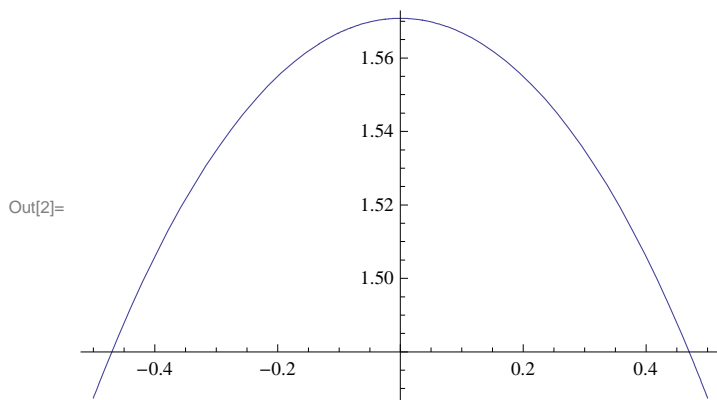

Zestaw 10 1N

Katarzyna Sowa

Wykonano wykres calki $\int_0^{\frac{\pi}{2}} \sqrt{1 - m^2 \sin[t]^2} dt$

```
In[1]:= f[x_] = Integrate[Sqrt[1 - x^2 Sin[t]^2], {t, 0,  $\frac{\pi}{2}$ }] ;  
Plot[f[x], {x, -0.5, 0.5}]
```



Obliczono przybliżenia Pade R_{22} , R_{04} i R_{13} .

```
In[3]:= f[x_] = Integrate[Sqrt[1 - x^2 Sin[t]^2], {t, 0,  $\frac{\pi}{2}$ }, GenerateConditions -> False] ;
```

Jawne wzory na przybliżenia:

```
In[4]:= R22[x_] = N[PadeApproximant[%, {x, 0.47, 2}]]
```

Out[4]=
$$\frac{1.48008 - 0.504561 (-0.47 + x) - 1.21425 (-0.47 + x)^2}{1. - 0.0674282 (-0.47 + x) - 0.488 (-0.47 + x)^2}$$

```
In[5]:= R04[x_] = N[PadeApproximant[%, {x, 0.47, {0, 4}}]]
```

Out[5]=
$$1.48008 / (1. + 0.273473 (-0.47 + x) + 0.425625 (-0.47 + x)^2 + 0.369453 (-0.47 + x)^3 + 0.475129 (-0.47 + x)^4)$$

```
In[6]:= R13[x_] = N[PadeApproximant[%, {x, 0.47, {1, 3}}]]
```

Out[6]=
$$\frac{1.48008 - 1.90343 (-0.47 + x)}{1. - 1.01256 (-0.47 + x) + 0.0739291 (-0.47 + x)^2 - 0.177914 (-0.47 + x)^3}$$

Wykresy funkcji (kolor czerwony) i jej przyblizen, odpowiednio : R_{22} kolor niebieski, R_{04} – czarny, R_{13} – zielony.

```
In[7]:= Show[Plot[f[x], {x, -0.5, 0.5}, PlotStyle -> {Red}],  
  Plot[R22[x], {x, -0.5, 0.5}, PlotStyle -> {Blue}],  
  Plot[R04[x], {x, -0.5, 0.5}, PlotStyle -> {Black}],  
  Plot[R13[x], {x, -0.5, 0.5}, PlotStyle -> {Green}]]
```

Out[7]=

