

Striver SDE Sheet: D3 - Arrays:-

A] Search in a sorted 2D matrix:- (skip)

- Given: 2D array 'mat' of size $N \times M$, where 'N' & 'M' denote number of rows & columns, respectively. The elements of each row are sorted in non-decreasing order. Moreover, the first element of a row is greater than the last elements of the previous row (if it exist). You are given an integer 'target', & your task is to find if it exist in the given 'mat' or not.
- Covered in BS notes.

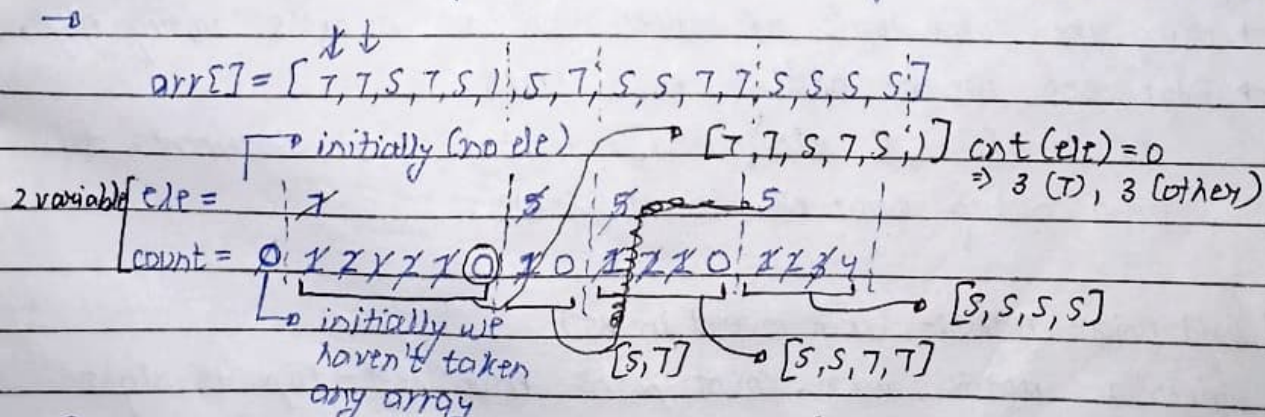
B] Pow(x, n):- (skip)

- Implement ~~pow(x, n)~~ pow(x, n).
- $x \rightarrow \text{double}$, $n \rightarrow \text{Integer}$, calculate x^n

C] Find the majority element that occurs more than $n/2$ times:-

- Given an array of n integers, write a program to return an element that occurs more than $n/2$ times in the given array. You may consider that such element always exists in the array.
- Approach - 3:- Moore's Voting Algorithm:-

*** Intuition & thought process of all algo. is asked in Interview.



↳ considering initially (7) as our ele. [while iterating if we get more 7s ↑ count, else ↓ count]

↳ At the end of iteration, we get our majority ele. as

5. It survives till the end with count > 0 .

↳ If there exist a majority ele. (it will be 5), ~~stored ele. at end.~~
~~then no~~

But if que. does not state that there exist a majority ele., then we need to check if stored ele. is majority ele. or not. If not then array does not contain any majority element.

→ In the process:

↳ If array contains a majority ele., its occurrence must be greater than floor($n/2$)

↳ count of minority ele. & majority ele. is equal up to certain point in an array (a count at ~~various~~ various pts.)

→ Moore's Algo. guarantees that: if a majority element exist, it will always be final candidate ele., no matter how the elements are arranged (As $\text{Freq}(\text{maj. ele.}) > n/2$ (floor))

D] Find the elements that appears more than $n/3$ times in the array:-

• Given an $\text{int}[]$ array of size n . Find ele(s) that appears more than $n/3$ times in an array. If no such element exists, return an empty array.

• Approach-3:- Extended Boyer Moore's Voting Algorithm:-

→ Using the same logic of cancellation as Moore's Voting Algo.

→ Edge case:- we are adding extra checks:-

$\text{el2} != \text{v}[i]$, & $\text{el1} != \text{v}[i]$ in the first statements to avoid adding same ele. in el1 & el2 .

E] Grid Unique Paths:- (Skip, covered in BS)

• Given a matrix $m \times n$, count paths from left-top to right bottom of a matrix with the constraints that from each cell you can either only move to rightward direction or downward direction.

f) ~~***~~ Count Reverse Pairs:-

• int[] nums

Return count of reverse pairs ($i < j$ & $arr[i] > 2 * arr[j]$)

• Approach-2:- (modified merge sort)

→ $arr[i] > 2 * arr[j]$

→ why same logic as count inversions won't work?

↳ Condition: $arr[i] > 2 * arr[j]$, introduces two main problems:-

i) Cannot use simple merge condition.

