# Importing required Libraries In [1]: import pandas as pd import matplotlib.pyplot as plt import seaborn as sb In [2]: A = pd.read\_csv("C:/Work/DATA\_SCI-ANA/Datasets/Loan\_Prediction/training\_set.csv") In [3]: from warnings import filterwarnings filterwarnings("ignore") Dataset at a glance A. shape In [4]: (614, 13)Out[4]: In [5]: A.head() Loan\_ID Gender Married Dependents Education Self\_Employed ApplicantIncome CoapplicantIncome Out[5]: LP001002 Male No 0 Graduate No 5849.0 0.0 1 LP001003 Male Yes 1 Graduate 1508.0 No NaN 2 LP001005 Male Yes 0 Graduate Yes 3000.0 0.0 Not 3 LP001006 Male 0 2583.0 2358.0 Yes No Graduate 4 LP001008 Male 0 Graduate No 6000.0 0.0 No A.describe() In [6]: **ApplicantIncome** CoapplicantIncome LoanAmount Loan\_Amount\_Term Credit\_History Out[6]: 612.000000 613.000000 592.000000 600.00000 564.000000 count 5405.540850 1620.888940 146.412162 342.00000 0.842199 mean std 6118.914057 2928.624748 85.587325 65.12041 0.364878 min 150.000000 0.000000 9.000000 12.00000 0.000000 25% 2875.750000 0.000000 100.000000 360.00000 1.000000 50% 3806.000000 1167.000000 128.000000 360.00000 1.000000 75% 5803.750000 2302.000000 168.000000 360.00000 1.000000 max 81000.000000 41667.000000 700.000000 480.00000 1.000000

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In [7]:

A.isna().sum()

```
15
         Dependents
         Education
                                1
                               32
         Self_Employed
                                2
         ApplicantIncome
                                1
         CoapplicantIncome
         LoanAmount
                               22
         Loan_Amount_Term
                               14
         Credit_History
                               50
                                0
         Property_Area
         Loan_Status
                                 0
         dtype: int64
         A.Loan_Status.value_counts()
 In [8]:
               422
         Υ
 Out[8]:
               192
         Name: Loan_Status, dtype: int64
         Exploratory Data Analysis
         1.Treating missing values
 In [9]:
         for i in A.columns:
              if (A[i].dtypes == 'object'):
                  x = A[i].mode()[0]
                  A[i] = A[i].fillna(x)
              else:
                  x = A[i].mean()
                  A[i] = A[i].fillna(x)
In [10]: # Checking for missing values
         A.isna().sum()
         Loan_ID
                               0
Out[10]:
                               0
         Gender
         Married
                               0
         Dependents
                               0
                               0
         Education
         Self_Employed
         ApplicantIncome
                               0
         CoapplicantIncome
                               0
         LoanAmount
         Loan_Amount_Term
                               0
         Credit_History
                               0
         Property_Area
                               0
         Loan_Status
                               0
         dtype: int64
         2. Diffrentiating Data on basis of data types
In [11]:
         cat = []
          con = []
```

0

3

15

Loan\_ID

for i in A.columns:

else:
Loading [MathJax]/extensions/Safe.js | ppend(i)

if (A[i].dtypes == 'object'):

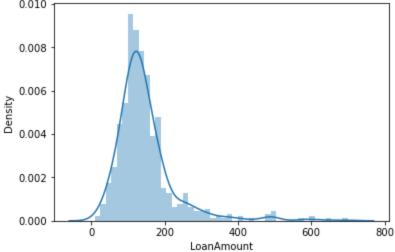
cat.append(i)

Gender Married

Out[7]:

