

LinkedList - 2

TABLE OF CONTENTS

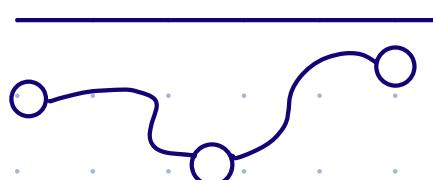
1. Revision
2. Middle point in Linked-list
3. Merge two sorted Linked-list
4. Merge sort in Linked-list
5. Check if there is a loop in Linked-list
6. Find the start point of the Loop



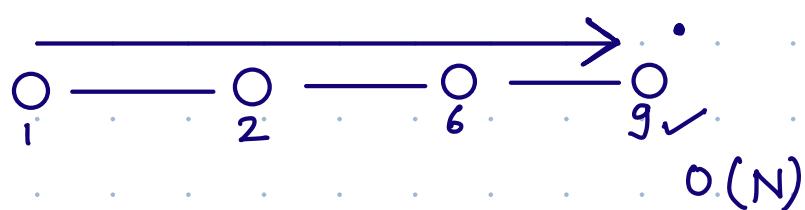


Revision!

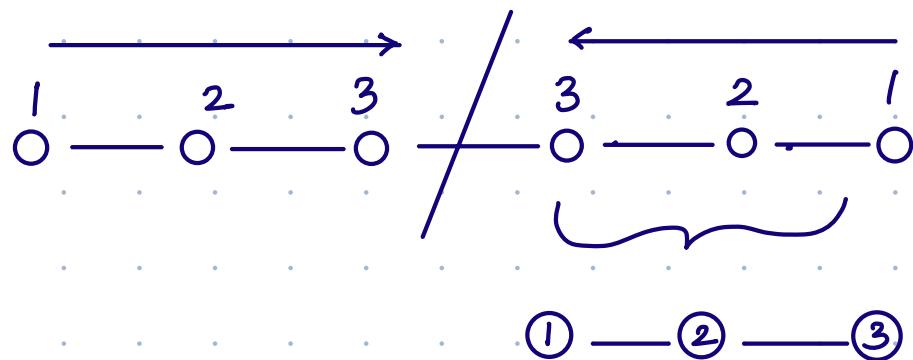
Q1



Q2

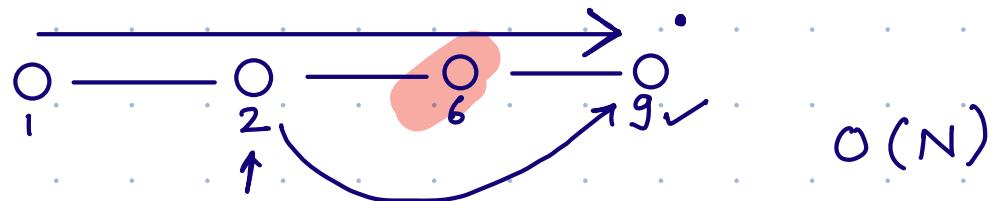


Q3



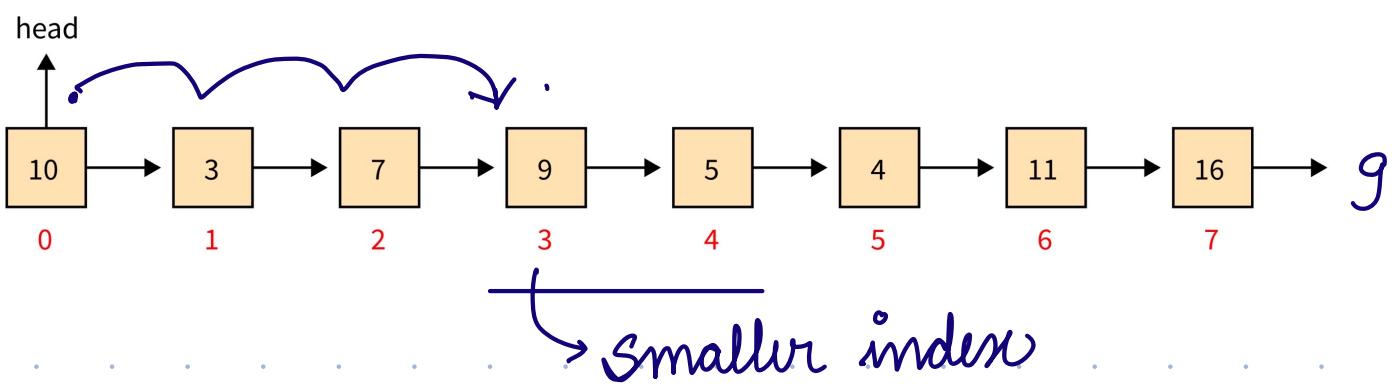
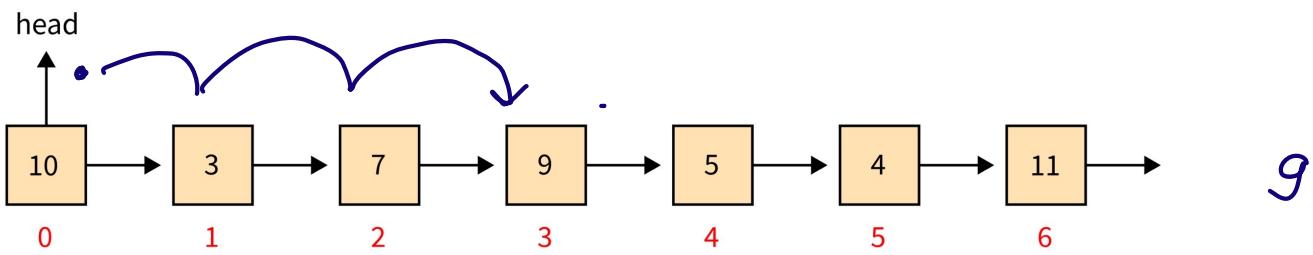
Q4