→ In merge sort, we merge based on values, comparing $arr[i] \geq arr[j]$ to maintain order

→ For reverse pair, $arr[i] > 2 * arr[j]$ is a comparison we cannot use for sorting. Merging using this condition won't give a sorted array.

ii) Asymmetry in comparison.

→ Inversion count: $\frac{arr[i] > arr[j]}{i < j} \Rightarrow \frac{arr[k] > arr[i]}{k < i}$
(Transitive Rel.)

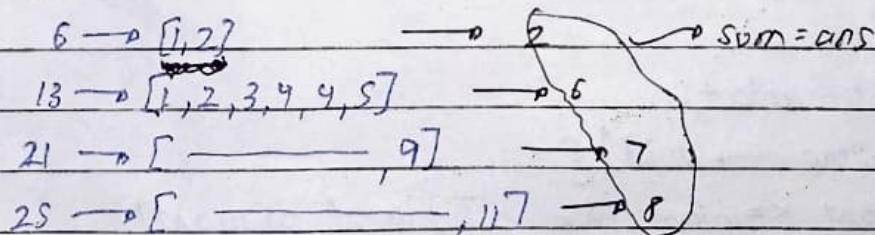
→ Reverse pairs: The relation given is not transitive in some way

↳ count is during merging

↳ count before merging

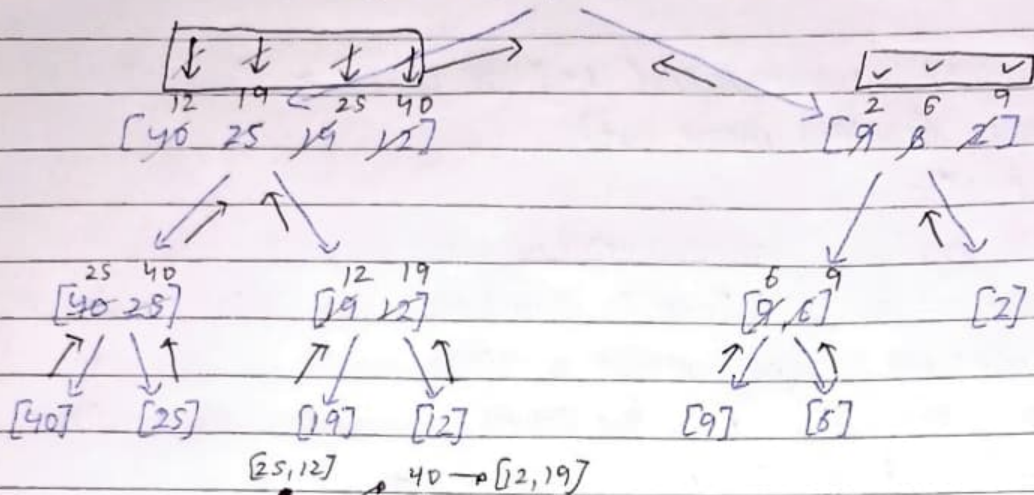
→ ~~XXXX~~
[6, 13, 21, 25] sorted

[1, 2, 3, 4, 4, 5, 9, 11, 13] sorted



→ The initial given arr. is unsorted, during merge sort we get sorted parts.

$\begin{matrix} 2 & 6 & 9 & 12 & 19 & 25 & 41 \\ [40, 25, 19, 12, 9, 8, 2] \end{matrix}$



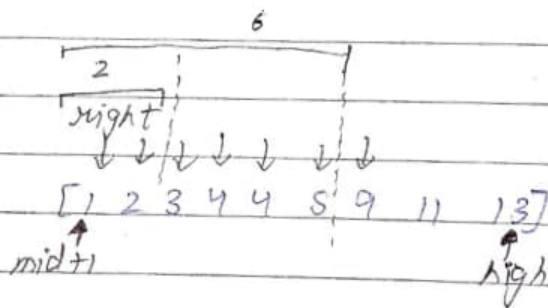
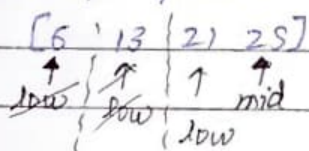
Count = $1 + 2 + 1 + 1 + 1 + 3 + 3 + 3 = 15$

From lowest level, we try to apply previous logic of 2 array to calculate count. This is done from lowest to above levels.

After counting, we simply merge.

For above levels, this step is applied when the given 2 array are sorted, then count then merge these 2 array.

no. of pairs :-



cnt = 0, right = mid + 1

for (int i = low → mid) {

while (right ≤ high && a[i] > 2 * a[right])

right++;

cnt = cnt + (right - (mid + 1));

currently points to ele. which does not satisfy the condition

NOTE:- This will distort the input array. (mention it)