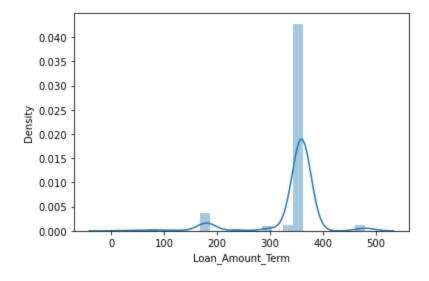
```
In [12]: #categorical columns
              cat
              ['Loan_ID',
   Out[12]:
               'Gender',
               'Married',
               'Dependents',
               'Education',
               'Self_Employed',
               'Property_Area',
               'Loan_Status']
   In [13]:
              #continuous columns
              con
              ['ApplicantIncome',
   Out[13]:
               'CoapplicantIncome',
               'LoanAmount',
               'Loan_Amount_Term',
               'Credit_History']
              sb.distplot(A['ApplicantIncome'])
   In [14]:
             <AxesSubplot:xlabel='ApplicantIncome', ylabel='Density'>
   Out[14]:
                0.00020
                0.00015
             0.00010
                0.00005
                0.00000
                                   20000
                                             40000
                                                       60000
                                                                 80000
                                         ApplicantIncome
              sb.distplot(A['CoapplicantIncome'])
   In [15]:
             <AxesSubplot:xlabel='CoapplicantIncome', ylabel='Density'>
   Out[15]:
                0.0005
                0.0004
              Density
                0.0003
                0.0002
                0.0001
                0.0000
                                  10000
                                            20000
                                                     30000
                                                               40000
                                       CoapplicantIncome
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```

In [16]: sb.distplot(A['LoanAmount'])
Out[16]: <AxesSubplot:xlabel='LoanAmount', ylabel='Density'>
0.010
0.008



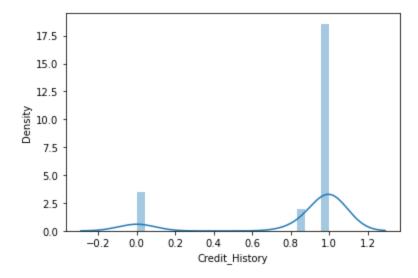
In [17]: sb.distplot(A['Loan\_Amount\_Term'])

Out[17]: <AxesSubplot:xlabel='Loan\_Amount\_Term', ylabel='Density'>



In [18]: sb.distplot(A['Credit\_History'])

Out[18]: <AxesSubplot:xlabel='Credit\_History', ylabel='Density'>



- 1. Standardisation
- 2. Yeo-Jhonson Method

# 3) Treating Outliers

method{'yeo-johnson', 'box-cox'}, default='yeo-johnson'

In [19]: from sklearn.preprocessing import PowerTransformer
pt = PowerTransformer()
conti = pt.fit\_transform(A[con])

In [20]: conti = pd.DataFrame(conti, columns = con)

In [21]: conti

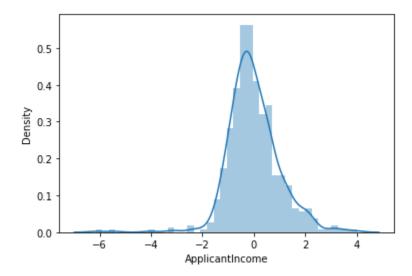
Out[21]:

	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History
0	0.543507	-1.102830	0.235387	0.185905	0.514063
1	0.423838	0.750689	-0.037659	0.185905	0.514063
2	-0.500567	-1.102830	-1.346305	0.185905	0.514063
3	-0.744401	0.891798	-0.167886	0.185905	0.514063
4	0.581990	-1.102830	0.158610	0.185905	0.514063
609	-0.555480	-1.102830	-1.205100	0.185905	0.514063
610	-0.001034	-1.102830	-2.293317	-2.308570	0.514063
611	1.022648	0.208701	1.372409	0.185905	0.514063
612	0.930911	-1.102830	0.738924	0.185905	0.514063
613	0.170198	-1.102830	0.039936	0.185905	-2.247196

614 rows × 5 columns

In [22]: sb.distplot(conti['ApplicantIncome'])

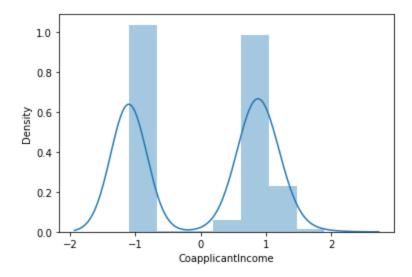
Out[22]: <AxesSubplot:xlabel='ApplicantIncome', ylabel='Density'>



In [23]: sb.distplot(conti['CoapplicantIncome'])

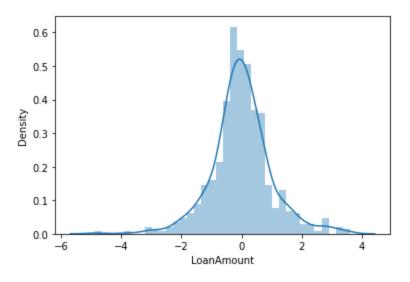
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```
Out[23]: <AxesSubplot:xlabel='CoapplicantIncome', ylabel='Density'>
```