Delete





Middle of a Linked-list



BF Idea → Length of linked list = 7 $\rightarrow \frac{7}{2} = 3$
= 8 $\rightarrow \left(\frac{8-1}{2}\right) = \frac{7}{2} = 3$

2 Traversals

O(N)

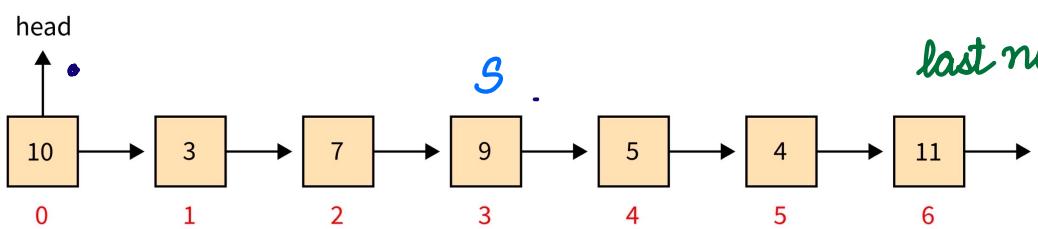
→ Traverse till middle node

Idea -2

Slow and Fast Pointer

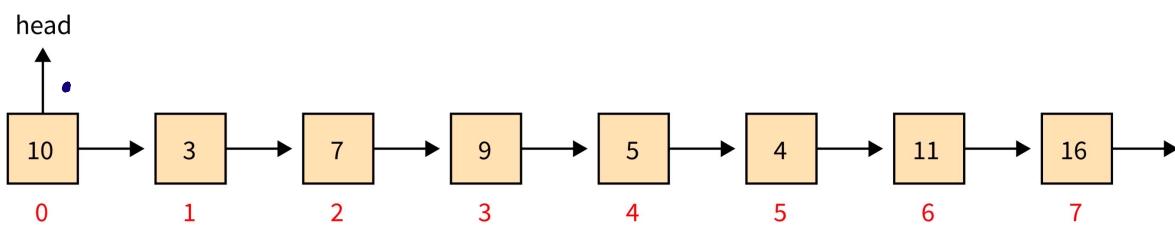
f

odd

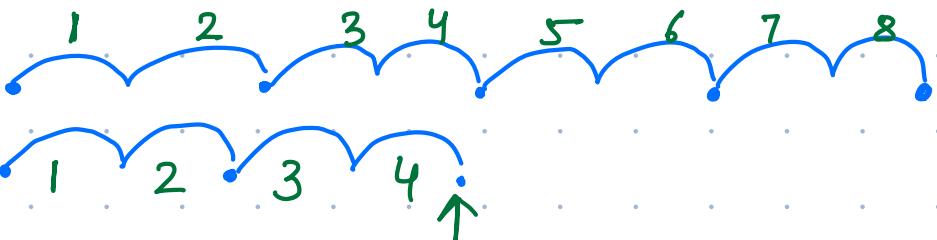


last node

even



second
last node



N/2 traversal

→ TC: O(N) → findMid(head)

fast = head

slow = head

while (fast.next != null)

if fast.next.next != null

fast = fast.next.next

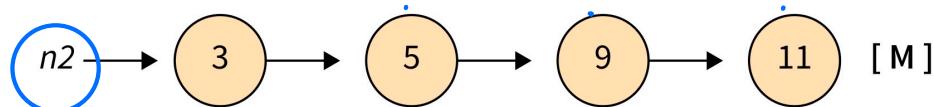
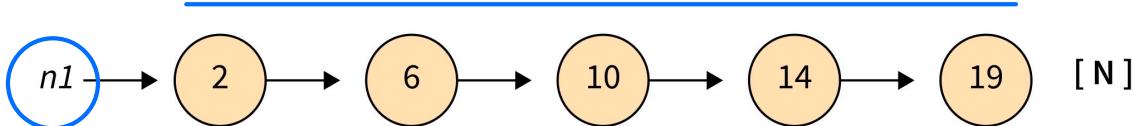
slow = slow.next

