Building a Robot Judge: Data Science for Decision-Making

3. Machine Learning Essentials

Recap: Week 1 Activity

 $\verb|https://padlet.com/eash| 44/53 af qyu 00 cqsrrfc|$

Outline

Essentials

Regression / Regularization

Activity on Causal Graphs

Binary Classification

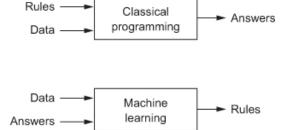
Applications

Appendix on Course Projects

Learning Objectives

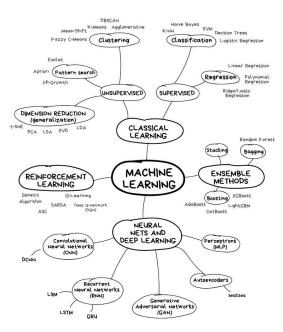
- 1. Implement and evaluate machine learning pipelines.
 - Evaluate (find problems in) existing machine learning pipelines.
 - Design a pipeline to solve a given ML problem.
 - Implement some standard pipelines in Python.
- 2. Implement and evaluate causal inference designs.
- 3. Understand how (not) to use data science tools (ML and CI) to support expert decision-making.

What is machine learning?

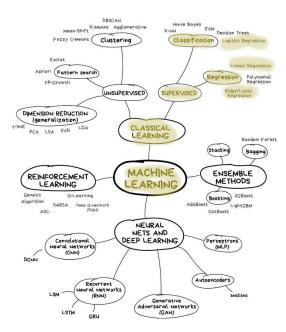


- In classical computer programming, humans input the rules and the data, and the computer provides answers.
- ► In machine learning, humans input the data and the answers, and the computer learns the rules.

The Machine Learning Landscape



What we will do today



A Machine Learning Project, End-to-End

Aurelien Geron, *Hands-on machine learning with Scikit-Learn, Keras, & TensorFlow*, Chapter 2:

- 1. Look at the big picture.
- 2. Get the data.
- 3. Discover and visualize the data to gain insights.
- 4. Prepare the data for Machine Learning algorithms.
- 5. Select a model and train it.
- 6. Fine-tune your model.
- 7. Present your solution.
- 8. Launch, monitor, and maintain your system.

Three Types of (Standard) Machine Learning Problems

Determined by the data type of the outcome variable (or label):

- **Binary classification**: two choices, normalized to zero and one.
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Three Types of (Standard) Machine Learning Problems

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 - e.g., guilty or innocent
- ▶ **Regression**: a one-dimensional, continuous, real-valued outcome.
 - e.g., number of days of prison assigned
- Multinomial Classification: Three or more discrete, un-ordered outcomes.
 - e.g., predict what judge is assigned to a case: Alito, Breyer, or Cardozo

What type of ML Problem is this?

- ▶ Based on defendant characteristics and the facts of the case, predict which charges the prosecutor will bring:
 - third degree murder (manslaughter)
 - second degree murder (crime of passion)
 - first degree murder (premeditated)

{binary classification, regression, or multinomial classification}

write down your answer (30 secs)

What do ML Algorithms do? Minimize a cost function

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▶ A typical cost function (or loss function) for regression problems is Mean Squared Error (MSE):

$$MSE(\theta) = \frac{1}{n_D} \sum_{i=1}^{n_D} (h(x_i; \theta) - y_i)^2$$

- \triangleright n_D , the number of rows/observations
- x, the matrix of predictors, with row x_i
- \triangleright y, the vector of outcomes, with item y_i
- $h(x_i;\theta) = \hat{y}$ the model prediction (hypothesis)

Loss functions, more generally

- ▶ The loss function $L(\hat{y}, y)$ assigns a score based on prediction and truth:
 - ▶ Should be bounded from below, with the minimum attained only for cases where the prediction is correct.
- ► The average loss for the test set is

$$\mathcal{L}(\theta) = \frac{1}{n_D} \sum_{i=1}^{n_D} L(h(\mathbf{x}_i; \theta), \mathbf{y}_i)$$

▶ The estimated parameter matrix θ solves

$$\hat{ heta} = rg \min_{ heta} \mathcal{L}(heta)$$

 \hookrightarrow optimizes over parameter space; treats the data as constants.

