

# Ensemble Techniques

one of the weakness of using a single decision tree is that, that decision tree can be highly sensitive to small changes in data.

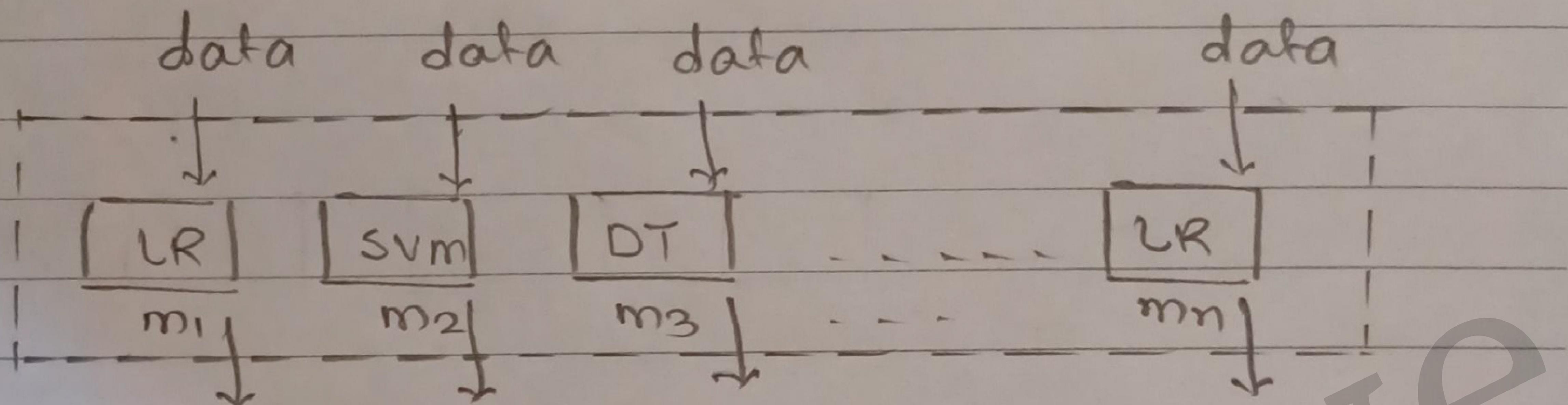
one solution to make the arrow less sensitive or more robust is to build not one decision tree, but to build a lot of decision tree and we call that a tree ensemble.

wisdom of crowd:

Refers to a phenomenon in which a group of people's collective opinion is more accurate than that of any individual member of the group.

Ensemble techniques are methods that involves training multiple models and combining their predictions to produce a more accurate result.

core idea: to combine the predictions of multiple models to produce a more accurate result.



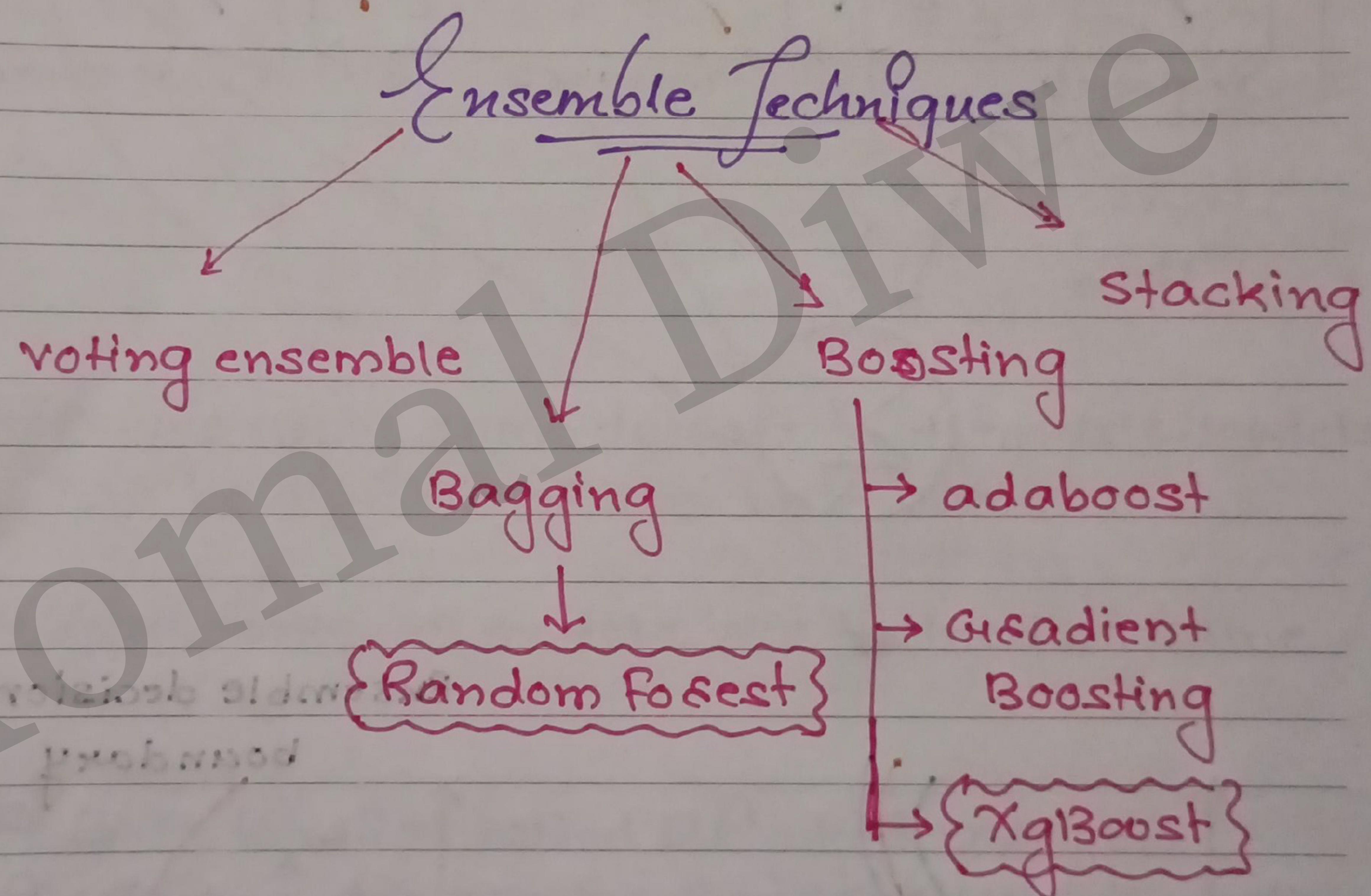
Condition:- Base model should be different. It can be can different in two forms.

