



Evaluating Recurring Traffic Congestion Using Change Point Regression and Random Variation Markov Structured Model

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Presentation Overview

- Introduction
- Research objective
- Study site
- Data
- Methodology
- Results and Discussion
- Conclusions
- Future Work

Introduction

Mobility

- Travel delay of nearly 7 billion hours
- Total cost of congestion was \$ 160 billion

Environment

• Wasted more than 3 billion gallons of fuel

Urban Mobility Scorecard report (Schrank, et al., 2015)



Introduction

- Success of alleviating traffic congestion through operation efficiency depends on:
 - Quality of the data used for evaluation and prediction
 - Predictive capability of the model
 - Dissemination of the accurate and timely traffic information to road users

Research Objective

- The study proposes a probabilistic framework to evaluate the dynamic evolution process of recurring traffic congestion on a basic freeway segment
 - Bayesian change point regression to estimate speed threshold
 - Markov Chain Structure regression to estimate the dynamic evolution of recurring congestion

Study site

A section of Interstate 295 in Jacksonville

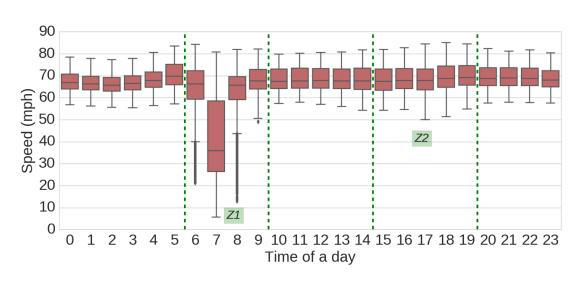




- 4.8-miles basic freeway segment
- 65 mph posted speed limit
- One year traffic data were used in the analysis (2015)

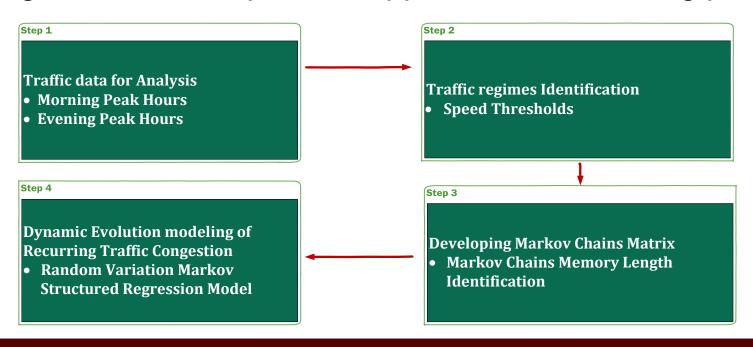
Data

Hourly speed profile for the study segment



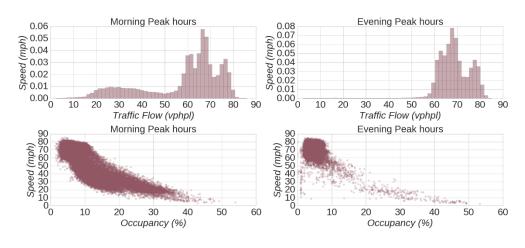
- Morning peak period (6am 9am)
- Evening peak period (3pm 7pm)

 To evaluate the dynamic evolution of recurring traffic congestion, four steps were applied in the modeling process;



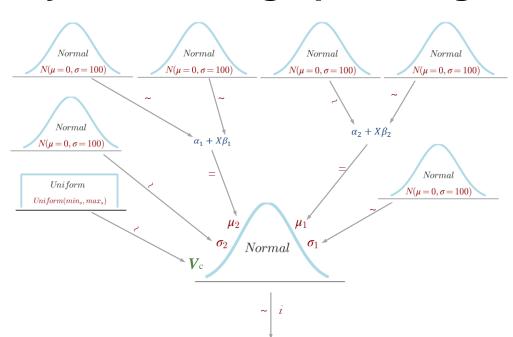
Bayesian change point regression model

 A model that was used to estimate a speed threshold where patterns before and after the threshold are significantly different



- Non-linear relationship between speed and occupancy
- The two regressions are separated by the critical point called critical speed threshold

