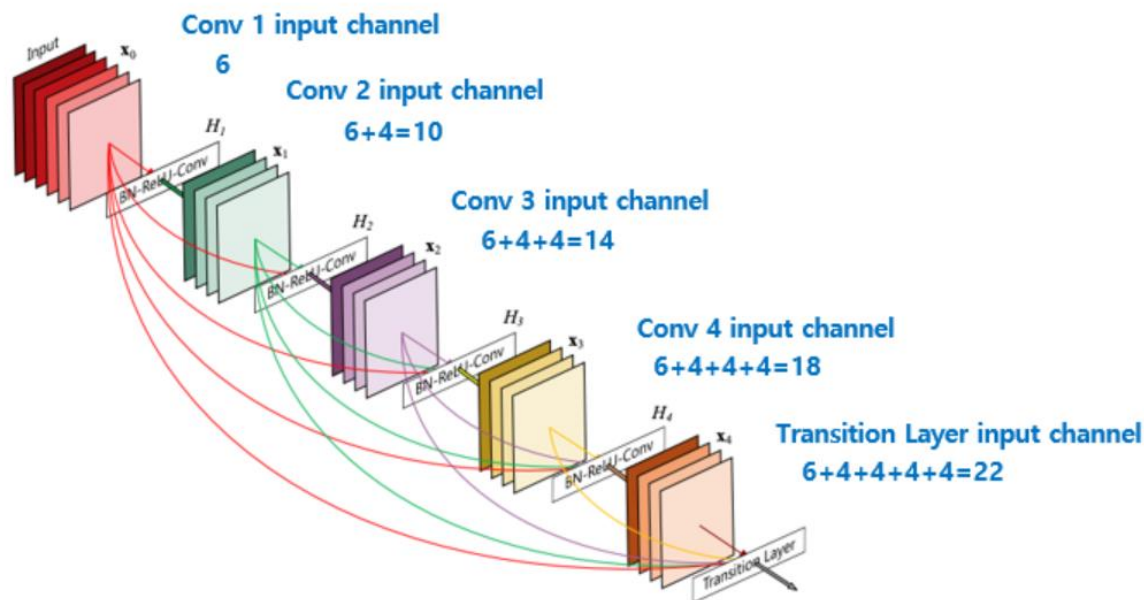


# DenseNet Review

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Youngtaek Hong, PhD

- 오늘 리뷰할 논문은 DenseNet으로 잘 알려져 있는 CNN architecture를 다룬 "[Densely Connected Convolutional Networks](#)" 이라는 논문입니다.



**Figure 1:** A 5-layer dense block with a growth rate of  $k = 4$ . Each layer takes all preceding feature-maps as input.

[Dense Connectivity]

- 이전 layer들의 feature map을 계속해서 다음 layer의 입력과 연결하는 방식이며 이러한 방식은 ResNet에서도 사용이 되었습니다. 다만 ResNet은 feature map 끼리 **더하기** 를 해주는 방식이었다면 DenseNet은 feature map끼리 **Concatenation** 을 시키는 것이 가장 큰 차이점입니다.

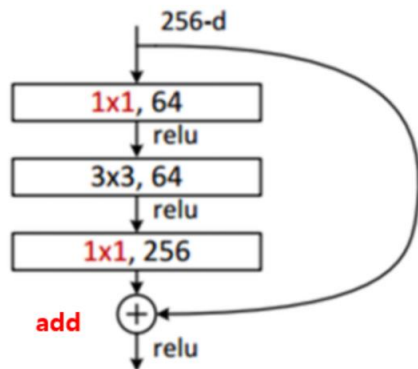
- Vanishing Gradient 개선
- Feature Propagation 강화
- Feature Reuse
- Parameter 수 절약

# Growth Rate

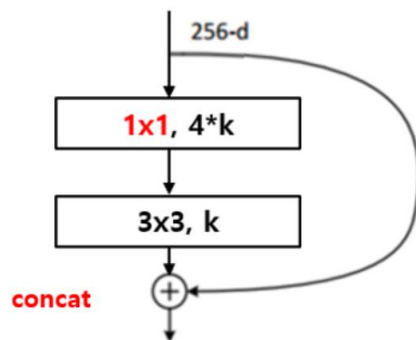
- 각 feature map끼리 densely 연결이 되는 구조이다 보니 자칫 feature map의 channel 개수가 많은 경우 계속해서 channel-wise로 concat이 되면서 channel이 많아 질 수 있습니다.
- 그래서 DenseNet에서는 각 layer의 feature map의 channel 개수를 굉장히 작은 값을 사용하며, 이 때 각 layer의 feature map의 channel 개수를 **growth rate(k)** 이라 부릅니다.

# Bottleneck Layer

ResNet과 Inception 등에서 사용되는 bottleneck layer의 아이디어는 DenseNet에서도 찾아볼 수 있습니다.



