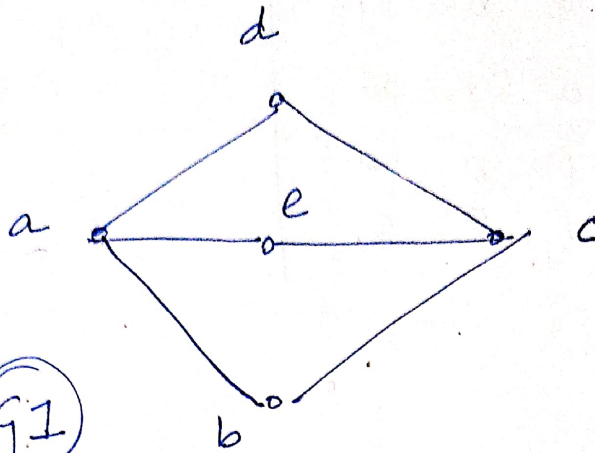


6/10/22

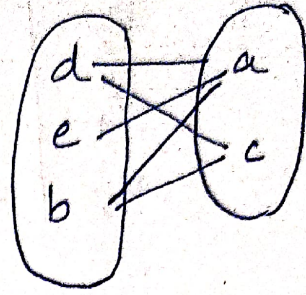
DMGT - Tutorial - 5

Krishnaraj P.T.
PA20 · VAI · SY
1032210888 CSF

Q.1.



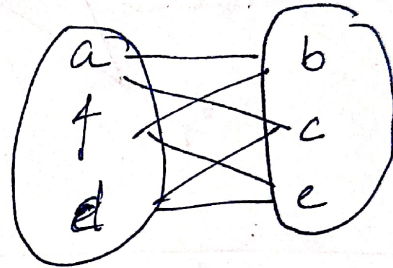
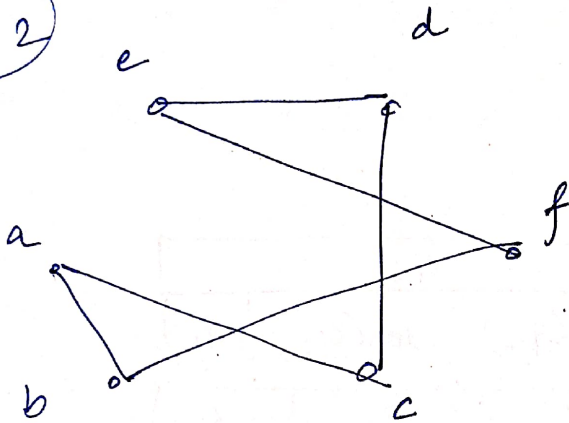
(Q1)



2 groups

Q1 → Bipartite ✓

(Q2)



2 groups

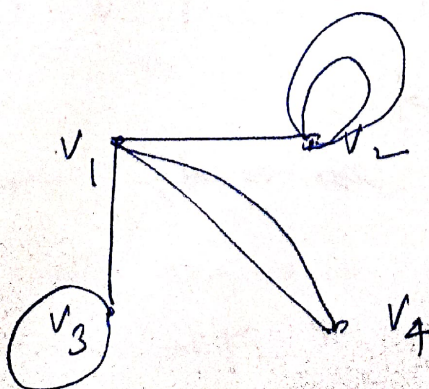
Q2 Also bipartite.

Q.2.

(1) $A(G) =$

$$\begin{matrix} & v_1 & v_2 & v_3 & v_4 \\ \begin{matrix} v_1 \\ v_2 \\ v_3 \\ v_4 \end{matrix} & \begin{bmatrix} 0 & 1 & 1 & 2 \\ 1 & 2 & 0 & 0 \\ 1 & 0 & 1 & 0 \\ 2 & 0 & 0 & 0 \end{bmatrix} \end{matrix}$$

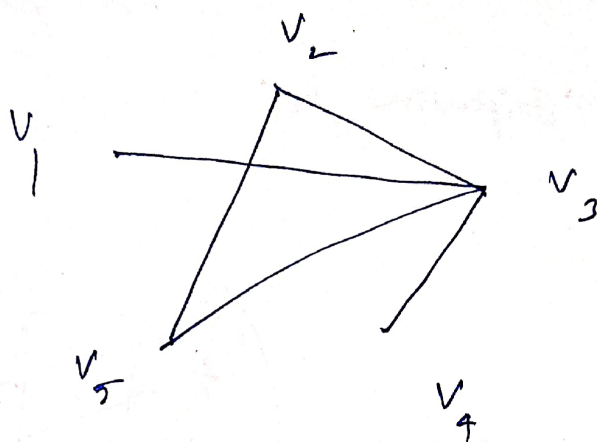
G =



② $A(G) =$

	V_1	V_2	V_3	V_4	V_5
V_1	0	0	1	0	0
V_2	0	0	1	0	1
V_3	1	1	0	1	1
V_4	0	0	1	0	0
V_5	0	1	1	0	0

$G =$



p. 3.

