

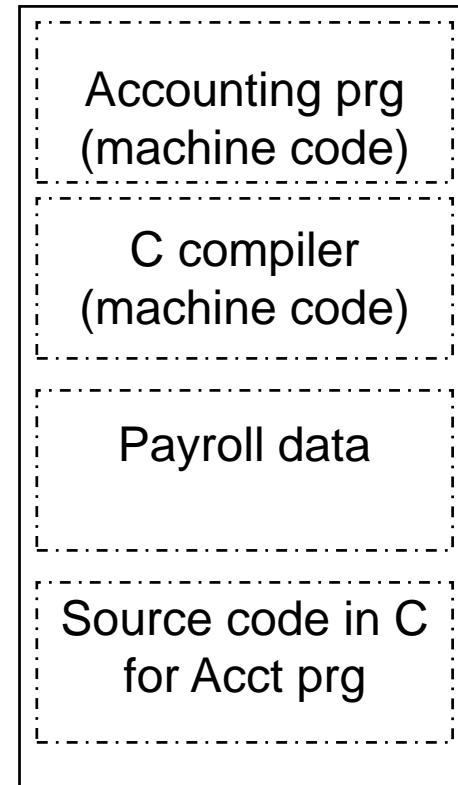
Machine design principles

1. Instructions are represented as numbers and, as such, are indistinguishable from data
2. Programs are stored in alterable memory (that can be read or written to) just like data

❑ Stored-program concept

- Programs can be shipped as files of binary numbers – used by any machine with **binary compatibility**
- Computers can inherit ready-made software which is compatible with an existing instruction set – leads industry to align around a small number of instruction sets

Memory



TOY1 instruction set

OPCODE REG ADDRESS

4-bit	2-bit	10-bit
-------	-------	--------

Opcode	Assembly Instruction		Action
0000	STOP		Stop Program Execution
0001	LOAD	Rn, [Addr]	$Rn = \text{Memory}[\text{Addr}]$
0010	STORE	Rn, [Addr]	$\text{Memory}[\text{Addr}] = Rn$
0011	ADD	Rn, [Addr]	$Rn = Rn + \text{Memory}[\text{Addr}]$
0100	SUB	Rn, [Addr]	$Rn = Rn - \text{Memory}[\text{Addr}]$
0101	GOTO	Addr	$PC = \text{Addr}$
0110	IFZER	Rn, Addr	IF $Rn == 0$ THEN $PC = \text{Addr}$
0111	IFNEG	Rn, Addr	IF $Rn < 0$ THEN $PC = \text{Addr}$

Example 1 - Multiplication

➤ Compute

$$A = B * C$$

$$B * C = \sum_{N=1}^C B$$

➤ Examples

$$12 * 3 = 12 + 12 + 12$$

$$12 * 1 = 12$$

$$12 * 0 = 0$$

A solution

; Given: A, B, C

; Pre: $C \geq 0$

; Post: $A = B * C$

$sum = 0$; accumulate result in sum

$n = C$; indicates how many additions remain

loop

exit when $n \leq 0$; no more additions remain

$sum = sum + B$; add another B

$n = n - 1$; one less addition to do

end loop

$A = sum$

Variables

➤ We'll allocate variables to main memory as follows:

A to Memory [100H]

B to Memory [101H]

C to Memory [102H]

sum to R1

n to R2

sum = 0

- We need to perform **R1 = 0** but the closest instruction we have is **LOAD Rn, [Addr]**
- So we'll pre-set a memory location (at address 200H) to 0:
 $M[200H] = 0$, so $\text{sum} = R1 = M[200H] = 0$
- Now **sum = 0** simply translates to

LOAD R1, [200H] ; sum = 0

Memory contents

- We'll fill main memory as follows:

Address	Contents
---------	----------

- | | |
|--------|----------------------------|
| ➤ 100H | A |
| 101H | B |
| 102H | C |
| ➤ 200H | 0 |
| ➤ 080H | 1st Instruction of program |
| 081H | 2nd Instruction of program |
| | etc. |

n = C

➤ This is easy to translate **LOAD R2, [102H]**

➤ We now have

080H	LOAD R1, [200H]	; sum = 0
081H	LOAD R2, [102H]	; n = C

...

100H	A	; holds A
101H	B	; holds B
102H	C	; holds C

...

200H	0	; constant 0
------	----------	--------------

exitloop when $n \leq 0$

- Let's consider a simpler statement **exitloop when $n = 0$**

Statement

loop

exit when $n = 0$

instructions

end loop

....

