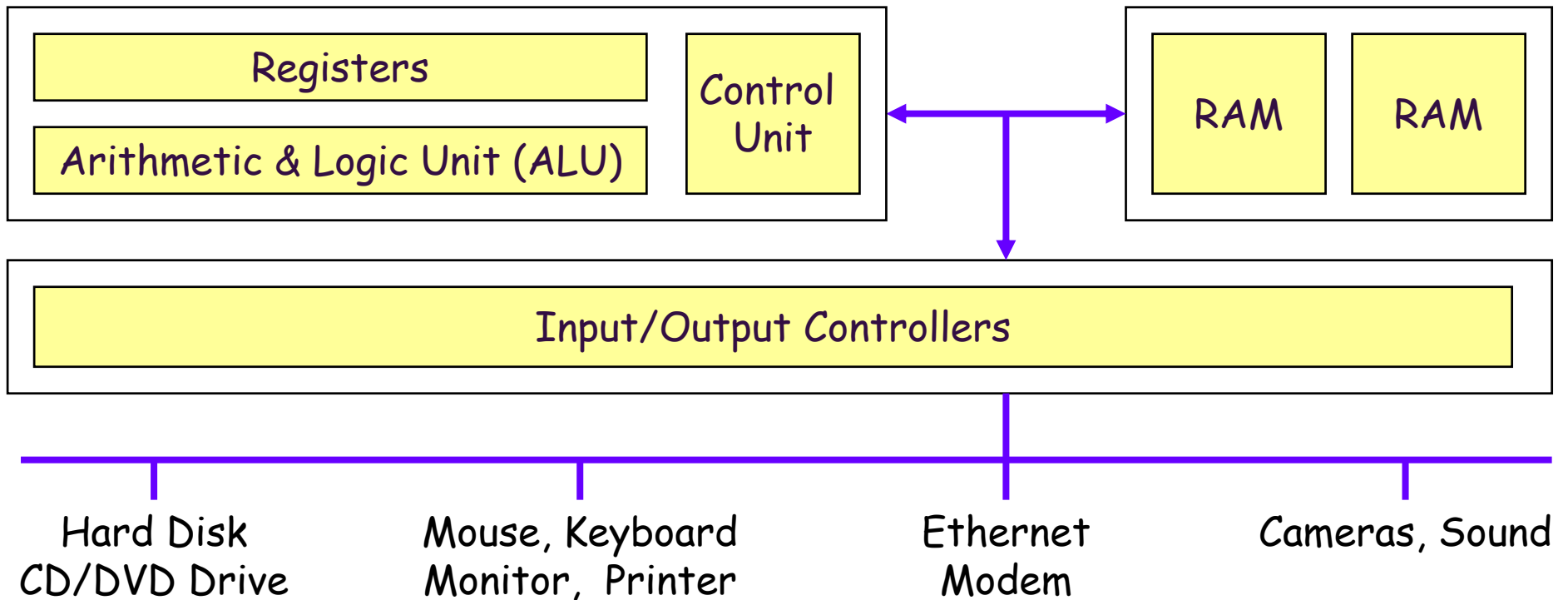
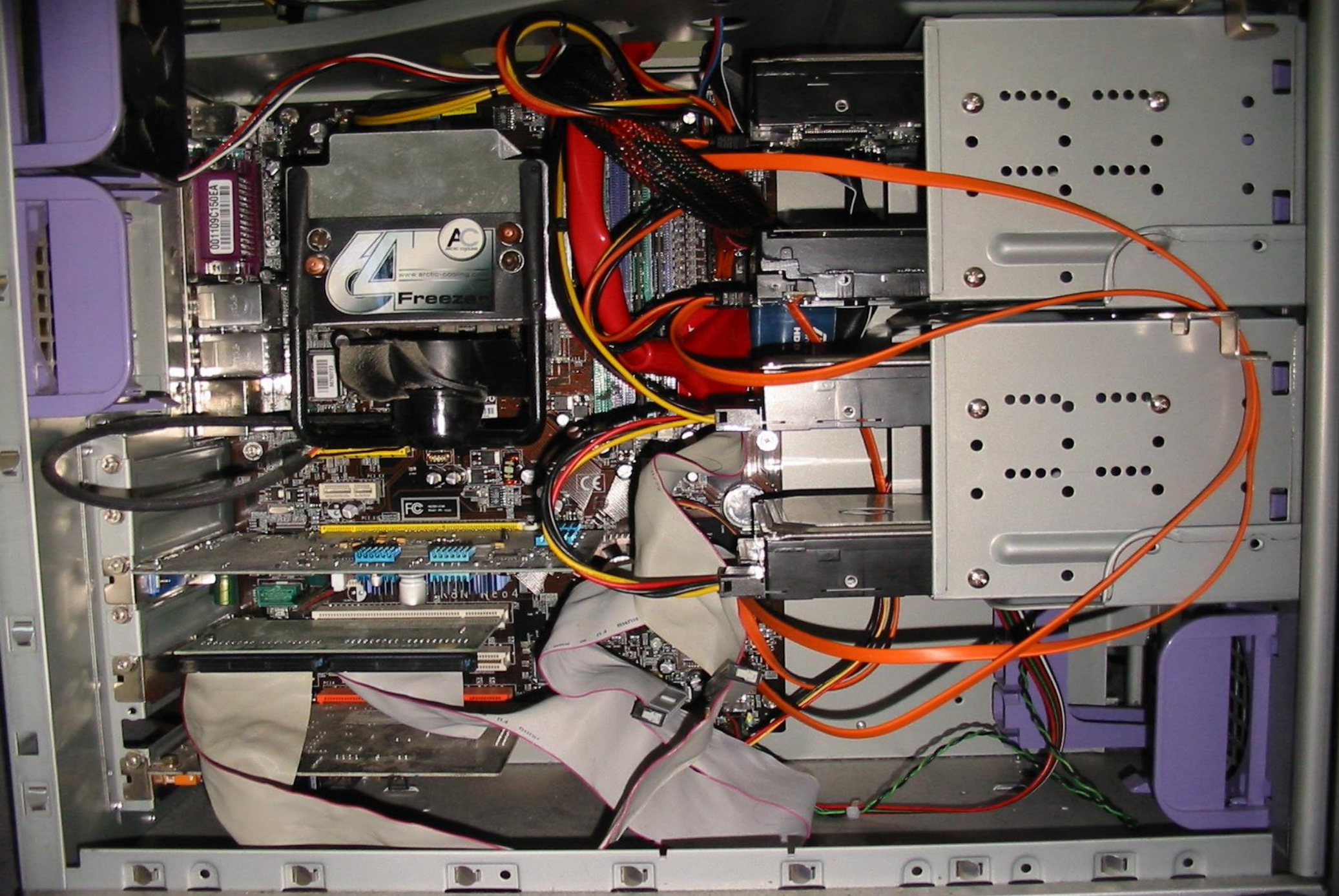