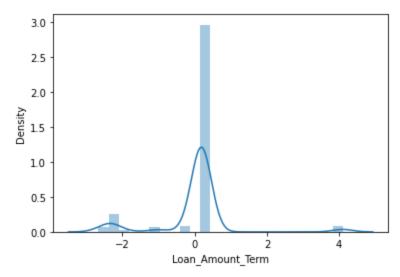
In [24]: sb.distplot(conti['LoanAmount'])

Out[24]: <AxesSubplot:xlabel='LoanAmount', ylabel='Density'>



In [25]: sb.distplot(conti['Loan\_Amount\_Term'])

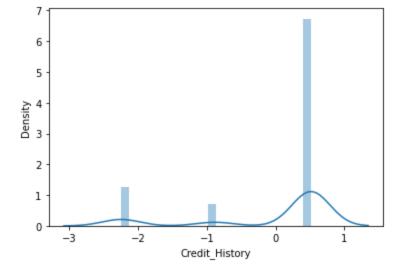
Out[25]: <AxesSubplot:xlabel='Loan\_Amount\_Term', ylabel='Density'>



```
In [26]: sb.distplot(conti['Credit_History'])
```

```
Out[26]. <AxesSubplot:xlabel='Credit_History', ylabel='Density'>
```

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In [27]: # Most of the columns are cured for outliers

# 4) One Hot Encoding Categorical Variables

```
In [28]: cate = A[cat]
In [29]: cate = cate.drop(columns = ['Loan_ID']) #dropped discrete column
In [30]: cate = pd.get_dummies(cate)
In [31]: cate
Out[31]: Gender Female, Gender Male, Married No. Married Ves. Dependents 1. Dependents 2. Dependents 2. Dependents 3. Dependents 4. Dependents 3. Dependents 4. Dependents 3. Dependents 4. Depen
```

	Gender_Female	Gender_Male	Married_No	Married_Yes	Dependents_0	Dependents_1	Dependents_2	Dep
0	0	1	1	0	1	0	0	
1	0	1	0	1	0	1	0	
2	0	1	0	1	1	0	0	
3	0	1	0	1	1	0	0	
4	0	1	1	0	1	0	0	
609	1	0	1	0	1	0	0	
610	0	1	0	1	0	0	0	
611	0	1	0	1	0	1	0	
612	0	1	0	1	0	0	1	
613	1	0	1	0	1	0	0	

614 rows × 17 columns

```
In [32]: df = conti.join(cate)
In [33]: df
```

	ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	Gender_Female	Ge
	0.543507	-1.102830	0.235387	0.185905	0.514063	0	
:	0.423838	0.750689	-0.037659	0.185905	0.514063	0	
2	-0.500567	-1.102830	-1.346305	0.185905	0.514063	0	
;	-0.744401	0.891798	-0.167886	0.185905	0.514063	0	
4	0.581990	-1.102830	0.158610	0.185905	0.514063	0	
609	-0.555480	-1.102830	-1.205100	0.185905	0.514063	1	
610	-0.001034	-1.102830	-2.293317	-2.308570	0.514063	0	
613	1.022648	0.208701	1.372409	0.185905	0.514063	0	
612	0.930911	-1.102830	0.738924	0.185905	0.514063	0	
613	0.170198	-1.102830	0.039936	0.185905	-2.247196	1	