Address

L0

...

LY

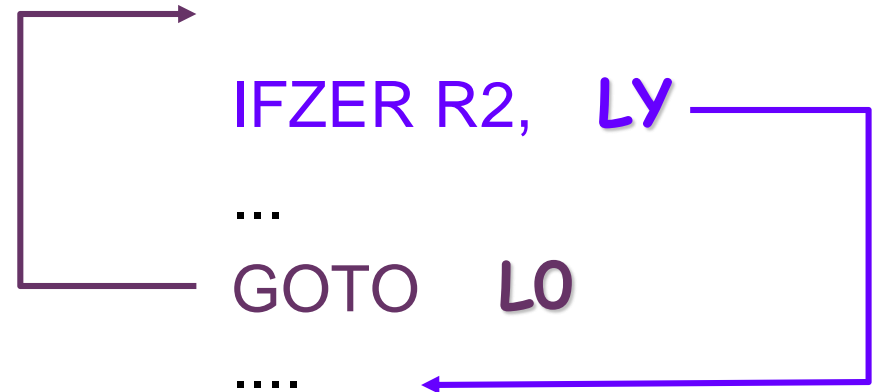
Instructions

IFZER R2, LY

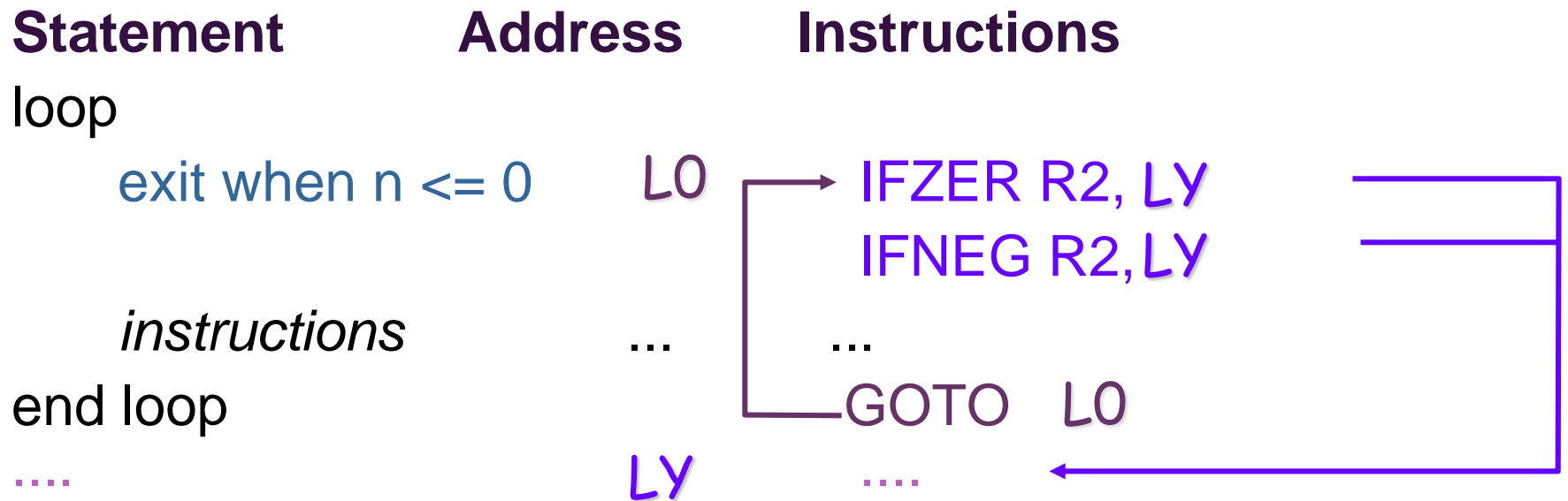
...

