

## UNIT-2

### \* Block Ciphers and Stream Ciphers:

↳ cryptographic techniques to ensure data confidentiality.

→ Confusion and Diffusion properties.

#### \* Confusion:

- Given any cipher text; there is no info about plain text, key and algorithm used.
- Relationship b/w cipher text & key is as complex as possible.

→ Ex: Substitution.

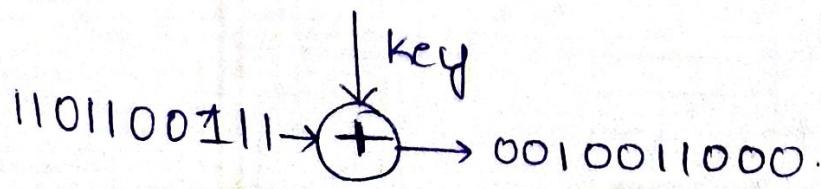
#### \* Diffusion:

→ 1 bit change in plain text; significant effect on cipher text.

→ Ex: transposition.

#### \* Stream Cipher:

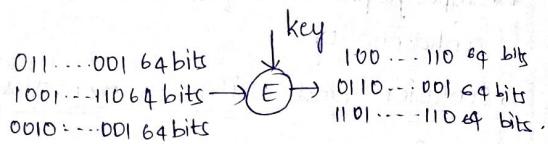
Each plain text digit is encrypted one at a time with the corresponding digit of keystream to give a digit of the cipher text stream.



bit by bit.

## \* Block Cipher:

A deterministic algorithm operating on a fixed-length group of bits called blocks.



<u>STREAM</u>	<u>BLOCK</u>
① Bit or byte	① 64 / 128 bits blocks.
② Complex design	② Simple design
③ Confusion	③ Confusion & diffusion
④ Faster.	④ Slower.
⑤ Encryption by Cipher feedback & OTP feedback.	⑤ Encryption by Electronic Code book & Cipher block chaining
⑥ Decryption by XOR	⑥ Decryption by performing reverse operations of encryption
⑦ Ex: Vernam Cipher	⑦ Ex: AES, DES.

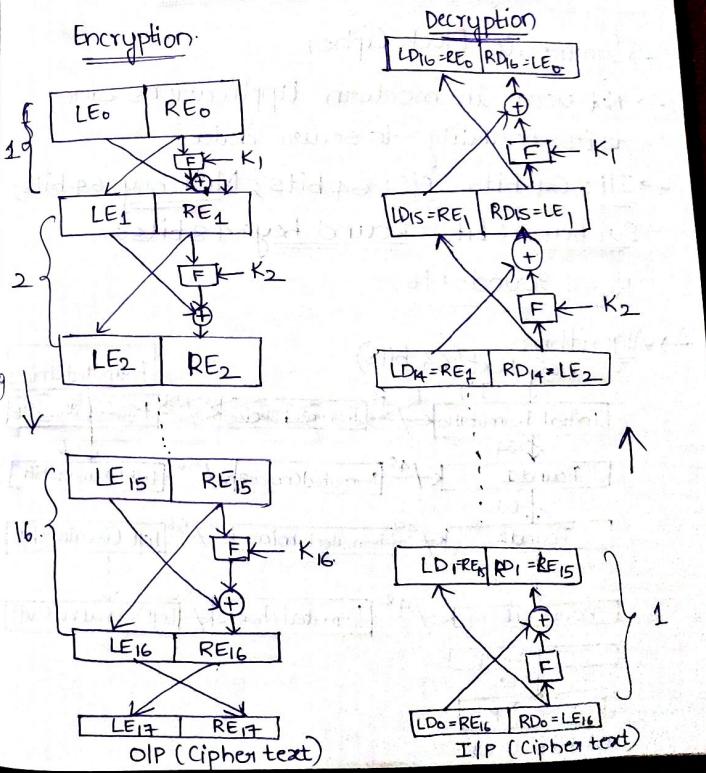
## \* Traditional Block Cipher Structure:

## Common structures:

- Fiestel Network  
→ Substitution - Permutation Network (SPN)

\* Fiestel Network:

used in DES; structure divides the block into 2 halves and processes them over multiple rounds with key-dependent functions.



