

Dimension reduction	If the points do not fill the canvas fully, it means that it lives in a lower dimension. The higher the dimension, the more concentration of points in the centre
Principle component	· A smaller set of variables that contains as much information as the original as possible
analysis	· A sequence of linear combinations of variables that have maximal variance, and are nutually uncorrelated
	Construction of PC1.
	Line rotation until it has the greatest variance in the data
	PC1 is a new variable created from a linear combination
	$z_1 = \phi_1 \kappa_1 + \phi_{21} \kappa_2 + \dots + \phi_{p_1} \kappa_{p_1}$, with constraint on $\sum_{j=1}^{n} \phi_{j_1}^2 = 1$
	loading
	Loading verter to the direction in the feature sacre
	Loading vector $\phi = [\phi_{11}, \dots, \phi_{p+1}]^T$, set the direction in the feature space
	$\frac{Z_{\cdot} = \phi \kappa_{\cdot} + \phi \kappa_{\cdot} + \phi \kappa_{\cdot} + \dots + \phi \kappa_{\cdot} \kappa_{\cdot}}{(1 - 1)!} \kappa_{\cdot} + \dots + \phi \kappa_{\cdot} + \dots + \phi \kappa_{\cdot} \kappa_{\cdot} + \dots + \phi \kappa_{\cdot} + \dots$
	Construction of PC2
	· Line orthogonal (perpendicular) to PC1, with next highest variance
	The state of the s
	$\frac{Z_{i2} = \phi_{12} \kappa_{i1} + \phi_{22} \kappa_{i2} + \dots + \phi_{p2} \kappa_{ip}}{12}$
	· There are at most min (n-1, p) PCs
	data - in - the - model - space
	PC2
	(adapted from Brendi A github)
	Total variance:
	· If variables are standardised, TV = # of variables
	Proportion of variance explained:
	$PVE_{m} = \frac{V_{m}}{TV}$ / $CPVE_{m} = \sum_{n=1}^{k} \frac{V_{m}}{TV}$
	· Elbon rule
	· Scaling of variables matter, mean = 0, variance = 1
	· Outliers can affect results