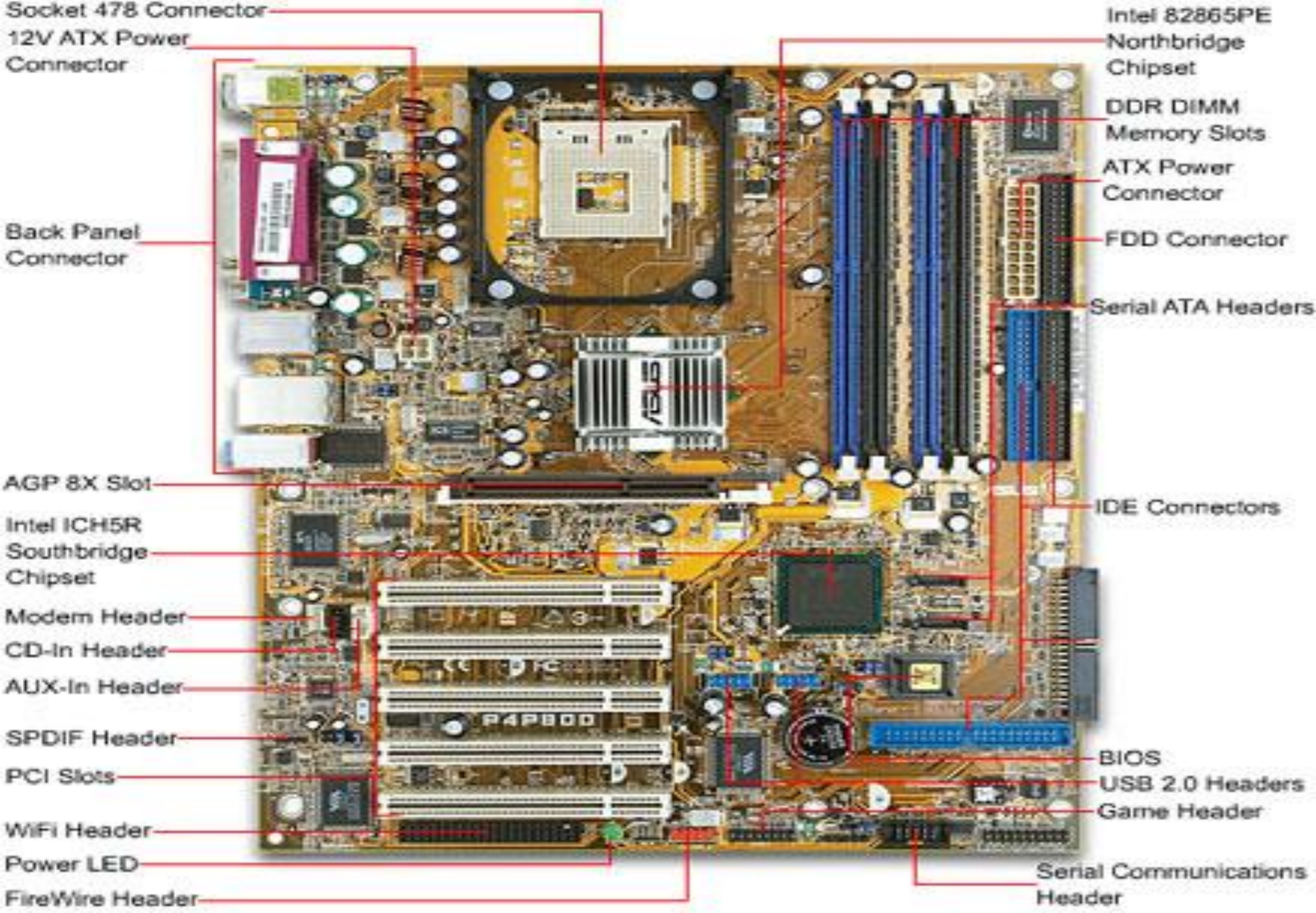