3

return slow



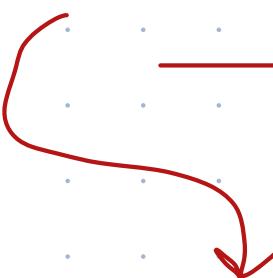
Merge Two Sorted Linked-list



2 - 3 - 5 - 6 - 9 - 10 - 11 - 14 - 19

n_1

head1 \rightarrow
NULL



head2 \rightarrow
12

anshead \rightarrow 1 - 2 - 3 - 5 - 10 - 11
current _____ ↑



</> Code

TC : $O(N + M)$
SC : $O(1)$

function Node mergeSortedLists (h1 , h2)
if h1 == null { return h2 }
if h2 == null { return h1 }

Node anshead = null

Node current = null

if (h1.data < h2.data) {
anshead = h1
current = h1
h1 = h1.next
}
else {
anshead = h2
current = h2
h2 = h2.next
}

```
while ( h1 != null and h2 != null ) {
```

```
    if ( h1.data < h2.data ) {
```

```
        current.next = h1
```

```
        current = h1
```

```
        h1 = h1.next
```

```
} else {
```

```
    current.next = h2
```

```
    current = h2
```

```
    h2 = h2.next
```

```
}
```

```
}
```

```
if ( h1 == null ) {
```

```
    current.next = h2
```

```
} else {
```

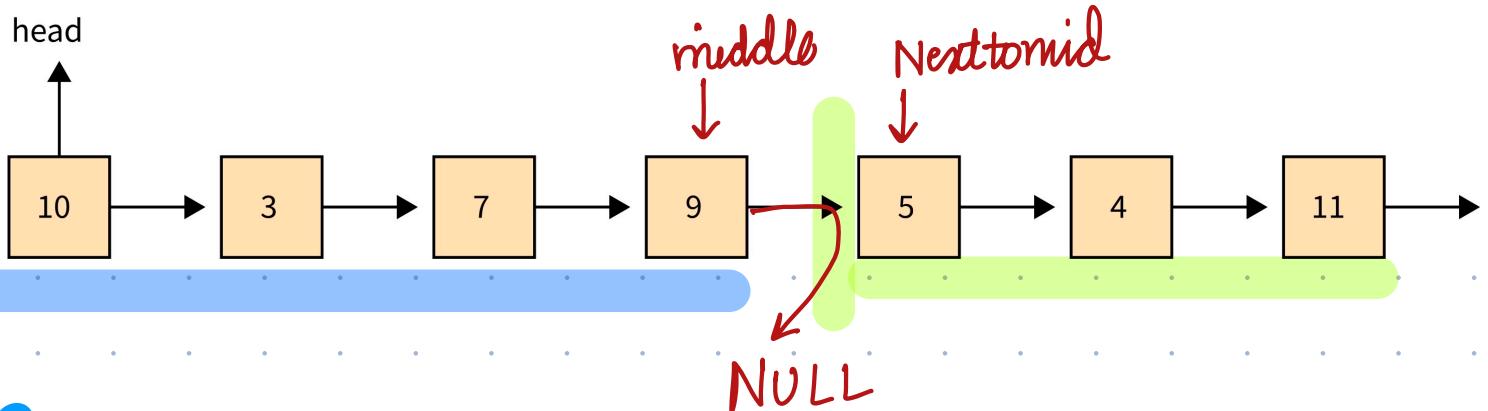
```
    current.next = h1
```

```
}
```

```
return anshead
```



Merge Sort a Linked-list



- Idea**
1. Find the middle node
 2. Make recursive calls to sort 1st half and 2nd half
 3. Finally, merge two sorted linked-list

