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$$t_{[m]} : E(\mathbb{F}_q) \to \mu_m^2, \qquad Q \mapsto \left(t_2(P_1, Q), t_2(P_2, Q) \right).$$

For $Q \in E(\mathbb{F}_q)$, we say that $t_{[m]}(Q)$ is the *m-profile* of Q. When $t_{[m]}(Q) = (1,1)$, we say the profile is *trivial*.

La Siesta (1982)

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If the Tate pairing t_m is bilinear, then the Tate profile $t_{[m]}$ is linear.

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