Computer: Key Components



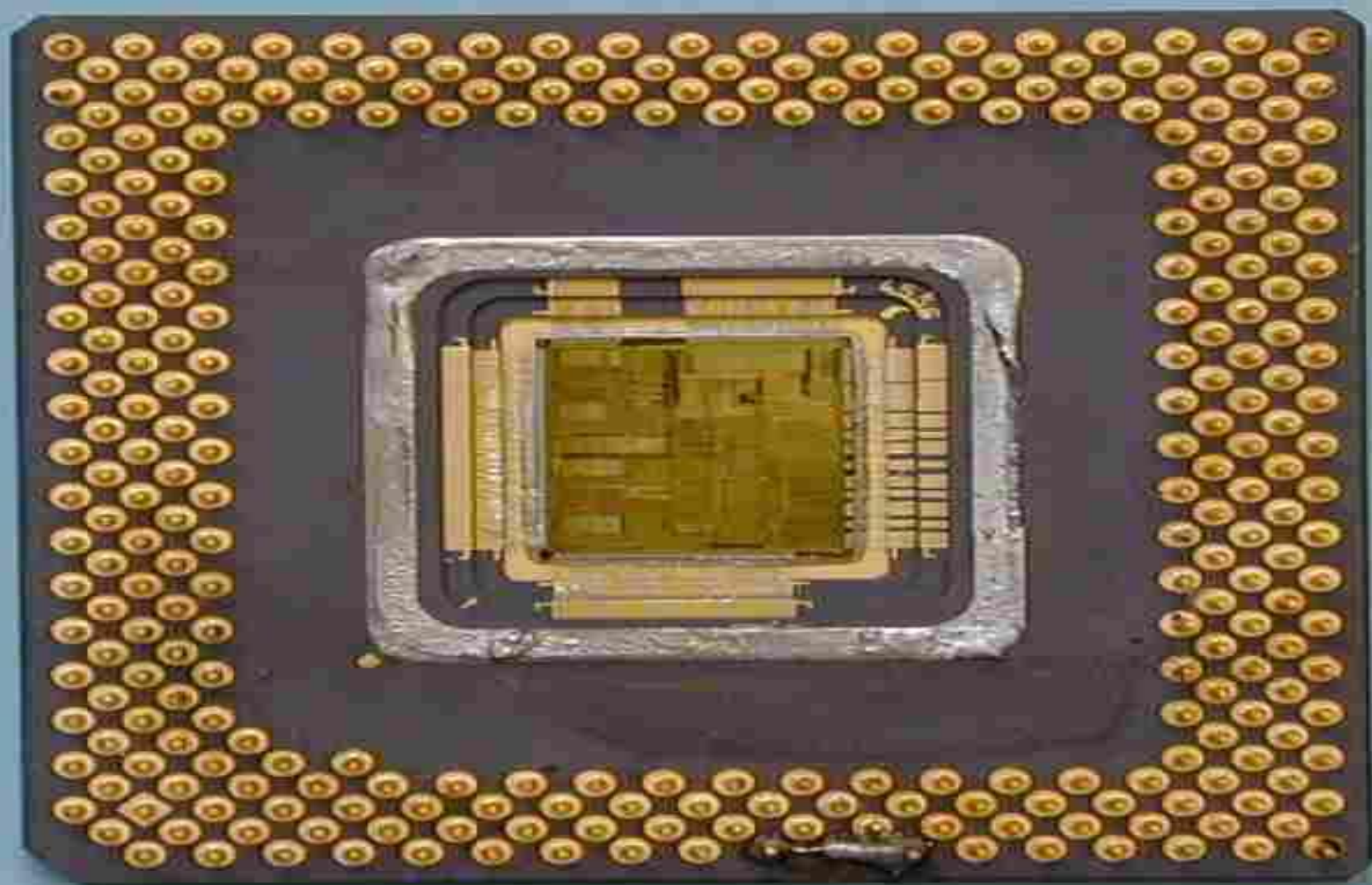




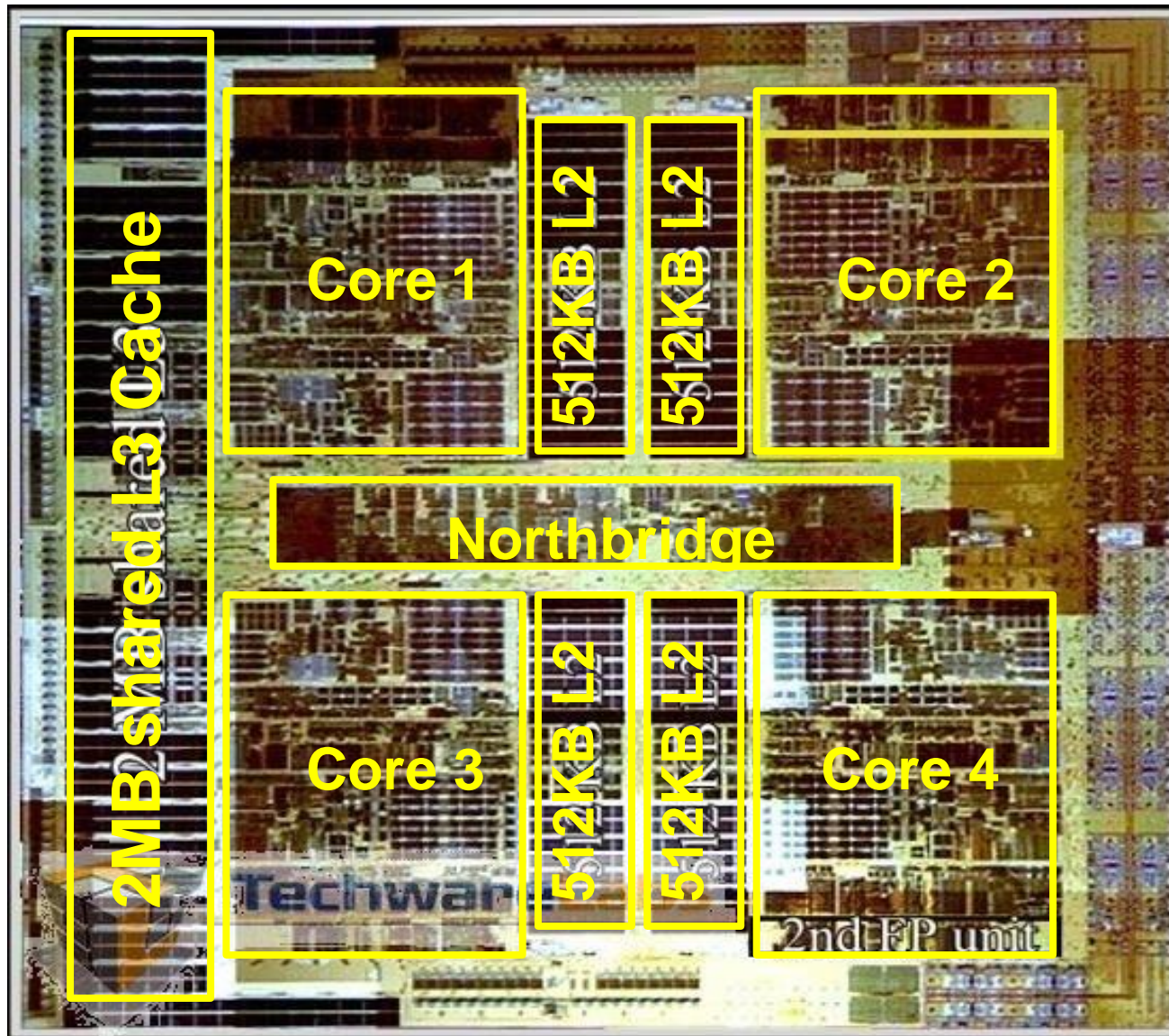




Source: MKP