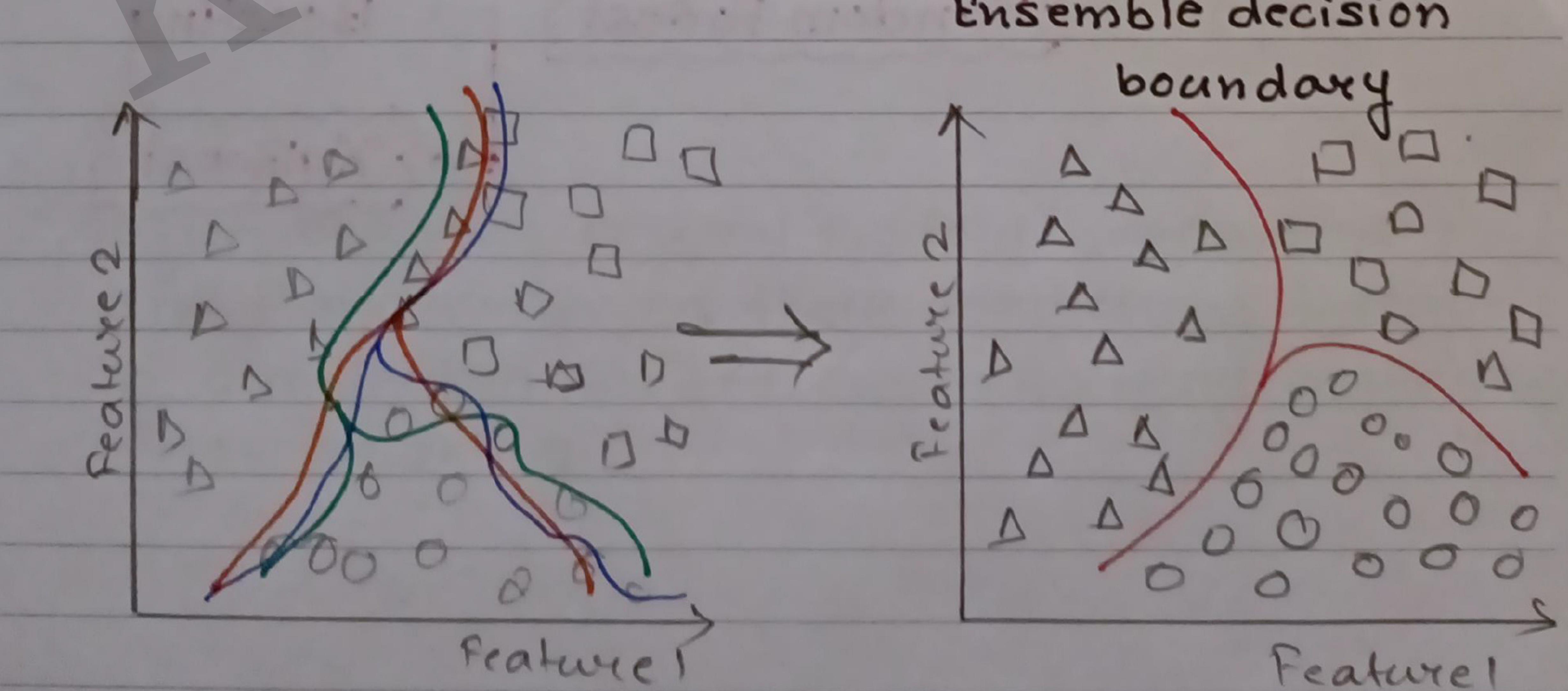
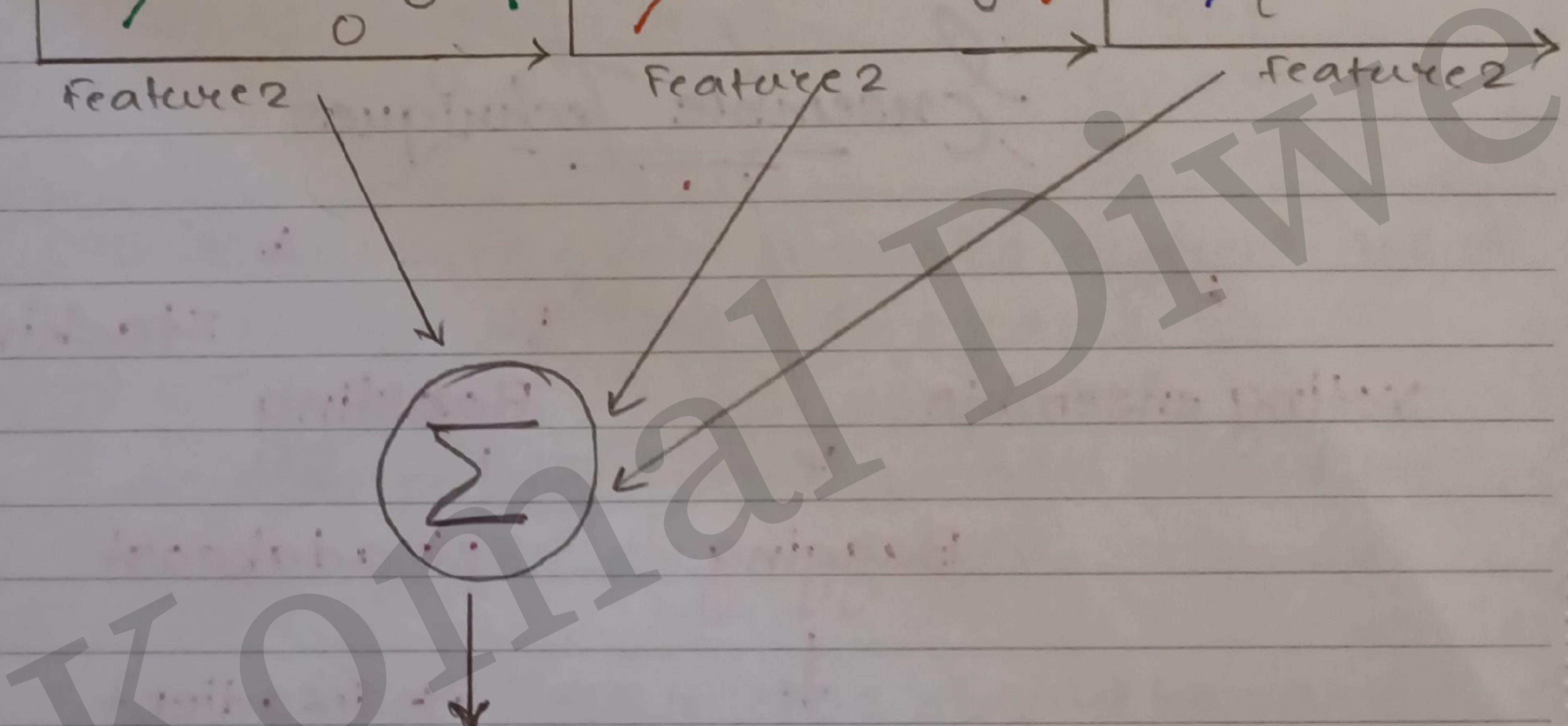
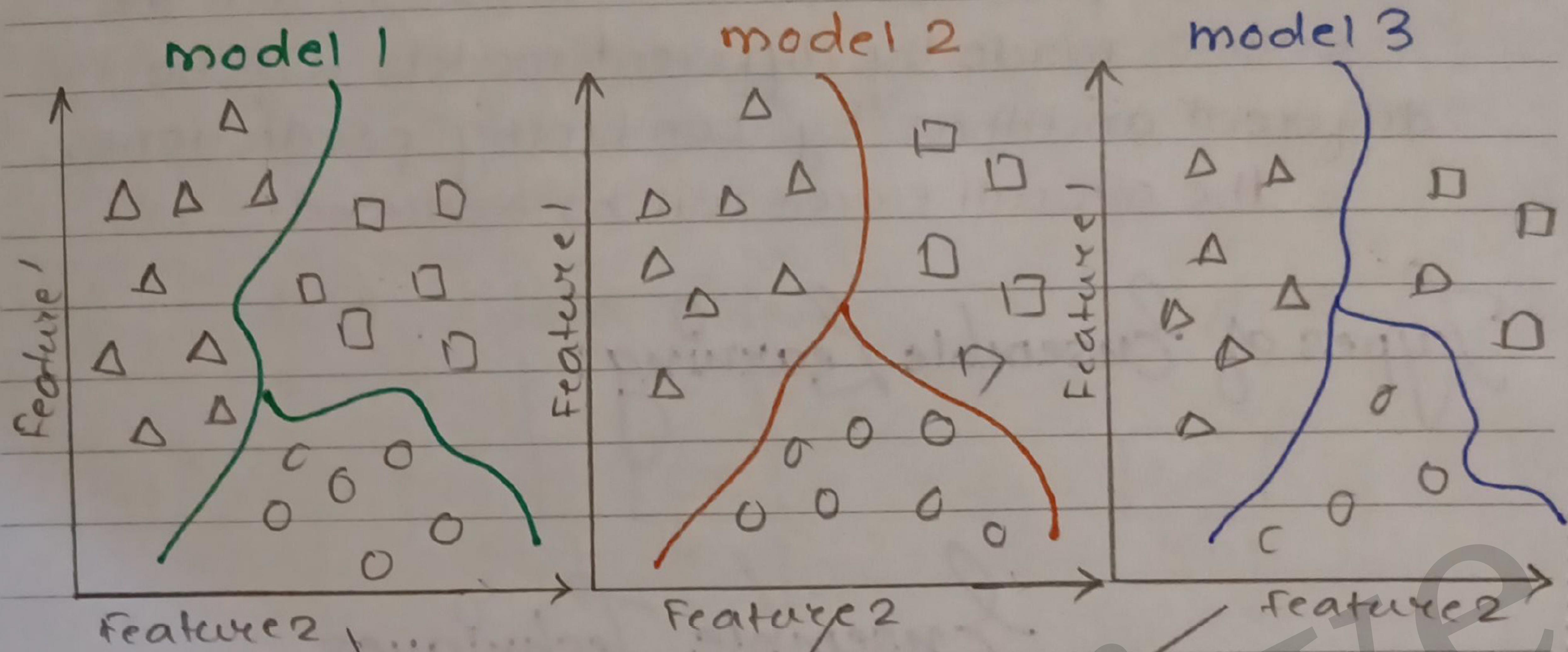
- ① all machine learning model should be different on same data → algorithms
- ② of all base models should be same but on different samples of data.

