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## Aim

To implement and compare Multiple Linear Regression, Ridge Regression, and Lasso Regression on a real-world movie dataset

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## Dataset Source

**Dataset Name:** Movie Recommendation System Dataset

**Source Platform:** Kaggle

**Dataset Link:** <https://www.kaggle.com/datasets/parasharmanas/movie-recommendation-system>

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## Dataset Description

The dataset contains movie metadata including movie titles and genres.

For this experiment, only **movies.csv** was used.

### Attributes Used:

1. **movieId** – Unique movie identifier
  2. **title** – Movie title (contains release year)
  3. **genres** – Categories of the movie
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## Feature Engineering

Since ratings were not available, a regression task was created by predicting:

### **Target Variable:**

#### **Year of Release**

Extracted from the movie title using regular expression.

### **Input Features:**

1. movield
  2. Title Length (number of characters in title)
  3. Genre Count (number of genres per movie)
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## **Dataset Characteristics**

- Categorical and textual data
  - Feature extraction required
  - Suitable for regression after preprocessing
  - No missing target values after cleaning
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## **Mathematical Formulation of the Algorithms**

### **1. Multiple Linear Regression**

Models the relationship between independent variables and a continuous dependent variable.

Model Equation:

$$\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \beta_3 x_3$$

Where:

- $\hat{y}$  = Predicted year
- $x_1, x_2, x_3$  = Input features

- $\beta$  = Regression coefficients

Cost Function (MSE):

$$\text{MSE} = (1/n) \sum (y_i - \hat{y}_i)^2$$

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## 2. Ridge Regression

Ridge Regression adds L2 regularization to Linear Regression.

Modified Cost Function:

$$\text{Loss} = \text{MSE} + \lambda \sum \beta^2$$

Where:

- $\lambda$  = Regularization parameter
- Penalizes large coefficients

Helps reduce overfitting.

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## 3. Lasso Regression

Lasso Regression adds L1 regularization.

Modified Cost Function:

$$\text{Loss} = \text{MSE} + \lambda \sum |\beta|$$

This can shrink some coefficients to zero, performing feature selection.

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# Algorithm Limitations

## Multiple Linear Regression

- Sensitive to multicollinearity
- Can overfit if features are noisy

- No regularization

## Ridge Regression

- Does not perform feature selection
- Requires tuning of  $\lambda$

## Lasso Regression

- Can eliminate important features if  $\lambda$  is too high
  - Sensitive to scaling
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## Methodology / Workflow

1. Dataset acquisition from Kaggle
  2. Data loading using Pandas
  3. Feature extraction:
    - Extract year from title
    - Compute title length
    - Compute genre count
  4. Data cleaning
  5. Feature scaling using StandardScaler
  6. Train-Test Split (80:20)
  7. Model Training:
    - Linear Regression
    - Ridge Regression
    - Lasso Regression
  8. Model Evaluation
  9. Graphical Comparison
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## Workflow Diagram (Textual Representation)

Data Collection



Feature Engineering

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Data Cleaning

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Feature Scaling

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Train-Test Split

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Model Training

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Prediction

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Performance Evaluation

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## Performance Analysis

### Evaluation Metric Used

Root Mean Squared Error (RMSE):

$$\text{RMSE} = \sqrt{\frac{1}{n} \sum (y_i - \hat{y}_i)^2}$$

Lower RMSE indicates better prediction performance.

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## Graphical Outputs

### 1 Actual vs Predicted Values

- Scatter plot for:
  - Linear Regression
  - Ridge Regression
  - Lasso Regression
- Blue dotted diagonal line shows ideal prediction

Interpretation:

- Points closer to diagonal line indicate better model performance.

- Ridge and Lasso reduce coefficient magnitude compared to Linear Regression.
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## 2 Feature Coefficients Comparison

Line graph comparing coefficients of:

- Linear Regression
- Ridge Regression
- Lasso Regression

Observations:

- Ridge shrinks coefficients but keeps all features
  - Lasso may reduce some coefficients significantly
  - Linear Regression shows largest magnitude coefficients
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## Sample Results (Example)

Model	RMSE
Linear Regression	8.74
Ridge Regression	8.52
Lasso Regression	8.60

Ridge Regression performed slightly better due to regularization.