## Features.

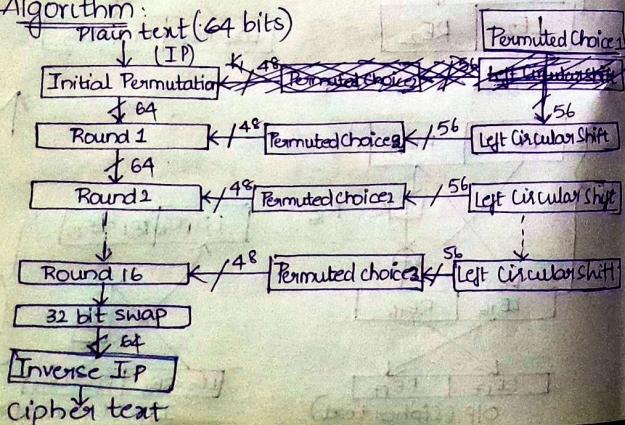
- Block size & Key size
  - No. of rounds
  - Sub key generation algorithm.
  - Round fn.
  - Fast encryption / decryption.
  - Ease of analysis.

} helps to avoid breaking the ciphertext

\* Data Encryption Standard (DES):

- Symmetric Block Cipher
  - Not used in modern Applications due to its inability to secure data.
  - IIP: 64 bits ; DP: 64 bits ; Main key: 64 bits ;  
Subkey: 56 bits ; Round key: 48 bits ;
  - No. of rounds : 16

→ Algorithm



\* Given 8x8 matrix with 64 bits:

\* we get when we perform initial permutation  
we get a diff.  $8 \times 8$  matrix,

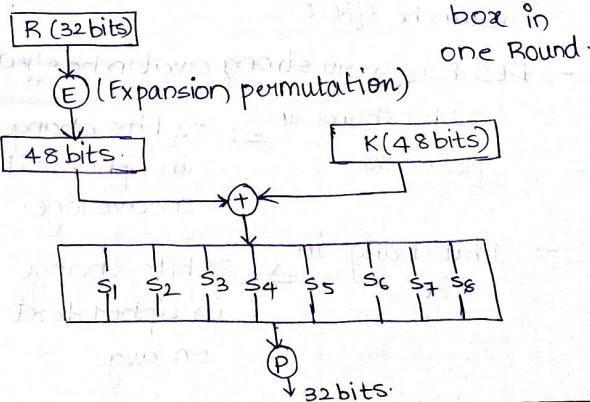
### Initial Permutation:

## Inverse

1						8
9						16
7						24
25						32
33						40
41						48
49						56
57						64

→ F function (or) Mangler function:

$$L_i = R_{i-1} \oplus F(R_{i-1}, K_i)$$



### Key Scheduling:

generates subkeys used in encryption & decryption.

- \* Key Permutation: 64 bit user key is permuted using a fixed table, which produces 56 bit intermediate key.
- \* Key Rotation: 56 bit key is split into 28 bit halves; which are then rotated left by one/2 bits

### Avalanche effect and Strength of DES:

- desirable property for all algorithms.
- If there is one bit change in 64 bit IP, there is a drastic change in 64 bit cipher text; then it ~~is~~ said as avalanche effect.
- DES has very strong avalanche effect.

⇒ 1 bit change in plain text ⇒ 34 bits change in cipher text on average.

⇒ 1 bit change in key ⇒ 35 bits change in cipher text on avg.

### Strength of DES:

- The use of 56 bit keys
- Nature of DES → Cryptanalysis, tables/boxes
- Timing attacks

### Advanced Encryption Standard (AES)

- widely used symmetric block cipher that operates on 128 bit blocks with key sizes of 128, 192, 256 bits.
- uses substitution-permutation network

\* Structure:

Block size: 128 bits

Key size: 128, 192 | 256 bits

Rounds: 10(128 bits), 12(192), 14(256)