after training several models independently and then, combining their predictions through a combination method such as voting, averaging, or weighting.

The assumption behind this method is that the errors made by different models will be different and thus by combining predictions, the overall error will be reduced.

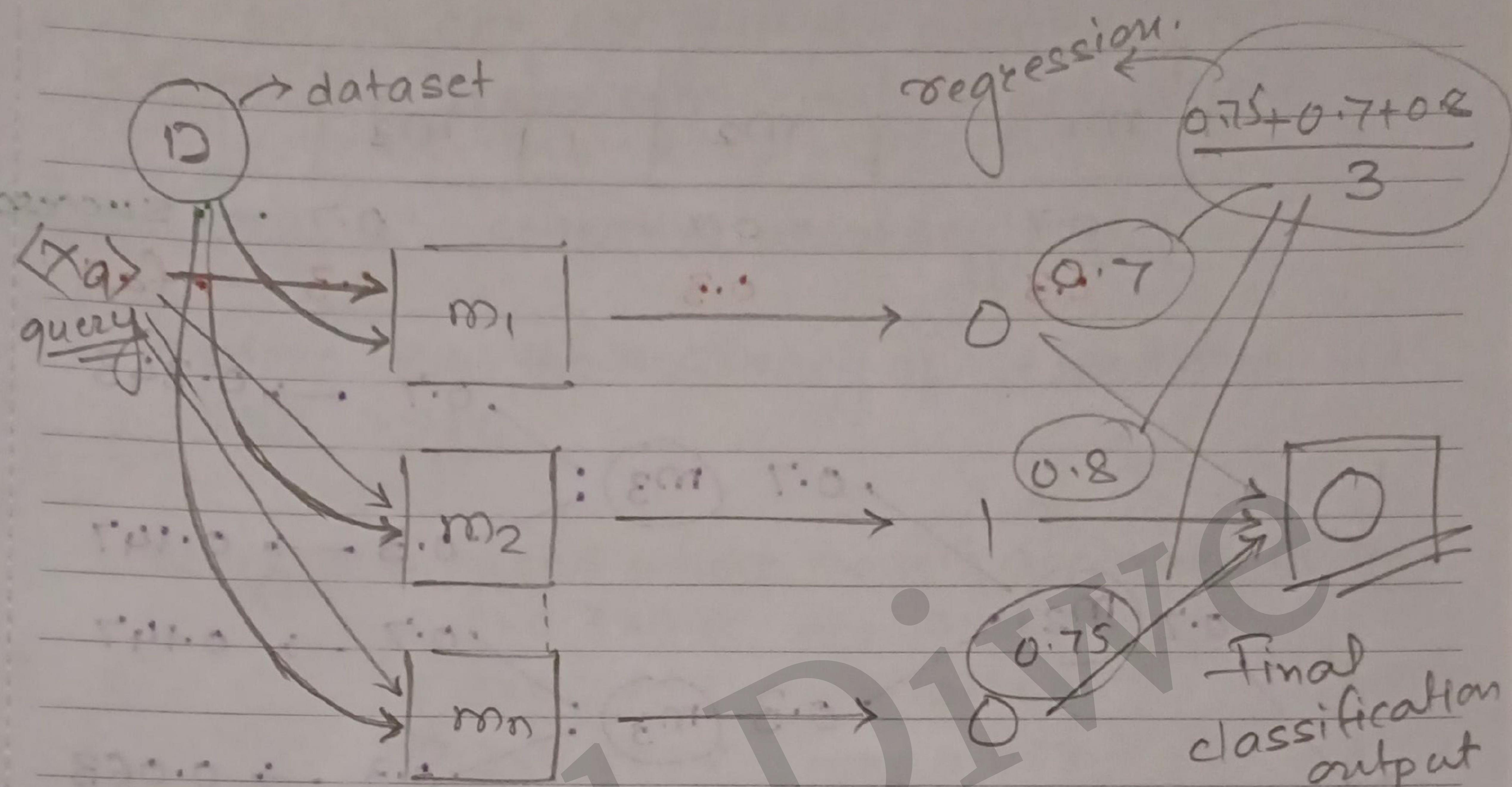
## Types of Ensemble Learning:





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# Voting Ensemble



Here, we apply same dataset to all models. Models  
can be different or can be ~~at~~ same.