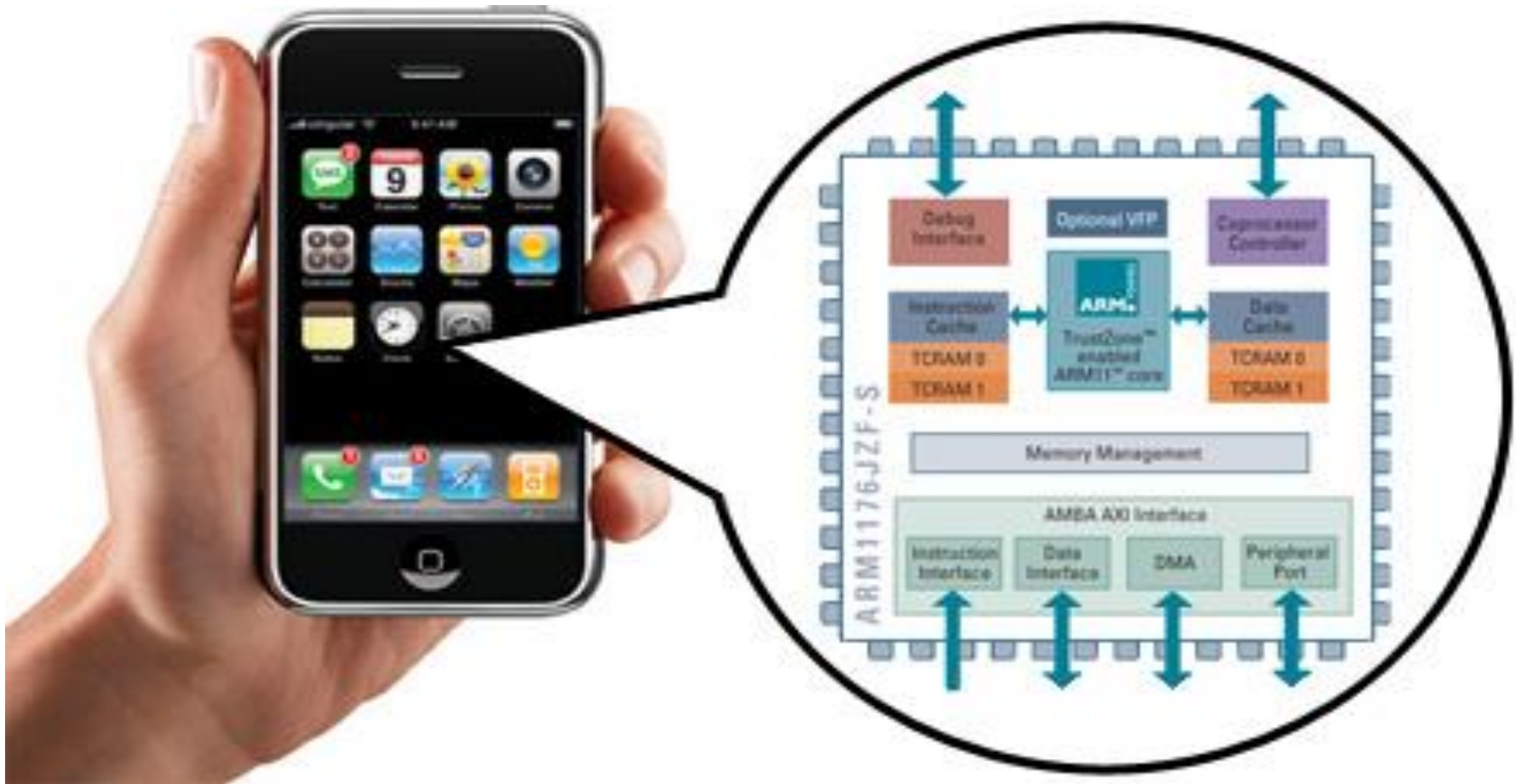


AMD's Barcelona Multicore Processor

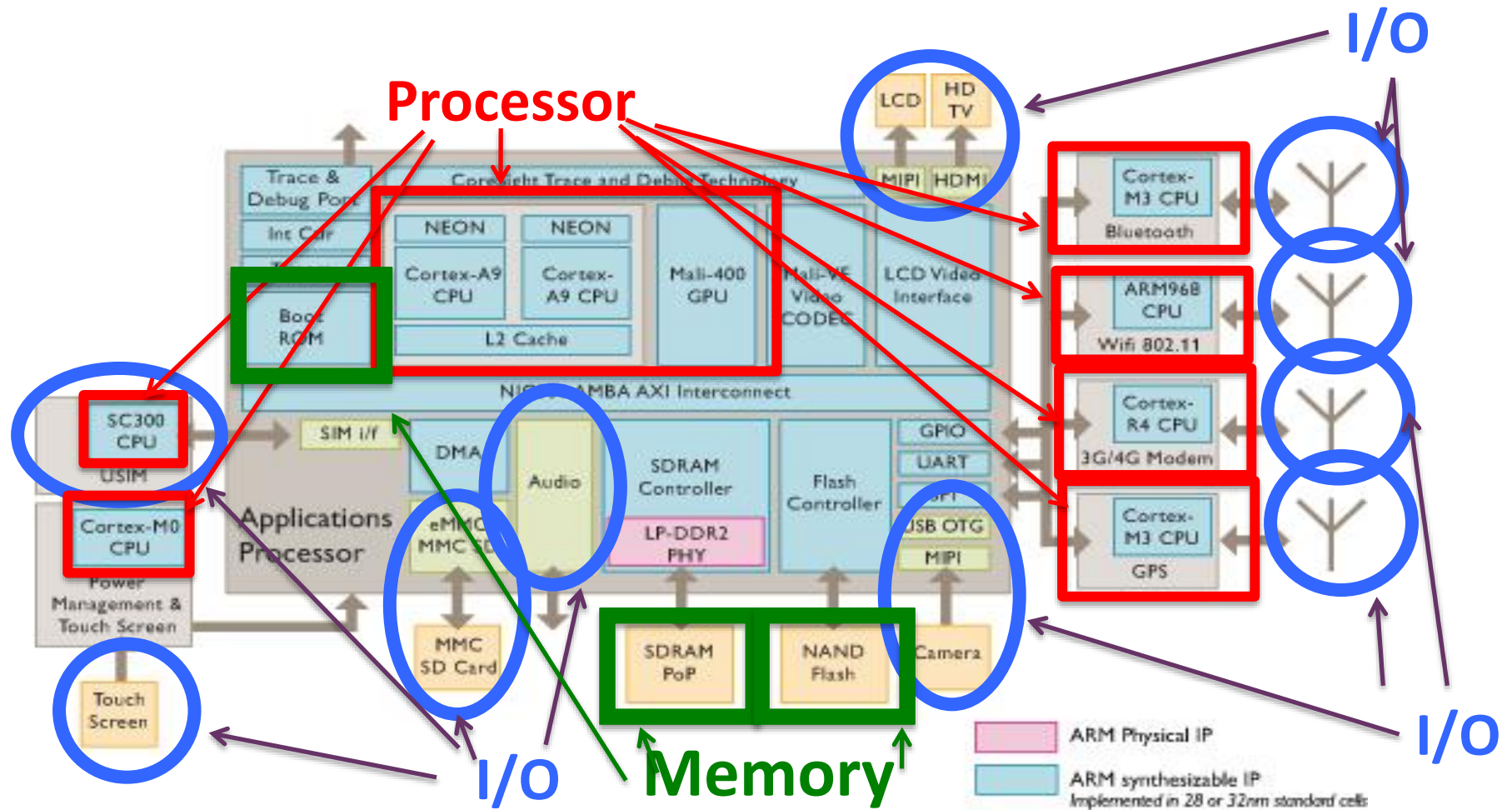


- ❑ Four out-of-order cores on one chip
- ❑ 1.9 GHz clock rate
- ❑ 65nm technology
- ❑ Three levels of caches (L1, L2, L3) on chip
- ❑ Integrated Northbridge

