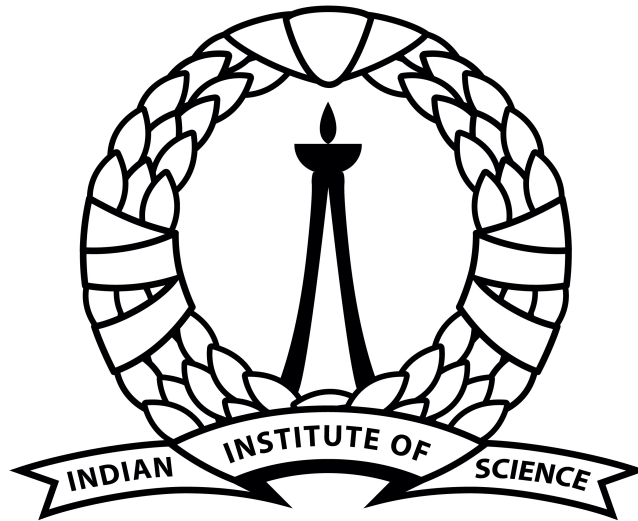


# Artificial Intelligence and Machine Learning

## Assignment 03

Student : Kuldeep Jatav

SR Number: 23684



भारतीय विज्ञान संस्थान

## Q Learning

- Completed the QAssignment.ipynb file refer 23684\_Assignment3.ipynb attached with this report.
- I trained the agent on two scenarios, one where traps and boots are disabled and another where they are enabled.
  - **BFS:** The agent is able to reach the goal state in 38 steps using BFS algorithm.

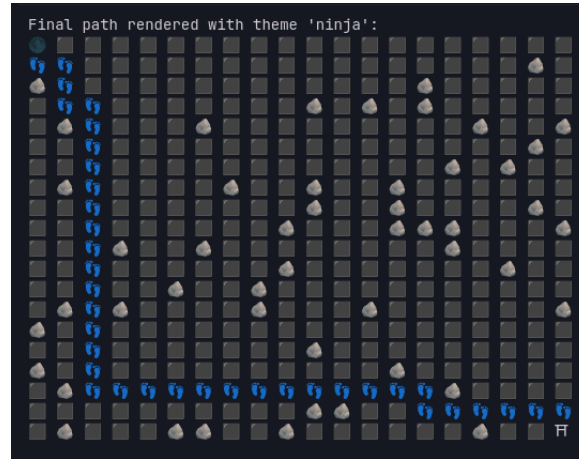


Figure 1: BFS

- **Traps & Boots:** In both disabled and enabled case the agent took 38 (same as BFS) steps to reach the goal state(see the figure below). for the configurations 1(mentioned in next part of question).



Figure 2: Traps and Boots Disabled



Figure 3: Traps and Boots Enabled

- **Different reward configurations:**

### Configuration 1

- REWARD\_GOAL = 10000
- REWARD\_TRAP = -500
- REWARD\_OBSTACLE = -100
- REWARD\_REVISIT = -200
- REWARD\_ENEMY = -2000
- REWARD\_STEP = -5
- REWARD\_BOOST = 200

### Configuration 2

- REWARD\_GOAL = 5000
- REWARD\_TRAP = -500
- REWARD\_OBSTACLE = -100
- REWARD\_REVISIT = -300
- REWARD\_ENEMY = -1500
- REWARD\_STEP = -10
- REWARD\_BOOST = 250

