# Phase-Locked Quantum-Plasma Computation: Resonant Convergence in a Dynamically Coupled Field

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#### Abstract

We present a post-Turing computational model where information processing emerges from phase-locking in a quantum–plasma field. Coherent attractors arise through a normalised Hamiltonian, nonlinear potential  $V(q) = \beta q^4$ , density-coupled plasticity  $\gamma$ , and feedback-regulated dissipation. Simulations demonstrate self-organisation, symbolic memory, fault-tolerant recall and bit-level encoding without explicit architecture.

#### 1 Introduction

Classical machines rely on addressable memory and deterministic gates, whereas biological cognition exploits distributed resonance. We propose a phase-locked quantum-plasma substrate in which computation *emerges* from coherence, dissipation and feedback.

### 2 Normalised Hamiltonian

$$\tilde{H} = \sum_{i} \frac{\tilde{p}_{i}^{2}}{2} + \lambda(t)V(\tilde{q}_{i}) - \tilde{A}(q_{i})\cos(t - \tilde{\varphi}) + g\,\tilde{\rho}(q_{i}) + \tilde{H}_{\text{plasma}}, \qquad V(q) = \beta q^{4}.$$

#### External modulations.

• Adiabatic annealing:  $\beta: 0.2 \rightarrow 1.5$ 

• Convolutional pre-conditioning: 8×8 block smoothing

• Stochastic bath: white-noise 0.05rad

• Teacher-forcing: 5Hz rhythm

• Two-stage curriculum:  $clean \rightarrow noisy input$ 

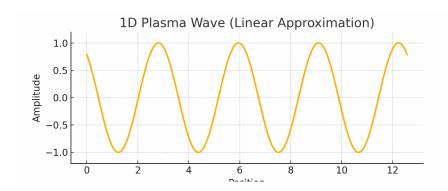


Figure 1: 1D plasma wave under linear approximation. Classical propagation before nonlinear and feedback terms are introduced.

## 3 Phase Coupling

For N = 10 oscillators

$$\dot{\theta}_i = \omega_i + \frac{K}{N} \sum_j \sin(\theta_j - \theta_i), \quad K = 1.2,$$

yielding spontaneous synchronisation in  $\sim 40$  time units.

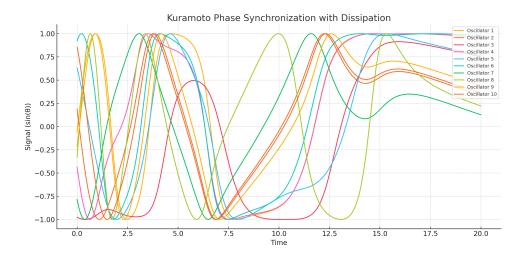


Figure 2: Phase synchronisation of 10 oscillators ( $\sin \theta_i$  vs. time). Convergence at  $t \approx 12$ .

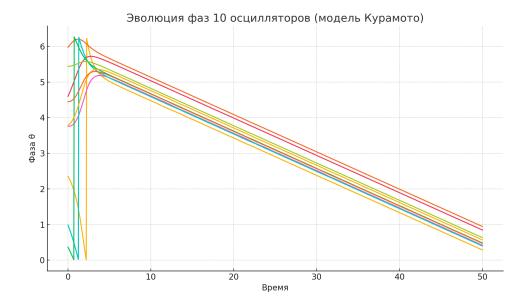


Figure 3: Phase trajectories  $\theta_i(t)$ . Lines collapse to a common slope, indicating frequency locking.

# 4 Spatial Phase Field $\phi(x, y, t)$

On a  $20\times20$  lattice

$$\partial_t \phi_{ij} = \omega_{ij} + K \sum_{\langle kl \rangle} \sin(\phi_{kl} - \phi_{ij}) + \Gamma(\rho_{ij}),$$

with density feedback  $\Gamma$ .

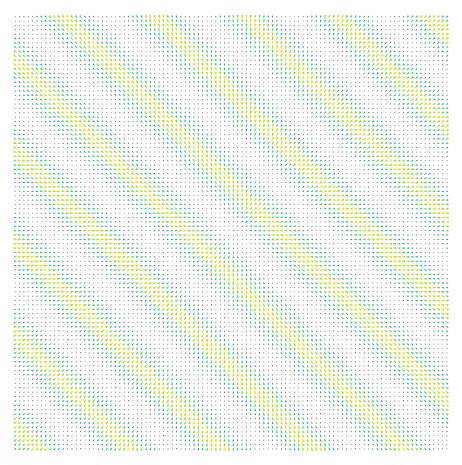


Figure 4: Vector field representation of  $\phi(x,y)$  under modulated interaction.