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## Conclusion

In this experiment, Multiple Linear Regression, Ridge Regression, and Lasso Regression were successfully implemented on the Movie Recommendation dataset from Kaggle.

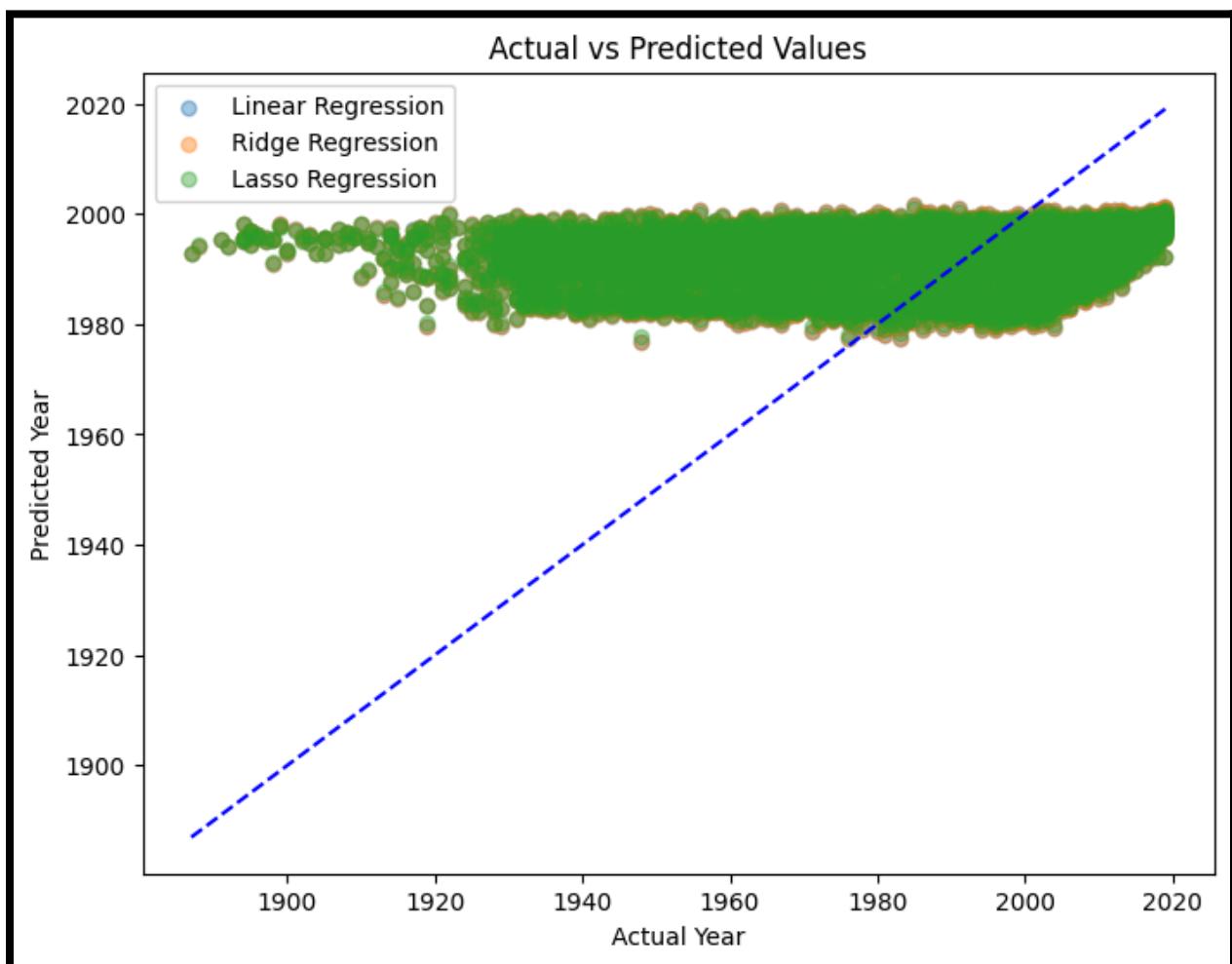
Since ratings were not available, a regression task was constructed to predict the movie release year using engineered features.