</> Code

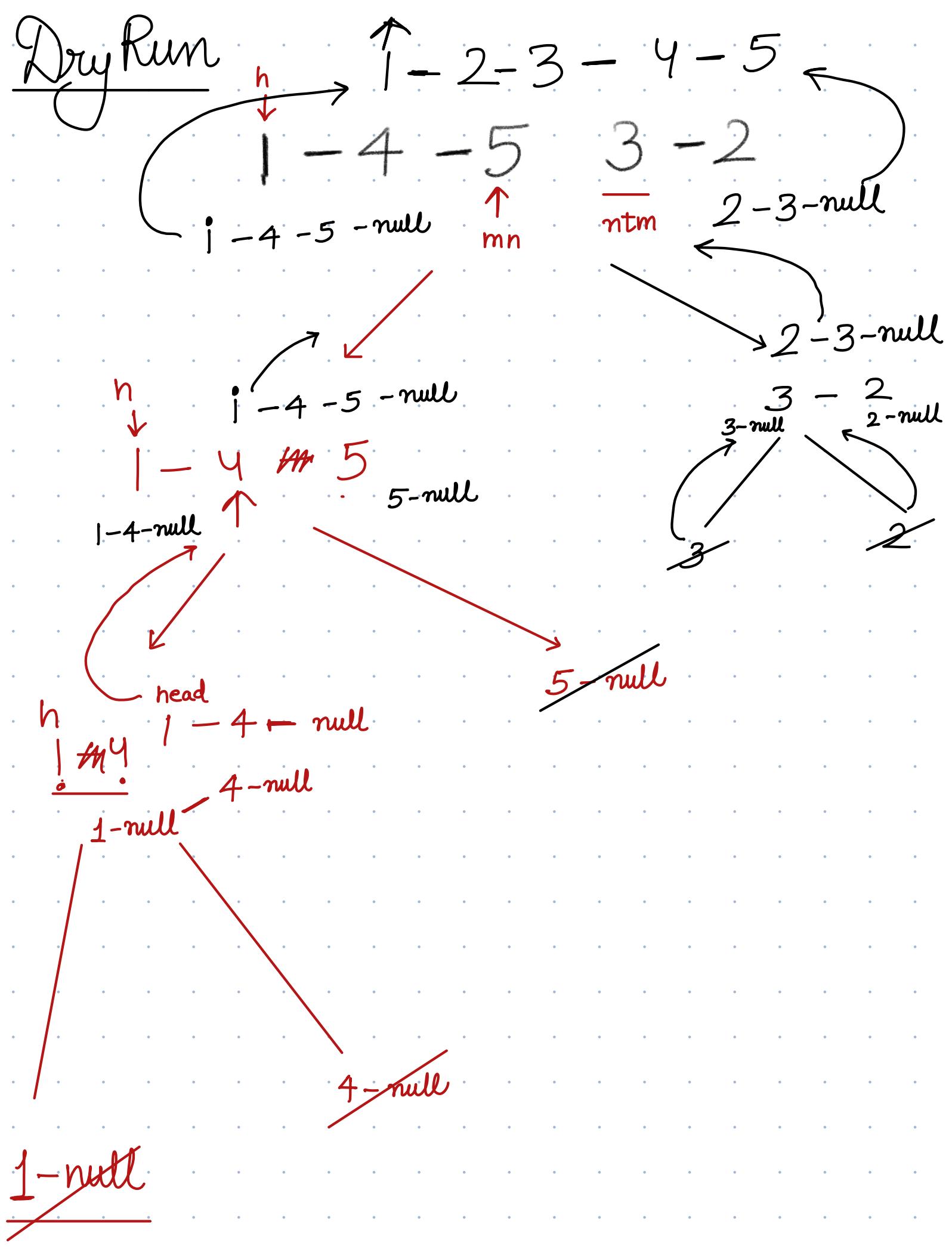
```
function mergeSort ( head ) {  
    if ( head == null || head.next == null ) { return; }  
  
    Node middle = findMid ( head );  
    nexttoMid = middle.next;  
    middle.next = null;  
  
    left = mergeSort ( head );  
    right = mergeSort ( nexttoMid );
```



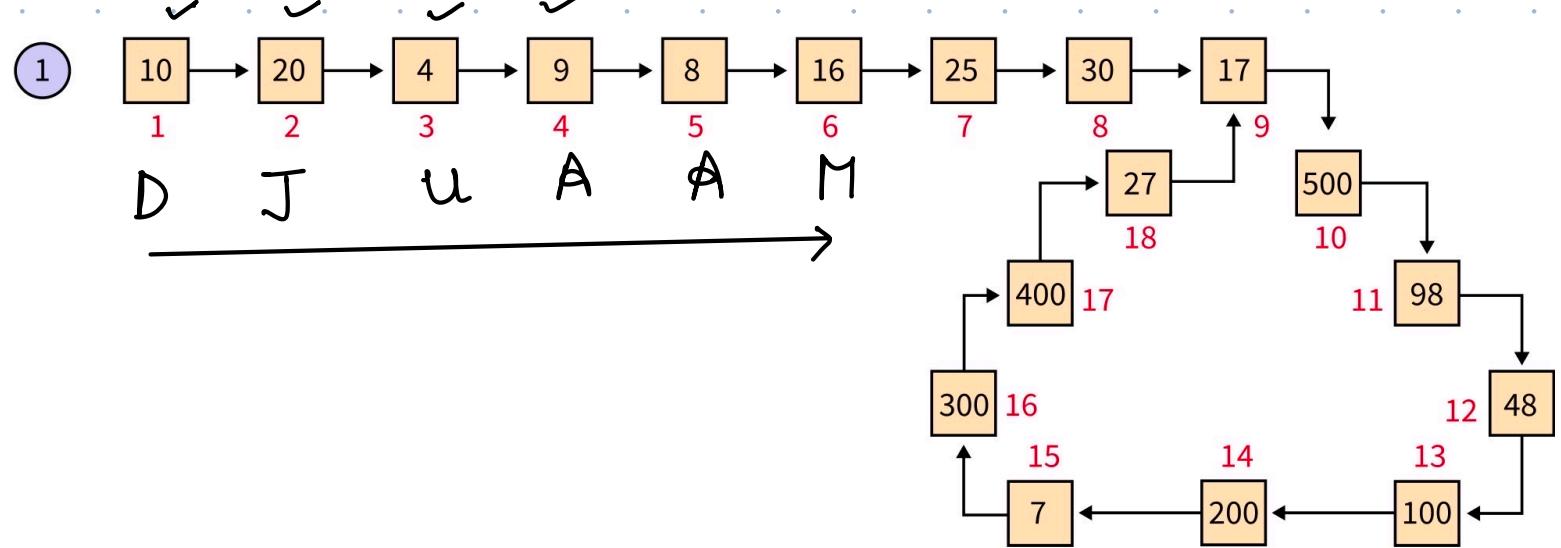
ans = mergeSortedLists (left, right)