OLS Regression is Machine Learning

▶ Ordinary Least Squares Regression (OLS), also called simple linear regression, assumes the functional form $h(x;\theta) = x_i'\theta$ and minimizes the mean squared error (MSE)

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▶ This minimand has a closed form solution

$$\hat{\theta} = (\mathbf{x}'\mathbf{x})^{-1}\mathbf{x}'\mathbf{y}$$

most machine learning models do **not** have a closed form solution \rightarrow use numerical optimization (gradient descent).

$$MSE(\theta) = \frac{1}{n_D} \sum_{i=1}^{n_D} (h(\theta; \mathbf{x}_i) - y_i)^2$$

► The partial derivative for feature *j* is

$$\frac{\partial \mathsf{MSE}}{\partial \theta_j} = \frac{2}{n_D} \sum_{i=1}^{n_D} \left(\underbrace{h(\theta; \mathbf{x}_i) - y_i}_{\text{error for this obs}} \right) \underbrace{\frac{\partial h(\theta; \mathbf{x}_i)}{\partial \theta_j}}_{\text{how } \theta_i \text{ shifts } h(\theta; \mathbf{x}_i)}$$

ightharpoonup estimates how changing θ_j would reduce the error across the whole dataset.

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- The gradient ∇ gives the vector of these partial derivatives for all features:

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• Gradient descent nudges θ against the gradient (the direction that reduces MSE):

$$\theta_{t+1} = \theta_t - \frac{\eta}{\eta} \nabla_{\theta} \mathsf{MSE}$$

- η = learning rate
- keep nudging until convergence.

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- keep nudging until convergence.
- ▶ **Stochastic** gradient descent (SGD): Compute gradient for single random instance (rather than whole dataset) at each iteration. Much faster, still works.

Data Prep for Machine Learning

- ▶ Data Pre-Processing: See Geron Chapter 2 for pandas and sklearn syntax:
 - imputing missing values.
 - feature scaling (often helpful/necessary for ML models to work well)
 - ▶ if predictors are sparse (e.g. bag-of-words), use StandardScaler(with_mean=False).
 - encoding categorical variables.
 - Best practice: reproducible data pipeline.

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 - standard approach: randomly sample 80% training dataset to learn parameters, form predictions in 20% testing dataset for evaluating performance.

Use Cross-Validation During Model Training

- ▶ Within the training set:
 - Use cross-validation with grid search to get model performance metrics across subsets of data using different hyperparameter specs.
 - Find the best hyperparameters for out-of-fold prediction in the training set.
- Then evaluate model performance in the test set using these hyperparameters.

Use Cross-Validation During Model Training

- ▶ Within the training set:
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 - ▶ Find the best hyperparameters for out-of-fold prediction in the training set.
- ▶ Then evaluate model performance in the test set using these hyperparameters.
- Cross-validation is less common in deep learning, where training multiple models is too computationally expensive.
 - ▶ instead, use dropout and early stopping (week 7).

Model Evaluation in Test Set

Evaluating a "good" model is context-dependent. Here are some basics.

Regression:

- mean squared error (MSE)
- R-squared (same ranking as MSE, but units are more interpretable)
- ▶ mean absolute error (MAE, $\sum |\hat{y}(\theta) y|$) is less sensitive to outliers.

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- more complicated, but accuracy is a good baseline: accuracy = (# correct test-set predictions) / (# of test-set observations)
- ▶ What if one of the outcomes is over-represented e.g., 19 out of 20? Then I can guess the modal class and get 95% accuracy.
 - Some alternative classifier metrics designed to address class imbalance (more below and in week 5).

