


```
algorithm MAXHEAPIFY( $A, i$ )  
     $l = \text{left}(i)$   
     $r = \text{right}(i)$   
    if  $l \leq \text{heap\_grö\ss e}[A]$  and  $A[l] > A[i]$  then  
         $max = l$   
    else  
         $max = i$   
    end if  
    if  $r \leq \text{heap\_grö\ss e}[A]$  and  $A[r] > A[max]$  then  
         $max = r$   
    end if  
    if  $max \neq i$  then  
        SWAP( $A[i], A[max]$ )  
        MAXHEAPIFY( $A, max$ )  
    end if  
end algorithm
```

```
algorithm MAXHEAPINCREASEKEY( $A, i, key$ )  
    if  $key < A[i]$  then  
        Error  
    end if  
     $A[i] = key$   
    while  $i > 1$  and  $A[\text{Vater}(i)] < A[i]$  do  
        SWAP( $A[i], A[\text{Vater}(i)]$ )  
         $i = \text{Vater}(i)$   
    end while  
end algorithm
```

algorithm MAXHEAPINSERT(A, key)
 $heap_größe[A] = heap_größe[A] + 1$
 $A[heap_größe[A]] = -\infty$
 MAXHEAPINCREASEKEY($A, heap_größe[A], key$)
end algorithm

```
algorithm MAXHEAPEXTRACTMAX( $A$ )  
  if heap_größe[ $A$ ] < 1 then  
    Error  
  end if  
   $max = A[1]$   
   $A[1] = A[\text{heap\_größe}[A]]$   
  heap_größe[ $A$ ] = heap_größe[ $A$ ] - 1  
  MAXHEAPIFY( $A$ , 1)  
  return  $max$   
end algorithm
```

```
algorithm BUILDMAXHEAP( $A$ )  
    heap_größe[ $A$ ] = länge[ $A$ ]  
    for  $i = \lfloor \frac{\text{länge}[A]}{2} \rfloor$  down to 1 do  
        MAXHEAPIFY( $A, i$ )  
    end for  
end algorithm
```

```
algorithm HEAPSORT( $A$ )  
  BUILDMAXHEAP( $A$ )  
  for  $i = \text{länge}[A]$  down to 2 do  
    SWAP( $A[1], A[i]$ )  
    heap_größe[ $A$ ] = heap_größe[ $A$ ] - 1  
    MAXHEAPIFY( $A, 1$ )  
  end for  
end algorithm
```