**bottleneck**  
(for ResNet)

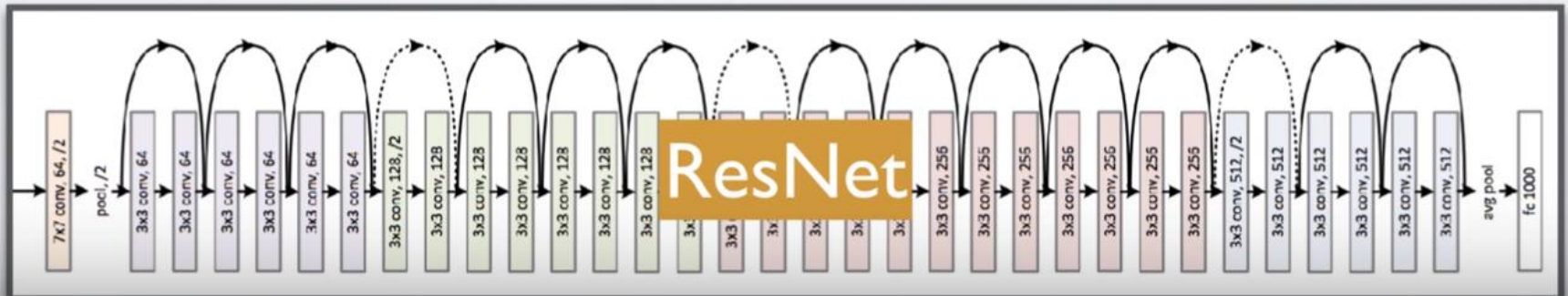
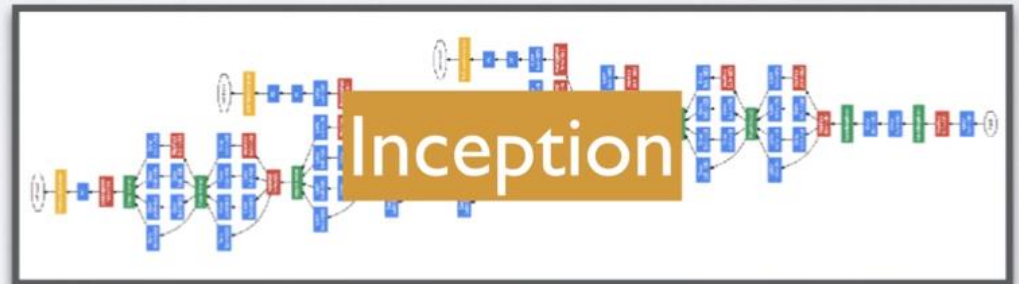
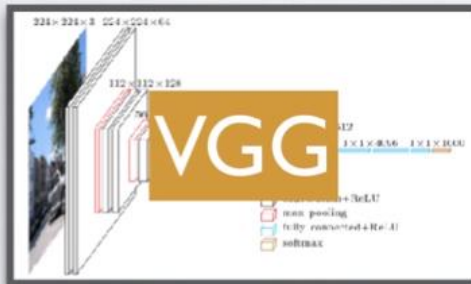
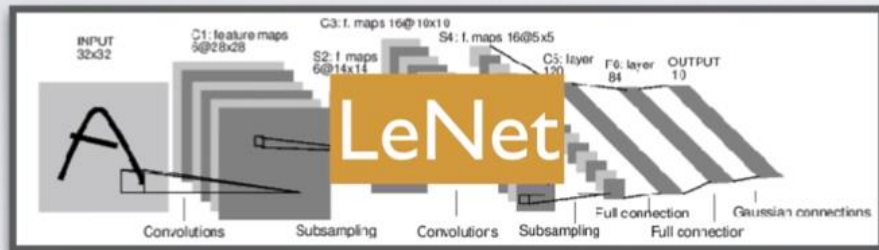


**bottleneck**  
(for DenseNet)

*[DenseNet bottleneck layer]*

- 3x3 convolution 전에 1x1 convolution을 거쳐서 입력 feature map의 channel 개수를 줄이는 것까지는 같은데,
- 그 뒤로 다시 입력 feature map의 channel 개수 만큼을 생성하는 대신 growth rate 만큼의 feature map을 생성하는 것이 차이 점
- 이를 통해 computational cost를 줄일 수 있다고 합니다.