Bayesian change point regression model



 Y_i

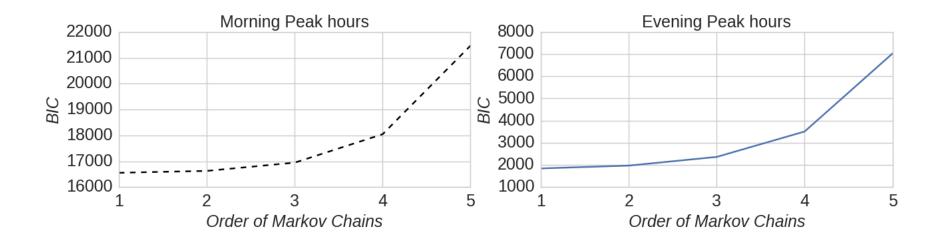
$$Y \sim \text{Normal}(\alpha_1 + X\beta_1, \sigma_2) \text{ if } X \leq V_c$$

 $Y \sim \text{Normal}(\alpha_2 + X\beta_2, \sigma_2) \text{ if } X > V_c$

Investigation of the Markov Chains Order

- Order of the Markov Chains was investigated using the Bayesian Information Criterion (BIC) approach
- The approach penalizes higher order models to balances the model complexity and the predictive accuracy to avoid the overfitting problem

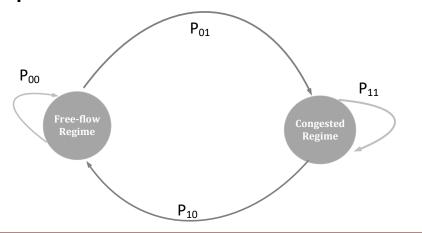
$$BIC = -2 * ln(L) + (|S|^m - |S|^\ell)(|S| - 1) * ln(n)$$



 The BIC approach favors lower order compared to higher order Markov Chains models

Random Variation Markov Structured Model

 Discrete-time first-order Markov Chains models were developed for both the evening and the morning peak periods



The transition processes can be presented in the matrix format below;

$$P_{ij} = \begin{pmatrix} P_{00} & P_{01} \\ P_{10} & P_{11} \end{pmatrix}$$

Random Variation Markov Structured Model

$$P_{ij} = \begin{pmatrix} P_{00} & P_{01} \\ P_{10} & P_{11} \end{pmatrix}$$

$$P_{01} = Pr(Y_t = 1 | Y_{t-1} = 0, X_{t-1} = x) = \Phi(\beta_0 + \beta X_{i,t-1})$$

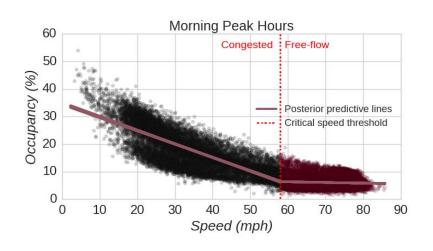
$$P_{11} = P(Y_t = 1)|Y_{t-1} = 1, X_{t-1} = x) = \Phi(\beta_0 + \beta X_{i,t-1})$$

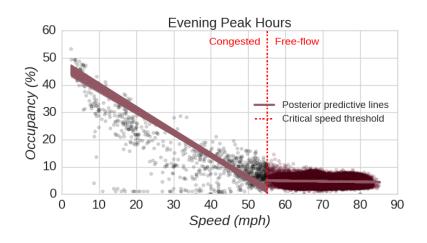
$$P_{00} = 1 - P_{01}$$
 and $P_{11} = 1 - P_{10}$

Bayesian Parameter Estimations

- The posterior distribution of the unknown parameters were estimated via the Markov Chain Monte Carlo simulations
- Two chains of 20,000 iterations were run (first 10,000 as burn-in)
- Gelman-Rubin statistic was used to assess the convergence of chains

