Experiment No: 4

Aim: Implementation of Statistical Hypothesis Test using Scipy and Scikit-learn.

Problem Statement: Perform the following correlation tests on the dataset:

1. Pearson's Correlation Coefficient
2. Spearman's Rank Correlation
3. Kendall's Rank Correlation
4. Chi-Squared Test

Theory: Statistical hypothesis testing is a method used to determine relationships between variables in a dataset. The tests we perform are:

- **Pearson's Correlation Coefficient:** Measures the linear relationship between two continuous variables.
- **Spearman's Rank Correlation:** Measures the monotonic relationship between variables using rank-based analysis.
- **Kendall's Rank Correlation:** Measures the strength and direction of association between two variables.
- **Chi-Squared Test:** Used to test the independence between categorical variables.

Dataset Description: The dataset consists of airline data, and we have chosen the columns **Total** and **Total Cost (Current)** for the tests.

Code Implementation:

Step 1: Load and Preprocess Data

```
[1] import pandas as pd
    import numpy as np
    import scipy.stats as stats

    url = "processed1_fleet_data.csv"
    df = pd.read_csv(url)

    # Convert 'Total Cost (Current)' to numeric (removing $ and commas)
    df['Total Cost (Current)'] = df['Total Cost (Current)'].replace('[\$,]', '', regex=True).astype(float)

    # Selecting only relevant columns
    df = df[['Total', 'Total Cost (Current)']].dropna()

    print("Dataset Loaded and Cleaned Successfully.")

Dataset Loaded and Cleaned Successfully.

df.head()
```

	Total	Total Cost (Current)
0	4.0	90.0
1	8.0	0.0
2	41.0	3724.0
3	9.0	0.0
4	8.0	919.0

Step 2: Pearson's Correlation Coefficient

```
[3] # Pearson's Correlation
    pearson_corr, pearson_p = stats.pearsonr(df['Total'], df['Total Cost (Current)'])

    print(f"Pearson Correlation Coefficient: {pearson_corr}")
    print(f"P-value: {pearson_p}")
    if pearson_p < 0.05:
        print("Reject the null hypothesis: Significant correlation exists.")
    else:
        print("Fail to reject the null hypothesis: No significant correlation.")
```

```
Pearson Correlation Coefficient: 0.698548778087841
P-value: 5.869355017114187e-218
Reject the null hypothesis: Significant correlation exists.
```

Step 3: Spearman's Rank Correlation

```
# Spearman's Rank Correlation
spearman_corr, spearman_p = stats.spearmanr(df['Total'], df['Total Cost (Current)'])

print(f"Spearman Correlation Coefficient: {spearman_corr}")
print(f"P-value: {spearman_p}")
if spearman_p < 0.05:
    print("Reject the null hypothesis: Significant monotonic relationship exists.")
else:
    print("Fail to reject the null hypothesis: No significant monotonic relationship.")
```

```
Spearman Correlation Coefficient: 0.5762818619372673
P-value: 3.0934407174957005e-132
Reject the null hypothesis: Significant monotonic relationship exists.
```

Step 4: Kendall's Rank Correlation

```
[5] # Kendall's Rank Correlation
    kendall_corr, kendall_p = stats.kendalltau(df['Total'], df['Total Cost (Current)'])

    print(f"Kendall Correlation Coefficient: {kendall_corr}")
    print(f"P-value: {kendall_p}")
    if kendall_p < 0.05:
        print("Reject the null hypothesis: Significant association exists.")
    else:
        print("Fail to reject the null hypothesis: No significant association.")
```

```
Kendall Correlation Coefficient: 0.444156533846385
P-value: 7.211053057981994e-125
Reject the null hypothesis: Significant association exists.
```

Step 5: Chi-Squared Test

```
# Chi-Squared Test
chi2, chi_p = stats.chisquare(df['Total Cost (Current)'])

print(f"Chi-Squared Test Statistic: {chi2}")
print(f"P-value: {chi_p}")
if chi_p < 0.05:
    print("Reject the null hypothesis: Significant dependency exists.")
else:
    print("Fail to reject the null hypothesis: No significant dependency.")
```

```
Chi-Squared Test Statistic: 12004188.907641038
P-value: 0.0
Reject the null hypothesis: Significant dependency exists.
```

Conclusion:

The results indicate a strong correlation between **Total** and **Total Cost (Current)**. Pearson's correlation coefficient of **0.6985** suggests a strong linear relationship, while Spearman's (**0.5763**) and Kendall's (**0.4442**) show a significant monotonic association. The Chi-Squared test also confirms a significant dependency. These findings suggest that as the total number of aircraft increases, the total cost follows a predictable pattern, reinforcing the reliability of the correlation tests.