614 rows × 22 columns

Out[33]:

## 5) Checking the relation {X ~ Y}

- Y = Loan\_Status is the categorical variable
- If Y is categorical and X is continuous we use boxplot or ANOVA
- If Y is categorical and X is categorical we use countplot with hue, cross tabulation, Chi\_Square Test

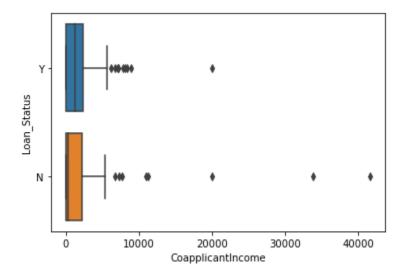
#### a. First we will go with continuous

```
In [34]:
          con
          ['ApplicantIncome',
Out[34]:
           'CoapplicantIncome',
           'LoanAmount',
           'Loan_Amount_Term',
           'Credit_History']
          sb.boxplot(A['ApplicantIncome'], A['Loan_Status'])
In [35]:
         <AxesSubplot:xlabel='ApplicantIncome', ylabel='Loan_Status'>
Out[35]:
```

sb.boxplot(A['CoapplicantIncome'], A['Loan\_Status']) Loading [MathJax]/extensions/Safe.js

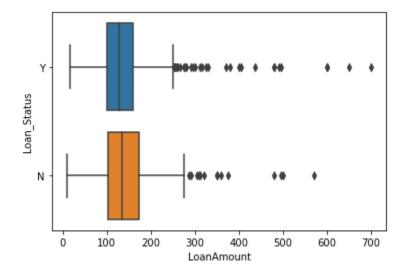
10000 20000 30000 40000 50000 60000 70000 80000 ApplicantIncome

Out[36]: <AxesSubplot:xlabel='CoapplicantIncome', ylabel='Loan\_Status'>



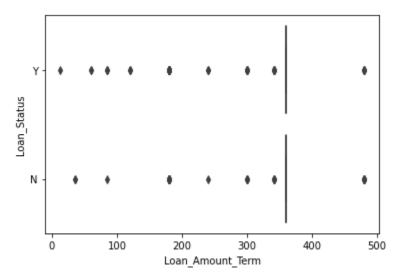
```
In [37]: sb.boxplot(A['LoanAmount'], A['Loan_Status'])
```

Out[37]: <AxesSubplot:xlabel='LoanAmount', ylabel='Loan\_Status'>



In [38]: sb.boxplot(A['Loan\_Amount\_Term'], A['Loan\_Status'])

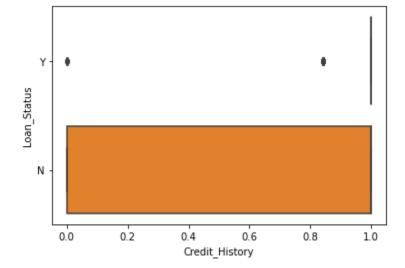
Out[38]: <AxesSubplot:xlabel='Loan\_Amount\_Term', ylabel='Loan\_Status'>



```
In [39]: sb.boxplot(A['Credit_History'], A['Loan_Status'])
```

Out[39]. <AxesSubplot:xlabel='Credit\_History', ylabel='Loan\_Status'>

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Checking the relation between Y and X(continuous) using pvalues

Q = pd.crosstab(A.Loan\_Status,conti[i])

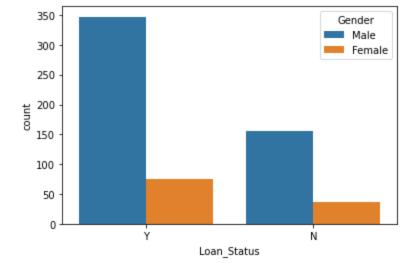
from scipy.stats import chi2\_contingency