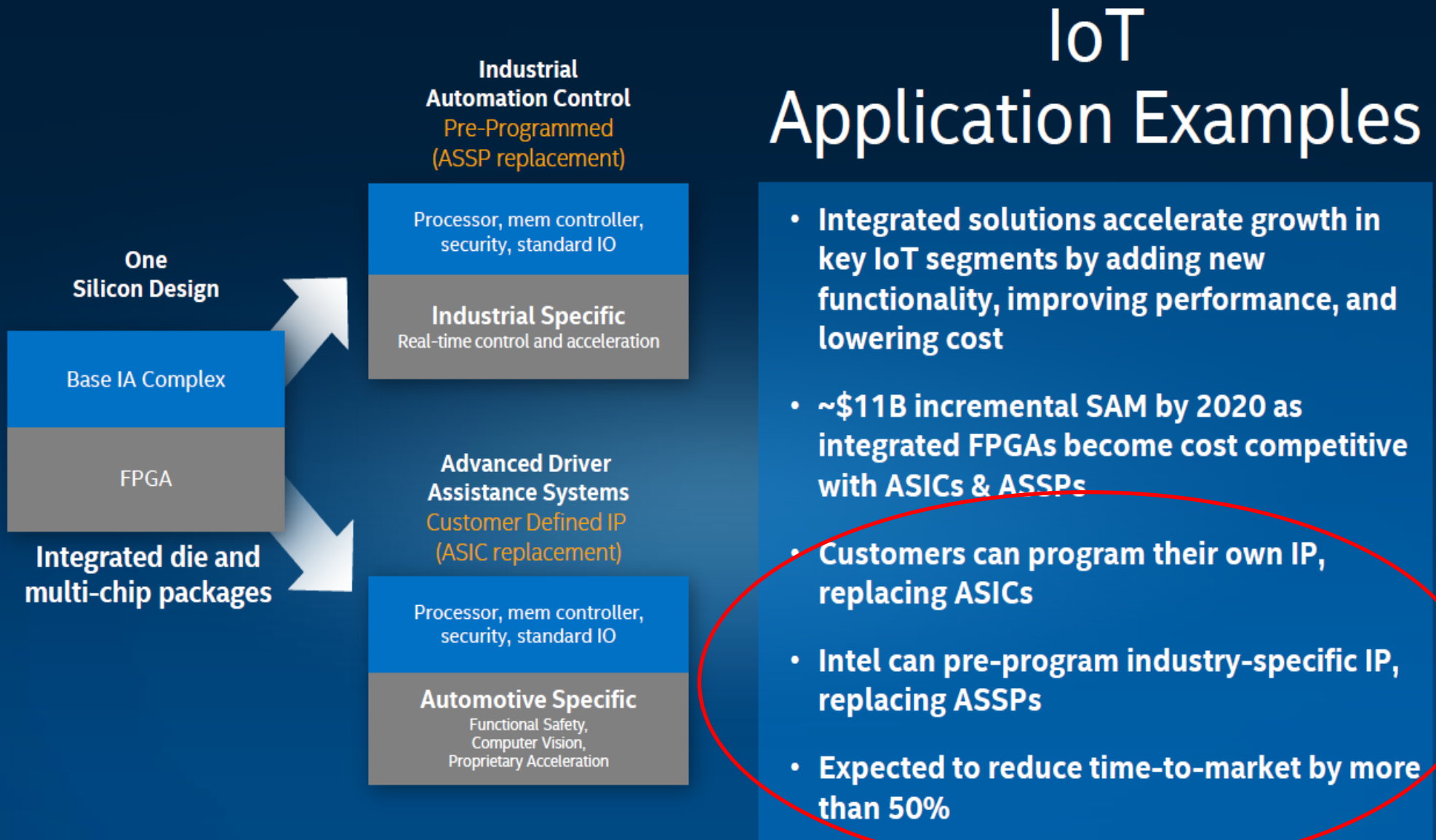
iPhone: has System-on-Chip



iPhone inside

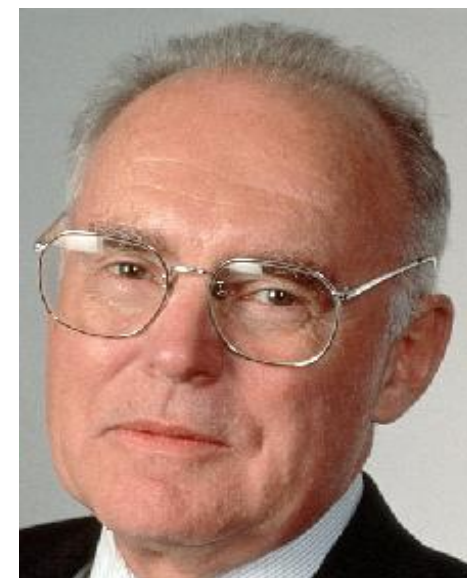
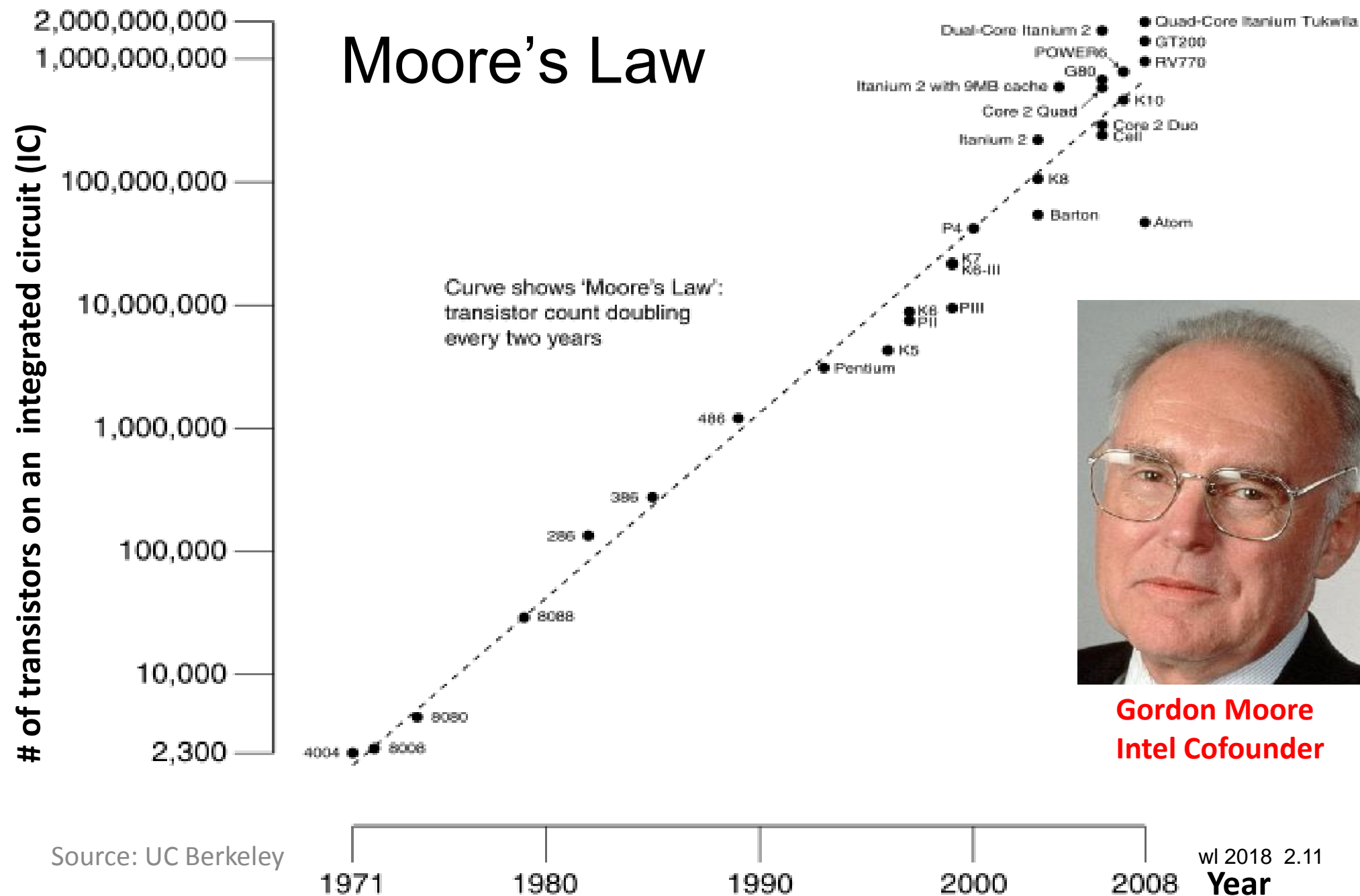