## Images for configurations 1

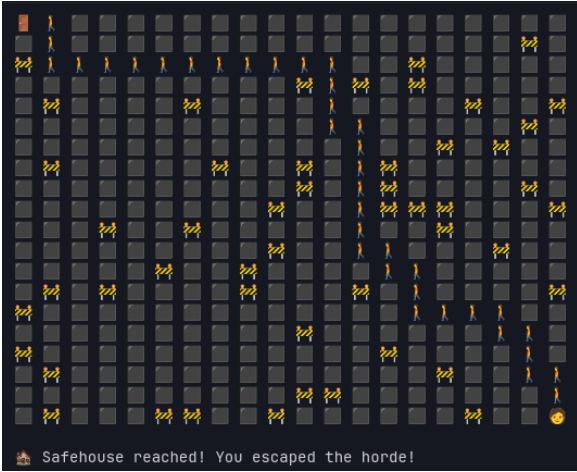


Figure 4: Traps and Boots Disabled

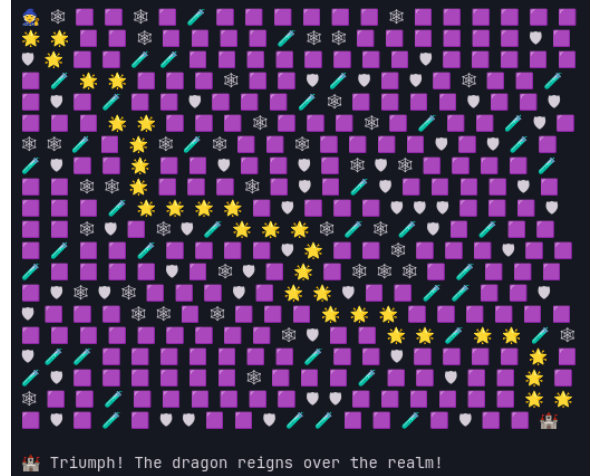


Figure 5: Traps and Boots Enabled

## Images for configurations 2



Figure 6: Traps and Boots Disabled

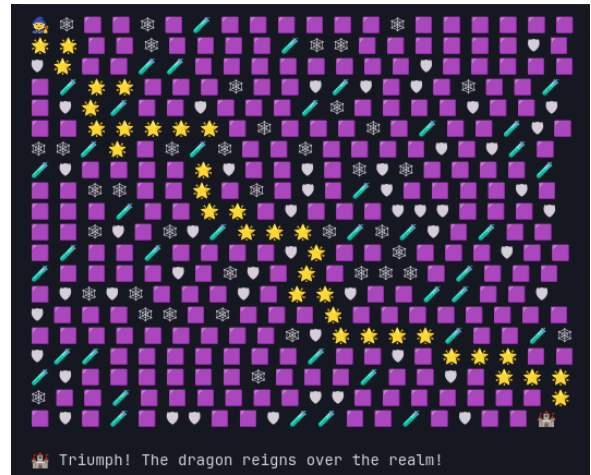


Figure 7: Traps and Boots Enabled

- **Manual Q-value Calculation:** For the initial 5 steps, the Q-values are calculated as follows:

- Learning rate ( $\alpha$ ) = 0.4
- Discount factor ( $\gamma$ ) = 0.95
- Rewards:
  - \* REWARD\_STEP = -5
  - \* REWARD\_GOAL = 10000
  - \* REWARD\_OBSTACLE = -100

We use the Q-learning update rule:

$$Q(s, a) = Q(s, a) + \alpha \left( r + \gamma \max_{a'} Q(s', a') - Q(s, a) \right) \quad (1)$$

**Step 1.** (0,0)  $\rightarrow$  (1,0)

- Current Q-values for (0, 0):
 

Action $\rightarrow$	Up	Down	Left	Right
Q-value $\rightarrow$	-767.152172	-719.833527	-801.478881	-631.947255
- Chosen action: Down (max Q-value = -631.947255)

- Reward ( $r$ ):  $-5$  (valid move to  $(1, 0)$ )
- Next state ( $s'$ ):  $(1, 0)$
- $\max Q(s', a') = -621.173244$  (from Q-table at  $(1, 0)$ )
- Update:

$$\begin{aligned}
 Q_{\text{new}} &= -631.947255 + 0.4 [-5 + 0.95 \times -621.173244 - (-631.947255)] \\
 &= -631.947255 + 0.4 [-5 - 589.1140828 + 631.947255] \\
 &= -631.947255 + 0.4 \times 37.8331722 \\
 &= -631.947255 + 15.13326888 \\
 &= -616.81398612
 \end{aligned}$$

### Step 2. $(1,0) \rightarrow (1,1)$

- Updated Q-values for  $(1, 0)$ :
 