for i in conti:

```
a,b,c,d = chi2\_contingency(Q)
              print(i, "~~", b)
         ApplicantIncome ~~ 0.445970304541267
         CoapplicantIncome ~~ 0.5702980314497069
         LoanAmount ~~ 0.4372624752205558
         Loan_Amount_Term ~~ 0.1379445122345725
         Credit_History ~~ 7.926164541543543e-40
         According to pvalue we see only credit history has best relation with Loan Status
In [41]: for i in A[cat]:
              Q = pd.crosstab(A.Loan_Status, A[i])
              a,b,c,d = chi2\_contingency(Q)
              print(i, '~~',a)
         Loan_ID ~~ 614.0000000000000
         Gender ~~ 0.11087854691241235
         Married ~~ 4.73187557933362
         Dependents ~~ 3.1513990012324227
         Education ~~ 4.091490413303621
         Self_Employed ~~ 0.0
         Property_Area ~~ 12.297623130485677
         Loan_Status ~~ 609.355921937585
         sb.countplot(A.Loan_Status, hue = A.Gender)
In [42]:
         <AxesSubplot:xlabel='Loan_Status', ylabel='count'>
```

Out[42]:

In [40]:

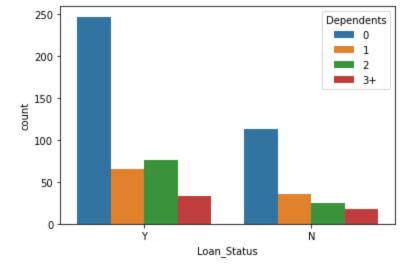


A['Gender'].value\_counts()

In [43]:

```
Male
                    502
Out[43]:
          Female
                    112
          Name: Gender, dtype: int64
          sb.countplot(A.Loan_Status, hue = A.Married)
In [44]:
          <AxesSubplot:xlabel='Loan_Status', ylabel='count'>
Out[44]:
            300
                                                       Married
                                                          No
            250
                                                          Yes
            200
            150
            100
             50
              0
                                  Loan_Status
In [45]:
          A['Married'].value_counts()
                 401
          Yes
Out[45]:
                 213
          Name: Married, dtype: int64
          sb.countplot(A.Loan_Status, hue = A.Dependents)
In [46]:
          <AxesSubplot:xlabel='Loan_Status', ylabel='count'>
```

Out[46]:



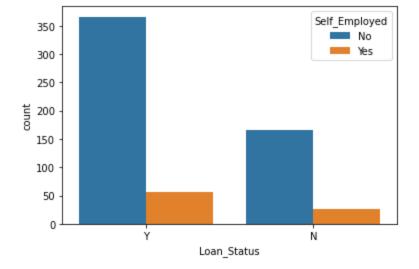
sb.countplot(A.Loan\_Status, hue = A.Self\_Employed)

<AxesSubplot:xlabel='Loan\_Status', ylabel='count'>

```
A['Dependents'].value_counts()
In [47]:
                 360
Out[47]:
                 102
                 101
                  51
          Name: Dependents, dtype: int64
In [48]:
          sb.countplot(A.Loan_Status, hue = A.Education)
          <AxesSubplot:xlabel='Loan_Status', ylabel='count'>
Out[48]:
            350
                                                    Education
                                                     Graduate
            300
                                                     Not Graduate
            250
            200
          count
            150
            100
             50
              0
                                    Loan_Status
In [49]:
          A['Education'].value_counts()
                            480
          Graduate
Out[49]:
          Not Graduate
                            134
          Name: Education, dtype: int64
```

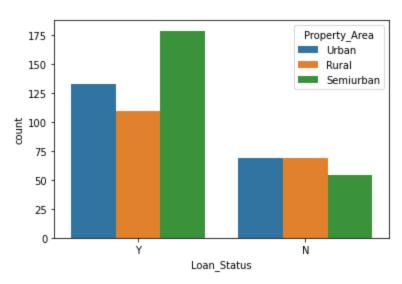
In [50]:

Out[50]:



In [51]: sb.countplot(A.Loan\_Status, hue = A.Property\_Area)

