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The kernel is *cyclic* if every point in $\ker \varphi$ is a multiple of some *generator* $K \in \ker \varphi$. Then, for $n = \deg \varphi$,

$$\ker \varphi = \{\ K,\ [2]K,\ [3]K,\ \ldots,\ [n]K\ \}$$