# Trends of CNNs



## ImageNet Large Scale Visual Recognition Challenge (ILSVRC) winners

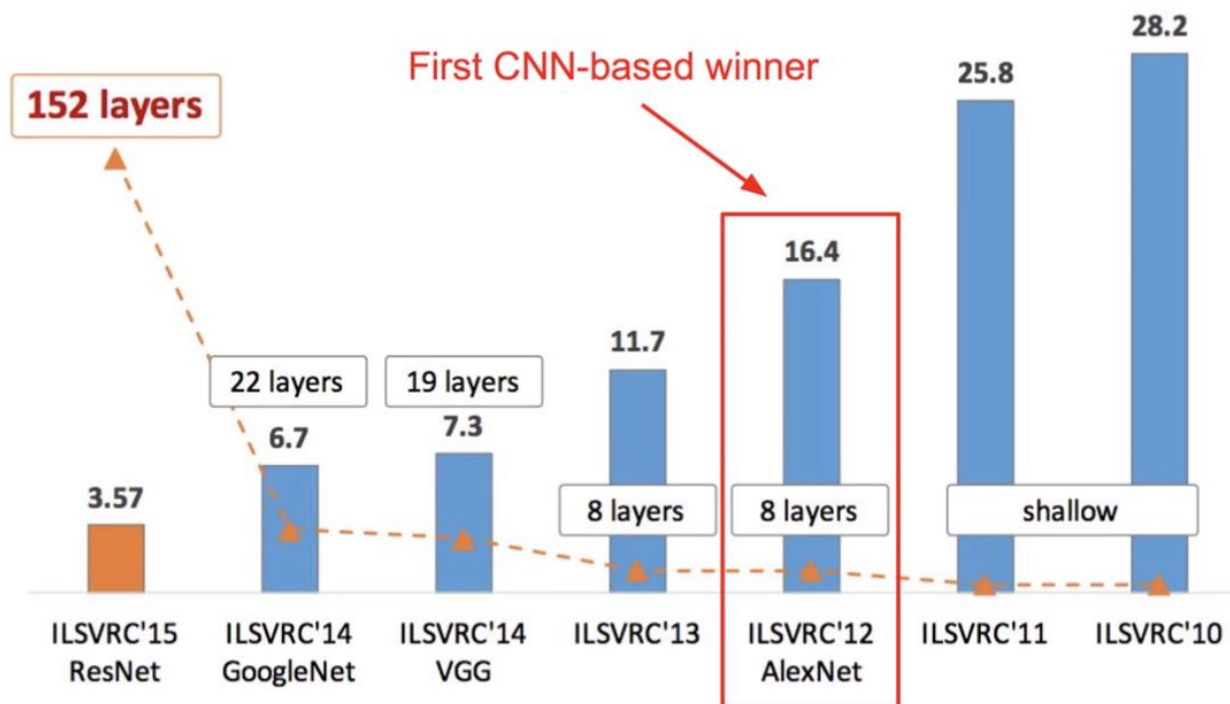
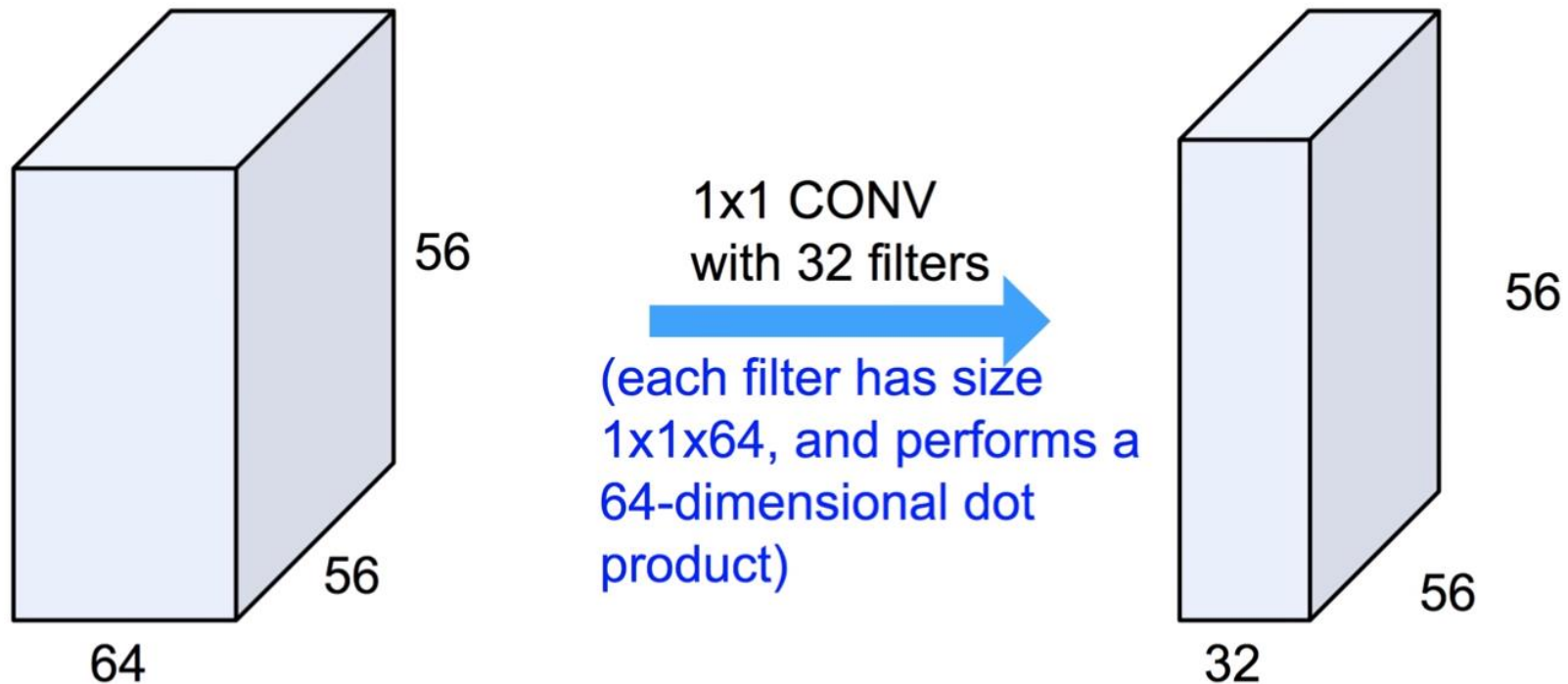


Figure copyright Kaiming He, 2016. Reproduced with permission.