Outline

Essentials

Regression / Regularization

Activity on Causal Graphs

Binary Classification

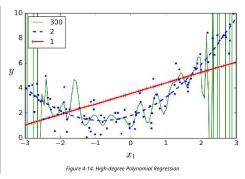
Applications

Appendix on Course Projects

Regression models ↔ Continuous outcome

▶ If the outcome is continuous (e.g., Y = tax revenues collected, or criminal sentence imposed in months of prison):

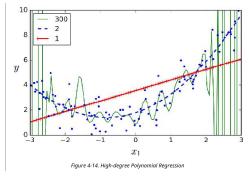
- Need a regression model. Problems with OLS:
 - tends to over-fit training data.
 - cannot handle multicollinearity.



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- Machine learning models are evaluated by the fit in held-out data (the test set)
 - "Regularization" refers to ML model training methods designed to reduce/prevent over-fitting of the training set
 - (and hopefully better fit in the test set).

Regularization

▶ Minimizing the loss *L* directly usually results in over-fitting. It is standard to add regularization:

$$\hat{\boldsymbol{\theta}} = \arg\min_{\boldsymbol{\theta}} \frac{1}{n_D} \sum_{i=1}^{n_D} L(h(\boldsymbol{x}_i; \boldsymbol{\theta}), \boldsymbol{y}_i) + \lambda R(\boldsymbol{\theta})$$

- \triangleright $R(\theta)$ is a "regularization function" or "regularizer", designed to reduce over-fitting.
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- $ightharpoonup R(\theta)$ is a "regularization function" or "regularizer", designed to reduce over-fitting.
- lacktriangle λ is a hyperparameter where higher values increase regularization.
- "Ridge" and "Lasso" penalize larger coefficients, shrinking them toward zero:
 - Ridge (or L2) penalty:

$$R_2 = \|\theta\|_2^2 = \sum_{i=1}^{n_x} (\theta_i)^2$$

- ▶ also helps select between collinear predictors.
- Lasso (or L1) penalty:

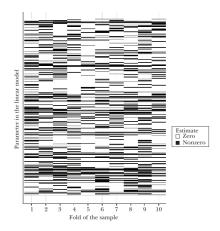
$$R_1 = \|\theta\|_1 = \sum_{i=1}^{n_x} |\theta_i|$$

also performs feature selection and outputs a sparse model.

Does lasso pick the "true" model?

Lasso prediction of house prices with 150 variables – which variables are "selected" (non-zero coefficients) by lasso, in ten models trained on separate data subsamples (Mullainathan and Spiess 2017):

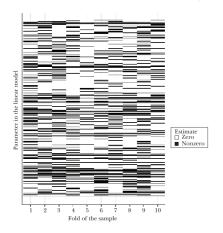
Selected Coefficients (Nonzero Estimates) across Ten LASSO Regressions



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Selected Coefficients (Nonzero Estimates) across Ten LASSO Regressions



- ► The set of lasso-selected variables changes across folds in the data
- Lasso does not pick the "correct" predictors.
 - lt just learns the correct $\hat{h}(X)$
 - when predictors are correlated with each other, they are substitutable.

$\mathsf{Elastic}\ \mathsf{Net} = \mathsf{Lasso} + \mathsf{Ridge}$

The Elastic Net cost function is:

$$L(\theta) = \mathsf{MSE}(\theta) + \lambda_1 R_1 + \lambda_2 R_2$$
$$= \mathsf{MSE}(\theta) + \lambda_1 \sum_{j=1}^{n_x} |\theta_j| + \lambda_2 \sum_{j=1}^{n_x} (\theta_j)^2$$

 $ightharpoonup \lambda_1, \lambda_2 = \text{strength of L1 (Lasso) penalty and L2 (Ridge) penalty, respectively.}$

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In scikit-learn, e-net penalties are parametrized as "alpha" = total penalty, and "l1_ratio" = proportion of penalty to L1.

```
from sklearn.linear_model import ElasticNet
enet = ElasticNet(alpha=2.0, l1_ratio = .75) # L1 = 1.5, L2 = 0.5
enet.fit(X,y)
```

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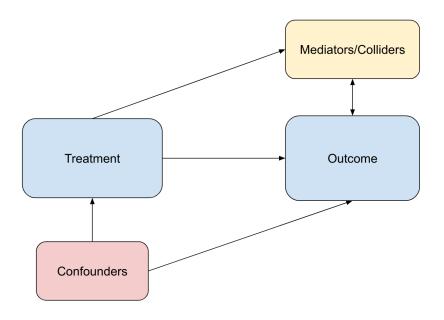
Activity on Causal Graphs

