

# CS 300 (Java) Modules 7–9 Practice Test – Answer Key & Explanations

## Part 1: Multiple Choice Answers

1. C)  $O(\log n)$

*Binary search halves the array each step, giving logarithmic complexity.*

2. B) Merge Sort

*Merge Sort uses recursion and is stable since it preserves order of equal elements.*

3. C) Stack overflow error

*Without a base case, recursion never stops, overflowing the call stack.*

4. C) Time increases roughly by the square of input size

*$O(n^2)$  means doubling input quadruples time.*

5. B) Binary Search

*Binary search is fastest for sorted data ( $O(\log n)$ ).*

6. B) Simpler code for divide-and-conquer problems

*Recursion simplifies problems like sorting and tree traversal.*

## Part 2: Trace the Code

7. Output: 3 2 1 1 2 3

Explanation: Each call prints before and after recursion. Sequence prints down from n to 1, then back up.

8. Output: 4 3 2 1 Blastoff!

Explanation: Each call prints n, then calls itself with n-1 until n == 0, then prints 'Blastoff!'.

## Part 3: Short Answer

9. Merge Sort vs Quick Sort:

- Merge Sort is **O(n log n)** in all cases and is **stable**.
- Quick Sort averages **O(n log n)** but can degrade to **O(n<sup>2</sup>)** worst case.
- Quick Sort usually uses less extra memory, while Merge Sort requires temporary arrays.

10. Big O notation measures how an algorithm's time or space grows with input size.

It's important because it lets programmers predict performance, compare algorithms, and choose efficient solutions for large data.

## Part 4: Free Response Question (FRQ)

11. Recursive method to sum digits:

```
public static int sumDigits(int n) {  
    if (n < 10) return n; // Base case  
    return (n % 10) + sumDigits(n / 10); // Recursive case  
}
```

Explanation: The base case handles single-digit numbers. The recursive case extracts the last digit ( $n \% 10$ ) and adds it to the sum of the remaining digits.