

→ Given grammar is

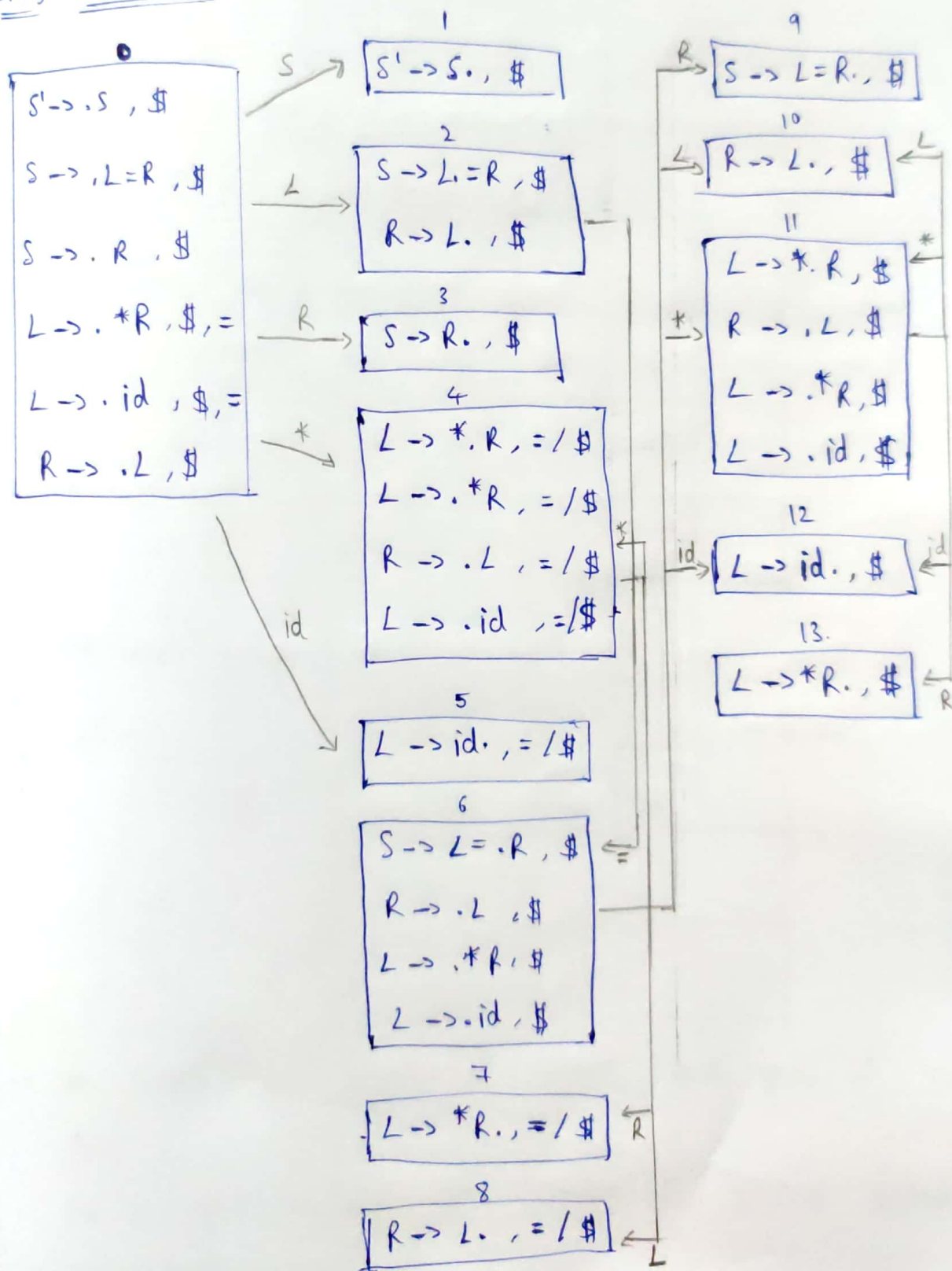
$$S' \rightarrow S$$

$$S \rightarrow L = R \mid R$$

$$L \rightarrow *R \mid id$$

$$R \rightarrow L$$

LR(1) automaton :



The parse table for the above LR(1) automaton is

State	\$	*	=	id	L	R	S
0		S ₄		S ₅	S ₂	S ₃	S ₁
1	Accept						
2	R → L		S ₆				
3	S → R						
4		S ₄		S ₅	S ₈	S ₇	
5	L → id		L → id				
6		S ₁₁		S ₁₂	S ₁₀	S ₉	
7	L → *R		L → *R				
8	R → L		R → L				
9	S → L = R						
10	R → L						
11		S ₁₁		S ₁₂	S ₁₀	S ₁₃	
12	L → id						
13	L → *R						

→ We follow the concept of closure and goto of a given item.

For a LR(1) grammar, the closure of I is defined

as,

- for (each item $[A \rightarrow \alpha \cdot B \beta, a]$ in I)
 - for (each production $B \rightarrow \beta$ in G)
 - for (each terminal b in $\text{First}(\beta a)$)
 - add $[B \rightarrow \cdot \beta, b]$ to set I .
- do until no more productions are added to closure.

Goto of a set is defined as.

- for (each item $[A \rightarrow \alpha \cdot x \beta, a]$ in I)
 - add item $[A \rightarrow \alpha x \cdot \beta, a]$ to set J .

With the help of closure and Goto we compute LR(1) items for each state and the corresponding DFA.

In the parse table, goto set is used for shift transition and we can reduce for the production ~~if~~ only for the given lookahead.

As there are no S-R (or) R-R conflicts the grammar is LR(1).