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# **SOFTWARE 1 PRACTICAL**

#### **CLASSES**

#### Week 9 - Practical 14

You may remember the exercise we have done in week 4 (Practical 5, exercise 6) regarding vectors. For your convenience I have rewritten the definition here.

A vector of dimension n can be represented by a list in Python. We would like to create a class Vector with two basic operations on vectors:

Scalar product: 
$$\lambda \cdot \begin{bmatrix} a \\ b \\ c \end{bmatrix} = \begin{bmatrix} \lambda \cdot a \\ \lambda \cdot b \\ \lambda \cdot c \end{bmatrix}$$

Addition: 
$$\begin{bmatrix} a \\ b \\ c \end{bmatrix} + \begin{bmatrix} d \\ e \\ f \end{bmatrix} = \begin{bmatrix} a+d \\ b+e \\ c+f \end{bmatrix}$$

#### Implementing a Vector Class

#### Exercise 1: Class' constructor

First of all, create a module called vector.py, then define the class Vector. The next step is to define what will be the internal representation of a vector and then write the constructor

\_\_init\_\_. The design decision is to store the element of the vector 
$$\begin{bmatrix} a \\ b \end{bmatrix}$$
 in a list [a,b,c].

The constructor will take only one parameter, a list of float. The instance attribute \_vector. should have a **copy** of the list passed in the parameters.

```
def __init__ (self, data = None):
    ''' some doc-string '''
    Pass
```

#### Exercise 2:

Another very useful method to write is \_\_str\_\_. This will enable us to print the content of the instance using the print function. For the purpose of this exercise we have decided to represent the vector  $\begin{bmatrix} a \\ b \\ c \end{bmatrix}$  with the string '<a, b, c>' to differentiate it from a list. Implement \_\_str\_\_.

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Now let see how we can instantiate (create) some vectors.

```
>>> my_vector = Vector([1, 2, 3])
>>> print(my_vector)
  <1, 2, 3>
>>> empty_vector = Vector()
>>> print(empty_vector)
  <>
```

```
Adding behaviours to the class Vector
```

We now need to think about the definition of a vector, what operation could be done? We know that we can add two vectors of same dimension, we can do the scalar product with a number (called a scalar), what else?

- Get the dimension of a vector (e.g. the number of elements in the vector)
- Get the value at a defined position in the vector
- Set a value at a defined position in the vector
- Check if they are equals, not equals
- Do the scalar product
- Do an addition between two vectors of equal size.

#### **Exercise 3:**

Implement the **method** dim() that returns the dimension of a vector (i.e. the number of elements in a vector)

#### Exercise 4:

Implement the following accessor and mutator:

- get (index) which returns the value of the element at position index in the vector
- set(index, value) which set the element at position index to the new value value. The method does not return any value.

Let's implement the scalar product method scalar\_product(scalar) as an example. The method needs only one parameter, the scalar. In addition, the method should return a **new** Vector containing the result of the operation, but MUST NOT modify the calling instance, e.g. my\_vector.scalar\_product(3) must not modify the instance my\_vector.

```
def scalar_product(self, scalar):
    ''' add some doc-string'''
    pass
```

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### Exercise 5:

Implement the method add (other\_vector) that emulate the vector addition operator. The method should return a new vector.

- You will have to check that other\_vector is a Vector instance, and raise a TypeError if it is not the case.
- You must check that both vector have the same dimension, raise a ValueError if it is not the case.
- You must return a new Vector instance like we have done in scalar product (scalar).

Once implemented we should be able to do the following:

```
>>> vector1 = Vector([1, 2, 3])
>>> vector2 = Vector([0, 1, 3])
>>> added = vector1.add(vector2)
>>> print(added)
<1, 3, 6>
```

#### Exercise 6:

In Programming, being able to compare objects is important, in particular determining if two objects are equal or not. Let's try a comparison of two vectors:

```
>>> vector1 = Vector([1, 2, 3])
>>> vector2 = Vector([1, 2, 3])
>>> vector1 == vector2
False
>>> vector1 != vector2
True
>>> vector3 = vector1
>>> vector3 == vector1
True
```

As you can see, in the current state of implementation of our class Vector does not produce the expected result when comparing two vectors. In the example above the == operator return True if the two vectors are physically stored at the same memory address, it does not compare the content of the two vectors.

Therefore, you need to implement a method equals (other\_vector) that returns True if the vectors are equals (i.e. have the same value at the same position), False otherwise.

<u>Hint</u>: to check if an object is of a certain type you can use isinstance (var, Type). For example isinstance (other vector, Vector).

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## Once implemented we should have the following results

```
>>> vector1 = Vector([1, 2, 3])
>>> vector2 = Vector([1, 2, 3])
>>> vector1.equals(vector2)
True
>>> vector3 = Vector([0, 2, 0])
>>> vector3.equals(vector1)
False
>>> vector1 == vector2
False
```