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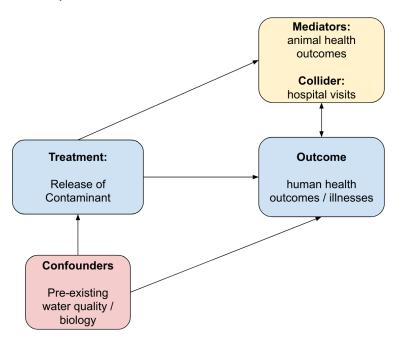
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Causal Graphs: Review



Causal Graph Example: Pollution of a River



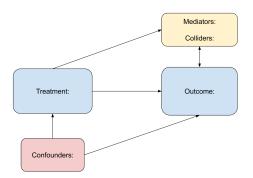
Activity: Practice with Causal Graphs

- ▶ Think of an example causal inference question:
 - a research question from your field
 - ▶ a policy you are interested in
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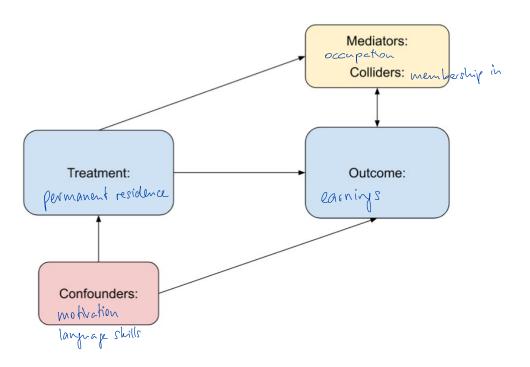
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Causal graph template (also at http://bit.ly/BRJ-W5A2a):



- Draw this template on a piece of paper (recommended), or save a copy of the template
 - ▶ fill it in on paper or electronically
 - ► after the break, we will share in groups of 2-3



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Binary Outcome ↔ Binary Classification

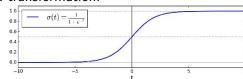
- ▶ Binary classifiers try to match a boolean outcome $y \in \{0,1\}$.
 - The standard approach is to apply a transformation (e.g. sigmoid/logit) to normalize $\hat{y} \in [0,1]$.
 - ▶ Prediction rule is 0 for $\hat{y} < .5$ and 1 otherwise.

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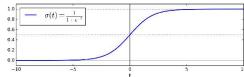
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 - ▶ Prediction rule is 0 for $\hat{y} < .5$ and 1 otherwise.
- ► The binary cross-entropy (or log loss) is: (analog to MSE)

$$L(\theta) = \underbrace{-\frac{1}{n_D} \sum_{i=1}^{n_D} \left[\underbrace{y_i}_{y_i=1} \underbrace{\log(\hat{y}_i)}_{\log \text{ prob} y_i=1} + \underbrace{(1-y_i) \underbrace{\log(1-\hat{y}_i)}_{\log \text{ prob} y_i=0} \right]}_{\text{log prob} y_i=0}$$

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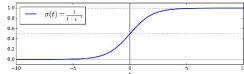


▶ Plugging into the binary-cross entropy loss gives the logistic regression cost objective:

$$\min_{\theta} \sum_{i=1}^{n_D} -y_i \log(\operatorname{sigmoid}(\boldsymbol{x}_i \cdot \theta)) - [1 - y_i] \log(1 - \operatorname{sigmoid}(\boldsymbol{x}_i \cdot \theta))$$

does not have a closed form solution, but it is convex (guaranteeing that gradient descent will find the global minimum).

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▶ Like linear regression, logistic regression can be regularized with L1 or L2 penalties.

from sklearn.linear_model import LogisticRegression
logit = LogisticRegression(penalty='12', C = 2.0) # lambda = 1/2
logit.fit(X,y)

		Predicted Class	
		Negative	Positive
True Class	Negative	# True Negatives	# False Positives
	Positive	# False Negatives	# True Positives

► Cell values give counts in the test set.

