Assignment Noi- 02 09016213006 Kuldeep-Singh Raykort Loutice, 84 Of Grove that in a distributive on element has a Complement then the Complement is unique.

Salution:

let (L, L, N, V) be a bounded dip touched lattice.

let band a be two complement of ack, then

aub = 1

911 = 0 9V6 = 1,

anc = 0

we have b= bn1 (que =1) b = b \ (ave)

= (bna) v(bn()

: { o = 9 nc] = 0 v (bn()

= (9nc) v (bnc)

= (aub)nc

= = Perove

Or Brove that revery chain ig 9 Distributed lattice

Sawion: we know that by diptolibete of chain is a sinearly andered tet (and totally andered tet) Every pair of Element is this let (i.e. in chain)

Papers 9 least upper bound and 9 greatest sower bound in the set such the 9 drain is 9 lattice set (L, N, V) be 9 chain is a statice see and a, b, c be any them werent of L. So there arieses two puppible capes.

Care L! ash an OSC are care beginned b 19 and CL9 in case (i) by

an (buc) = 9 and (an b) U (ane) = 9.

defination

9 n (buc) = (9nb) v (9nc) ·· ()

in case (ii) by affiration we have an (buc) = buc and (anb) u (bnc) = buc an(bui) = (anbju(bni) - @ forom Equation O and @ we get a u (buc) = a ub aulbul) = (9 Nb) v(001) both cases one distributed low hold Amilarly the tevend distributed pow au(bnc) = (out) (auc) also halds by the prinipe of dual heme chain is a distributed lastice.

83 Pefine Hasse viagrams Let A = {a,b, c,d} and
P(A) is power let. Ilrano Hasse Diagram
Of (P(A), C)

Hasse diagram ! Hasse diagram Ps an q diagrammatic supresentation of a first paral acidery on a ret. In this diagram, the Element are shown as vousices (and dots) two Helated vurtices in the Harre diagram at a partial ander are connected by a in it and only It they are related. cet (P, L) be a paret, on Element begg said to be covery a 6p it ach ondit there does not Exist only Element CEP luch that accord acb. It is covern a' thon a line is drawn between the Elements and b in the mappe diagram El let A: {1,333 and 5 b rielation very

thon ar Equal to " on A. then the Have diagram of po-per (A, E) is

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Draw Hase diagram!

A= {a,b,c,d}.

P(A): { P, {a}, {b}, {c}, {a,b}, {a,b}, {a,d}, {a,d}, {a,d}, {b,c}, {b,c}, {b,d}, {cd}, {a,b,e}, {a,b,