Out[51]: <AxesSubplot:xlabel='Loan\_Status', ylabel='count'>



### Observations:

- 1) Training set has 614 observations and 13 characteristics
- 2) Highest number of missing value is seen in column named credit history which is also a important column to decide weather loan should be given on not
- 3) There is difference between mean and 50th percentile also there is large difference between 75th percentile and max values indicating we have outliers in dataset
- 4) Number of "Yes" is far greater than number of "No" in target variable
- 5) Majority of columns are biased which might create varience
- 6) Gender and Self\_Employed columns dose not have good relation with Loan\_Status

In [52]: df #dataset ready to use

Out[52]:		ApplicantIncome	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	Gender_Female Ge
	0	0.543507	-1.102830	0.235387	0.185905	0.514063	0
	1	0.423838	0.750689	-0.037659	0.185905	0.514063	0
	2	-0.500567	-1.102830	-1.346305	0.185905	0.514063	0
	3	-0.744401	0.891798	-0.167886	0.185905	0.514063	0
	4	0.581990	-1.102830	0.158610	0.185905	0.514063	0
	609	-0.555480	-1.102830	-1.205100	0.185905	0.514063	1
	610	-0.001034	-1.102830	-2.293317	-2.308570	0.514063	0
	611	1.022648	0.208701	1.372409	0.185905	0.514063	0

614 rows × 22 columns

612

613

### Making dataset ready for models

0.930911

0.170198

-1.102830

-1.102830

```
In [53]: X = df.drop(columns = ['Loan_Status_N', 'Loan_Status_Y'])
In [54]: Y = A[['Loan_Status']]
In [55]: # splitting the dataset for training and testing
    from sklearn.model_selection import train_test_split
    xtrain,xtest,ytrain,ytest = train_test_split(X,Y,random_state= 21, test_size= 0.4)
```

0.738924

0.039936

0.185905

0.185905

0.514063

-2.247196

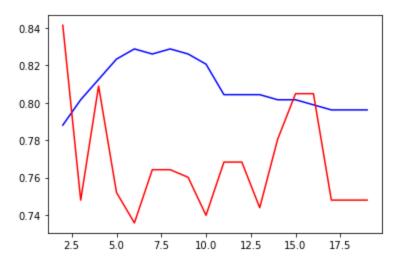
1

#### Model -1 ] Decision Tree Classifier

```
In [56]: tr = []
         ts = []
         for i in range(2,20,1):
             from sklearn.tree import DecisionTreeClassifier
             dtc = DecisionTreeClassifier(criterion="entropy", random_state=21, max_depth=i, min_sam
             model = dtc.fit(xtrain,ytrain)
             pred_tr = model.predict(xtrain)
             pred_ts = model.predict(xtest)
             #training error
             from sklearn.metrics import accuracy_score,confusion_matrix
             tr_acc = accuracy_score(ytrain,pred_tr)
             tr_con = confusion_matrix(ytrain,pred_tr)
             tr.append(tr_acc)
             #testing error
             ts_acc = accuracy_score(ytest,pred_ts)
             ts_con = confusion_matrix(ytest,pred_ts)
              ts.append(ts_acc)
```

```
import matplotlib.pyplot as plt
In [57]:
         plt.plot(range(2,20,1),tr,c="blue")
         plt.plot(range(2,20,1),ts,c="red")
         [<matplotlib.lines.Line2D at 0x1204da0b3d0>]
```

Out[57]:



