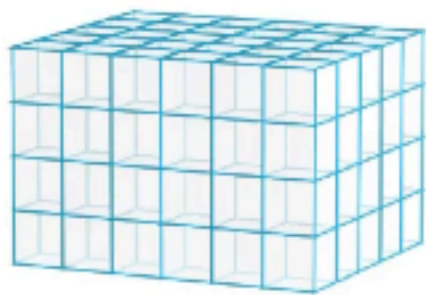




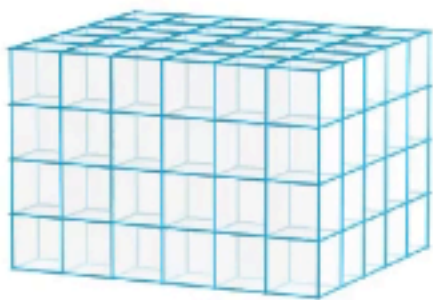
**symmetry**

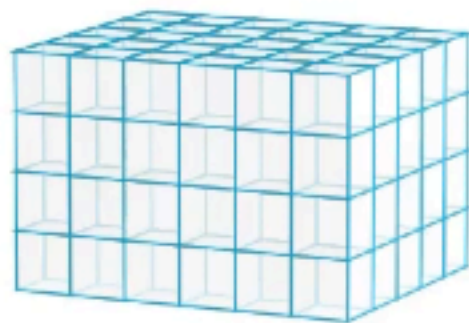
Viewed as a 3-tensor, we can see  $\mathcal{C}$  from three directions

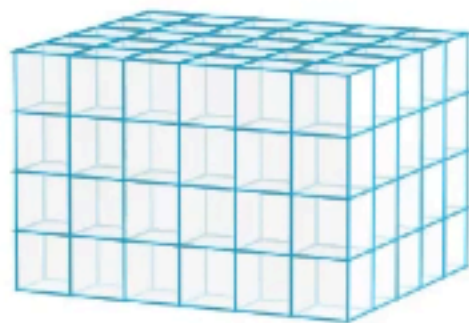
- an  $k$ -dimensional code in  $\mathbb{F}_q^{m \times n}$
- an  $m$ -dimensional code in  $\mathbb{F}_q^{n \times k}$
- an  $n$ -dimensional code in  $\mathbb{F}_q^{m \times k}$

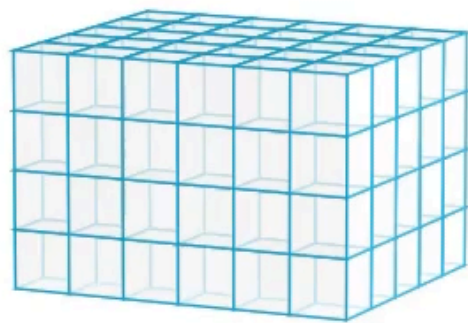


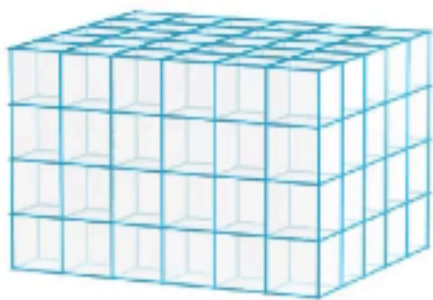


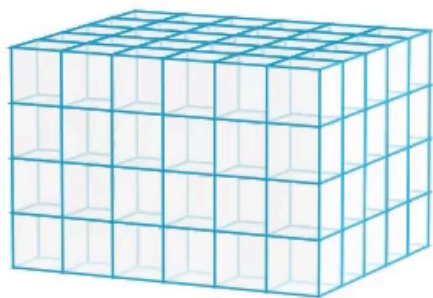




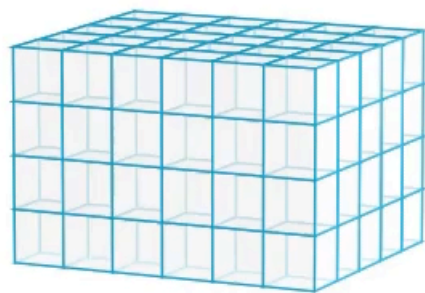














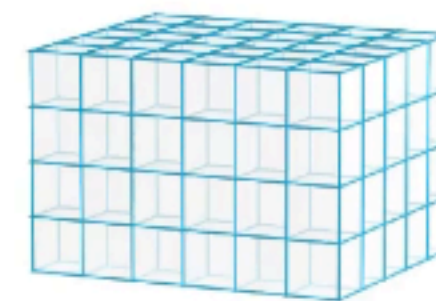
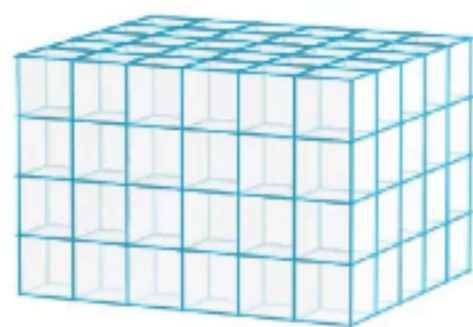


## Matrix Code Equivalence

### symmetry

Viewed as a 3-tensor, we can see  $\mathcal{C}$  from three directions

- an  $k$ -dimensional code in  $\mathbb{F}_q^{m \times n}$
- an  $m$ -dimensional code in  $\mathbb{F}_q^{n \times k}$
- an  $n$ -dimensional code in  $\mathbb{F}_q^{m \times k}$



# From MCE to MEDS

MEDS