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$$\mathsf{Accuracy} = \frac{\mathsf{True}\;\mathsf{Positives}\;+\;\mathsf{True}\;\mathsf{Negatives}}{\mathsf{True}\;\mathsf{Positives}\;+\;\mathsf{False}\;\mathsf{Positives}\;+\;\mathsf{False}\;\mathsf{Negatives}\;+\;\mathsf{True}\;\mathsf{Negatives}}$$

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Precision decreases with false positives. "When I guess this outcome, I tend to guesses correctly."

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$$Precision (for positive class) = \frac{True Positives}{True Positives + False Positives}$$

Precision decreases with false positives. "When I guess this outcome, I tend to guesses correctly."

Recall (for positive class) =
$$\frac{\text{True Positives}}{\text{True Positives} + \text{False Negatives}}$$

Recall decreases with false negatives. "When this outcome occurs, I don't miss it."

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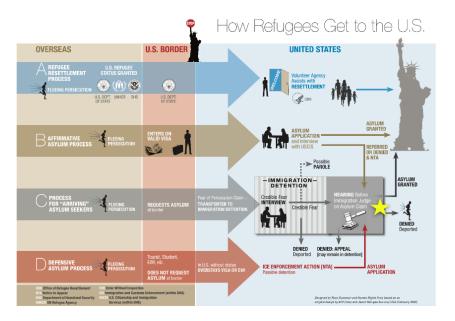
Activity on Causal Graphs

Binary Classification

Applications

Appendix on Course Projects

Asylum in the U.S.



Source: rcusa.org.

Dunn, Sagun, Sirin, and Chen (2017): Asylum Courts

- ► Data:
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 - ▶ 492,903 decisions, 336 courts, 441 judges

Dunn, Sagun, Sirin, and Chen (2017): Asylum Courts

- ▶ Data:
 - universe of asylum court cases, 1981-2013
 - ▶ 492,903 decisions, 336 courts, 441 judges
- ► High stakes: denial of asylum results in deportation.
- Average grant rate: 35%.
- ► What type of ML problem is this?

Predicting U.S. Asylum Court Decisions

		Predicted	
		Denied	Granted
True	Denied	195,223	65,798
	Granted	73,269	104,406

Accuracy =
$$68.3\%$$
, F1 = 0.60

- Prediction App: https://floating-lake-11821.herokuapp.com/
 - predictions made using logistic regression with L2 regularization, penalty selected by cross-validation grid search.

Judge Identity is Most Predictive Factor

Model	Accuracy	ROC AUC
Judge ID	0.71	0.74
Judge ID & Nationality	0.76	0.82
Judge ID & Opening Date	0.73	0.77
Judge ID & Nationality & Opening Date	0.78	0.84
Full model at case completion	0.82	0.88

- ▶ Predictions from random forest classifier, with parameters selected by cross-validated grid search.
 - ► Training/test split 482K/120K.

Judge Variation in Predictability

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Judge Variation in Predictability

- Some judges are highly predictable, always granting or rejecting.
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- ► There is significant variation in predictability by judge, conditional on grant rate.
 - suggests disagreement about circumstances contributing to asylum decision.

What type of ML Problem is this? (Bonica 2018)

http://bit.ly/BRJ_bonica

voting in pactionnent

Abstract: This article develops a generalized supervised learning methodology for inferring roll-call scores from campaign contribution data. Rather than use unsupervised methods to recover a latent dimension that best explains patterns in giving, donation patterns are instead mapped onto a target measure of legislative voting behavior. Supervised models significantly outperform alternative measures of ideology in predicting legislative voting behavior. Fundraising prior to entering office provides a highly informative signal about future voting behavior. Impressively, forecasts based on fundraising as a nonincumbent predict future voting behavior as accurately as in-sample forecasts based on votes cast during a legislator's first 2 years in Congress. The combined results demonstrate campaign contributions are powerful predictors of roll-call voting behavior and resolve an ongoing debate as to whether contribution data successfully distinguish between members of the same party.