### Model-2] Random Forest Classifier (Bagging Approach)

```
from sklearn.model_selection import GridSearchCV
  In [58]:
            from sklearn.ensemble import RandomForestClassifier
  In [59]:
            param_grid = {
                 'n_estimators': [200, 500],
                 'max_features': ['auto', 'sqrt', 'log2'],
                 'max_depth' : [4,5,6,7,8],
                 'criterion' :['gini', 'entropy']
            }
  In [60]:
            rfc = RandomForestClassifier()
            CV_rfc = GridSearchCV(estimator=rfc, param_grid=param_grid, cv= 5)
            CV_rfc.fit(xtrain, ytrain)
            GridSearchCV(cv=5, estimator=RandomForestClassifier(),
  Out[60]:
                          param_grid={'criterion': ['gini', 'entropy'],
                                       'max_depth': [4, 5, 6, 7, 8],
                                      'max_features': ['auto', 'sqrt', 'log2'],
                                      'n_estimators': [200, 500]})
            CV_rfc.best_params_
  In [61]:
            {'criterion': 'entropy',
  Out[61]:
              'max_depth': 4,
             'max_features': 'auto',
             'n_estimators': 200}
  In [62]:
            rfc = RandomForestClassifier(random_state= 21, criterion= 'entropy', max_depth= 4, max_fe
  In [83]:
            model = rfc.fit(xtrain,ytrain)
            pred_tr = model.predict(xtrain)
            pred_ts = model.predict(xtest)
            #training error
            tr_acc = accuracy_score(ytrain,pred_tr)
            tr.append(tr_acc)
            #testing error
Loading [MathJax]/extensions/Safe.js | racy_score(ytest, pred_ts)
```

```
ts.append(ts_acc)
In [64]:
         tr_acc
         0.7961956521739131
Out[64]:
In [65]:
         ts_acc
         0.8414634146341463
Out[65]:
         Model 3] Adaboost classifier (Boosting Approach)
In [66]:
         from sklearn.ensemble import AdaBoostClassifier
         param_grid = {
In [67]:
              'n_estimators': [10, 50,100,200,500],
              'learning_rate': [0.0001, 0.001, 0.01, 0.1, 1.0],
              'algorithm' : ['SAMME', 'SAMME.R']
In [68]:
         abc = AdaBoostClassifier()
         CV_abc = GridSearchCV(estimator=abc, param_grid=param_grid, cv= 10, scoring='accuracy')
In [69]:
         CV_abc.fit(xtrain,ytrain)
         GridSearchCV(cv=10, estimator=AdaBoostClassifier(),
Out[69]:
                       param_grid={'algorithm': ['SAMME', 'SAMME.R'],
                                   'learning_rate': [0.0001, 0.001, 0.01, 0.1, 1.0],
                                   'n_estimators': [10, 50, 100, 200, 500]},
                       scoring='accuracy')
In [70]:
         CV_abc.best_params_
         {'algorithm': 'SAMME', 'learning_rate': 0.0001, 'n_estimators': 10}
Out[70]:
In [71]:
         CV_abc.best_score_
         0.7882132132132132
Out[71]:
         Model 4] Logistic Regression
In [84]:
         from sklearn.linear_model import LogisticRegression
         lr = LogisticRegression()
         model = lr.fit(xtrain,ytrain)
In [85]:
         pred_tr = model.predict(xtrain)
         pred_ts = model.predict(xtest)
In [74]:
         from sklearn.metrics import accuracy_score
         print((accuracy_score(ytrain,pred_tr)))
         print((accuracy_score(ytest,pred_ts)))
         0.7907608695652174
         0.7804878048780488
         Model 5] SVM(Support Vector Machine)
```

```
from sklearn.svm import SVC
In [75]:
          svc = SVC(random_state= 21, kernel= 'sigmoid', C= 0.1)
          model = svc.fit(xtrain,ytrain)
          pred_tr = model.predict(xtrain)
In [76]:
          pred_ts = model.predict(xtest)
          tr_acc = accuracy_score(ytrain,pred_tr)
          ts_acc = accuracy_score(ytest,pred_ts)
In [77]:
          tr_acc
          0.7771739130434783
Out[77]:
In [78]:
          ts_acc
          0.8048780487804879
Out[78]:
          Making test set ready for prediction
          B = pd.read_csv("C:/Work/DATA_SCI-ANA/Datasets/Loan_Prediction/testing_set.csv")
In [80]:
In [81]:
          B.head()
Out[81]:
              Loan_ID Gender Married Dependents
                                                 Education Self_Employed ApplicantIncome CoapplicantIncome
          0 LP001015
                        Male
                                                  Graduate
                                                                                                       0
                                 Yes
                                                                                  5720
                                                                     Nο
          1 LP001022
                                                                                  3076
                        Male
                                 Yes
                                              1
                                                  Graduate
                                                                     No
                                                                                                    1500
          2 LP001031
                        Male
                                              2
                                                  Graduate
                                                                     No
                                                                                  5000
                                                                                                    1800
                                 Yes
                                                  Graduate
          3 LP001035
                        Male
                                 Yes
                                                                     No
                                                                                  2340
                                                                                                    2546
                                                      Not
          4 LP001051
                        Male
                                  No
                                              0
                                                                     No
                                                                                  3276
                                                                                                       0
                                                  Graduate
In [82]:
          B. shape
          (367, 12)
Out[82]:
In [ ]:
          B.isna().sum()
```

