```
laurse matrise
                                                  A n x n notified from A^{(1)} ("A invers") which at \begin{pmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \end{pmatrix} which is an arm A^{(1)} ("A invers") which at \begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \end{pmatrix} has a fact A^{(1)} to A^{
                                                      ( Aà = I dit win say at à = Ã ).
                                                               His is her an invers.,
Vi sid life Ax=c
                                                                                                                                                                                                                                                                                                   c e R"
                                                                                                                                                 A^{-1}Ax = A^{-1}c
Ix = A^{-1}c
x = A^{-1}C \iff Ligning on bor n
                                         LEARNING A, C was multiser likes A_1 = C_1 for all x \in \mathbb{R}^n, n_1 or A = C. Every Smith for x = c_1 (i) buriselber c_2 = \binom{n}{2} - \binom{n}{2} k_1 n_2 n_3.
                                                           \begin{cases} A_{ij} = a_{ij} & \text{if } i \leq a_{ij} \leq a_{ij}
                                         LEMMA
Him AB = I, B nxn m
                                                                                                                                                                                                                                                                                               white the hor Ax=c outgoing lossing to all ceRh
                                             \frac{g_{add}}{b_1} \text{ as } jk \in \mathcal{C}_0^{a}[k:B], \text{ odd } ak : AB = I, \text{ odds. } AB = ij \leftarrow jk \text{ as} f, i I.
\text{la. } c \in \mathbb{R}^n : c = c_{n+1} \cdot c_{n+1} \cdot \cdots \cdot c_{n+1} = \frac{r}{r_n} \leq r_j
\text{Wa} \underbrace{|x = c_{n+1} \cdot c_{n+1} \cdot c_{n+1}|}_{=r_n} + \sum_{i=1}^{r_n} c_{i+1}^{r_n} \cdot c_{i+1}^{r_n}}_{=r_n} + \sum_{i=1}^{r_n} c_{i+1}^{r_n} \cdot c_{i+1}^{r_n}}
                                                                                  J \underbrace{\frac{A_{X}}{s} = A \left( \sum_{i=1}^{n} c_{i}^{s} k_{i} + \dots + c_{i} k_{n} \right)}_{s \in A} + A \left( \sum_{i=1}^{n} c_{i}^{s} k_{i} \right)}_{s \in A} + \dots + c_{n} k_{n} = \sum_{i=1}^{n} c_{i}^{s} A b_{i}
= c_{n} k_{1} + \dots + c_{n} k_{n} = \sum_{i=1}^{n} c_{i}^{s} k_{i}
= c_{n} k_{1} + \dots + c_{n} k_{n} = \sum_{i=1}^{n} c_{i}^{s} c_{i}
= c_{n}
= c_{n}
                                                               After fine out on libering the Axec
Mu sjebble one on her enhydighet.
                                                                        A ~ D < temperature.

Side the Pair to Missing and D to printedomen i have raid.

Der com miss modeline and dittle medificier of other print i alle socyalor

Scalingly history.
                                                           Received the substitution of the second of t
                                                      n is investigated of API.

For a vice date transport in

Leading

Him ABI I, as are A of B mortishing and API B of BPI A

[Mac ABI I as BI A, but opt API B decord ABI I as API API I

Mac ABI ABI ABI BAI I down BAX = IX = x for all X = R<sup>2</sup>

ABI with API ABI API I down BAX = IX = x for all X = R<sup>2</sup>

ABI (ABI ABI X = TX = A)

ALI (ABI X = TX = A)

ALI (ABI X = TX = A)
                                                                                                    which per hereon. A metabox is s=0 for s=0 for s=0 for any day becoming for the c.e. s=0. Specially forming for all s=0 for s=0. Specially for s=0 for 
                                                                                  (A & & ... ) Whilede matrices til alle diese hijning e
                                                                                           (A\ I) \sim (b,8) D but paid it able sighter.

(I_ic) sight it clear Ac_i = a_i sight it.
                                                                                                                                                               AC=I due. C
incurse. (små h!)
                                                                                                                                                                                                                                                                                                                          c=A<sup>-1</sup>.
                                                  (A\ I) \sim (I\ H')
                                                           A = \begin{pmatrix} 1 & -1 & 1 \\ 2 & -2 & 5 \\ 2 & 1 & 0 \end{pmatrix} \quad F_{W_{1}} \quad A^{-1}.
                                                           \begin{pmatrix} 1 & -1 & 1 & 1 & 0 & 0 \\ 1_2 & -1_2 & S & 0 & 1 & 0 \\ 2_2 & 1 & 0 & 0 & 0 & 1 \end{pmatrix} \sim \begin{pmatrix} 1 & -1_1 & 1 & 1 & 0 \\ 0 & 0 & 3 & -2_2 & 1 \\ 0 & 3 & -2_2 & -2_2 & 0 \end{pmatrix}
                                                                                                                           ~ (° °)
inachenhinespens

En muyd where \{a_1,\dots a_k\} i \mathbb{R}^h

V_k sins of be \mathbb{R}^m as an lowear-kon-binaryon on \{a_1,\dots,a_k\}

box b_1=a_1+a_2+\dots+a_k=\sum_{i=1}^k a_i horsomer a_i a_i
                                             Pa mahiselorm
                                                           (\alpha_1 \, \alpha_2 \, \cdots \, \alpha_k)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                                     2-34 1-16
                                    \underbrace{\mathsf{Eks}}_{\mathsf{A}_1} = \begin{pmatrix} 3 \\ -1 \\ \mathsf{s} \end{pmatrix} \quad \mathsf{A}_2 = \begin{pmatrix} 7 \\ 1 \\ 4 \end{pmatrix}
                                                            \begin{cases} \frac{1}{2} & \frac{1}{4} & \frac
                           # 1 1 -1 -1 | $\frac{\pi_1}{\pi_2} \left( \frac{1}{\pi_1} -1 -1 \right) \frac{\pi_1/\pi_2}{\pi_2} \left( \frac{1}{\pi_1} -1 -1 \right) \frac{\pi_2/\pi_2}{\pi_2} \left( \frac{1}{\pi_2} -1 -1 \right) \frac{\pi_2/\pi_2}{\p
                           we visit to get it or priest. De her vi ingen besoniger.

(a) Sich sight it or bluerkorpjingin an a-me.

(b) Sich sight it or ibbe priest.

- R. or priest. De her vi is light.

    Siste eight i C er likke priort.
    Alle de andre eighte er priort. De har vi én literary.
    Eq. 1 ... eight pri de en haly dy male.
    Down, an de andre er like priort etyphe. De her ri tanklig

                                                                                                                                                      (1) Noen an de ander er ikke printspyler.
Vrauge lasninger.
b < 967+...+6,20, på krange måler.
                                                                    A = (a, a2 ··· a4) A ~ D

Alle be R<sup>M</sup> her har shriber

Her rad i D her prostebanet
                                                                                                                                                                                                                                                                                                                                                          trappemetrise
, nom en Uniarkombia
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