G_1			G_2		
vertices	deg	adj $^o(G_1)$	ver (G_2)	deg(G_2)	adj
a	2	3, 3	v	2	3, 3
b	3	2, 4, 2	w	3	3, 4, 2
c	2	3, 3	t	2	3, 3
d	3	2, 3, 4	p	2	2, 3, 4
e	3	3, 4, 3	r	3	3, 4, 3
f	3	4, 3, 2	s	3	4, 3, 2
g	4	3, 3, 3, 3	q	4	3, 3, 3, 3

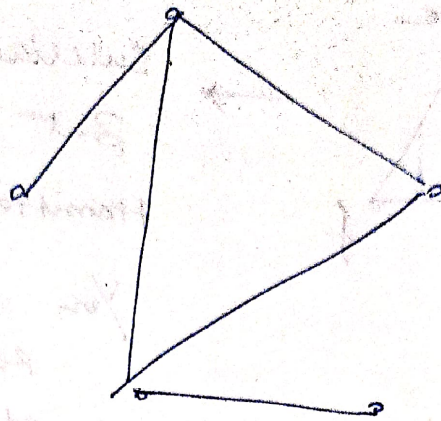
as no. of edges (G_2) = no. of edges G_1

no. of vertices also equal

adjacent vertices degrees also equal,

G_1 is isomorphic to G_2

Q.4.



Not possible

as this would lead to a graph with an odd number of vertices with odd degrees.

This is not possible as sum of degrees must be even in this case.

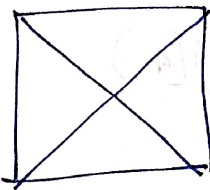
Q.5.

(1)

Regular complete graph

$(a, 3)$

$(b, 3)$

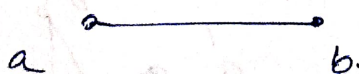


$(c, 3)$

$(c, 3)$

(2)

Complete and complete Bipartite

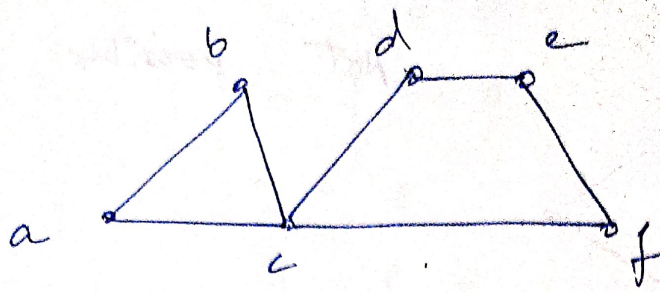


(3)

Graph with 6 vertices which is Eulerian

But not Hamiltonian.

(3)



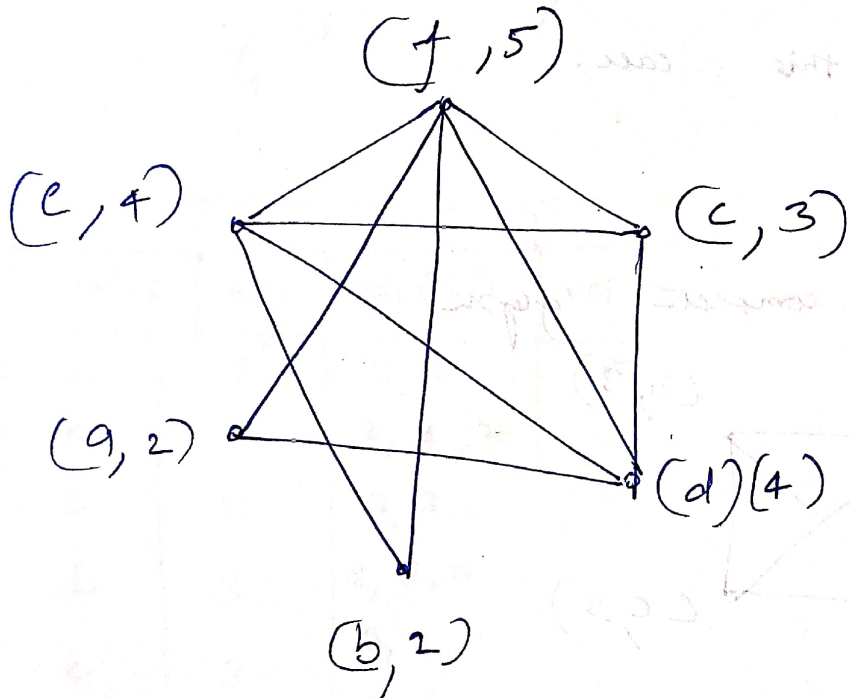
→ Eulerian
But Not
Hamiltonian.

You could
Repeat
edge (c) ^(c)
to loop to (a)

(4)

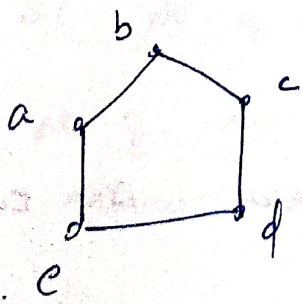
6 vertices —

~~2, 2~~ 2, 2, 3, 4, 4, 5

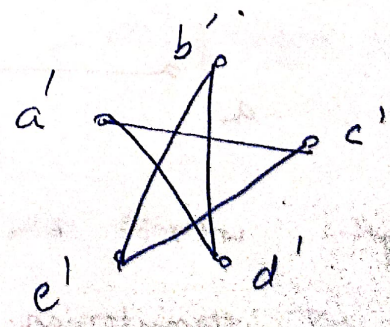


(5)

graph G' which is complement of graph G
is which deg of every vertex = 2



G



G'