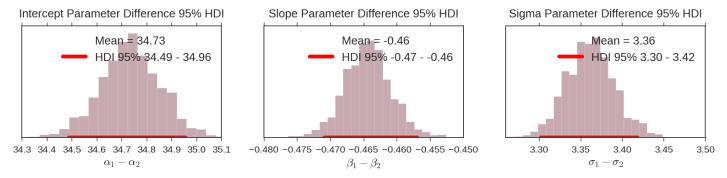
Bayesian change point regression model





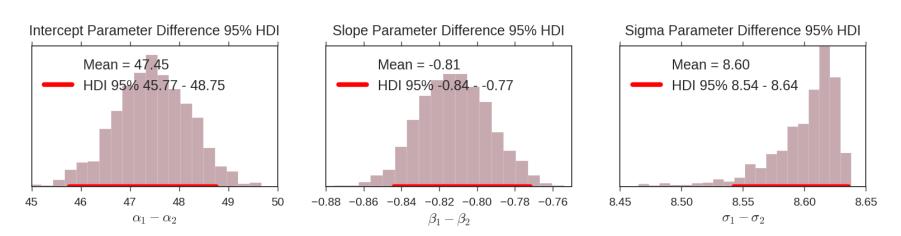
 Speed threshold during the morning and evening peak periods are 58 mph and 55 mph, respectively

 The hypothesis test was conducted to verify if traffic patterns in the congested and free-flow regime are the same or credibly different.



Parameter posterior distributions differences for the morning peak period

 There is a statistically significant difference between the regression in free-flow and congested regime at 95% HDI

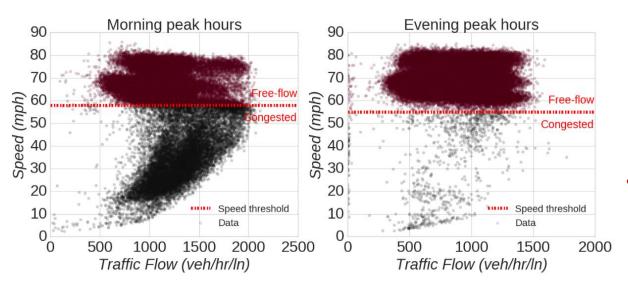


Parameter posterior distributions differences for the evening peak period

 There is a statistically significant difference between the regression in free-flow and congested regime at 95% HDI

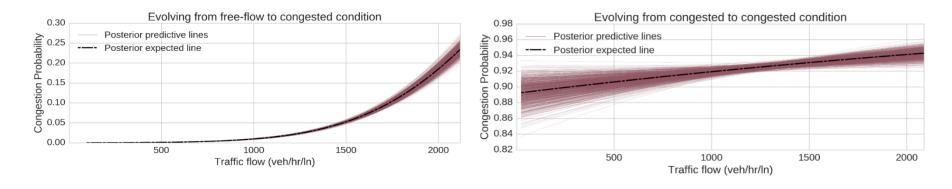
Variable	Posterior Mean	Posterior Std.	95% Cred	95% Credible Interval	
			lower	upper	
Morning Peak Period					
Remaining in a congested regime					
Intercept	1.24	0.078	1.085	1.387	
Flow rate (veh/hr/lane)	0.00016*	0.00006	0.00004	0.00028	
Breakdown process					
Intercept	-3.794	0.063	-3.914	-3.669	
Flow rate (veh/hr/lane)	0.00145*	0.00005	0.00136	0.00154	
Evening Peak Period					
Remaining in a congested regime					
Intercept	2.066	0.197	1.688	2.464	
Flow rate (veh/hr/lane)	-0.0001	0.00021	-0.00153	0.00006	
Breakdown process					
Intercept	-2.761	0.003	-2.970	-2.537	
Flow rate (veh/hr/lane)	-0.00021	0.00012	-0.00047	0.00001	

- Traffic flow significantly influence the evolution process of traffic regime at 95% CI during the morning peak period
- For evening peak period, traffic flow was insignificant in influencing the evolution process of traffic regime at 95% CI



- For evening peak period, the insignificance of traffic flow may be associated with few sample data in the congested regime
- Highly scattered data characteristic below the speed threshold may have also contributed

Posterior predictive line of transition probability



 The probabilities of remaining in the congested state are higher than those of breakdown process at the same traffic flow

Conclusions

- The morning peak congested state occurs once speed is below 58 (mph) while the evening peak period occurs at a speed below 55 mph
- The Information Criterion favored that first-order Markov Chains assumption was sufficient to characterize the evolution of traffic congestion
- Results of Bayesian change point and Markov model can be useful to traffic operators and planners in managing recurring traffic congestion

Future Work

- Bayesian change point regression can be modified to account for more than two traffic regimes as congested, free-flow, congestion onset/dissipation
- Additional work is needed to evaluate the influence of spatial location, vehicle mix, and weather conditions on the evolution of traffic congestion
- It will be beneficial to test the proposed approaches in different locations and different types of bottlenecks





Thank you!