```
In [326]: import numpy as np
          import math
          import random
          from scipy.interpolate import make_interp_spline
          import matplotlib.pyplot as plt
In [327]: def fn(x):
              y=-math.exp(x**2/100)*math.sin(13*x - x**4)**5*math.sin(1 - 3*x**2)**2
               return y
In [328]: x=np.arange(-2,2,0.05)
          for i in x:
              y.append(fn(i))
In [329]: def N():
               n=random.uniform(-2,2)
               return(n)
In [330]: def Tp(c,n,T,fn):
               if fn(n)<fn(c):</pre>
                   return(1.0)
               else:
                   DE=fn(c)-fn(n)
                   x=DE/T
                   p=math.exp(x)
                   return(p)
In [331]: def simAnn(fn):
               c=0
              b=c
              bf=fn(b)
              T=0.00001
               cooling_rate=0.001
              while T>0.0000001:
                   for n0 in range(0,1000000):
                       n=N()
                       nf=fn(n)
                       p=Tp(c,n,T,fn)
                       if p>random.random():
                           c=n
                           cf=nf
                       if nf<bf:</pre>
                           bf=nf
                           b=n
                   T*=cooling_rate
               return(b,bf)
In [332]: simAnn(fn)
Out[332]: (1.3656886835017845, -0.9579456035176046)
```

```
In [333]: X_Y_Spline = make_interp_spline(x, y)
           X_{-} = np.linspace(x.min(), x.max(), 500)
           Y_ = X_Y_Spline(X_)
           plt.plot(X , Y )
           c,fc=simAnn(fn)
           plt.plot(c,fc,'r+')
Out[333]: [<matplotlib.lines.Line2D at 0x233d14b6c10>]
             1.00
             0.75
             0.50
             0.25
             0.00
            -0.25
            -0.50
            -0.75
            -1.00
                  -2.0
                       -1.5
                            -1.0
                                  -0.5
                                        0.0
                                              0.5
                                                   1.0
                                                        1.5
                                                              2.0
           Coin Probability
In [334]: def fnc(x):
               ax=x*cx
               g=math.e**ax
               p=g/sum(g)
               px=cx*p
               s=sum(px)
               f=abs(mean-s)
               return(f)
In [335]: coin=[1, 5, 10, 25, 50, 100]
           cx=np.array(coin)
           mean=10.3828
In [336]: alpha=[-1,0]
           t=0
In [337]: #Coin
           a0=simAnn(fnc)
```

Estimated optimal probabilities

Out[337]: (-0.03773222090348005, 0.0001485399682028543)

```
In [338]: ax=a0[0]*cx
          g=math.e**ax
          p=g/sum(g)
Out[338]: array([0.31670063, 0.27233367, 0.22551055, 0.12804524, 0.04985297,
                  0.00755695])
In [339]:
          px=cx*p
          s=sum(px)
Out[339]: 10.382948539968202
In [340]:
          print(f'actual Mean:{mean}')
          print(f'observed Mean:{s}')
          print(f'The difference between\nobserved mean & estimated mean\n(loss value):{abs(mean-s)
           actual Mean:10.3828
          observed Mean:10.382948539968202
          The difference between
          observed mean & estimated mean
           (loss value):0.0001485399682028543
          Verification
In [341]: x=np.arange(-5,1,0.01)
          y=[]
          for i in x:
              y.append(fnc(i))
In [342]: X_Y_Spline = make_interp_spline(x, y)
          X_{-} = np.linspace(x.min(), x.max(), 500)
          Y_{-} = X_{-}Y_{-}Spline(X_{-})
          plt.plot(X_, Y_)
          plt.plot(a0[0],fnc(a0[0]),'r+')
Out[342]: [<matplotlib.lines.Line2D at 0x233d152ee80>]
            80
            60
            40
            20
            0
                -5
```