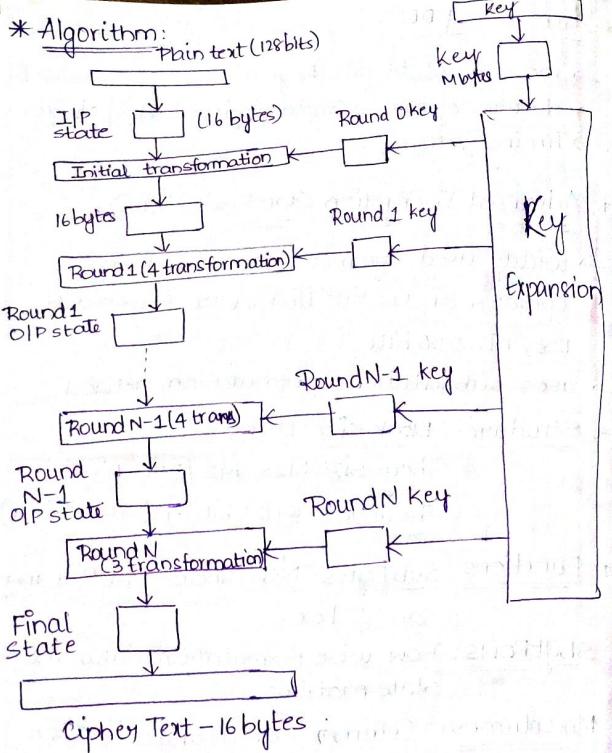
\* Functions:

SubBytes: Non-linear sub<sup>n</sup> using an S box.

ShiftRows: Row wise permutation within the state matrix.

MixColumns: Column wise mixing operation.

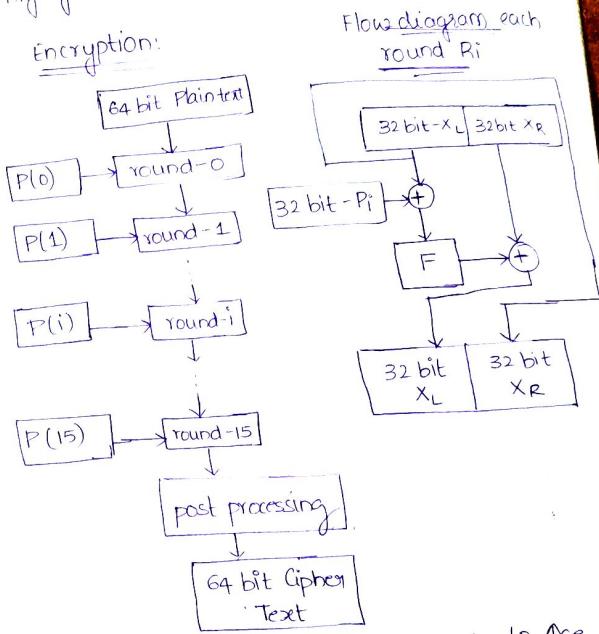
- \* The key expansion algorithm derives all round keys from the original key using byte substitution and shifts.



- 16 rounds
- Feistel Network
- Complex S-boxes that provide strong confusion

→ highly secure & efficient

### Encryption:



### Blowfish:

- Symmetric Block cipher
- known for its speed and flexibility in hardware and software.
- 64 bit block size
- 32 to 448 bit keysize

\* Triple DES: enhancement of DES to increase security by applying DES thrice.

Encrypt with key-1; Decrypt with key-2;  
Encrypt with key-3.

### \* CAST-128:

- symmetric-key block cipher based on Feistel structure
- flexible and efficient

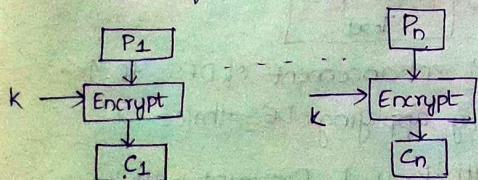
### \* International Data Encryption Algorithm (IDEA):

- symmetric key block cipher
- resistant to cryptanalysis
- operates on 64 bits blocks with a 128 bit key.
- uses a combination of modular addition, multiplication & XOR to provide security.

### \* Block Cipher Modes of Operation:

#### → Electronic Code Book (ECB):

- ★ easiest block cipher mode of functioning
- ★ easy due to direct encryption of each block of I/P



#### → Cipher Block Chaining:

- ★ previous cipher block is given as I/P to next encryption algorithm after XOR

#### → Cipher Feedback Mode:

- ★ an initial vector IV is used for first encryption & O/P bits are divided as a set of  $a$  and  $b$  bits.
- ★ LHS's bits are selected along with plain text bits on which XOR is applied.
- ★ the result is given to shift register.

