IT-524 COMPUTER VISION -ASSIGNMENT 2

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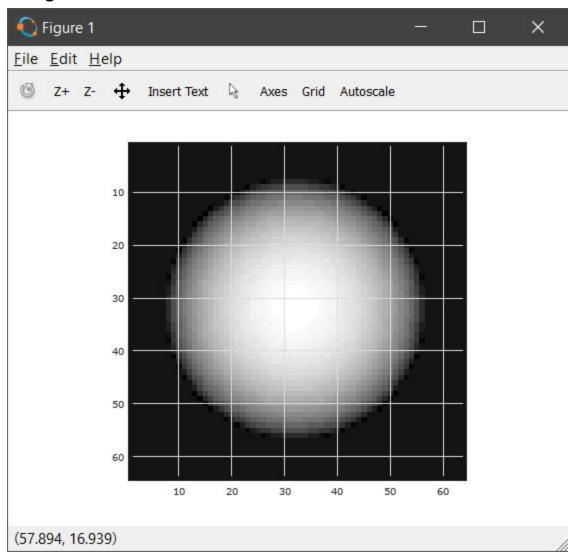
Use regularization based approach finding p,q and z with source as (0,0), (0.8389,0.7193), (0.5773,0.6363) and without any noise. How does the recovered depth compare with the actual depth? Radius of sphere=24.

Code Snippet for generating E with (ps,qs)=0:

```
clear all;
close all;
% Image generator with source direction = s orig
M=64;
N=64;
radius=24; % Radius of sphere
Depth = zeros(M,N);
p_init= zeros(M,N);
q_init= zeros(M,N);
E= zeros(M,N);
R = 0.2 * ones(M,N); % Background Light
s_orig=[0,0]; % p,q coordinate of source
for i=1:M,
    for j=1:N,
        current_radius = sqrt((i-M/2)^2 + (j-N/2)^2);
        if(current_radius < radius) % Assign Depth only for points that are part of sphere
in image
            Depth(i,j) = round(sqrt(radius^2 - (i-M/2)^2 - (j-N/2)^2); % estimate depth for
each pixel of sphere
            p = (i-M/2)/Depth(i,j);
            q = (j-N/2)/Depth(i,j);
            % Calculate E from p,q & s
            temp = Rval(p, q, s_orig);
            p_init(i,j)=p;
            q init(i,j)=q;
            % Ensuring nonegativity of E
            if(temp>0)
                E(i,j) = temp;
            else
                E(i,j) = 0;
            end
```

```
end
end
end
```

Image:



Code Snippet for finding p and q using iterative method:

```
M = size(E,1);
N = size(E,2);
En = E;
p_old = p_init;
```

```
q_old = q_init;
p_new = zeros(size(En));
q_new = zeros(size(En));
maxiter = 300; %Maximum number of iterations
isize= M;
iter = 0;
lambda =
            50;
while (1)
    %For p
    if(1)
         for i = 2:isize-1
             for j = 2:isize-1
                      p_new(i,j) = Ravg(p_old, i, j) + (1/lambda)*(En(i,j) -
Rval(p_old(i,j),q_old(i,j),s) )*Rp(p_old(i,j),q_old(i,j),s(1),s(2));
             end
         end
    end
    %For q
    if(1)
          for i = 2:isize-1
             for j = 2:isize-1
                      q_new(i,j) = Ravg(q_old, i, j) + (0.25/lambda)*(En(i,j) -
\label{eq:real_pold} \begin{split} & \operatorname{Rval}(p\_old(i,j),q\_old(i,j),s)) * \operatorname{Rq}(p\_old(i,j),q\_old(i,j),s(1),s(2)) \ ; \end{split}
          end
    end
    if (iter == maxiter)
         break;
    end
    p_old = p_new;
    q_old = q_new;
    iter = iter + 1;
end
pn=p_new;
qn=q_new;
figure(1),imshow(mat2gray(pn));
figure(2),imshow(mat2gray(qn));
```

Code for Ravg, Rval, Rp and Rq respectively:

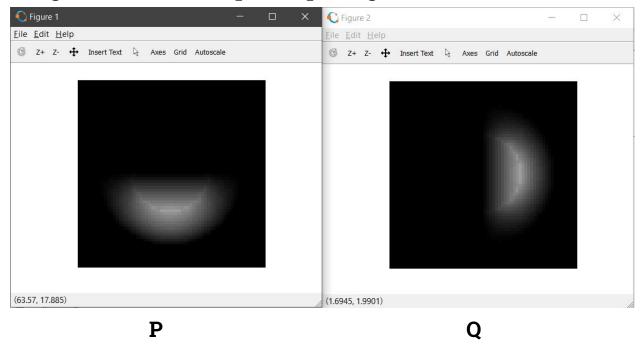
```
function val = Ravg(A,i,j) val = ( A(i,j-1) + A(i-1,j) + A(i,j+1) + A(i+1,j) )/4;% +(A(i-1,j-1)+A(i-1,j+1)+A(i+1,j-1)+A(i+1,j+1))/12; end
```

```
function val = Rval(p,q,s)
  val = (s(1)*p + s(2)*q + 1)/sqrt( (s(2)*s(2) + s(1)*s(1) +1) * (p*p + q*q +1));
end
```

```
function val = Rp(p,q,ps,qs)
   val = (ps*(q*q +1) - p*(qs*q + 1))/(sqrt((qs*qs + ps*ps +1) * (p*p + q*q +1)) *
   (p*p+q*q+1));
end
```

```
function val = Rq(p,q,ps,qs)
   val = (qs*(p^2 +1) - q*(ps*p + 1))/(sqrt((qs^2 + ps^2 +1) * (p^2 + q^2 +1)) *
   (p^2+q^2+1));
end
```

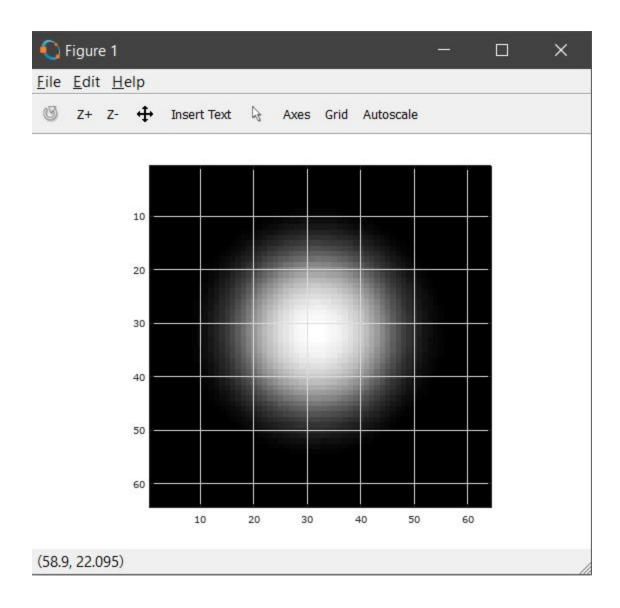
Images of calculated p and q using iterative method:



Code Snippet for finding Z using iterative method:

```
M = size(E,1);
N = size(E,2);
zn = zeros(size(E));
z_old = zeros(size(E));
px = diff(pn,1,1);
qy = diff(qn,1,2);
% Apply the iterative method to estimate the value of depth at each point
iters = 10000
for kk = 1:iters,
    disp(kk)
    for i=2:(M-1),
        for j=2:(N-1),
             if mask(i,j)==1
                zn(i,j) = Ravg(z_old,i,j) + px(i,j) + qy(i,j);
                 zn(i,j) = 0;
             end
        end
    end
    z_old = zn;
end
figure;
imshow(mat2gray(zn));
```

Image for Z using iterative method:



For (ps,qs)=(0.8389,0.7193)

Image for generated E:

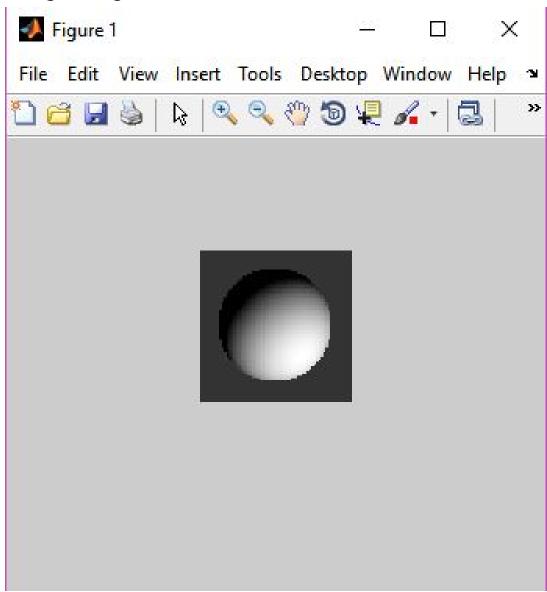


Image for generated p and q:

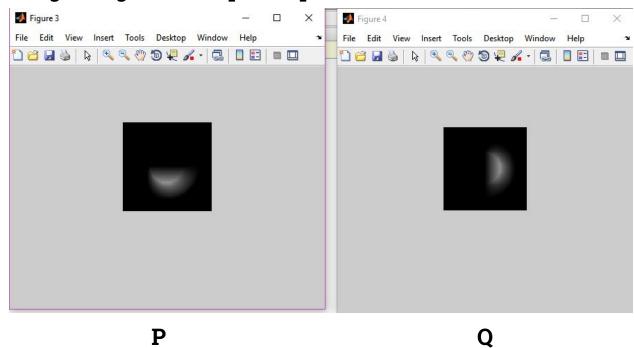
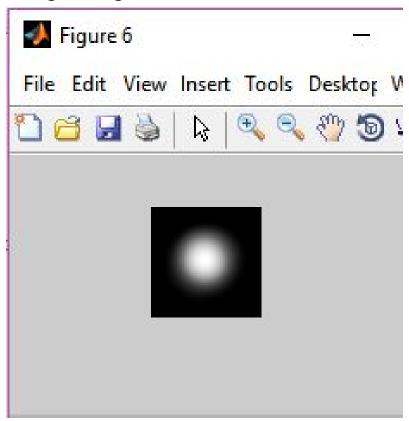
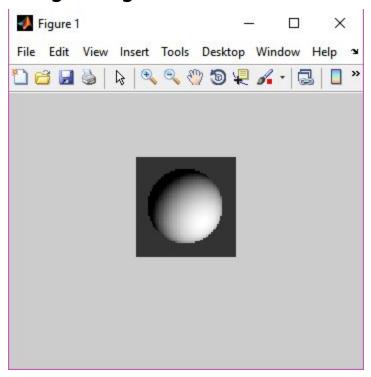


Image for generated Z:



For (ps,qs)=(0.5773,0.6363):

Image for generated E:



Images for generated p and q:

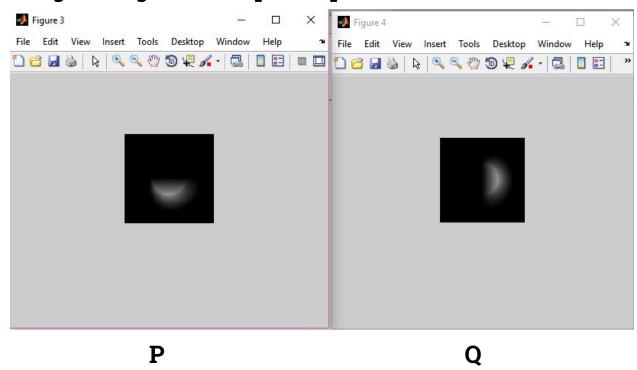
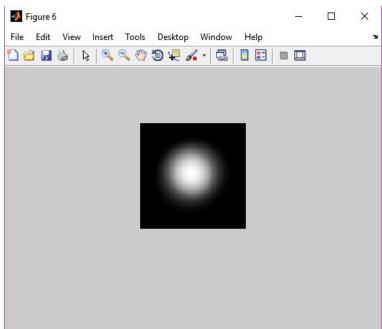


Image for generated Z:



Mean Squared Errors in Z:

Code Snippet:

```
Error = abs(Depth-zn).^2;
MSEz = sum(Error(:))/numel(zn);
```

Mean Square Error with (ps,qs)=(0,0): 35.3961 Mean Square Error with (ps,qs)=(0.8389,0.7193): 31.6883 Mean Square Error with (ps,qs)=(0.5773,0.6363):32.7267