# 1 X 1 Convolutions

## Reminder: 1x1 convolutions

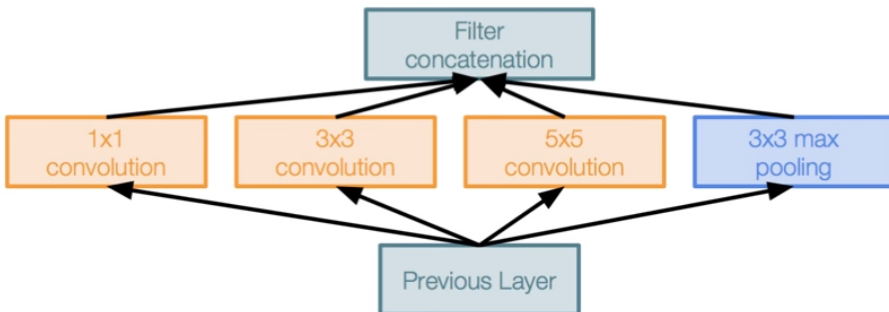




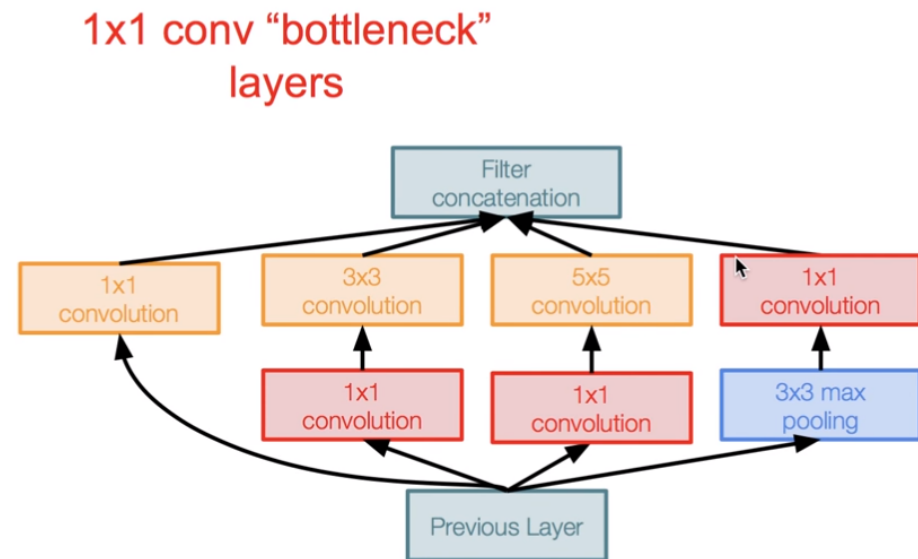
# Google Inception to reduce computation cost

## Case Study: GoogLeNet

[Szegedy et al., 2014]

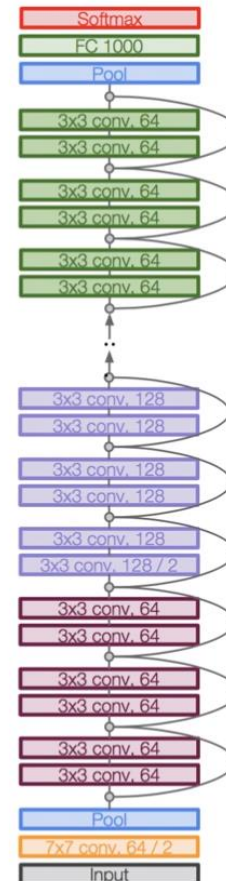
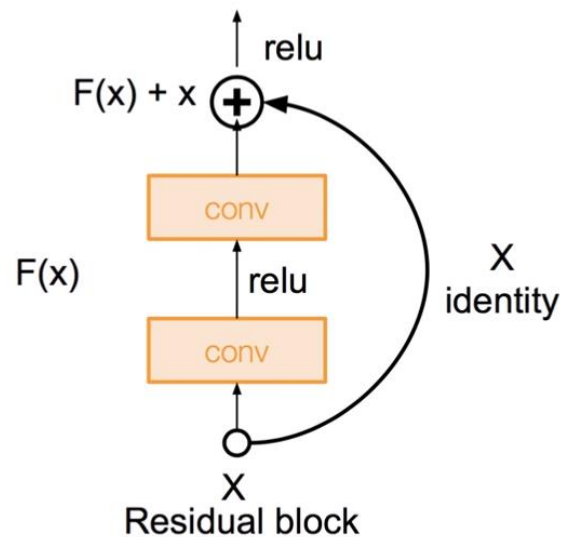


Naive Inception module



Inception module with dimension reduction

# Very deep networks using residual connections

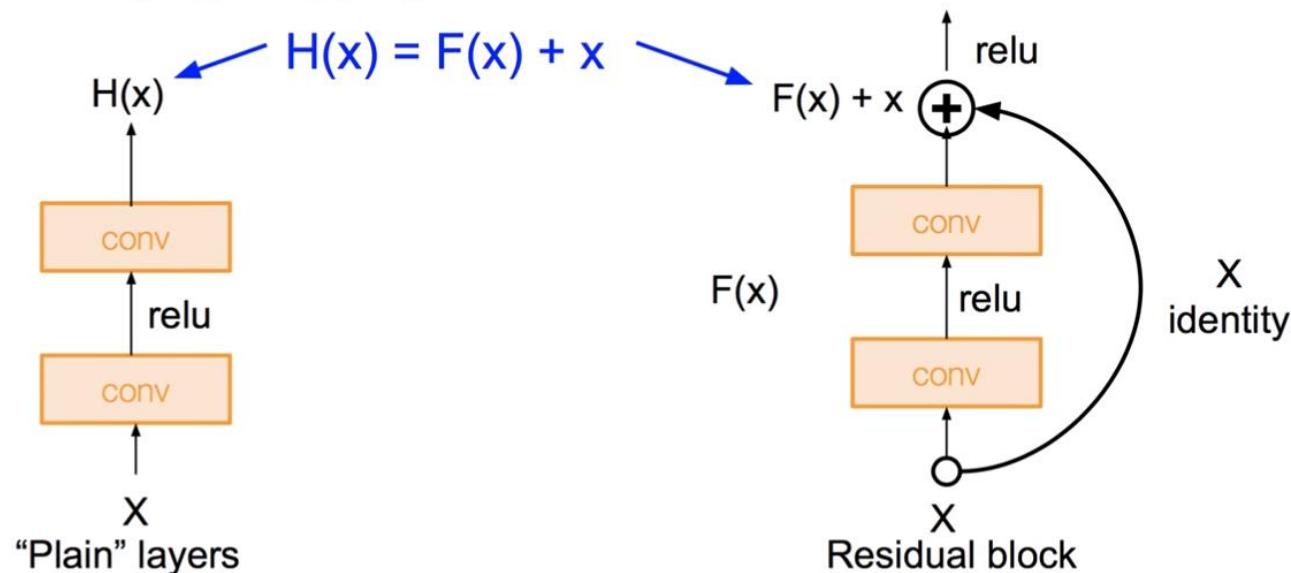


# Residual

## Case Study: ResNet

[He et al., 2015]

Solution: Use network layers to fit a residual mapping instead of directly trying to fit a desired underlying mapping