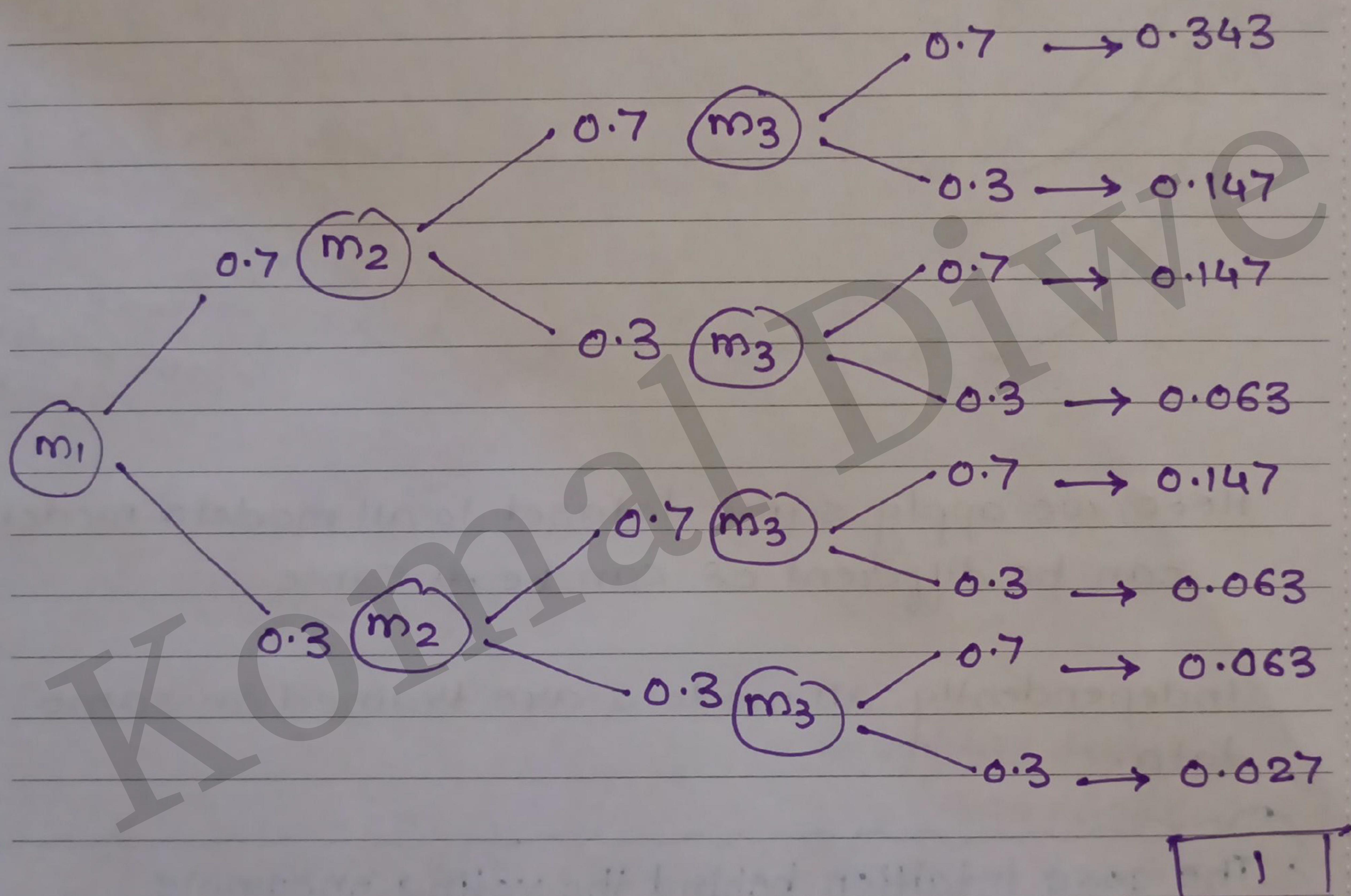
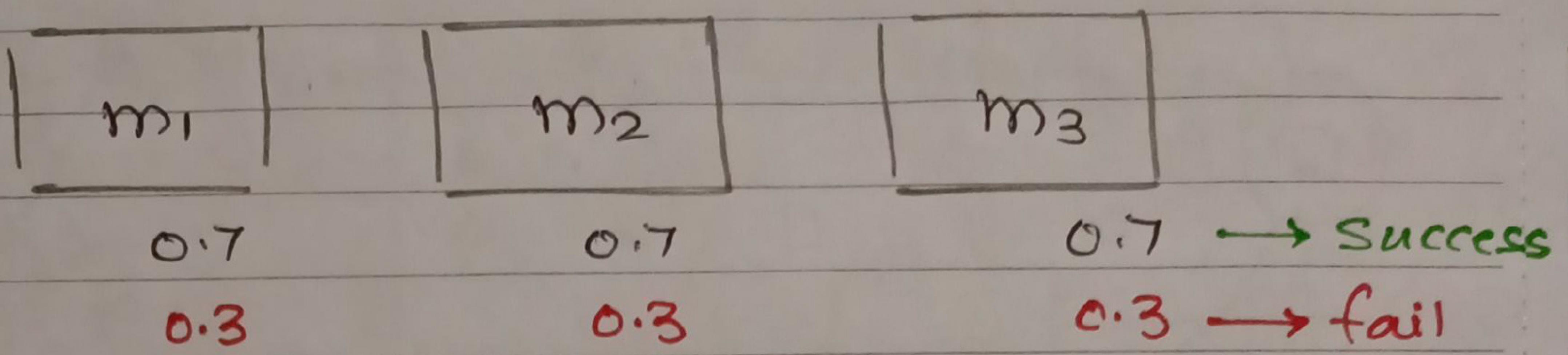
Independently, all models are trained on same data.

