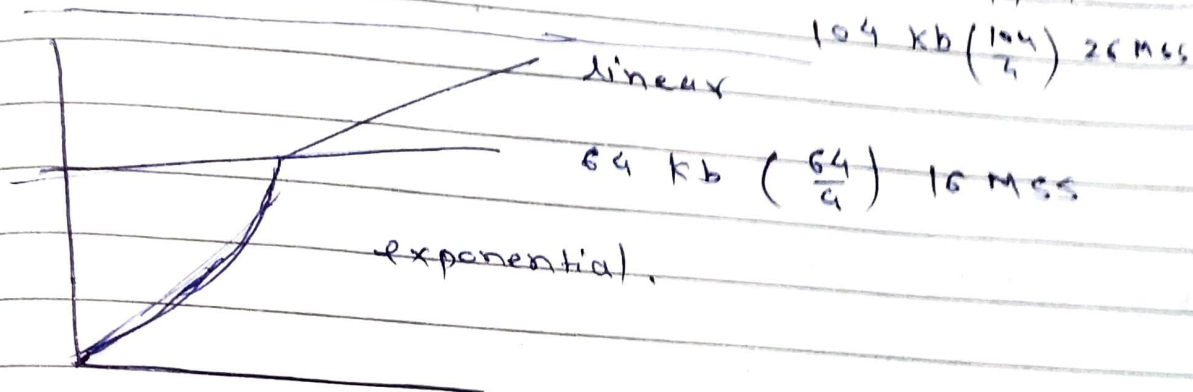


Timeout occurs in a TCP session so  
new we set the threshold to half of  
the window-size where time out occurred.

$$\therefore \text{threshold} = \frac{128 \text{ kb}}{2} = 64 \text{ kb}$$

so from 64 kb linear increase in  
congestion window size will occur.

from timeout window size is dropped  
to 1 MSS = 4 kb.



Now for each increment

$\therefore 1 \rightarrow 2$  1 RTT required.

$2 \rightarrow 4$  2 RTT

$8$  3 RTT

(MSS)  $16$  4 RTT

~~$32$  5 RTT~~

~~$64$  6 RTT~~

$\rightarrow$  4 RTT required  
to achieve threshold.

Now, From 16 to 26 more  $(26-16)$  i.e  
10 RTT are required.

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Kanoharkar

$$\therefore \text{total RTT req} = 10 + 4 \quad (\text{lin}) \quad (\text{exp})$$

$$= 14 \text{ RTT}$$

$$\text{RTT} = 2 \times \text{propagation delay}$$

$$= 2 \times 100 \text{ msec}$$

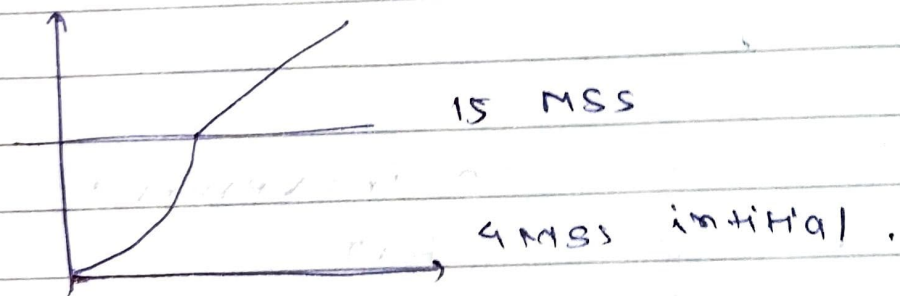
$$= 200 \text{ msec}$$

$$\therefore \text{Time required} = 14 \times 200 \text{ ms}$$

$$= 2800 \text{ ms}$$

$$= 2.8 \text{ sec}$$

Q.2. TCP slow-start.



Transmission 6th we have time out.

4 MSS	→	8 MSS	1 RTT	1
8 MSS	→	15 MSS	2 RTT	2
15 MSS	→	16 MSS	3 RTT	3
		18		4
		18		5
		19 MSS		6

timeout.

So new threshold value =  $\frac{20}{2} = \underline{10 \text{ MSS}}$

Now we jump back to initial i.e.  
4 MSS

4	→	8 MSS	→	7th
8	→	9 MSS	→	8th
		10	→	9th
		11	→	10th
		12	→	11th
		13	→	12th
		<u>14 MSS</u>	→	13th

at end of 13th transmission  
i.e. 14 MSS

$$= 14 \times 4 \text{ Kb}$$
$$= \underline{\underline{56 \text{ Kb}}}$$

size of  
window



Q-3) P of corrupted packet = 0.25

If we assume 100% rate i.e.  
probability 1 of transmission

so 150 transmission will pass  
150 packets.

But prob. is  $\frac{3}{4}$  for success  $(1 - 0.25)$   
 $= 0.75$ .

$\therefore$  We require more ~~packets~~ transmission.  
 $= \frac{150 \times 4}{3} = 50 \times 4$   
 $= 200$  transmission.

$\therefore$  retransmission  $= 200 - 150$   
 $= 50$

50 retransmissions needed.