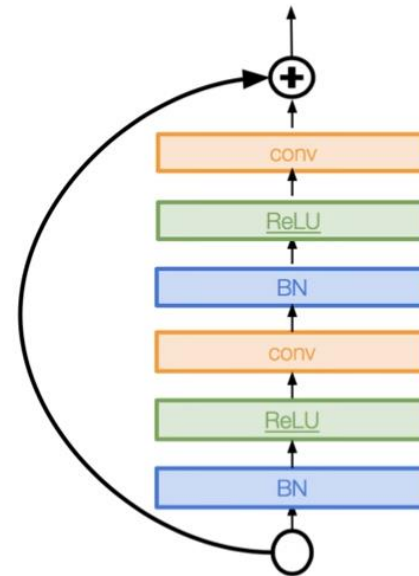


Use layers to fit residual  
 $F(x) = H(x) - x$   
instead of  
 $H(x)$  directly

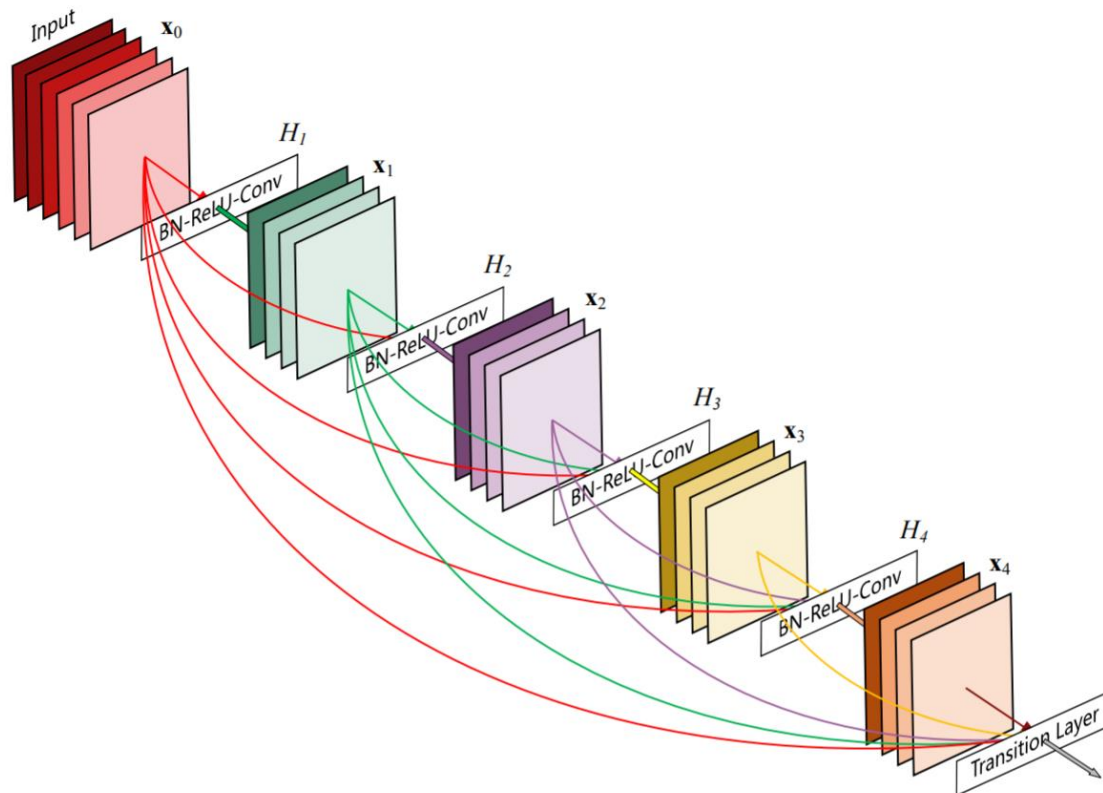
# Identity Mappings in Deep Residual Networks

[He et al. 2016]

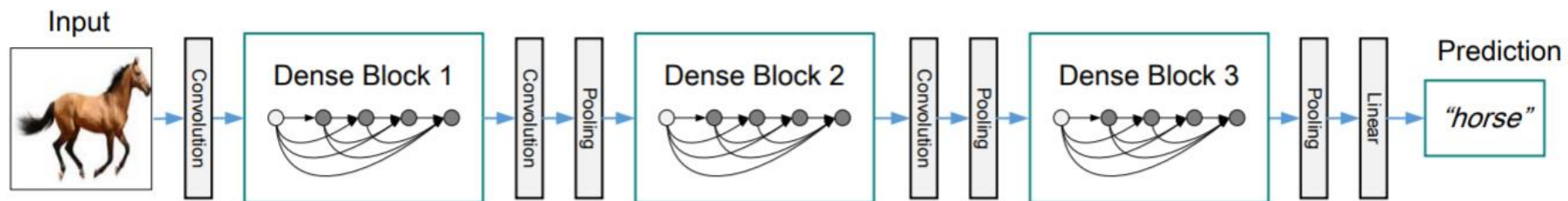
- Improved ResNet block design from creators of ResNet
- Creates a more direct path for propagating information throughout network (moves activation to residual mapping pathway)
- Gives better performance



# DenseNet



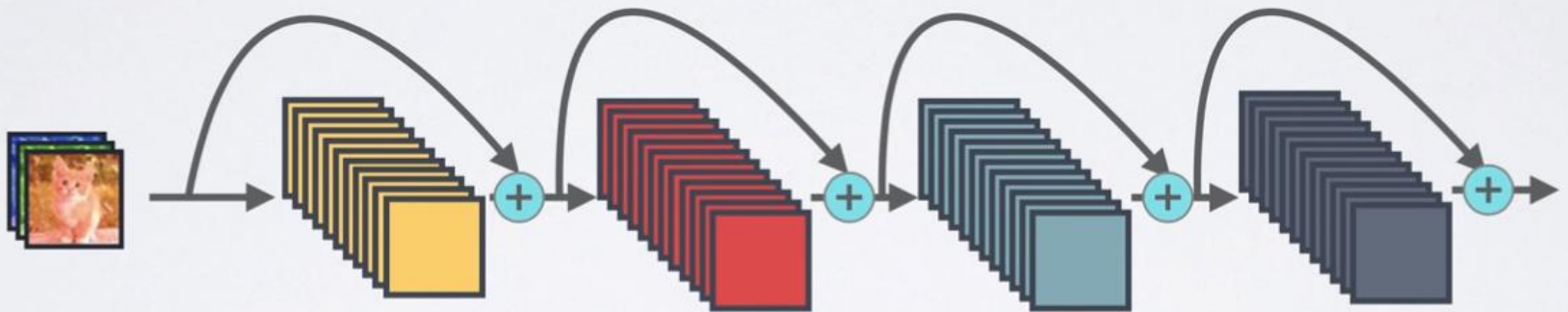
**Figure 1:** A 5-layer dense block with a growth rate of  $k = 4$ . Each layer takes all preceding feature-maps as input.