return ans

}

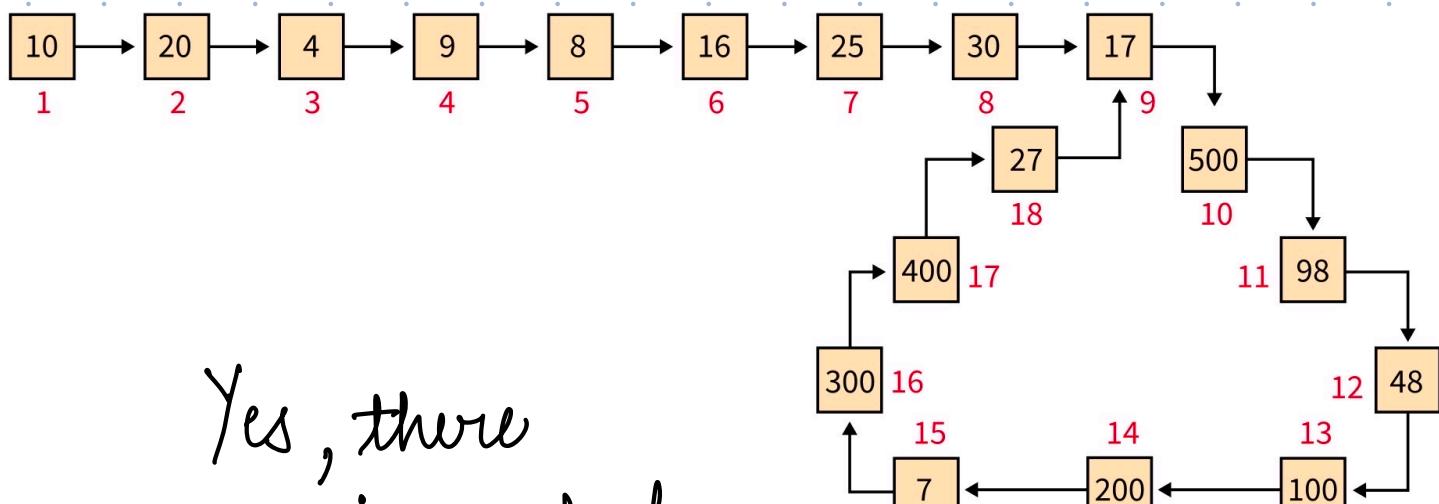


Google Maps

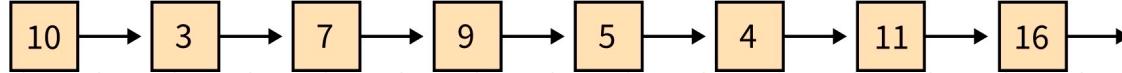


Check if there is a loop

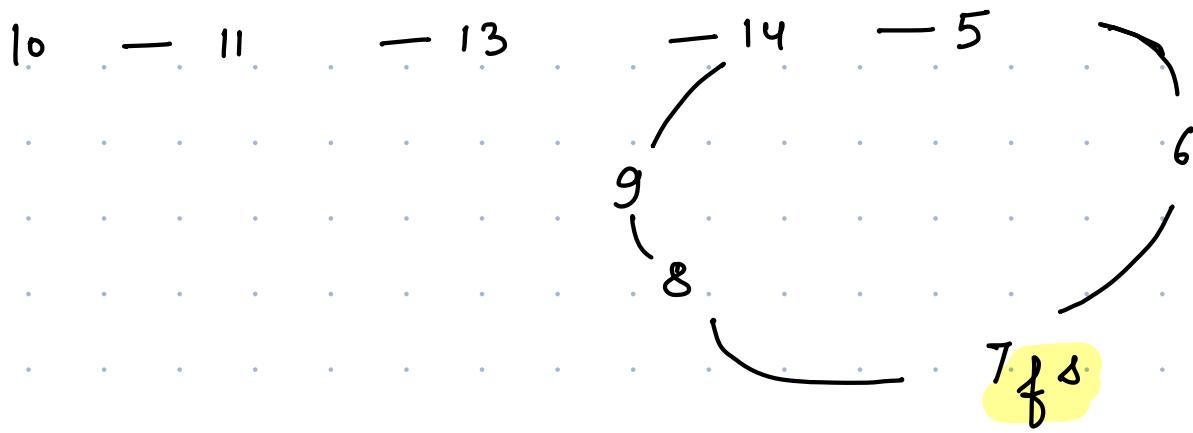
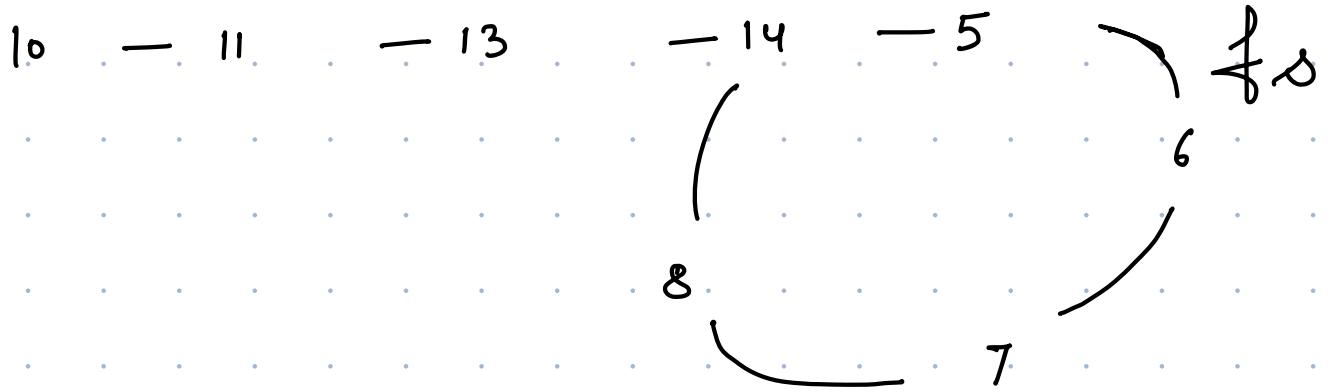
1



2



False! No loop



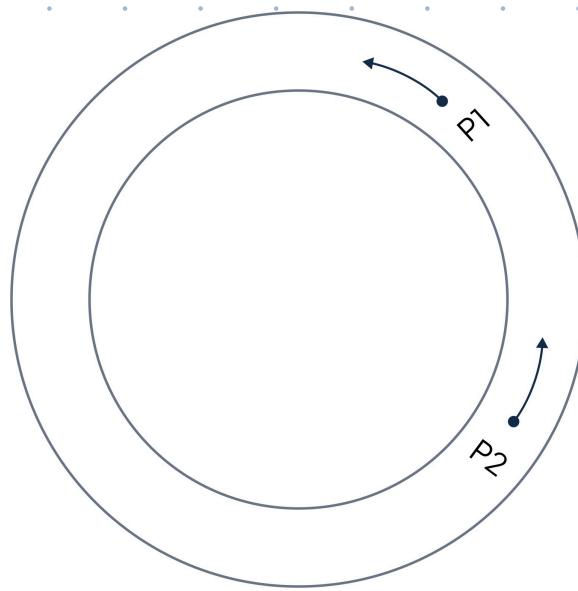
If there is a loop, then they will definitely coincide with each other.

$$+1 \longrightarrow$$

$$+2 \longrightarrow$$

**Idea -2**

- If two people are running with different speeds on a circular track, they will 100% meet at some point.



< / > Pseudo-Code

```
function hasCycle ( head ) {  
    slow = head  
    fast = head  
    while ( fast.next != null && fast.next.next != null ) {  
        if ( slow == fast ) { return true }  
        slow = slow.next  
        fast = fast.next.next  
    }  
    return false;  
}
```



