

// Kulthum Lakha

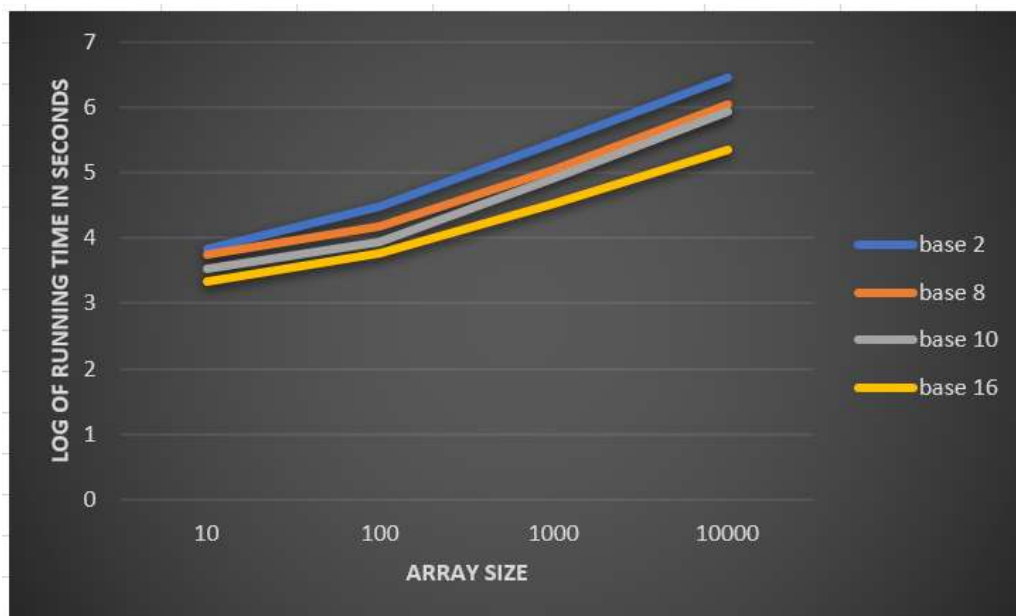
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## Data

Following time averages in nano-seconds show how Radix sort operates on different sized arrays using different bases.

Array Size/ Base	2	8	10	16
10	6651	5560	3335	2115
100	30045	15339	8823	5720
1000	284282	108018	83017	33190
10000	2839882	1062977	835872	225868

## Graph



## Abstract

As the base used gets bigger, time taken for radix sort gets smaller.

Best being base 16, then base 10, then base 8, and lastly, base 2.

## Explanation:

Each key is visited once for each digit of the longest key. Therefore, if the longest key has  $d$  digits and there are  $k$  keys, radix sort has order  $O(dk)$ .

However, the number of digits in each key depends on the base.

Radix Sort takes  $O(d \cdot (n+b))$  time where  $b$  is the base for representing numbers and  $d$  is the  $O(\log_b(k))$ .

Time complexity =  $O((n+b) \cdot \log_b(k))$

As  $b$  approaches  $n$ , the algorithm for radix sort becomes linear  $O(n)$  and the number of digits in a key becomes insignificant.