Action $\rightarrow$	Up	Down	Left	Right
Q-value $\rightarrow$	-899.367045	-621.173244	-725.177182	-706.806879
- Chosen action: Right (max Q-value = -621.173244)
- Reward ( $r$ ):  $-5$  (valid move to  $(1, 1)$ )
- Next state ( $s'$ ):  $(1, 1)$
- $\max Q(s', a') = -650.457508$  (from Q-table at  $(1, 1)$ )
- Update:

$$\begin{aligned}
 Q_{\text{new}} &= -621.173244 + 0.4 [-5 + 0.95 \times -650.457508 - (-621.173244)] \\
 &= -621.173244 + 0.4 [-5 - 618.9346326 + 621.173244] \\
 &= -621.173244 + 0.4 \times -2.9613886 \\
 &= -621.173244 - 1.18455544 \\
 &= -622.35779944
 \end{aligned}$$

### Step 3. $(1,1) \rightarrow (1,2)$

- Updated Q-values for  $(2, 0)$ :
 

Action $\rightarrow$	Up	Down	Left	Right
Q-value $\rightarrow$	-794.747436	-650.457508	-780.813579	-703.640530
- Chosen action: Right (max Q-value = -650.457508)
- Reward ( $r$ ):  $-5$  (valid move to  $(2, 1)$ )
- Next state ( $s'$ ):  $(2, 1)$
- $\max Q(s', a') = -634.087470$  (from Q-table at  $(2, 1)$ )
- Update:

$$\begin{aligned}
 Q_{\text{new}} &= -650.457508 + 0.4 [-5 + 0.95 \times -634.087470 - (-650.457508)] \\
 &= -650.457508 + 0.4 [-5 - 602.3830965 + 650.457508] \\
 &= -650.457508 + 0.4 \times 43.0744115 \\
 &= -650.457508 + 17.2297646 \\
 &= -633.2277434
 \end{aligned}$$

### Step 4. $(1,2) \rightarrow (2,2)$ (Goal)

- Updated Q-values for  $(2, 1)$ :
 

Action $\rightarrow$	Up	Down	Left	Right
Q-value $\rightarrow$	-825.636038	-700.874738	-791.611875	-634.087470
- Chosen action: Right (max Q-value = -634.087470)
- Reward ( $r$ ):  $-5$  (valid move to  $(2, 1)$ )
- Next state ( $s'$ ):  $(2, 1)$

- $\max Q(s', a') = -618.309086$  (from Q-table at  $(2, 1)$ )
- Update:

$$\begin{aligned}
 Q_{\text{new}} &= -634.087470 + 0.4 [-5 + 0.95 \times -618.309086 - (-634.087470)] \\
 &= -634.087470 + 0.4 [-5 - 586.3936317 + 634.087470] \\
 &= -634.087470 + 0.4 \times 42.6938383 \\
 &= -634.087470 + 17.07753532 \\
 &= -617.00993468
 \end{aligned}$$

**Step 5.  $(2,2) \rightarrow (3,2)$**

– Updated Q-values for $(2, 2)$ :	<b>Action</b> $\rightarrow$	Up	Down	Left	Right
	<b>Q-value</b> $\rightarrow$	-729.267172	-661.403121	-866.272165	-618.309086

- Chosen action: Down (max Q-value = -618.309086)
- Reward ( $r$ ): -5 (valid move to  $(3, 2)$ )
- Next state ( $s'$ ):  $(3, 2)$
- $\max Q(s', a') = -627.114874e$  (from Q-table at  $(3, 2)$ )
- Update:

$$\begin{aligned}
 Q_{\text{new}} &= -618.309086 + 0.4 [-5 + 0.95 \times -627.114874 - (-618.309086)] \\
 &= -618.309086 + 0.4 [-5 - 595.7581303 + 618.309086] \\
 &= -618.309086 + 0.4 \times 17.5509557 \\
 &= -618.309086 + 7.02038228 \\
 &= -611.28870372
 \end{aligned}$$

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# Thank You