GOTO L0

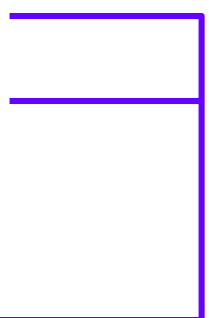
....



exitloop when $n \leq 0$



Memory contents

080H	LOAD R1, [200H]	; sum = 0	
081H	LOAD R2, [102H]	; n = C	
082H	IFZER R2, LY	; loop exit when n <= 0	
083H	IFNEG R2, LY	;	
...	...	; ...	
...	GOTO 082H	; end loop	
LY	...	; ...	
...	...	; ...	
100H	A	; holds A	
101H	B	; holds B	
102H	C	; holds C	
...			
200H	0	; constant 0	

$\text{sum} = \text{sum} + \text{B}$

- This simply translates to

ADD R1, [101H] ; R1 = R1 + M[101H]

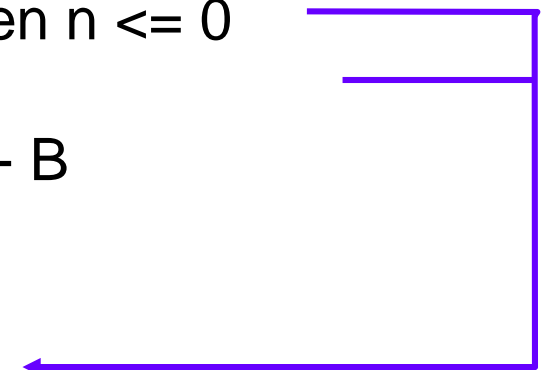
$n = n - 1$

-
- This is easy to translate if we pre-set another location (memory word 201H) with the constant 1

SUB R2, [201H] ; R2 = R2 – M[201H]

Final program

080H	LOAD R1, [200H]	; sum = 0
081H	LOAD R2, [102H]	; n = C
082H	IFZER R2, 087H	; loop exit when n <= 0
083H	IFNEG R2, 087H	;
084H	ADD R1, [101H]	; sum = sum + B
085H	SUB R2, [201H]	; n = n - 1
086H	GOTO 082H	; end loop
087H	STORE R1, [100H]	; A = sum
088H	STOP	; <i>finish</i>
100H	A	; holds A
101H	B	; holds B
102H	C	; holds C
200H	0	; constant 0
201H	1	; constant 1



Example 2 - Vector sum

➤ **Sum = Memory [200H] + ... + Memory [200H + 99]**

```
sum  = 0                ; accumulates result
n    = 100              ; number of elements to add
addr = 200H             ; address of 1st element
loop
  exit when n <= 0      ; elements remaining
  sum = sum + Memory [addr] ; add next element
  addr = addr + 1        ; advance to next element
  n    = n - 1           ; one less element to add
end loop
```

TOY1 instruction set: continued

Opcode	Assembly Instruction	Action
1000	spare	
1001	LOAD Rn, [Rm]	$R_n = \text{Memory}[R_m]$
1010	STORE Rn, [Rm]	$\text{Memory}[R_m] = R_n$
1011	ADD Rn, [Rm]	$R_n = R_n + \text{Memory}[R_m]$
1100	SUB Rn, [Rm]	$R_n = R_n - \text{Memory}[R_m]$
1101	spare	
1110	spare	
1111	spare	

Instruction format 2



➤ **Example:** Disassemble the instruction CEAB (Hex)

CEAB = 1100 1110 1010 1011 ; R3 = R3 – M[R2]

SUB R3 [R2] Unused

Memory allocation

- We'll allocate variables to memories as follows:

Vector	to	Memory [200H] .. Memory [200H+99]
--------	----	--------------------------------------

➤ sum	to	R0
n	to	R1
addr	to	R2

➤ Constants	at	Memory [000H] onwards
Program	at	Memory [00FH] onwards

TOY1 vector sum program

sum = 0 ; accumulates result

0FH LOAD R0, [00H] ; sum = R0 = M[00H] = 0

00H 0

01H 1

n = 100 ; no. of elements to add

10H LOAD R1, [02H] ; n = R1 = M[02H] = 100

02H 100

addr = 200H ; address of 1st element

11H LOAD R2, [03H] ; addr = R2 = M[03H] = 200

03H 200H

TOY1 vector sum program - contd.

loop exit when $n \leq 0$; elements remaining

12H IFZER R1, 18H

13H IFNEG R1, 18H

sum = sum + Memory [addr] ; add next element

14H ADD R0, [R2] ; R0 = R0 + M[R2]

addr = addr + 1 ; addr of next element

15H ADD R2, [01H] ; R2 = R2 + M[01], M[01]=1

n = n - 1 ; one fewer element to add

16H SUB R1, [01H] ; R1 = R1 - M[01], M[01]=1

end loop

17H GOTO 12H

18H STOP

Think about

- Translating High-level Language statements to Assembly Language instructions: Compilation
- Allocating Variables to Registers and Main Memory
- Branching and Looping
- Indirect Addressing
- Instruction: load constant instruction, $R1 = C$
- Processor: how does control work?