#### → O/P feedback Mode:

- ★ Similar to above; except that it sends the encrypted O/P as feedback instead of the actual cipher which is XOR O/P.
- ★ holds great resistance towards bit transmission errors.

#### → Counter Mode:

- ★ A counter-initiated value is encrypted and given as I/P to XOR with plaintext which gives cipher text.

### \* Stream RC4:

- bit by bit encryption
- generates a pseudo random keystream from a secret key
- key size: 40 to 2048 bits.
- Key Scheduling Algorithm (KSA): initializes the state array based on the key.

### → Pseudo - Random Generation Algorithm (PRGA)

Generates key stream:

#### KSA:

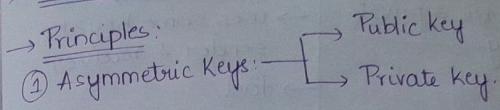
```
j = 0  
for i = 0 to 255  
    j = (j + s[i] + T[i]) mod 256  
    swap (s[i], s[j])
```

Encryption = Plain text  $\oplus$  New key.

No. of iterations = size of key / 0 bits

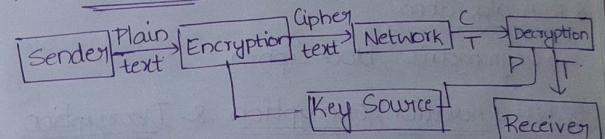
### \* Public Key Cryptography:

#### → Principles:



- ① Asymmetric Keys
- ② Confidentiality
- ③ Authentication
- ④ Non-repudiation

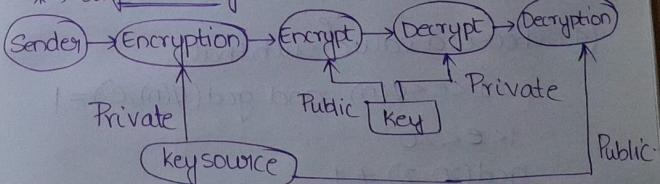
#### \* Authentication:



both keys  
from sender: Sender: private key  
receiver: publicKey.

from receiver: vice-versa.

#### \* Confidentiality:



<u>Public Key</u>	<u>Private Key</u>
→ uses public & private key.	→ uses same key at sender & receiver
→ slow	→ fast
→ authentication & confidentiality	→ Confidentiality
→ Private Key is secret	→ Key is secret
Public key shared.	

#### \* RSA algorithm:

→ asymmetric, block cipher.

#### (\*) Key Generation; Encryption & Decryption

① Select 2 large prime nos.  $p, q$

$$\text{Ex: } p = 3, q = 11, m = 5$$

$$② n = p * q \Rightarrow 33$$

$$③ \phi(n) = (p-1)(q-1) = 20$$

④ Choose a value  $e$  such that

$$1 < e < \phi(n) \text{ and } \gcd(\phi(n), e) = 1$$

$$1 < e < 20$$

$$\gcd(20, 2) \neq 1$$

$$\gcd(20, 3) = 1$$

$$(e=3)$$

⑤ Calculate  $d$  using  $ed \bmod (\phi(n)) = 1$

$$\text{private } K = \{d, n\} \Rightarrow \{7, 33\}$$

$$\text{public key} = \{e, n\} \Rightarrow \{3, 33\}$$

$$3d \bmod (20) = 1$$

$$3 \times d \% 20 = 1$$

$$\therefore d = 7$$

#### ⑥ Encryption:

$$c = m^e \bmod n$$

$$= 5^3 \bmod 33 = 26$$

#### ⑦ Decryption:

$$= e^d \bmod n$$

$$= 26^7 \bmod 33 = 5$$

#### \* Security issues of RSA:

① Brute force attack.

② Timing attack.

③ Cipher text attack.

#### \* Diffie-Hellman Key Exchange:

(\*) → method for 2 parties to securely establish a shared secret key over a public channel.

→ symmetric encryption.

#### → Procedure:

① Agree on public parameters.