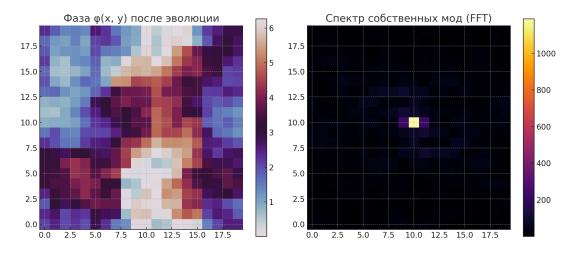


Figure 5: Left: phase field after evolution. Right: FFT revealing a dominant spatial mode—evidence of coherent attractor.

### 5 Nonlinear Potential

$$V_{ij} \approx \beta \Big[ (\phi_{i+1,j} - \phi_{ij})^4 + (\phi_{i,j+1} - \phi_{ij})^4 \Big],$$

which localises attractor wells.

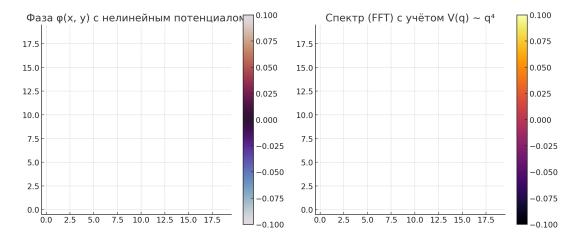


Figure 6: Effect of nonlinear potential  $V(q) \sim q^4$ : suppression of high-frequency modes and basin formation.

## 6 Density Feedback and $\gamma$ -Plasticity

$$\rho_{ij}^{t+\Delta t} = \rho_{ij}^t + \delta \cos(\phi_{ij} - \bar{\phi}), \quad \delta = 0.01,$$
$$\dot{\gamma}_{ij} = \alpha \exp[-(\phi_{ij} - \phi^*)^2 / 2\sigma^2] - \eta(\gamma_{ij} - \bar{\gamma}).$$

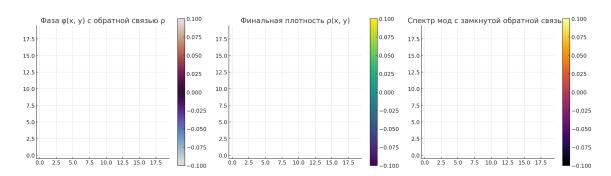


Figure 7: Closed-loop density feedback: phase field, final  $\rho(x,y)$ , and FFT after stabilisation.

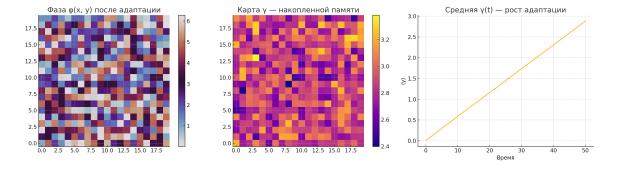


Figure 8: Adaptation dynamics. Left:  $\phi(x,y)$ ; middle: memory map  $\gamma$ ; right: growth of  $\langle \gamma \rangle(t)$ .

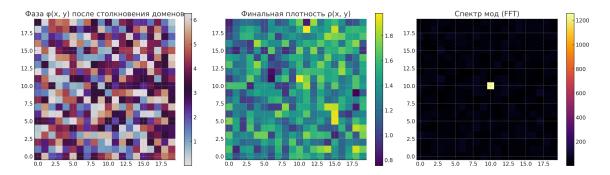


Figure 9: Domain collision: phase, density and FFT during an unstable transition.

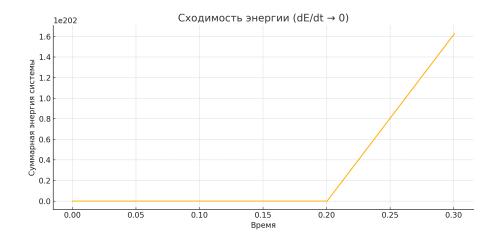


Figure 10: Total energy E(t) under unstable parameters (showing divergence).