Future: Internet of Things (IoT)



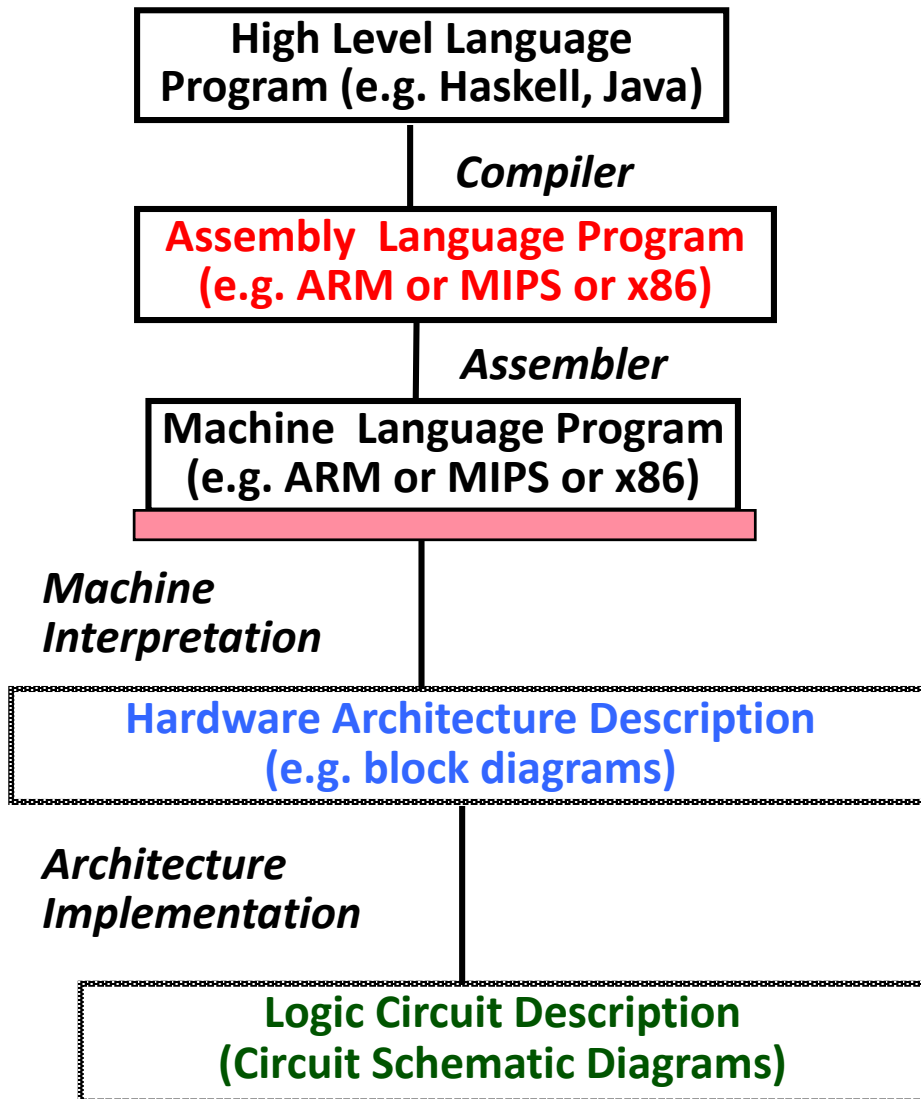
Predicts: 2X Transistors / chip every 1.5 to 2 years