▶ read and make a first decision (3 minutes); discuss in groups from earlier (2 minutes), then show of hands.

Vaccine Allocation, Age, and Race (rest of class)

- ▶ In groups: Discuss Noah Smith's article, "Vaccine Allocation, Age, and Race
 - ▶ Summarize the main points, and relate them to our discussions in class.
 - ► Think of another policy/decision with similar issues, explain.
- ► Task:
 - Discuss your ideas in your group
 - write them down in a shareable doc
 - post a link in the padlet: https://padlet.com/eash44/58p73xm4njmqcg7e.

Outline

Essentials

Regression / Regularization

Activity on Causal Graphs

Binary Classification

Applications

Appendix on Course Projects

Course Project Logistics

https://eash.cc/brj22-proj

- ▶ If you are signed up for the credits, the focus of your work in this course should be on the project.
 - Can be done individually or in small groups (up to 4 students).
 - Do an original analysis using methods learned in the course, and write a paper about it.

Course Project Logistics

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 - Can be done individually or in small groups (up to 4 students).
 - Do an original analysis using methods learned in the course, and write a paper about it.
- Deliverables (dates at project page)
 - description of topic (10% completion grade)
 - proposal/outline (10% of grade)
 - ▶ Presentations/Posters (10% of grade).
 - ► Rough draft with data/methods/results (20% of grade)
 - ► Final draft with full text and replication package (50% of grade)

Previous Year's Projects (1)

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 - see https://deepjudge.ai/
 - feature-rich legal search engine, won some VC funding and now part of ETH AI Center

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- ▶ One of the groups began building a legal research application for Swiss lawyers:
 - see https://deepjudge.ai/
 - feature-rich legal search engine, won some VC funding and now part of ETH AI Center
- Another group partnered with a local company to build out environmental-regulation analytics
 - won an Innosuisse grant.

Previous Year's Projects (2)

Five projects have been published:

- 1. "Legal language modeling with transformers" (Lazar Peric, Stefan Mijic, Dominik Stammbach, Elliott Ash), *Proceedings of ASAIL* (2020).
- "Entropy in Legal Language" (Roland Friedrich, Mauro Luzzatto, Elliott Ash), NLLP @ KDD (2020).
- 3. "Towards Automated Anamnesis Summarization: BERT-based Models for Symptom Extraction" (Anton Schäfer, Nils Blach, Oliver Rausch, Maximilian Warm, Nils Krüger), *Machine Learning for Health at NeurIPS* (2020).
- 4. "Kwame: A Bilingual Al Teaching Assistant for Online SuaCode Courses" (George Boateng), *International Conference on Al in Education* (2021)
- "MemSum: Extractive Summarization of Long Documents using Multi-Step Episodic Markov Decision Processes" (Nianlong Gu, Elliott Ash, Richard Hahnloser), forthcoming ACL Main Conference (2022)

Previous Year's Projects (3)

A number of other projects that are likely to get published, e.g.:

- 1. partisan tweet generator that responds in the style of a Republican or Democrat.
- 2. analysis of bias towards immigrants in the early 1900s using old newspapers.
- 3. causal analysis using deep instrumental variables of what arguments in judicial opinions increase citations
- 4. partisan question answering system that answers questions with a partisan slant.
- 5. an audio/text analysis of central bank speeches and inflation beliefs.
- 6. system for predicting judicial decisions based on the submitted briefs
- 7. analysis of sentiment in Tweet images, relate to local economic outcomes
- 8. automated determination of trademarkability
- 9. conditioned text generation with quality filtering
- 10. improvements to relatio narrative extraction enginer

Project Topics and First Steps

- Picking a topic:
 - ▶ You are welcome to come up with your own topic. We will provide feedback on that.
 - We have a list of suggested topics with project advisors.
 - ► I can also provide advice about which of these topics is a good fit based on team interests and skills.
- First steps:
 - once you have formed a group, send to Afra a list of team members with their resumes, research experience, and interests.
 - if you are interested in one or more of the suggested topics, include that in the email
 - we will then match project advisors and set up meeting

Questions / comments?

As suggested, we will set up a meet-and-greet for those doing projects.