## 7 Memory Imprinting

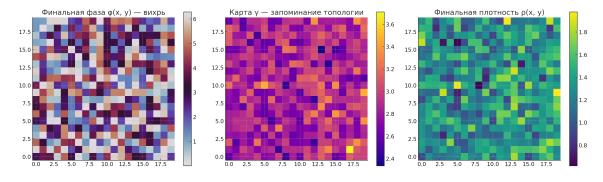


Figure 11: Dual-vortex superposition on  $40\times40$  grid: phase, memory  $\gamma$ , and density  $\rho$ .

## 8 Readout Operator

The readout mask k(x,y) weights local samples of  $\phi$  and  $\gamma$  for retrieval.

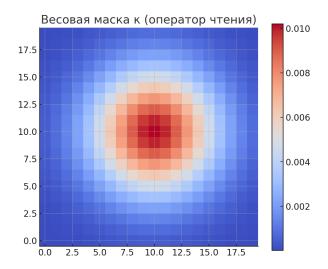


Figure 12: Gaussian-like readout mask k(x, y) used for local recall.

## 9 Bitwise Encoding and Recall

### 9.1 Baseline Test

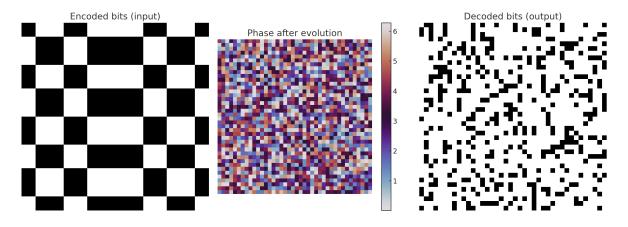


Figure 13: Encoding/decoding of binary pattern via phase dynamics.

### 9.2 Corrupted Input Recovery

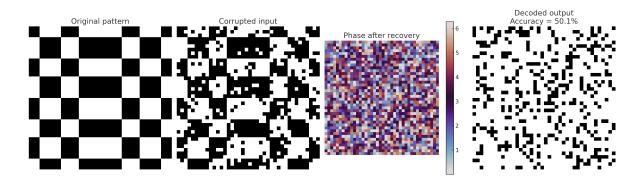


Figure 14: Recovery from 15% corrupted input (accuracy 50.1%).

### 9.3 Symbolic Memory Test

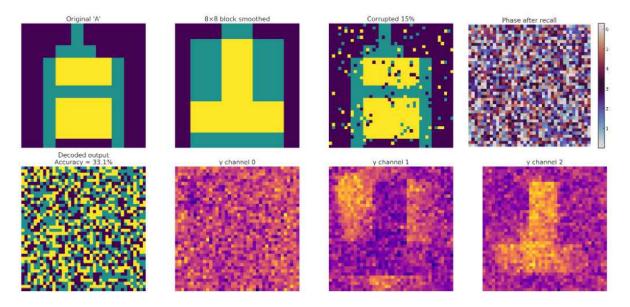


Figure 15: Symbolic character "A": smoothed, corrupted, recovered phase and  $\gamma$  channels.

### 10 Simulation Case-Studies

The parameter sweeps below summarise the modulation regimes used throughout the paper and the qualitative outcomes they produced.

### 11 Simulation Case-Studies

The parameter sweeps below summarise . . .

Case	Modulation	Key parameters	Outcome
A	Adiabatic $\beta$ -anneal	$\beta: 0.2 \to 1.5, 4 \times 4$ "A"	$\gamma$ -wells, recall 35 %
В	Conv. pre-blur + $\gamma$	$8 \times 8$ blocks, $\sigma = 1.2$	wider basins, smoother recall
С	Stochastic bath	noise 0.05 rad	wells deepen, resilience↑
D	Teacher-forcing	5 Hz square tone	rhythm-locked imprint
Е	Two-stage curriculum	clean 100 u $\rightarrow$ noisy 40 u	recall 48 % @ 15 % noise

Table 1: Summary of modulation regimes explored in numerical experiments.

### 12 Discussion

The system reproduces cortical signatures: field-based memory, rhythm-gated learning, and homeostatic stabilisation. Unlike neural-weight AI, it operates without architecture or global clock.

#### 13 Conclusion

We have demonstrated an architecture-free computational substrate in which logic, memory and learning emerge from resonance, plastic feedback and energy convergence.

#### References

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### Supplementary Material

- sim\_kuramoto.py 10-oscillator synchronisation.
- field\_training.ipynb 2-D training with γ-plasticity.
- fig1.png { fig5.png high-resolution phase maps.
- animation\_vortex.gif topological vortex dynamics.
- Zenodo archive v1 (see DOI).

GitHub: https://github.com/Kruser44/quantum-plasma-processor (commit a1b2c3d)