**Figure 2:** A deep DenseNet with three dense blocks. The layers between two adjacent blocks are referred to as transition layers and change feature-map sizes via convolution and pooling.

# RESNET CONNECTIVITY

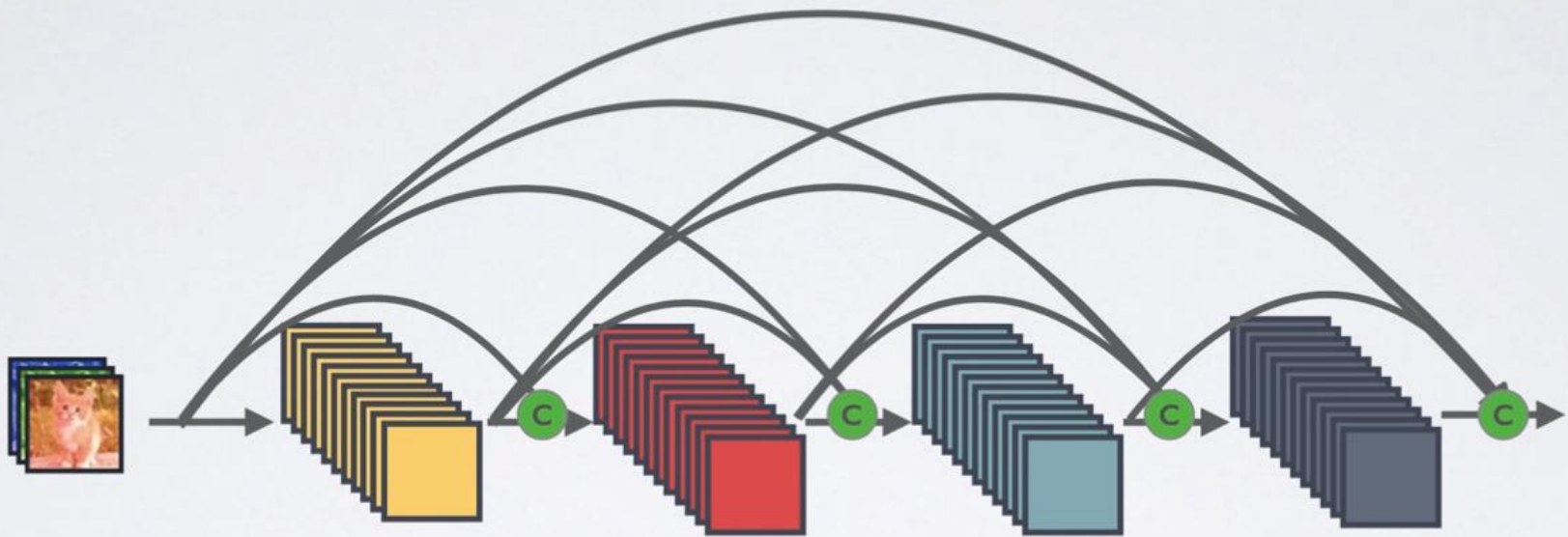
Identity mappings promote gradient propagation.



