

LOVE → LOIE
MOVIE → MOVIE

{ LOIE
MOVIE }

MOVIE

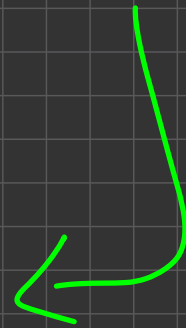
MOVIE

LOVE
MOVIE } →

MOVE
MOVIE

MOVIE

MOVIE



tiea
tie } remove o tie
tie } tie

remove e
tiea
ti
add a
to
2nd
string
tiee
tie
tie
tie

tlea

tle

→ remove a
1st string

tle
tle

↓ add a
to 2nd string

tle	a
tle	a

A of length n

B of length m

① last char of A = last char of B

② $\begin{matrix} \text{||} & | & \text{||} \\ & \text{0} & \end{matrix} \text{||}$

$abcd^n$
 $xyce_m$

\rightarrow

$abce^{n-1}$
 $xyce_{m-1}$

\rightarrow

$abcd$
 $xycd$

replace 1 character

↓

remove from 1st string or
add in 2nd string

$\left\{ \begin{array}{l} abc^{n-1} \\ xyce_m \end{array} \right.$

\rightarrow

$abcd$
 $xyced$

abcd
xyce } → abcd
nyc } → abcd@
 nyc }

remove from 2nd string
or

add in 1st string

$dp[i][j]$ = edit distance b/w
first i characters of A and
first j characters of B

abcd $\leftarrow i$

axy cde $\leftarrow j$

abc [e] i-1

abxycd [e] j-1 replaced

abc [d] → i-1

abxycd [d] → j-1

abcd

abc ← i-1

→
abxyce

abxyce ← j ✓

↓

①

abcd ← i

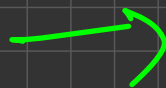
abxyc ← j-1 ✓

a b c ~~d~~

i - 1

x y z ~~d~~

j - 1



if $A[i-1] == B[j-1]$

$$dp[i][j] = dp[i-1][j-1]$$

else

① replace $dp[i][j] = dp[i-1][j-1] + 1$

② remove from 1st string $dp[i][j] = dp[i-1][j] + 1$

③ remove from 2nd string $dp[i][j] = dp[i][j-1] + 1$

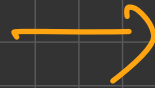
abc

xyz



ab

xyz



a

xyz



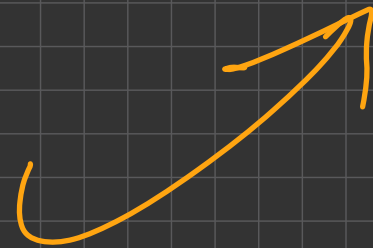
" "

xyz

$$\underline{\underline{dp[i][0] = i}}$$

$$\underline{\underline{dp[0][i] = i}}$$

$$\underline{\underline{dp[0][0] = 0}}$$



Base Case

Final subproblem :

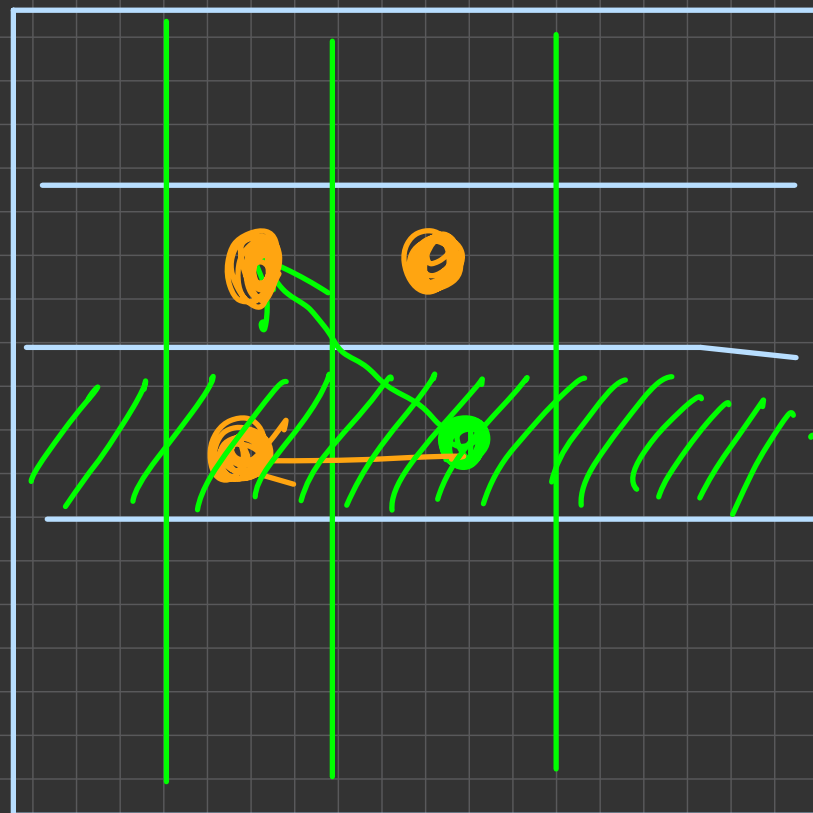
$dp(n, m)$

Time complexity :

$O(n \cdot m) \cdot \underline{O(1)}$

Space complexity : $O(n \cdot m)$

n ↓



→
 m

$O(m)$