The core intuition behind the voting ensemble technique is to combine the predictions of multiple models to produce a more robust and accurate final prediction.

assumptions:-

- ① models should be independent in nature.
- ② accuracy of every model must be  $> 50\%$ .  
otherwise resultant will be worst than the worst.

suppose, we have 3 models which have accuracy 0.7



Now, suppose our voting classifier wants at least two model's success accuracy.

then we get 4 possibilities:

1.  $0.7 \times 0.7 \times 0.7 \rightarrow 0.343$
2.  $0.7 \times 0.3 \times 0.7 \rightarrow 0.147$
3.  $0.3 \times 0.7 \times 0.7 \rightarrow 0.147$
4.  $0.7 \times 0.7 \times 0.3 \rightarrow \frac{0.147}{2} = 0.784$

78.4%

0.784

Komal Diwe

so, we can see that the accuracy is improved after combining the predictions.

∴ collective accuracy : 78.4%.

To prove, that the accuracy of the model should be  $> 50\%$ .

we get 4 cases where model's accuracy is 30%.

$$0.7 \times 0.3 \times 0.3 \rightarrow 0.063$$

$$0.3 \times 0.7 \times 0.3 \rightarrow 0.063$$

$$0.3 \times 0.3 \times 0.7 \rightarrow 0.063$$

$$0.3 \times 0.3 \times 0.3 \rightarrow 0.027$$

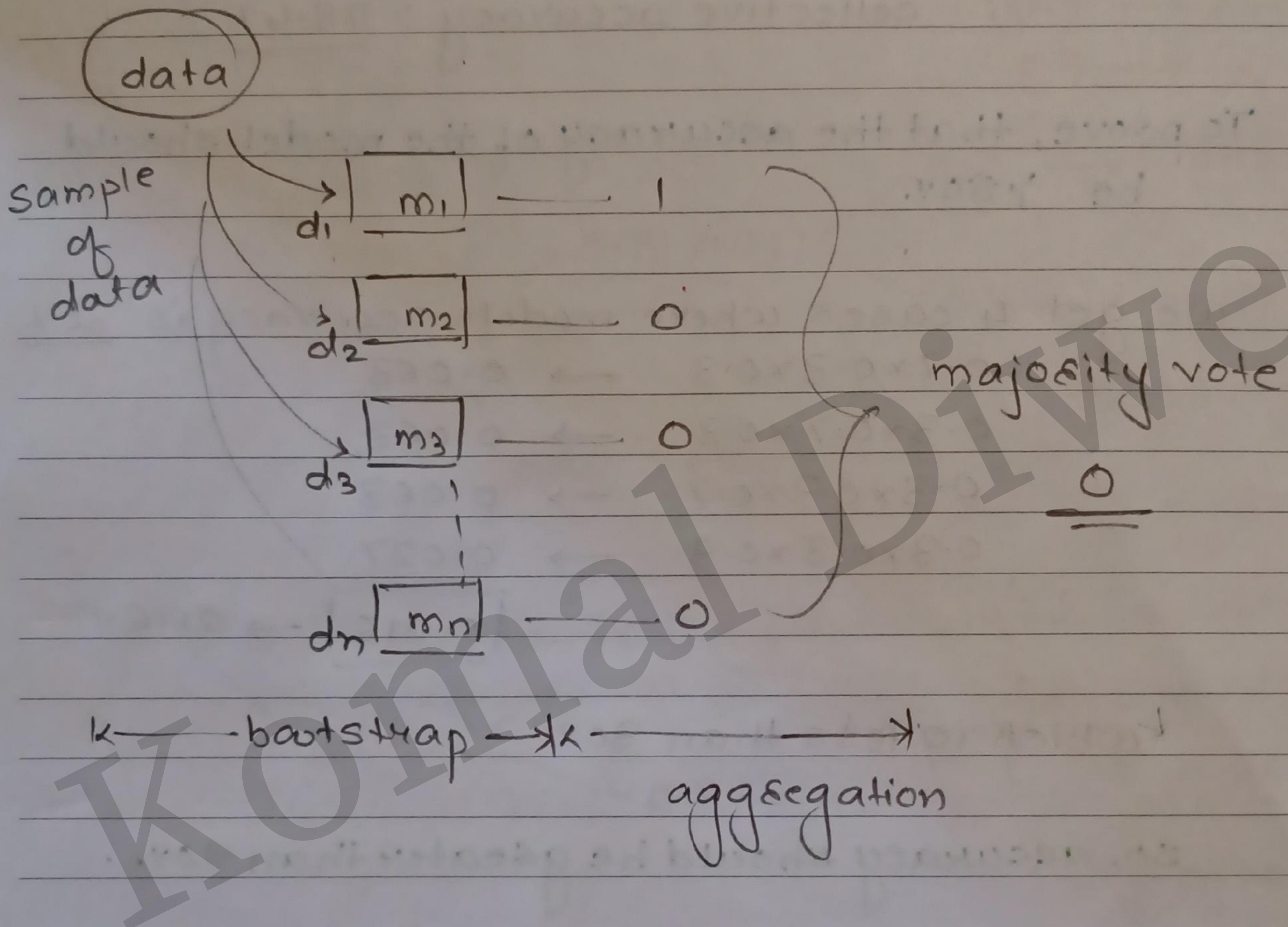
$$\boxed{0.216} \rightarrow 21.6\%.$$

which is less than 30%.

so, accuracy should be greater than 50%.