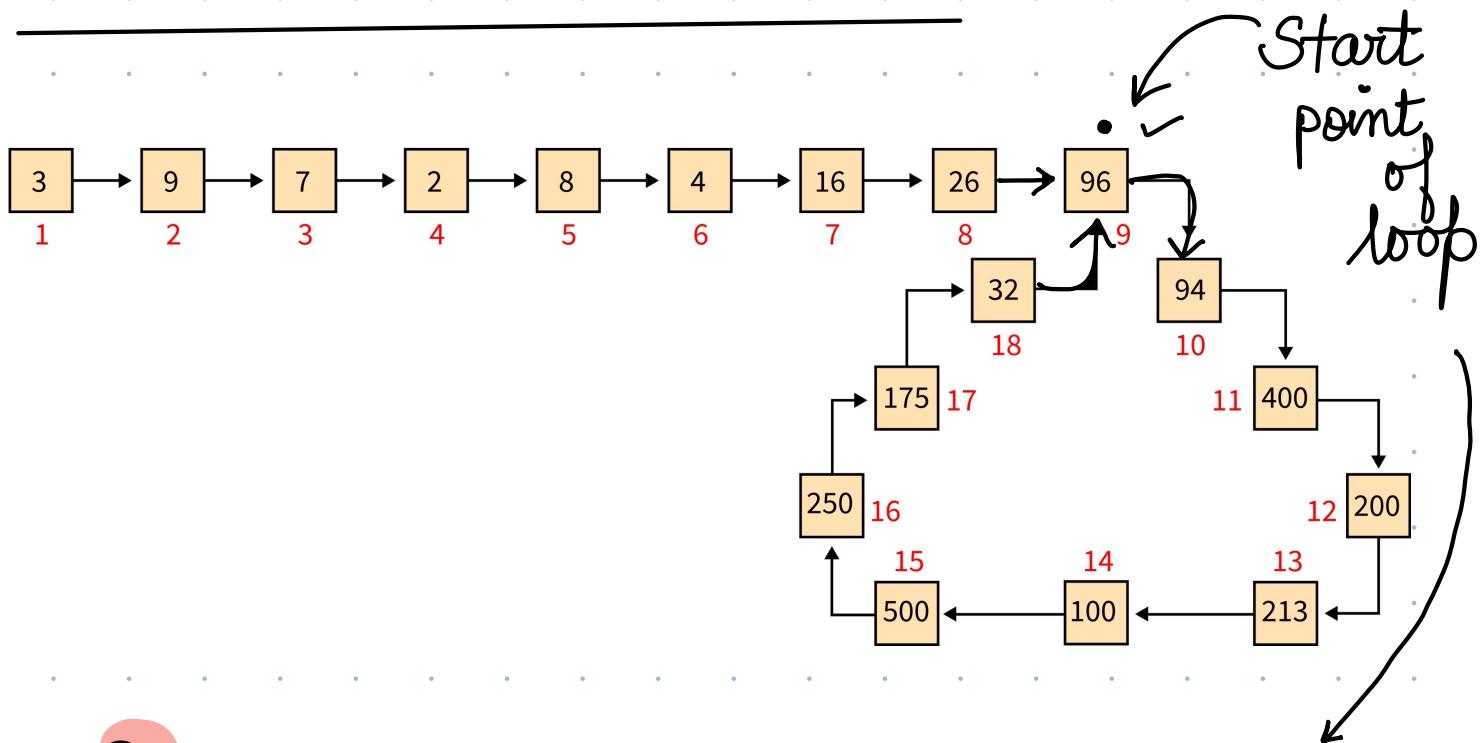
Next

interesting

part



★ Find the start point of the loop



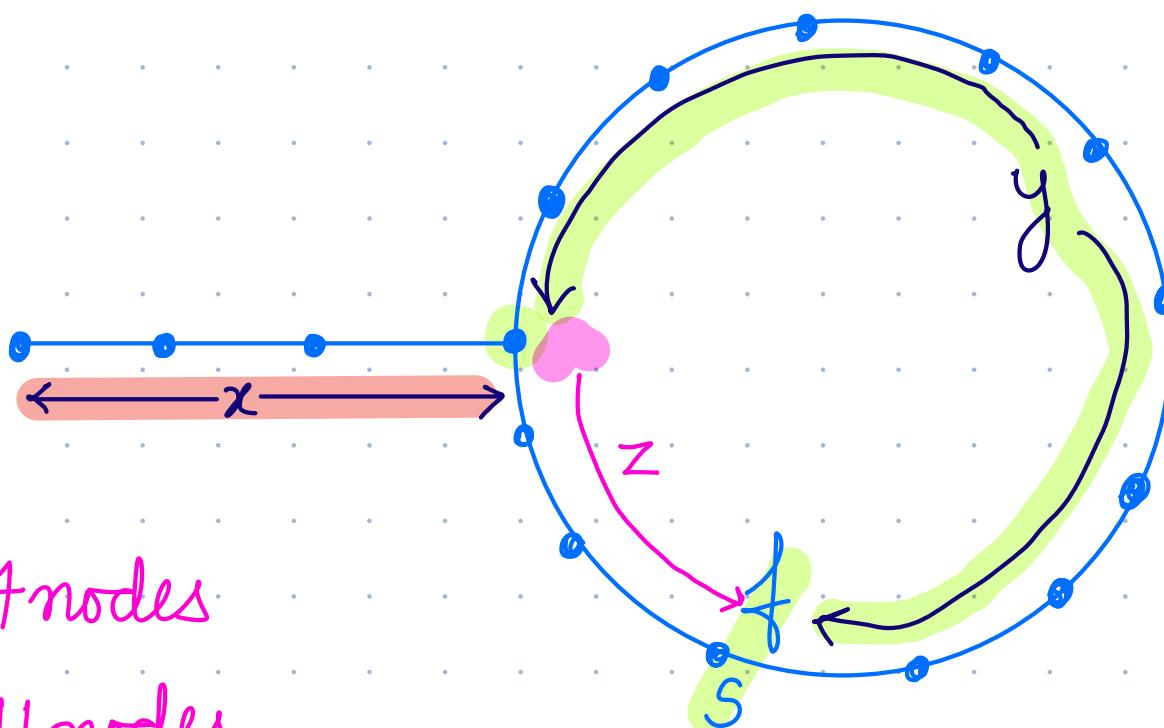
Brute force:

3
9
7
2
8
4
16
26

96
94

400 250
200 175
213 32
100 500

node → which
is pointed by
2 previous
nodes

Proof

$x = 4$ nodes

$y = 11$ nodes

$z = 4$ nodes

Floyd's Cycle Detection

$$\text{Slow} = x + y$$

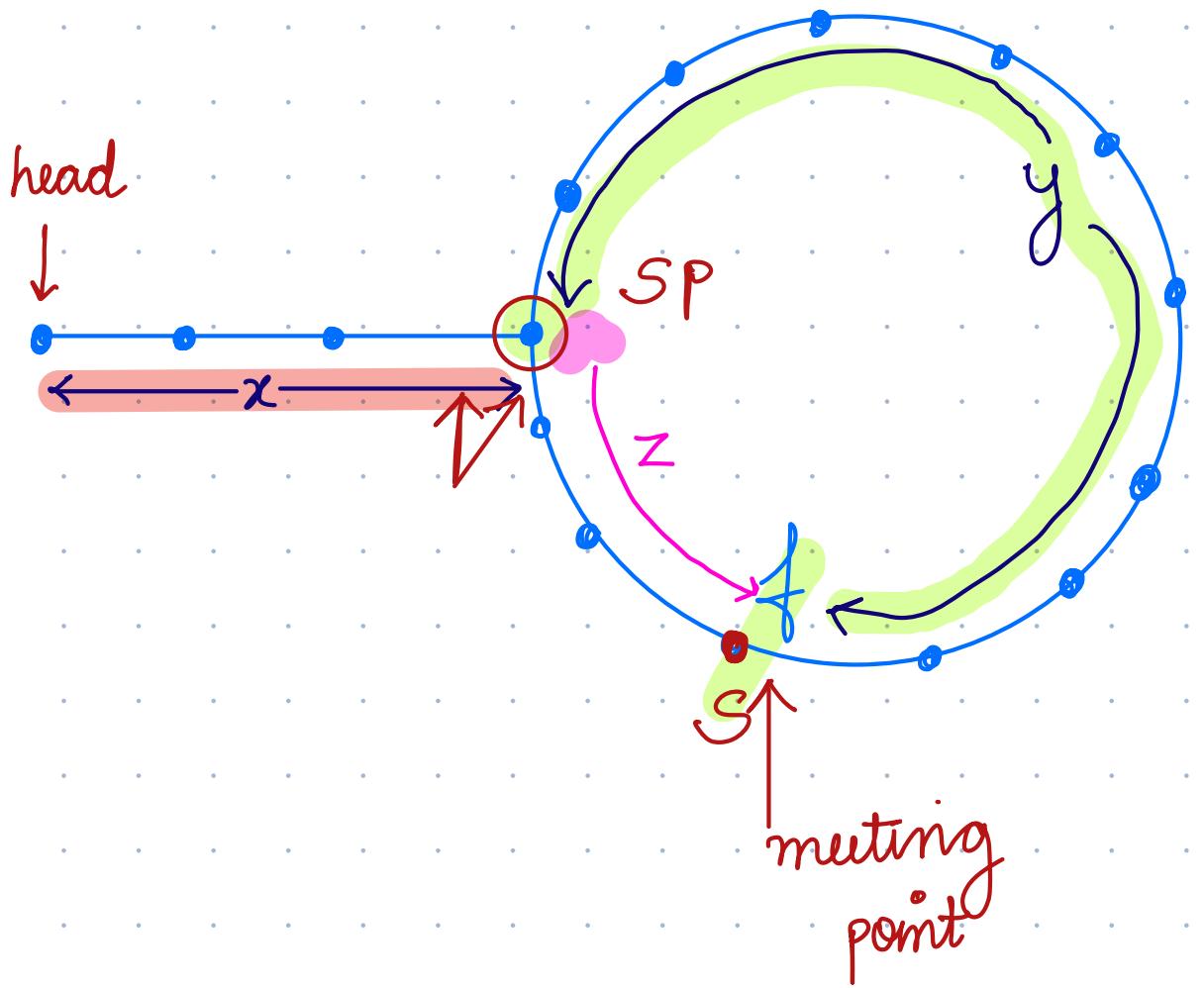
$$\text{fast} = x + y + z + y$$

fast has covered twice as many nodes as slow

$$2(x+y) = x+y + z + y$$

$$\cancel{x + x + y + y} = \cancel{x + y} + z + \cancel{y}$$

$$x = z$$



function detectCycleStart (head)

if (head == null || head . next == null)
 return null

slow = head

fast = head

hasCycle = false

while (fast . next != null && fast . next . next != null)

 if (slow == fast) {

 hasCycle = true
 break;

}

 slow = slow . next

 fast = fast . next . next

}

if (hasCycle == false) { return null }

.

slow = head

fast \leftarrow meeting point

while ($slow \neq fast$) {

 slow = slow.next

 fast = fast.next

}

return slow

TC: O(N)

SC: O(1)