$p = \text{prime no.}$ ,  $g = \text{primitive root}$ .

$$p=23, q=5 \text{ (primitive root modulo 23)}$$

## ② Private key generation:

$$\text{Private key 1} \Rightarrow a = 6 \Rightarrow \text{Party 1}$$

$$\text{Private key 2} \Rightarrow b = 15 \Rightarrow \text{Party 2}$$

## ③ Public Key computation:

$$A = g^a \bmod p ; B = g^b \bmod p.$$

$$\begin{aligned} &= 5^6 \bmod 23 \\ &= 15625 \bmod 23 = 8 \end{aligned} \quad \left. \begin{aligned} &= 15^{15} \bmod 23 \\ &= 30517578125 \bmod 23 \\ &= 19 \end{aligned} \right\}$$

## ④ Exchange public keys:

A → send 8 and B → send 19

## ⑤ Compute Shared secret key:

$$\begin{aligned} K &= B^a \bmod p & K &= A^b \bmod p \\ &= 19^6 \bmod 23 & &= 8^{15} \bmod 23 \\ &= 2 \end{aligned}$$

Same secret key.

## \* Man in the Middle Attack (MIM):

→ attacker intercepts the common b/w 2 parties and pretends to each party to other.

## ① Legitimate key exchange setup:

Ex: large prime  $p = 23$ , base generator  $g = 5$ .

## ② Generate their private keys:

$$A \rightarrow a = 6$$

$$B \rightarrow b = 15$$

## ③ MIM attacker intercepts public keys:

$$A = g^a \bmod p = 8$$

$$B = g^b \bmod p = 19$$

→ A sends 8 ; but B receives  $A' = 9$

→ B sends 19 ; but A "  $B' = 4$

## ④ Shared secret key computation:

$$\text{for A: } K_1 = (B')^a \bmod p = 4^6 \bmod 23 = 18$$

$$\text{for B: } K_2 = (A')^b \bmod p = 9^{15} \bmod 23 = 6$$

⑤ Attacker intercepts and modifies:

→ A encrypts data with  $K_1 = 18$

→ B encrypts data with  $K_2 = 6$

\* El Gamal Encryption & Decryption:

→ asymmetric encryption.

→ based on hardness of discrete logarithm problem.

① Select large prime  $p = 11$

② private key  $d = 3$

③ select second part of encryption key  $e_1 = 2$

④ calculate 3<sup>rd</sup> part of encryption key  $e_2$ .

$$e_2 = e_1^d \bmod p$$

$$= 2^3 \bmod 11 = 8$$

⑤ Public Key  $= (e_1, e_2, p) = (2, 8, 11)$

Private key  $\Rightarrow d = 3$

⑥ Encryption: Random no.  $r = 4$

\* calculate cipher text

$$C_1 = e_1^r \bmod p = 2^4 \bmod 11 = 5$$

\* Calculate  $C_2 = (\text{plain text} \times e_2^r) \bmod p$

$$= (7 \times 8^4) \bmod 11 = 6$$

$$(C_1, C_2) = (5, 6)$$

⑦ Decryption:

$$\text{Plain text} = [C_2 \times (C_1^d)^{-1}] \bmod p$$

$$= (6 \times (5^3)^{-1}) \bmod 11$$

$$= (6 \times 125^{-1}) \bmod 11$$

$$(125)^{-1} = 125^{-1} \bmod 11 = 1$$

$$\cancel{x=3}$$

$$\text{Plain text} = (6 \times 3) \bmod 11 = 7$$

\* Elliptic Curve Cryptography:

→ form of public key cryptography.

→ elliptic curves over finite fields.

→ same level of security as RSA with smaller keysizes

→ efficient

\* Elliptic curve eqn  $\Rightarrow y^2 = x^3 + ax + b$  over a finite field.

\*→ Rules for addition:

→ 3 points of curve joined by st. line.  
then their sum = 0.

\*→ Elliptic curves over  $\mathbb{Z}_p$  (prime):

also called prime curve

$$y^2 \bmod p = (x^3 + ax + b) \bmod p$$

$$P + 0 = P$$

$$P = (x, y) \text{ then } -P = (x, -y)$$

$$P + (-P) = 0$$

\*→ Elliptic curves over  $GF(2^m)$ :

$$y^2 + xy = x^3 + ax^2 + b$$

$$P + 0 = P$$

$$P = (x, y) \text{ then } -P = (x, x+y)$$

Applications:

↳ mobiles, Bitcoin, SSL/TLS