$\oplus$  : Element-wise addition



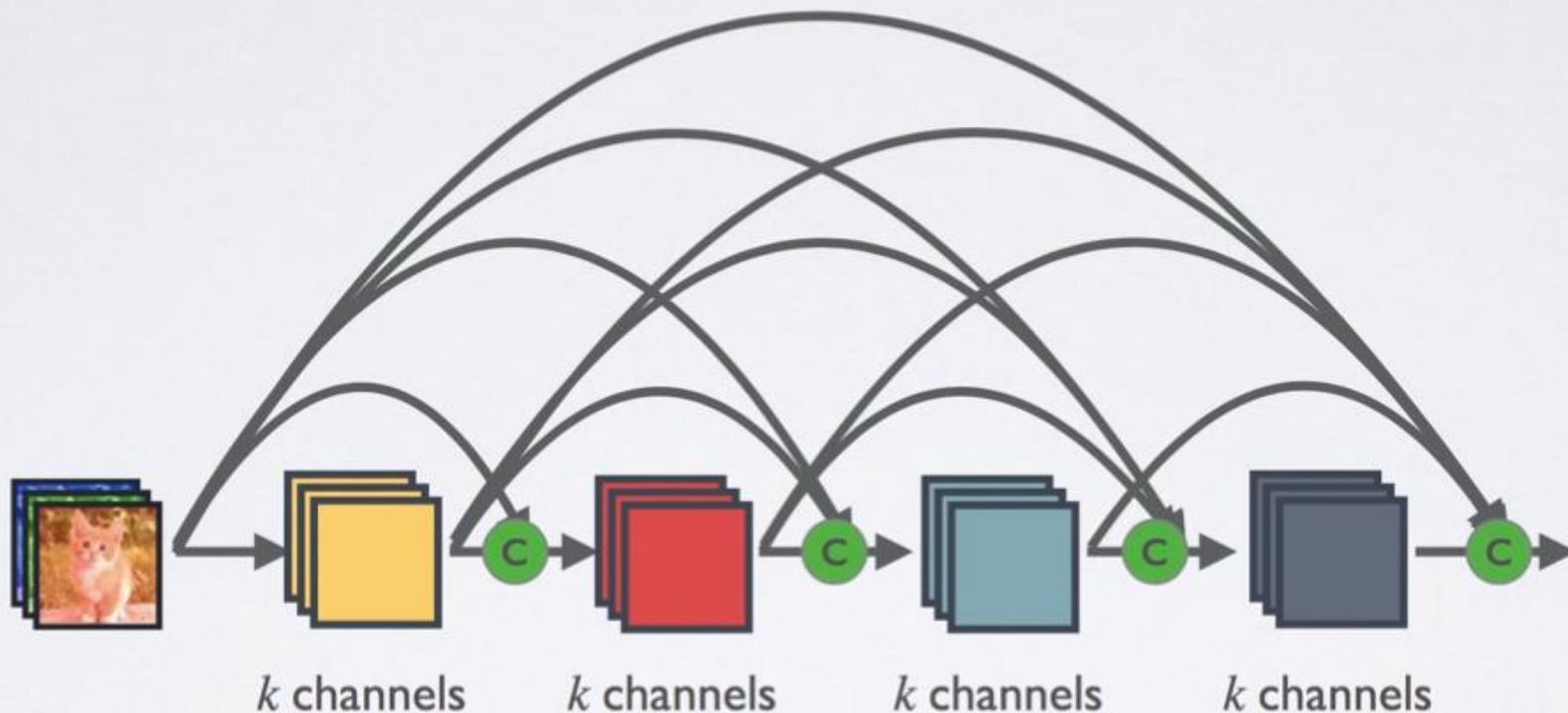
# DENSE CONNECTIVITY



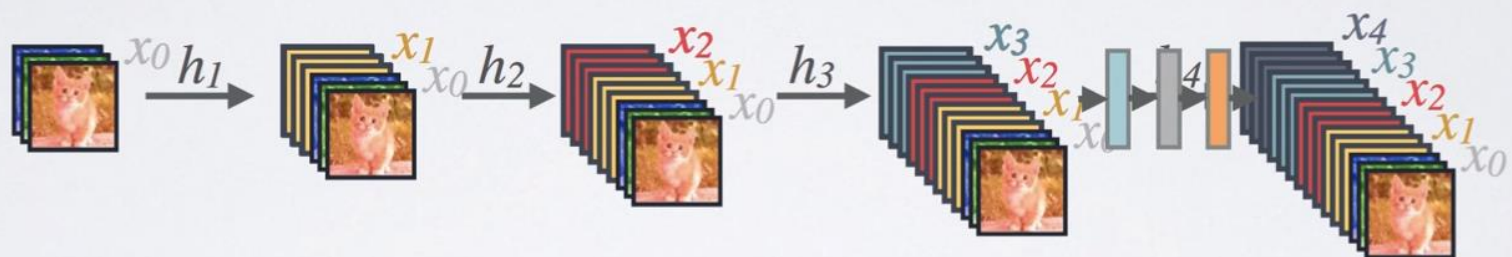
**c** : Channel-wise concatenation



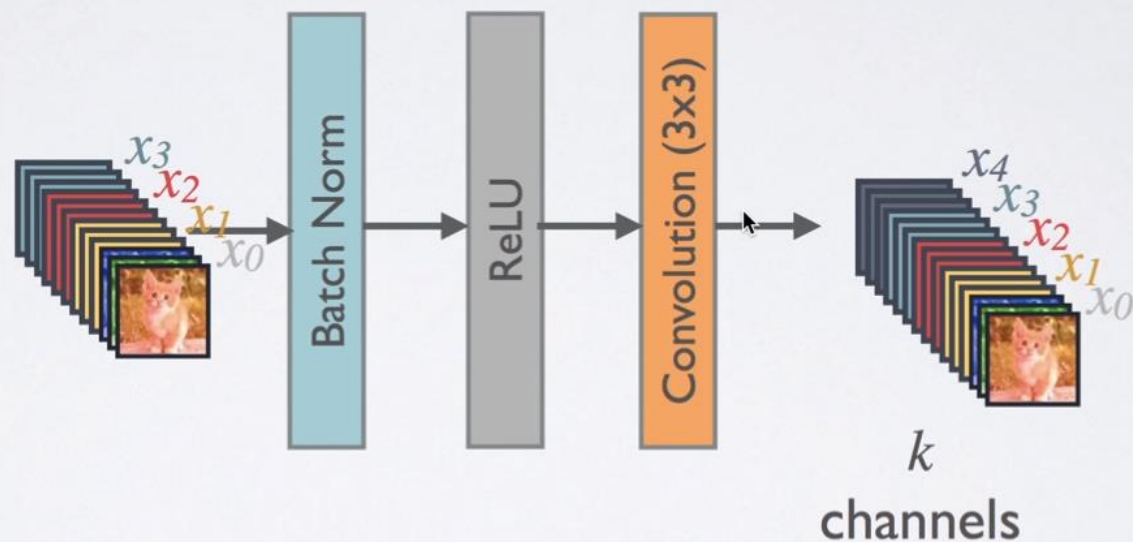
# Dense and Slim with growth rate



$k$  : Growth Rate



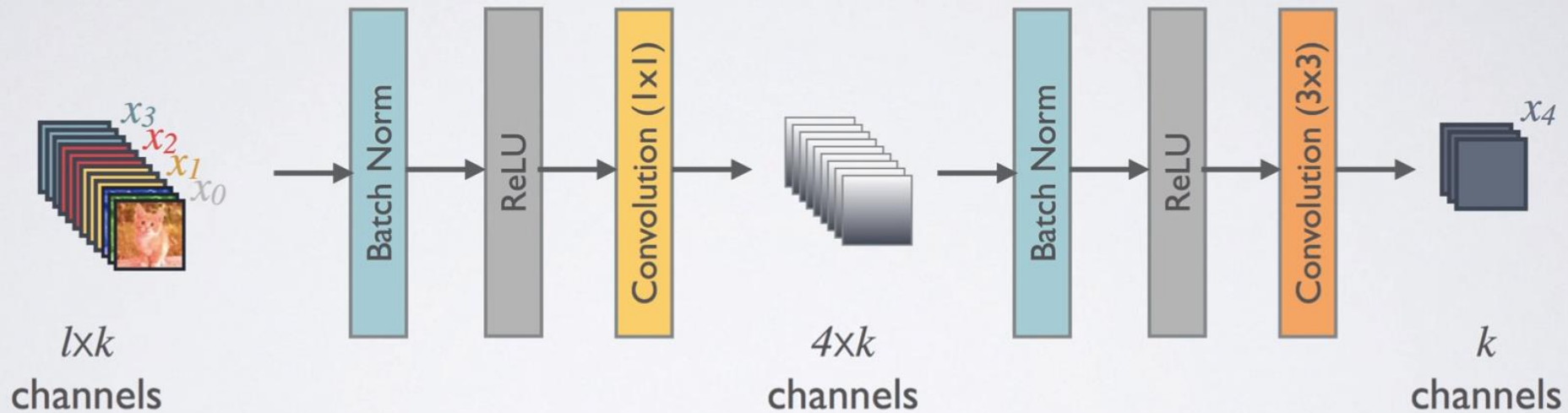
# COMPOSITE LAYER IN DENSENET



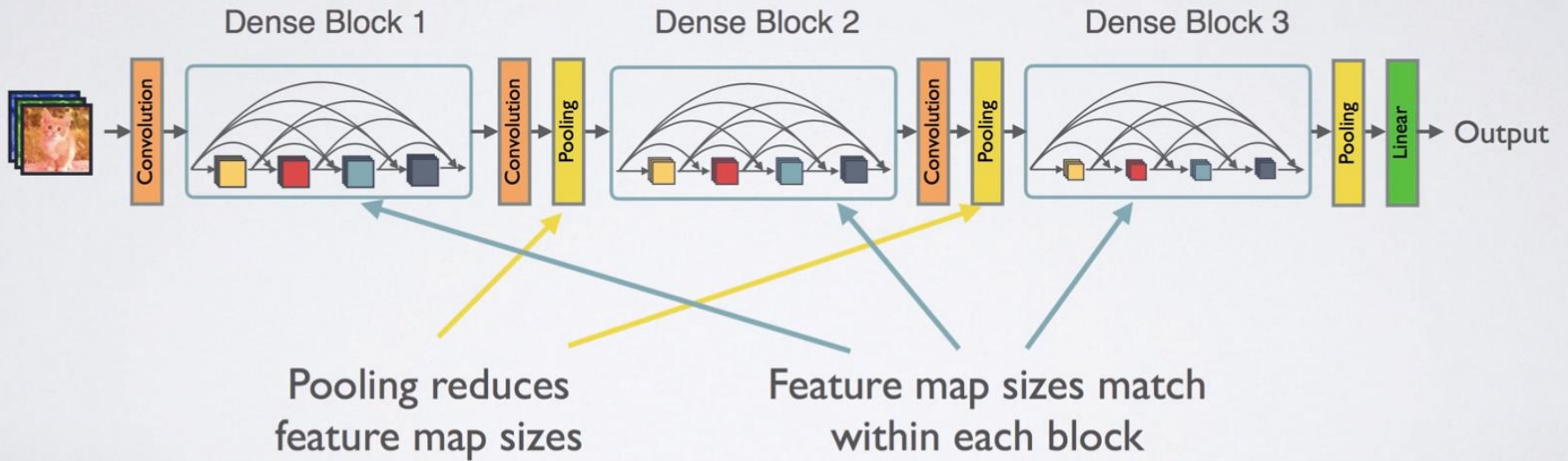
$$x_5 = h_5([x_0, \dots, x_4])$$

# COMPOSITE LAYER IN DENSENET

## WITH BOTTLENECK LAYER



Higher parameter and computational efficiency



Layers	Output Size	DenseNet-121	DenseNet-169	DenseNet-201	DenseNet-264
Convolution	$112 \times 112$	$7 \times 7$ conv, stride 2			
Pooling	$56 \times 56$	$3 \times 3$ max pool, stride 2			
Dense Block (1)	$56 \times 56$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 6$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 6$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 6$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 6$
Transition Layer (1)	$56 \times 56$	$1 \times 1$ conv			
	$28 \times 28$	$2 \times 2$ average pool, stride 2			
Dense Block (2)	$28 \times 28$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 12$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 12$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 12$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 12$
Transition Layer (2)	$28 \times 28$	$1 \times 1$ conv			
	$14 \times 14$	$2 \times 2$ average pool, stride 2			
Dense Block (3)	$14 \times 14$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 24$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 32$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 48$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 64$
Transition Layer (3)	$14 \times 14$	$1 \times 1$ conv			
	$7 \times 7$	$2 \times 2$ average pool, stride 2			
Dense Block (4)	$7 \times 7$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 16$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 32$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 32$	$\begin{bmatrix} 1 \times 1 \text{ conv} \\ 3 \times 3 \text{ conv} \end{bmatrix} \times 48$
Classification Layer	$1 \times 1$	$7 \times 7$ global average pool			
		1000D fully-connected, softmax			

**Table 1:** DenseNet architectures for ImageNet. The growth rate for all the networks is  $k = 32$ . Note that each “conv” layer shown in the table corresponds the sequence BN-ReLU-Conv.