



## **Deliverable 2. Data Analysis.**

Detailed insight on available data and first statistic analysis.

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Project Report

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## Executive Summary

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# 1 Evaluation criteria

The predictive information obtained in the data mining process, will lead to the implementation of systems which will give us a prediction using current events as its input. This prediction will be given in the form of an alarm or set of alarms, which are likely to be raised within a given prediction period. In this section we will approach the problem of *evaluation* of this predictive information.

As a first thought, it might seem appropriate to evaluate our predictions by how true they actually are. We can measure the *accuracy* of a prediction rule system easily by checking how often it becomes true and how often it does not. This is an important factor to take into account, but is however not completely significant of the overall quality of the system. In a limit case in which we only attained a trivial but highly accurate rule which gives valid but trivial predictions all the times, we would have an accuracy of 100%, while the overall quality of the system would be none. We must actually check not only the accuracy of our predictions, but also their relevance against the whole situation.

Therefore, we will need two different evaluation parameters: one related to the accuracy of our predictions, and other related to the fraction of events we are able to predict[?]. In first place, we will define *precision* as the fraction of our predictions which are accurate. In the case of evaluating a rule against a test set,  $P_{accurate}$  would be the number of times when both the antecedent and consequent of the given rule have happened within the stipulated time window; while  $P_{total}$  would be the number of times when the antecedent of the given rule has happened, whether the consequent has or hasn't happened. Prediction can be as well calculated for a whole rule set, or for any kind of system which gives a predicted event based on other input events.

$$Prec_i = \frac{P_{i,accurate}}{P_{i,total}} \quad (1)$$

On the other hand, we will define *recall* as the relation between events which have successfully been predicted by our system ( $E_{predicted}$ ) and the

total number of events ( $E_{total}$ ).

$$Rec_i = \frac{E_{i,predicted}}{E_{i,total}} \quad (2)$$

Notice that the number of events which have been predicted ( $E_{predicted}$ ) is, in fact, the number of accurate predictions as calculated in the definition of *precision*, ( $P_{accurate}$ )

In other words, precision is the ratio between accurate predictions and the total number of predictions; while recall is the ratio between accurate predictions and the total number of events.

It is important to notice that in our context, an event can't be *wrongly* predicted. Our prediction can be either true or false, but if we make a prediction of the type  $\{A, B\} \rightarrow \{C\}$  and instead we observe that  $\{A, B\} \rightarrow \{D\}$ ; it does not mean in any way that we predicted C instead of D, but that our prediction of C was false and we did not predict D. As a result, some other tools generally used to complement values of precision and recall (such as *confusion matrices*) cannot be applied in our case.

Taking a further step, we can merge both indicators in a single one, obtaining a single indicator for a much easier evaluation. Precision and recall are often merged in the called *F-measure*, defined as:

$$F = \frac{(\beta^2 + 1) \cdot Prec \cdot Rec}{\beta^2 \cdot Prec + Rec} \quad (3)$$

where  $\beta \in [0, 1]$  balances the importance between recall and precision.

## 2 Validation

Once the data mining process has been successfully performed, it is of essential importance to *validate* the obtained results. This is, once we have learnt to make predictions based on observation of events, we must actually test how good our predictions are. As we count on a vast amount of data logs, we can easily check our predictions against this historic data. However, if we do this on the same data we have used to obtain this knowledge (our

*learning set*) we will obviously obtain extremely good results, as we have already learnt all the patterns happening on that exact data. If we had an ideal, infinite data set with *all* the possible situations that can ever happen in our system, we could have learnt absolutely every possible prediction to be made on the system and no future event could be *unexpected* to our new prediction abilities. However, in real systems this is not the case, and it is very likely that patterns and characteristics of the systems vary along time.

Training our system over a single large set of data can lead to *overfitting*. This happens when our predictive knowledge becomes extremely accurate for the set we have been training on, but performs poorly on any other set of events not contained on our learning set.

In order to make a proper validation of the obtained knowledge, we must separate our data in different sets. One of them will be the *learning set* – over which we will work to obtain our predictive knowledge – and the other will be used as a *testing set* – on which we will test our predictive abilities. This way we will obtain a better validation of our predictive knowledge, as the characteristics of the testing set were not taken into account on the learning process, tentatively the same as for any future set of events.

In order to address this problem, one of the most used methods is the  $k$ -fold cross-validation ( $k$ -fold CV) method. This method consists on dividing the whole data set in  $k$  subsets of equal sizes, use  $k-1$  of them as the learning set and the  $k$ th one as the testing set. Performance results are stored for those specific learning and testing sets and the whole process is repeated a total of  $k$  times, until all the possible combinations of subsets into the learning set and testing set are obtained. A common value for  $k$  is 10.

With this process, we obtain a total of  $k$  performance testing results for our model. The important point is that all of them have been tested on sets which were not used for their construction. The overall performance measure is obtained as the arithmetic mean of all the results.

In some cases, we can even randomize the division of the data into subsets, obtaining different subsets for each process of  $k$ -fold CV we perform. In our case, however, we are limited in this direction by the nature of our data, as it is very important to preserve sequential information of our data. Our



subsets must therefore be conformed of contiguous observations, and cannot be conformed of randomly selected samples.

Cross validation[?]