# Bagging.

Bootstraping + Aggregation = Bagging



Every model gets different sample of data.

In this a random sample of data in a training set is selected with replacement - meaning that individual datapoints can be chosen more than once.

Bagging helps to reduce the variance of the model while keeping the bias roughly the same.

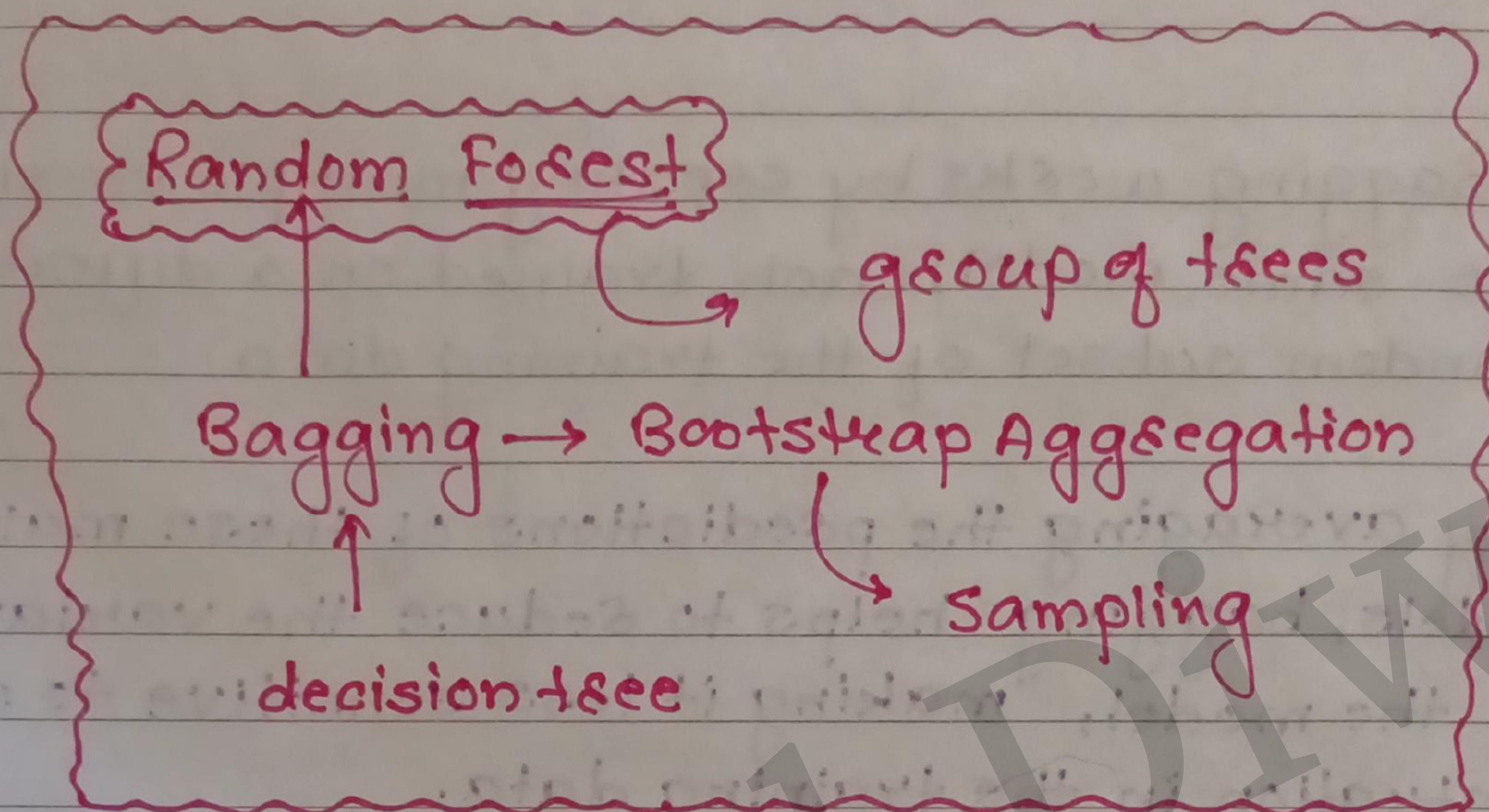
Bagging works by creating multiple versions of the same model, each trained on a different random subset of the training data.

By averaging the predictions of these multiple models, bagging helps to reduce the variance of the model, making it less sensitive to small fluctuation in the training data.