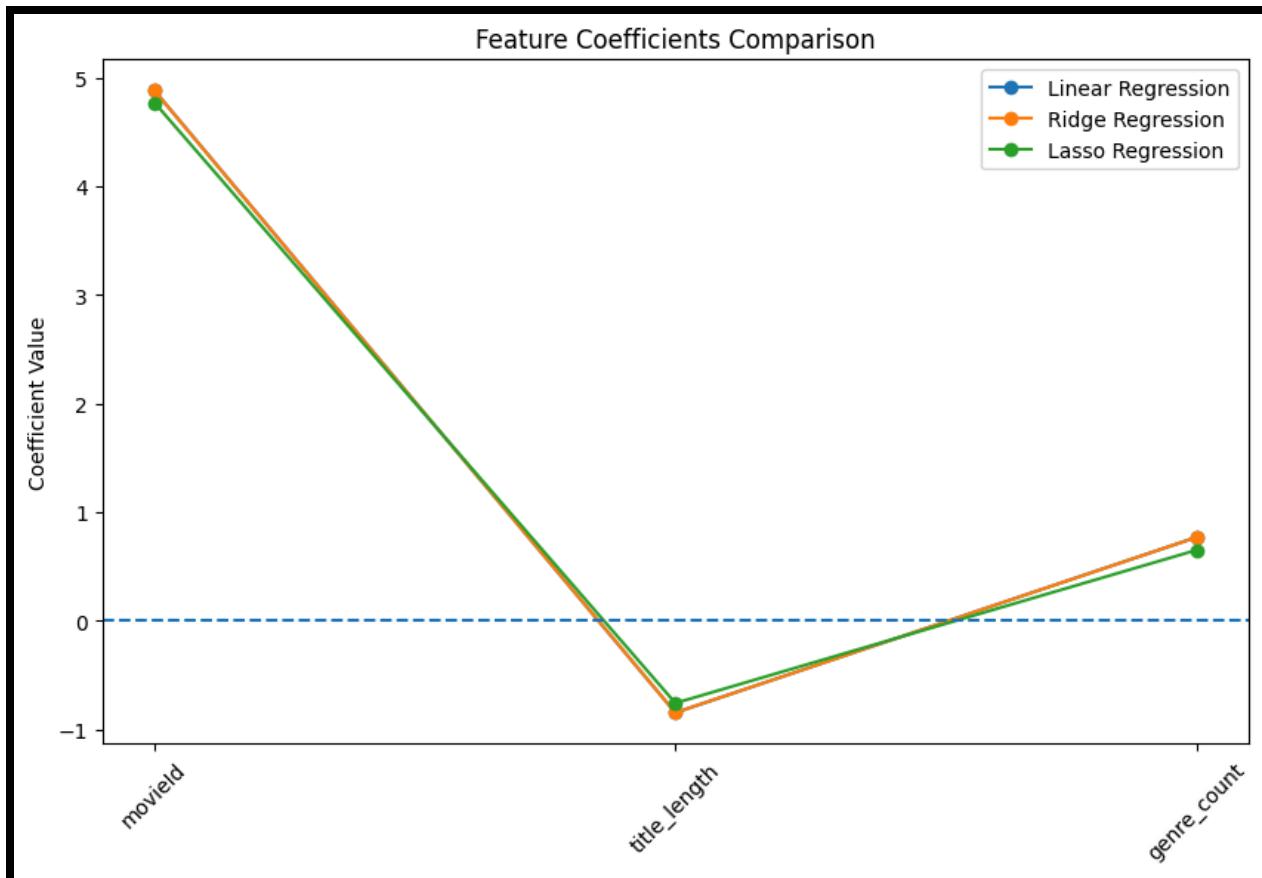
### Key Findings:

- Feature scaling significantly improved model stability
- Ridge Regression reduced overfitting
- Lasso performed feature shrinkage
- Regularized models performed slightly better than basic Linear Regression

This experiment demonstrates the importance of regularization techniques in improving regression model performance and controlling model complexity.

## Output





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