Moore's Law



Gordon Moore Intel Cofounder

Key idea: levels of representation/interpretation

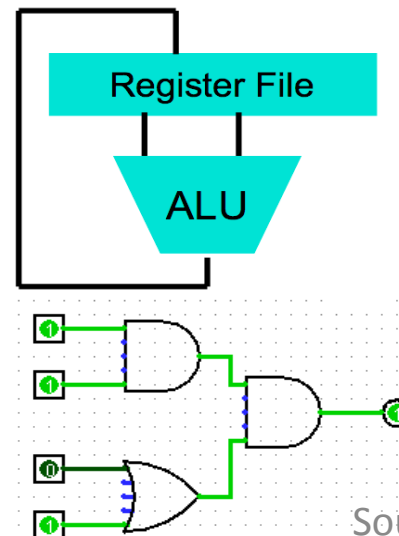


```
temp = v[k];  
v[k] = v[k+1];  
v[k+1] = temp;
```

```
lw    $t0, 0($2)  
lw    $t1, 4($2)  
sw    $t1, 0($2)  
sw    $t0, 4($2)
```

Anything can be represented
as a *number*,
i.e. data or instructions

```
0000 1001 1100 0110 1010 1111 0101 1000  
1010 1111 0101 1000 0000 1001 1100 0110  
1100 0110 1010 1111 0101 1000 0000 1001  
0101 1000 0000 1001 1100 0110 1010 1111
```



Source: UC Berkeley

Unsigned Binary Integers

- n-bit number

$$x = x_{n-1}2^{n-1} + x_{n-2}2^{n-2} + \dots + x_12^1 + x_02^0$$

- range: 0 to $+2^n - 1$

- example

- 0000 0000 0000 0000 0000 0000 0000 1011₂
= $0 + \dots + 1 \times 2^3 + 0 \times 2^2 + 1 \times 2^1 + 1 \times 2^0$
= $0 + \dots + 8 + 0 + 2 + 1 = 11_{10}$

- 32 bits

- 0 to +4,294,967,295

Two's-Complement Signed Integers

- n-bit number

$$x = -x_{n-1}2^{n-1} + x_{n-2}2^{n-2} + \dots + x_12^1 + x_02^0$$

- range: -2^{n-1} to $+2^{n-1} - 1$

- example

- $1111\ 1111\ 1111\ 1111\ 1111\ 1111\ 1111\ 1100_2$
 $= -1 \times 2^{31} + 1 \times 2^{30} + \dots + 1 \times 2^2 + 0 \times 2^1 + 0 \times 2^0$
 $= -2,147,483,648 + 2,147,483,644 = -4_{10}$

- 32 bits

- $-2,147,483,648$ to $+2,147,483,647$

Two's-Complement Signed Integers

- bit 31 is sign bit
 - 1 for negative numbers
 - 0 for non-negative numbers
- $-(-2^n - 1)$ can't be represented
- non-negative numbers:
 - have the same unsigned and 2s-complement representation
- some specific numbers
 - 0: 0000 0000 ... 0000
 - -1: 1111 1111 ... 1111
 - most-negative: 1000 0000 ... 0000
 - most-positive: 0111 1111 ... 1111
- find out: sign & magnitude, excess-n representations

Signed Negation

- complement and add 1
 - complement means $1 \rightarrow 0, 0 \rightarrow 1$

$$x + \bar{x} = 1111 \dots 111_2 = -1$$

$$\bar{x} + 1 = -x$$

- example: negate +2
 - $+2 = 0000\ 0000 \dots 0010_2$
 - $-2 = 1111\ 1111 \dots 1101_2 + 1$
 $= 1111\ 1111 \dots 1110_2$

Sign Extension

- representing a number using more bits
 - preserve the numeric value
- replicate the sign bit to the left
 - c.f. unsigned values: extend with 0s
- examples: 8-bit to 16-bit
 - +2: 0000 0010 => 0000 0000 0000 0010
 - -2: 1111 1110 => 1111 1111 1111 1110

Hexadecimal

- base 16
 - compact representation of bit strings
 - 4 bits per hex digit

0	0000	4	0100	8	1000	c	1100
1	0001	5	0101	9	1001	d	1101
2	0010	6	0110	a	1010	e	1110
3	0011	7	0111	b	1011	f	1111

- example: eca8 6420
 - 1110 1100 1010 1000 0110 0100 0010 0000
- find out: Octal, Binary Coded Decimal (BCD) representations

Character Data

- byte-encoded character sets
 - ASCII: 7-bit characters, 128 bit patterns
 - 95 graphic, 33 control
 - Latin-1: 256 characters
 - ASCII, +96 more graphic characters
- unicode: 32-bit character set
 - used in Java, C++ wide characters, ...
 - most of the world's alphabets, plus symbols
 - UTF-8, UTF-16: variable-length encodings

Think about

- How can I be sure that my bit-level design works?
- Correctness: with respect to the integer-level operation
- Example: to show bit-level negative, `negbit`, is correct, we need:
 - `negbit :: [Bool] -> [Bool]` -- `negbit` is the bit-level design
 - `negint :: Int -> Int` -- `negint n = -n` is the integer-level operation
 - `bit2int :: [Bool] -> Int` -- `bit2int` converts bit-level data to integers
- To show: `bit2int . negbit = negint . bit2int` (“.” is function composition)
- e.g. if `negbit` is correct, then `negbit [F,F,T,T] = [T,T,F,T]` (T=True, F=False)
 - LHS: `bit2int (negbit [F,F,T,T]) = bit2int [T,T,F,T] = -3`
 - RHS: `negint (bit2int [F,F,T,T]) = negint (3) = -3`