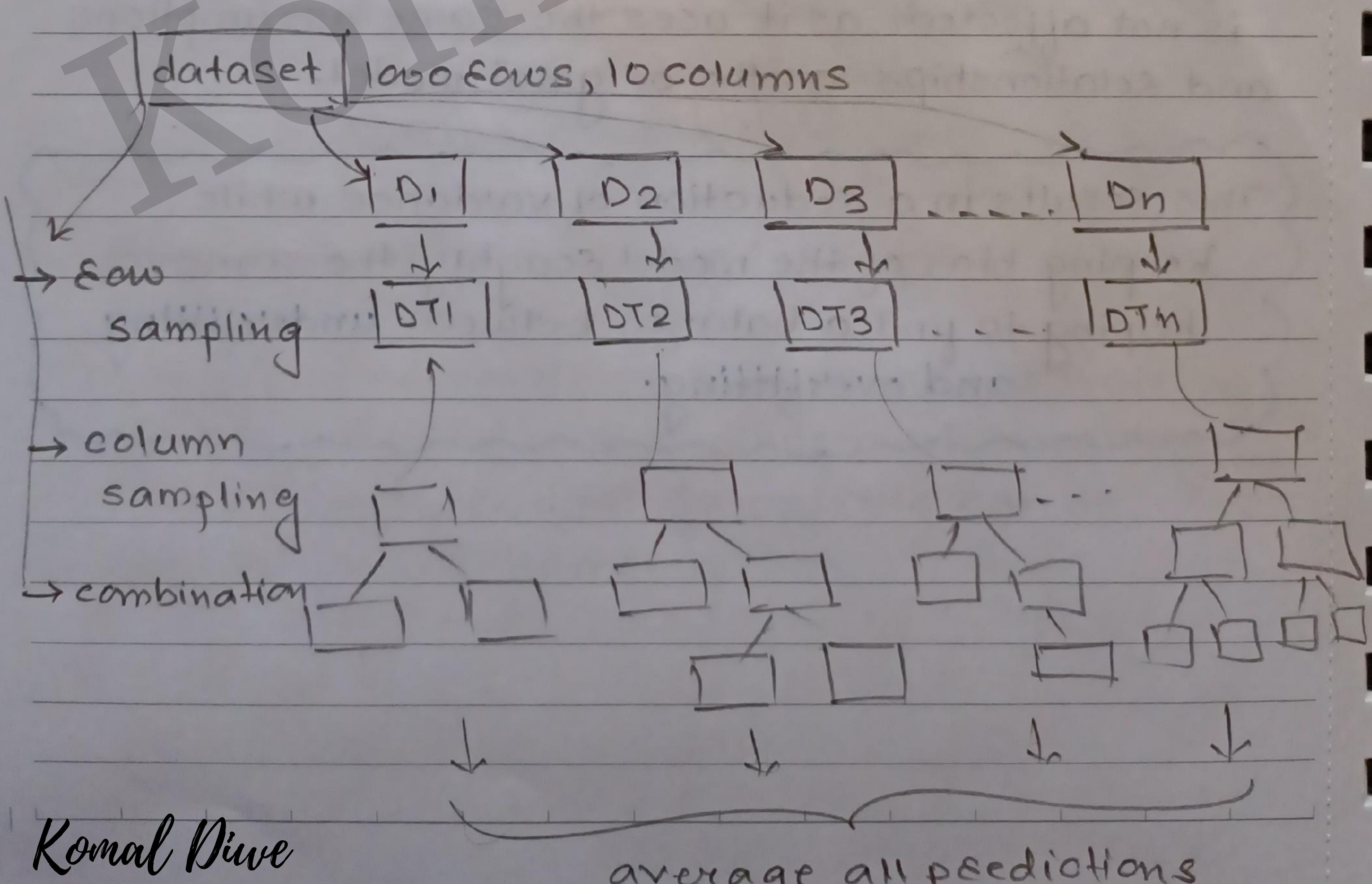
However, since each model is trained on a different subset of the data, the bias of the model is not affected, as it uses the same assumptions and relationships as the original model.

This results in a reduction of variance while keeping bias of the model roughly the same, helping to find a balance between underfitting and overfitting.

# Random Forest



→ It is a bagging technique, where all base models are decision tree.



Two characteristics of random forests allows a reduction in overfitting and the correlation between the trees.

The first is bagging, where individual decision trees are fitted following each bootstrap sample and then averaged afterwards.

Bagging significantly reduces the variance of the random forest versus the variance of any individual decision trees.

The second way Random forests reduce overfitting is that a random subset of features is considered at each split, preventing the important features from always being present at the tops of individual trees.

### OOB Score (Out of Bag) Evaluation:

- while doing row sampling, feature sampling with replacement for each model, so there is a chance that some set of values may not get selected.
- It is observed that nearly 37% of data is not selected.

- we can use that unselected data points for testing and validation purpose.
- If you set  $\text{OOB}=\text{True}$ , then it will automatically handle missing data points for testing purpose.

What is the difference between OOB score and validation score?

since we have understood how OOB score is estimated let's try to comprehend how it differs from the validation score.

as compared to the validation score OOB score is computed on data that was not necessarily used in the analysis of the model. whereas for calculation validation score, a part of the original training dataset is actually set aside before training the models.

Additionally, the OOB score is calculated using only a subset of DTs not containing the OOB sample in their bootstrap training dataset. while the validation score is calculated using all the DTs of the ensemble.

In an ideal case, about 36.8% of the total training data forms the OOB sample.  
This can be shown as follows:

If there are  $N$  cows in the training datasets  
Then, the probability of not picking a cow in a random draw is

$$\left\{ \frac{N-1}{N} \right\}$$

using sampling-with-replacement the probability of not picking  $N$  cows in random draw is

$$\left\{ \left( \frac{N-1}{N} \right)^N \right\}$$

which in the limit of large  $N$  becomes equal to

$$\left\{ \lim_{N \rightarrow \infty} \left( 1 - \frac{1}{N} \right)^N \approx e^{-1} = 0.368 \right\}$$

∴ about 36.8% of total training data are available as OOB sample for each DT and hence it can be used for evaluating or validating the random forest model.