



Searching Techniques

Searching

- Linear Search
- Binary Search

Linear search Algorithm

Linear search(list, n, element)

Where list= Represents the list of elements

n = Represents the size of the list

element= Represents the value to search

Step 1: [Initialize]

K=1

Flag=1

Step 2: Repeat through step 3 for K=1,2,3...n

Step 3: If list[K]=element

(i) Flag=0

(ii) Output "search is successful"

Step 4: If Flag

Output "search is unsuccessful" and Exit

Step 5:Exit

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Time complexity for linear search

- The time complexity of sequential search
- For successful search
 - worst case is $O(n)$
 - Best case is $O(1)$
- For unsuccessful search, $O(n)$

Binary Search

- Binary search works only on a sorted set of elements. To use binary search on a collection, the collection must first be sorted.
- need to know the start and end of the range. Lets call them Low and High.
- compare the search value K with the element located at the median of the lower and upper bounds. If the value K is greater, increase the lower bound, else decrease the upper bound.
- It is base on divide and conquer apporach.

Binary search Algorithm

Binary search(list, n, element)

Where list= Represents the list of elements

n = Represents the size of the list

element= Represents the value to search

Step 1: [Initialize]

low=1

high=n

flag=1

Step 2: Repeat through step 4 while (low<=high)

Step 3: mid=(low+high)/2

Step 4: If (element< list[mid])
then

high=mid-1

else If (element > list[mid])
then

low=mid+1

else If (element == list[mid])

Output "search is successful" and location of element is mid

flag=0

return

Step 5: If (Flag) Output "search is unsuccessful" and return

Step 5:Exit

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Time complexity for binary search

- The time complexity of binary search
 - For successful search:
 - worst case is $O(\log n)$
 - Best case is $O(1)$
 - For unsuccessful search, $O(n)$
- For unsuccessful search:
 - worst case, best case and average case, $O(\log n)$