#### Treating Null Values

```
In [86]: for i in B.columns:
    if (B[i].dtypes == 'object'):
        x = B[i].mode()[0]
        B[i] = B[i].fillna(x)
    else:
        x = B[i].mean()
        B[i] = B[i].fillna(x)
```

#### Diffrentiating categorical and continuous values

```
In [87]: cat = []
con = []

for i in B columns:
Loading [MathJax]/extensions/Safe.js
```

```
if (B[i].dtypes == 'object'):
    cat.append(i)
else:
    con.append(i)
```

### Treating skew

```
In [88]:
           from sklearn.preprocessing import PowerTransformer
           pt = PowerTransformer()
           conti = pt.fit_transform(B[con])
In [89]:
           conti = pd.DataFrame(conti,columns = con)
           cate = B[cat]
In [90]:
           cate = cate.drop(columns = ['Loan_ID']) #dropped discrete column
In [91]:
          One Hot Encoding Categorical Data
           cate = pd.get_dummies(cate)
In [92]:
In [93]:
           df = conti.join(cate)
In [94]:
           df
Out[94]:
               ApplicantIncome CoapplicantIncome LoanAmount Loan_Amount_Term Credit_History Gender_Female Ge
                                                                                                            0
             0
                                        -1.142887
                                                                         0.184091
                      0.544763
                                                     -0.331752
                                                                                       0.535482
             1
                      -0.420494
                                         0.716870
                                                     -0.006080
                                                                         0.184091
                                                                                       0.535482
             2
                      0.322653
                                         0.779145
                                                      1.243800
                                                                         0.184091
                                                                                       0.535482
                                                                                                            0
             3
                      -0.801114
                                         0.900225
                                                     -0.557077
                                                                         0.184091
                                                                                      -0.819504
                                                                                                            0
             4
                      -0.329105
                                        -1.142887
                                                                         0.184091
                                                                                                            0
                                                     -1.132009
                                                                                       0.535482
           362
                      -0.026362
                                         0.774721
                                                     -0.267657
                                                                         0.184091
                                                                                       0.535482
                                                                                                            0
           363
                      0.029986
                                         0.470668
                                                     -0.225750
                                                                         0.184091
                                                                                       0.535482
                                                                                                            0
           364
                      -0.340744
                                         0.814350
                                                     -0.006080
                                                                         0.184091
                                                                                      -0.819504
                                                                                                            0
           365
                      0.322653
                                         0.878325
                                                      0.548836
                                                                         0.184091
                                                                                       0.535482
                                                                                                            0
           366
                                        -1.142887
                                                     -0.604497
                                                                        -2.407409
                                                                                       0.535482
                                                                                                            0
                      1.391376
          367 rows × 20 columns
In [95]:
           cols_to_keep = xtrain.columns
          final = df[cols_to_keep]
In [96]:
           pred = model.predict(final)
In [97]:
           T = B[["Loan_ID"]]
In [98]:
           T['Loan_Status']=pred
```

Loading [MathJax]/extensions/Safe.js diction -- Based on results of Logistic Regression

Out[100]:		Loan_ID	Loan_Status
	0	LP001015	Υ
	1	LP001022	Υ
	2	LP001031	Υ
	3	LP001035	Υ
	4	LP001051	Υ
	362	LP002971	Υ
	363	LP002975	Υ
	364	LP002980	Υ
	365	LP002986	Υ
	366	LP002989	Υ

367 rows × 2 columns