Q.4 Total Segment size =  $2^{340}$  B.  
header overhead = 72 bytes

$\therefore$  payload in each =  $340 - 72$   
= 268 bytes.

Total seq no. possible =  $2^{32}$   
(32 bit field)

$\therefore$  Total packet (seq) without wrap  
=  $2^{32}$

Total payload size  
=  $2^{32} (268)$  bytes

$\therefore X = \underline{268 \times 2^{32} \text{ bytes.}}$

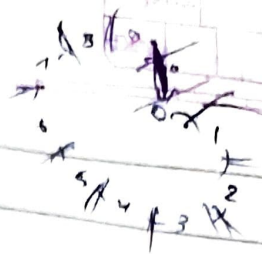
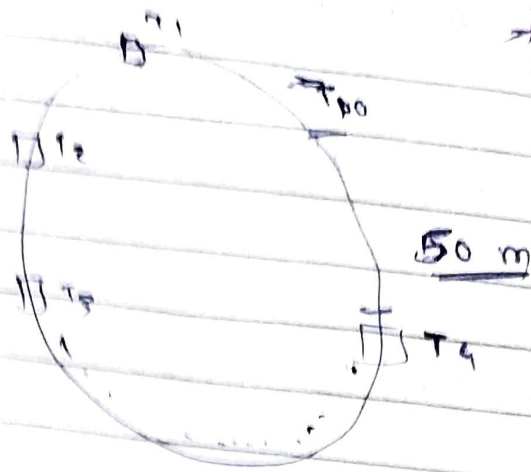
Total transmission time =  $\frac{L}{R}$

=  $\frac{340 \times \cancel{2^{32}} \text{ bytes.}}{200 \times 2^{10} \times 2^{10} \text{ bytes per s-c}}$

=  $\frac{340}{200 \times \cancel{2^{20}}} \times 2^{20} \text{ Sec}$

=  $\frac{170}{10^6} \times 2^{20} \text{ Sec} = \underline{1.7 \times 2^{20} \text{ Sec}}$

=  $1.34 \times 2^{12} \text{ Sec}$



Bandwidth = 8 Mbps  
 bit delay = 2 bits

token immediately released to THT (token holding time) = 0 sec.

Propagation delay =  $\frac{d}{s} = \frac{50}{2 \times 10^8} = 25 \times 10^{-8}$  sec.

Transmission delay =  $\frac{L}{R} = \frac{2000}{8 \times 10^3 \times 10^3} = \frac{1}{4} \times 10^{-3}$  sec

Time when ring does work is for transmission:

$\therefore$  Total transmission time =  $10 \times \left( \frac{1}{4} \times 10^{-3} \right)$  sec  
 $= 2.5 \times 10^{-3}$  sec.

Total propagation delay =  $50 \times 25 \times 10^{-8}$   
 $= 25 \times 10^{-7}$  sec.

$\therefore$  efficiency =  $\frac{\text{transmission}}{\text{trans + prop}} = \frac{2.25 \times 10^{-6}}{2.25 \times 10^{-6} + 25 \times 10^{-7}}$   
 $= 2.25 \times 10^{-6}$



transmission time :  $2.5 \times 10^{-8} \text{ sec}$   
 prop time :  $2.5 \times 10^{-7} \text{ sec}$

bit delay at each station = 2 bits

delay time :  $\frac{2}{8 \times 10^6} = \frac{0.25 \times 10^{-6}}{\text{sec}}$

$\therefore$  total delay time =  $0.25 \times 10^{-5} \text{ sec}$

Efficiency of ring

=  $\frac{\text{Trans time}}{\text{Prop. delay} + \text{trans time} + \text{bit delay}}$

=  $\frac{2.5 \times 10^{-3}}{2.5 \times 10^{-7} + 2.5 \times 10^{-3} + 0.25 \times 10^{-5}}$

=  $\frac{2.5 \times 10^{-3}}{2.5 \times 10^{-4} + 2.5 + 0.25 \times 10^{-2}}$

=  $\frac{2.5}{0.5 \times 10^{-2} + 2.5}$

=  $\frac{2.5}{2.5 + 0.005} \quad \text{or} \quad \frac{2.5}{2.505}$   
 $= 0.9980$

$\therefore$  efficiency = 99.8%

- ⑥ Two secrets  $x$  and  $y$ .  
At time  $t$ :  $y$  received all 200 bytes  
At time  $t+1$ : 2 back to back segments  
to  $y$ .

1st segment: 70 bytes header

2nd segment: 50 bytes header

2nd 1st segment, Seq. no. = 112

Source = 200

Destination = 82

- ⑦ In the 2nd segment from  $x$  to  $y$

Seq. number =  $112 + 70 = 182$

Source port = 200

dest port = 82

- ⑧ 2nd first segment arrives before 2nd  
in acknowledgement of first arriving  
segment,

Acknowledgment no = 182

source port = 82

dest. port = 200

- ⑨ 2nd second segment arrives before first  
seg. 2nd acknowledgement of first  
arriving segment, acknowledgment no.  
= 201, 2nd indicates that it is  
waiting for bytes 201 and  
onwards.



## Timeline

